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Sr. D. Manuel Ríos y Simóbas.

67

S.XVII

$\frac{8}{2}$

R 15606  
TRIGONOMETRIA  
**HISPANA.**  
RESOLVTIO

TRIANGVLORVM PLANI,  
& Sphaerici: constructio Sinuum, Tan-  
gentium, Secantium, & Logarithmo-  
rum, corumque usus.

*AVTHORE*

A. R. P. JOSEPHO ZARAGOZA,  
Valentino Societatis IESV in Suprema Hispaniarum  
Inquisitione propositionum Fidei Censore: olim in Colle-  
gij Balearico, Barcinonensi, & Valentino Theologia  
Scholastica, modo in Matritensi Academia Imperiali  
Collegij Mathe/eos Professore  
Regio.

Ad Excellentissimum Dominum  
D.GASPERM DE HARO ET GYZMAN,  
Marchionem del Carpio, & Eliche, Comitem  
Ducem de Olivares, ad Pontificem Maximum  
Regionomine Legatum Ordinarium,  
&c.

*SECVNDA EDITIO.*

VALENTIAE. Apud Hyeronimum  
de Villagrassa. Anno Dom. 1673.  
Cum superiorum Licentia.



# MAPA RESOLVIT

TRATADAL DE LA MAFIANA  
SPLITIUS: CONSTITUCIO SIVANIA: TAN  
GENTIUS: COLECTORIUS: PASTORIUS:  
LITERATURUS.

## INTRODUCTA

PROLOGO: PROLOGO: PROLOGO:  
SPLITIUS: CONSTITUCIO SIVANIA: TAN  
GENTIUS: COLECTORIUS: PASTORIUS:  
LITERATURUS.

APREXCELLERANTUR DOMINUM

D.GASPAR DE HARO ET GVMAN  
MAGNUS ALIO CIBIO: & ELLIO: COMITI  
DUCI DE OLIVARES, COMITI DE MERENTE  
REGIARUM ARCIU: & TURRIU: CORDUBENSIMUM  
PERPETUO GUBERNATORI: & REGALIUM STABULORU  
SUMMO PÆFECTO, ALGUACILIO MAIORI CIVITATIS:

& INQUISITIONIS CORDUBENSIS, PERPETUO ARCIUM  
HISPALENSIMUM, & CLASSIUM OFFICINÆ PÆFECTO,  
& ETIAM CASTRI, & ARCIS DE MOXACAR: MAGNO  
INDIATUM CANCELLARIO, & REGISTRATORI CARUN  
DEM PERPETUO, ALCANTARENsis ORDINIS MAXIMO  
COMMENDATORI, HISPANIATUM REGI A CUBICU  
LIS, PRIMO A VENATIONIBUS, & REGIOTUM  
TRACTUUM DEL PARDO, VALLAIN,  
& ZARZUELA PÆFECTO,

&c.



RIGONOMETRÆ HISPANÆ ITERUM IN NO  
VAM LUCEM PRODEUNTI (EXCELENTISSI  
ME PRINCEPS) MÆCENAS ALIUS INQUI  
RENDUS MIHI NON FUIT, QUAM EXCA V.  
MATHHELEOS ENIM DIGNITAS EUM PATRO  
NUM EXIGIT, QUI SPLENDORE SANGUINIS, &  
INGENIJ MAGNITUDINE TANTÆ SCIENTIA  
NOBILITATEM AMPLIFICET; QUE OMNIA IN TE VNO ADEO VIGENT,  
UT VIX SUP PAREM NOSTRO HOC FACULO INVENIRE LICEAT. ADEO  
ILLUSTRES PARENTES TIBI NATURA CONCELSIT, VT SI CORUM FACTA  
nol-

nolles æmulari, degenerare non posses. Maiorum con-  
traxisti virtutem filius progenitoribus maior, in hoc mi-  
randus, quod virtus in te contracta major in compen-  
dio apparet, splendidius luceat: ita enim expressisti  
omnes, ut dum vivis Maiorum neminem perire, nemini-  
nem in te desiderari credamus: & cum illi fuerint in nullo  
non maximi, dubitare licet, in quo maior esse potueris,  
ni tantam magnitudinem maiorem esse potuisse in epito-  
me, tua magnitudine comprobafles. Maiorum igitur glo-  
ria nobilis es, & nobilior tua, cum illam summo increme-  
to perficeris, & effeceris tuam. Eam ex factis proprijs  
adeptus es claritatem, ut quam ex stirpe habuisti maxi-  
mam, minima tene, ac otiosa foret, nisi que tecum sine me-  
ritis nata, tecum merendo adulta, amplissima esse. Et fuc-  
rit, & immensa.

Intervirtutes, quæ maximè Heros decent, est forti-  
tudo facile Princeps: fortis tamen est, non qui inter for-  
tes nascitur, nec qui magna molitur, sed qui ardua perfic-  
it, qui fortissime vivit, triumphator non tam aliorum  
sæpè, quam sæpius sui: tuam igitur fortitudinem com-  
mendat iugis de te ipso triumphus. Immania confecisse  
prælia magnum est, sed me iudice, ingenuas fovere artes,  
sapientiæ cummulare gloriam, innata magnitudine mo-  
destè vti, maius est fortitudinis argumentum. Tygris flu-  
viorum omnium velocissimus bellicam fortitudinem ex-  
primit, quæ mirabiliter perniciate. Ionitu, ac strepore mag-  
no, curiuq; rapidissimo fertur, & obstantia, quæque pro-  
ruit, & demolitur. Hæc in sui admirationem vulgares  
animos rapiunt, qui vnum rei corticem, & nudam superfi-  
ciem corporeis oculis intuentur. Nobilibus autem, &  
sapientibus viris, quibus intima, & profundiora aquilino  
mentis obtutu, rimari licet, Tygridis rapiditati præfer-  
tur Nili profunditas, & tranquillitas summa, ut qui pla-  
cidu curru immensa aquarum volumina explicans, feraces  
inundat campos, vniuersam provintiam alluit, irrigat, &

fæcundat: tale est benignitatis, sapientiæ, ac modera-  
tionis tuae profluvium, quod te apud hostes commo-  
rante, nobis effluxit, cum deposito armorum strepitu,  
pacem Regno, tibique gloriam pèperisti immortalem:  
duxisti Bellonam, vt Martem oppimeres, & generares  
pacem, quæ bellorum est finis. Bellicam ergo laudem  
te omnibus præripuisse credimus, vt qui non degener  
maiores tuos potentes bello, robustos viribus, & mar-  
tiali gloria toto terrarum Orbe clarissimos in unum ex-  
presseris omnes; sed cum vis consilij expers mole ruat sua,  
literarum studia, Marthæeos præcipue foves, quæ mili-  
tarem artem perficiunt, ut in te præclararam faciat mixtu-  
ram cum sapientia fortitudo. Duplici tum corde, tum ten-  
su animi Elephantus esse dicitur, & altero quidem ira-  
incendi ad bellum, altero mitigari, & leniri ad sapien-  
tiam traditur ab Æliano: hoc quidem magnanimos de-  
cet viros, hac te sapientia, ac generositate præditum  
adumbras, ambiget nemo, qui egregia tua facinora in  
bello, & pace cognoverit. Dubium igitur mihi non est,  
qui fortitudo tua sapiëtia committe invicta sit ad labo-  
res, constans ad pericula, ad illecebras dura, rigidior ad  
voluptates, & in expiabili prælio adversus omnia vitio-  
rum monstra decertet. Hinc quod de Asbesto Lycno.  
Poëta cecinir, de Splendore tuo flammæ cœlestis æmulo,  
posteritas iugi memoria recinet.

Evomit æterna vigiles in lampade flamas,

Quas nulla Æolij tempestas obruet alis.

Hæc animi magnitudo te Magno Philippo iunxit:  
arctissime, Palladia hæc virtus te legatum constituit:  
Regum pro Carolo Secundo ad Pontificem Maximum:  
viribus licet fractis, & imbecillis ex valetudine cruri-  
bus, sed mente adeò firma, & vivida; consilio ita certo,  
& stabili, vt suspicari diceat te Romam expetere, ne  
Christiani Orbis caput sine tuo cerebro vix ille dolcat:  
posteritas. Perge igitur, Heros maxime, in Vahlen-

specaculis assuetam, quæ forte spectaculum te ipso nobilis non vedit unquam: perge felix, & pro tua benignitate sine opusculū hoc esse itineris committē, tecum liberabit in Urbem non invitus, licet et recundia forte, ac rubore perfusus, cum Trigonometria, quæ omnium est mensura, immensæ tua magnitudinis measuram nullam inveniat. Vale.

Excellentissime Domine.

Excellentia Vestrae  
Obsequentil. in Christo servus

Iosephus Zaragoza.

### LICENTIAE SUPERIORVM.

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FACULTAS R. P. PROVINCIALIS,  
Toletanæ Provinciæ Societatis Iesu.

Didacus de Valdes.

### ERRORES PRIMO CORRIGENDI.

Pag.	Lin.	Error.	Corrig.	Pag.	Lin.	Error.	Corrig.
2.	27.	ABC.	BAC	58.	31.	relinquo.	reliquo.
8.	22.	MP.	AP.	64.	4.	(2.1.1.)	(1.1.2.)
8.	27.	CH.	BH.	64.	12.	cbd.	odb.
18.	23.	arur.	ator.	68.	8.	BE,	DE.
22.	25.	& 39.	& 29.	70.	23.	mibus,	matibus,
26.	11.	cōtria.	cōtraria.	83.	23.	NE.	NC.
36.	32.	16.	19.	97.	12.	bubet,	habet.
37.	3.	ictus.	itur.	99.	14.	CAD,	CDA,
45.	3.	onemi.	orem.	105.	24.	EDH,	EBH,
46.	19.	789.	798.	114.	24.	ACB,	ACb,
48.	2.	123.8.	23.8.	115.	16.	latuſ,	Angulum,
53.	26.	326.	128.	120.	5.	sita,	sitæ,
56.	12.	45.m.	34.m.	131.	22.	v.R,	vi.B,

### Corrigenda in Tabulis.

Sub gradu 1. & 2. in fine paginae, ubi sunt numeri 1.79.  
89. 90. corri ge 178. 88. 177.

Sub gr. 22. 10.m. in ordine Sinuum, prima littera est 8.  
corri ge 9.

Ad similes errores cognoscendos prout universis Tabulis, observandum est quemlibet numerum medium esse inter proxime superiorem, & inferiorem.

LE-

MNACORI MEDI

**T**rigonometria per universum Matheſeoſ tractum  
longe diſūfaimmenſum ferè habet vſum, ad omnes  
ſuperficieſ Rectilineas extenſum, licet nomen vnā Trian-  
gulorum menſuram præferat. Huius cognitione deſti-  
tui opprobrium eſt Mathematici, & è conveſto: *Ex Angu-  
lis latera, ex lateribus Angulos.* (verba ſunt Magni Vietæ)  
*& mixtum in Triangulis, tam Planis, quam Sphaericis aſsequi,*  
*ſumma gloria Mathematici eſt.* Trigonometriam illuſtra-  
runt Ioannes de Regiomonte, Georgius Ioachimus Rhe-  
ticus, Valentinus Otho, Franciſcus Vieta, P. Christo-  
phorus Clavius, Mauritius Bresius, Thomas Fin Kius,  
Lansbergius, Maginus, Pitilcus, Basſantinus, Adrianus  
Romanus, Benjamin Vrſinus, Longomontanus, Snellius,  
Neperus, Briggius, Vlac, Stevinus, Froboenius, Ough-  
tred, Metius, Sethus Vbardus, Gellibrant, Cavalerius,  
Herigonius, P. Galpar Schotus, & Illuſtrissimus Cara-  
muel: quos omnes merito literarius orbis veneratur Ma-  
giſtroſ, & impeneſe concelebrat. Nihilominus meus iſte  
labor, nec inutilis, neque inanis cenſebitur, vt ſpero, illis  
principiè, qui fedulo animadverterint difficultatem: re-  
tinendæ praxis, & demonstrationis reſolutionum in  
Trigonometria Sphaerica; quæ ad vnam facillimam figu-  
ram in hoc operē redacta eſt. Animus fuit Trigonometrię  
iſpicioſ applicationem adiungere: poſteā vero hanc ſpecia-  
li volumini reſervandam eſſe duxi, quod innumeris ferè  
Problematibꝫ ad Mathematicarum uſum apprime ne-  
cessarijs refertum, vt publici iuriſ fiat, cito in communem  
lucem prodibit.

• *nde T ratiōnē ſit oportet ſequor obſeruare  
ab aliis ſit oportet ſequor obſeruare  
in illo mōrum mōrum ſit oportet ſequor obſeruare  
in pionorū ſit oportet ſequor obſeruare.*

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LIBER



# RECTANGVLA SPHÆRICA.

**PROBLEMA I.** Data Hypoten. & uno latere. Inven.

I. Latus aliud.		II. Ang. conterminum.		III. Ang. oppositum.
Sinus 2. perp.	BH.	Tangens Hypoth. EB.		Sinus Hypoth. EB.
Radius	AH.	Tang. perp.	BH.	Sinus perp. BH.
Sinus 2. Hypoth.	EB.	Radius.	PR.	Radius ED.
Sinus 2. basis	EH.	Sin. 2. anguli	B.	Sinus anguli E.

**PROBLEMA II.** Data Hypotenusa, & angulo. Inven.

I. Latus conterminum.		II. Latus opp. angulo.		III. Angulū reliquum.
Radius.		Radius	ED.	Radius.
Sin. 2. ang.	B.	Sinus ang.	E.	Sin. 2. hypoth. EB.
Tang. hypoth.	EB.	Sinus hypoth.	BE.	Tang. ang. B.
Tang. lateris	BH.	Sinus lat. opp.	BH.	Tang. 2. ang. E.

**PROBLEMA III.** Datis duobus lateribus. Inven.

I. Hypothen.		II. Angulum. E.		III. Angulum B.
Radius.		Sin. lat. conterm. EH.		Sin. lat. conterm. BH.
Sin. 2. lateris	BH.	Radius.		Radius.
Sin. 2. lateris	EH.	Tang. lat. opp.	HB.	Tang. lat. opp. HE.
Sin. 2. Hypot.	EB.	Tang. anguli	E.	Tang. anguli B.

**PROBLEMA IIII.** Dato latere, & ang. contermino. Inven.

I. Hypothen.		II. Latus opp.		III. Angulū reliquum.
Radius.		Radius.	EG.	Radius
Sin. 2. ang.	E.	Sin. lat. conterm.	EH.	Sin. 2. lat.
Tan. 2. lat.	EH.	Tang. ang.	E.	Sin. ang.
Tan. 2. Hypot.	EB.	Tang. lat. opp.	BH.	Sin. 2. ang.

**PROBLEMA V.** Dato latere, & angulo opp. Inven.

I. Hypothen.		II. Latus reliquum.		III. Angulum reliq.
Sin. ang.	E.	Tang. ang.	E.	Sin. 2. lat.
Sin. lat.	BH.	Tang. lat. opp.	BH.	Sin. 2. ang.
Radius.	DE.	Radius	EG.	Radius
Sin. hyp.	EB.	Sinus lat.	EH.	Sin. 2. ang.

**PROBLEMA VI.** Datis duobus angulis. Inven.

I. Hypothen.		II. Latus BH.		III. Latus.
Tang. ang.	B.	Sin. 2. ang. con.	B.	Sin. ang. cont.
Tan. 2. ang.	E.	Sin. 2. ang. opp.	E.	Sin. 2. ang. opp.
Radius	BP.	Radius	DF.	Radius
Sin. 2. hyp.	EB.	Sin. 2. lat.	BH.	Sin. 2. lat.

QUADRANTALE. Solvitur ut rectang. convertendo lat. in ang: & contra-

# TRIGONOMETRIA PLANA.

Rectangula.

## PROBLEMA I.

Datis latere, & angulis

I. Aliud latus.

BE. radius

ED. tāg. ang. B.

BC. latus datum

CA. latus quæf.

*Fig. 6.*

inven.

II. Hypoten.

BE. sin. ang. A.

BD. radius

BC. lat. opp. A.

BA. Hypoth.

Obliquangula.

## PROBLEMA I.

Datis angulis, & latere

I. Latus AB.

Sinus ang. B.

Latus opp. CA.

Sinus ang. C.

Latus opp. AB.

*Fig. 10.*

inven.

II. Latus BC.

Sinus ang. B.

Latus opp. CA.

Sinus ang. A.

Latus opp. CB.

## PROBLEMA II.

Dat. Hypoth. & latere.

*Fig. 7.*

inven.

I. Angulos.

BA. Hypoth.

BC. latus

BD. radius

BE. sin. ang. A.

vel sin. 2. ang. B.

II. Latus aliud.

Inveniatur prius

anguli: deinde in

venietur latus ex

probl. I.

## PROBLEMA II.

Dat. 2. lat. & ang. opp.

*Fig. 11.*

inv.

I. Angulos.

CA. Lat. opp. B.

Sinus ang. B.

AB. lat. opp. C.

Sinus ang. C.

II. Latus.

Inveniatur prius

anguli: deinde

invenietur latus

ex probl. I.

## PROBLEMA III.

Dat. Hypoth. & angulis.

*Fig. 8.*

inven.

I. Latus CA.

BD. radius

DE. sin. ang. B.

BA. Hypoth.

CA. lat. opp. B.

II. Latus BC.

BD. radius

BE. sin. ang. A.

BA. Hypoth.

BC. latus opp. A.

## PROBLEMA III.

Dat. 2. lat. & ang. medio.

*Fig. 12.*

inven.

I. Angulos.

Summa laterum

differ. laterum.

tāg. semisū. B.C.

tāg. semidi. B.C.

II. Latus aliud.

Inveniatur ang.

deinde latus ex

probl. I.

*Summa 3. & 4. est B: differ. est C*

## PROBLEMA IIII.

Dat. duobus lateribus

*Fig. 9.*

inven.

I. Angulos.

BC. latus maius

CA. latus minus

BE. radius

ED. tāg. ang. B.

vel tan. 2. ang. A.

II. Hypoten.

Inveniatur prius

anguli: deinde in

venietur Hypo-

th. ex prob. I.

## PROBLEMA IIII.

Dat. 3. lateribus.

*Fig. 14.*

inven.

*Quemlibet angulum.*

Addē compl. logarithm. laterum, lo-  
garithmis semisummarum, & semidiffe-  
rentiarum basis, & differentiarum laterum:  
dimidium aggregati est sinus semi-  
anguli opp. basi.

## MONITVM VNIVERSALE:

In omni proportione sumicur prioris termini compl. logar. ad radium si  
ille sit minor isto, vel ad duplum radium si fierit maior: ex summa trium  
aufertur 1. ad sinistram si compl. sumptum est ad radium: vel 2. si ad  
duplum radium: & remanet logar. quarti termini quaestio,

# SINGVLARIA SPHÆRICA.

## PROBLEMA I. Pro rectangulis Sphæricis ex Nepero.

Sinus cuiuslibet partis, & radius medij sunt inter Tangentes vicinae: & etiam inter sinus 2. remotarum.

Tangens vicinæ, amotæ sinus esto secundus.

Partes sunt latera, & complementa Hypothenusæ, & angulorum (omnissimo recto) quæ signantur hac nota o: vt in Fig. 7.

## PROBLEMA II. Rectangula solventur ex data basi, &

*Sum.hyp. & perp.*

*Tan. semi summæ.*

*Tan. semi basis.*

*Tan. semi basis.*

*Tan. semi differ.*

*Summa 1. & 4. est Hypoth. Di-*

*f. r. est perpend.*

*Difer. hyp & perp.*

*Tan. semi differ.*

*Tan. semibasis.*

*Tan. semibasis.*

*Tan. semi summæ.*

*Inde reliqua  
innotescunt.*

## PROBLEMA III. In obliqu. ex 2. aleernis, & media.

*Segmenta basiſ.*

*Sin. summæ angulorū.*

*Sin. differ. angulorum.*

*Tan. semibasis.*

*Tan. semidifer. segm.*

*Summa 3. & 4. est*

*segm. maius.*

*Difer. est minus.*

*Segmenta angul.*

*Sin. summæ laterum.*

*Sin. differ. laterum.*

*Tan. 2. semianguli.*

*Tan. semidifer. segm.*

## PROBLEMA IIII. Ex data parte, segmentis, & summa includentiis.

*Latera includentia.*

*Tan. 2. semianguli.*

*Tan. semidif. segm.*

*Sin. summæ laterum.*

*Sin. differ. laterum.*

*Semisumma 3. & 4. est*

*pars maior.*

*Semidif. est minor.*

*Anguli includentes.*

*Tan. semibasis.*

*Tan. semidif. segm.*

*Sin. summæ angulorum.*

*Sin. differ. ang.*

## PROBLEMA V. Ex data media, segmentis, & differ. includentium.

*Latera includentia.*

*Tan. semidif. segm.*

*Tan. 2. semianguli.*

*Sin. differ. laterum.*

*Sin. summæ laterum.*

*Semi summa 3. & 4. est*

*pars maior.*

*Semidif. est minor.*

*Anguli includentes.*

*Tan. semidif. segm.*

*Tan. semibasis.*

*Sin. differ. angulorum.*

*Sin. summæ angulorum.*

## PROBLEMA VI. Ex 2. alternis, & differ. segm. mediae.

*Basis inclusam.*

*Sin. differ. angulorum.*

*Sin. summæ ang.*

*Tan. semidif. segm.*

*Tan. semibasis.*

*Duplum quarti est*

*pars qualita.*

*Angulum inclusum.*

*Sin. differ. laterum.*

*Sin. summæ laterum.*

*Tan. semidif. segm.*

*Tan. 2. semianguli.*

# OBLIQVANGVLA SPHÆRICA.

## SPECIES I.

**PROBLEMA I.** Datis 3. partibus alternis: quær. opp.

I. *Ex 3. lateribus Angulus.*

'Addo compl. logar. sinuum laterum,  
logarithmis semisumma, & semi-  
dif. basis & differentia laterum: di-  
midiū aggregati est sinus semiāguli.

II. *Ex 3. angulis Latus.*

Sume compl. ad 180. vnius anguli  
ex includentibus latus quæsum &  
fit eadem operatio. Dimidium ag-  
gregati est sinus semilateris.

## SPECIES II.

**PROBLEMA II.** Ex 2. alternis, & media: quær. alterna.

I. *Latus ex 2. lat. & ang.*

Radius.	Sin. 2. segm. DC.
Sin. 2. ang. C.	Sin. 2. segm. DB.
Tan. lat. AC.	Sin. 2. lat. AC
Tan. segm. CD.	Sin. 2. lat. AB

II. *Angulus ex 2. ang. & lat.*

Radius.	Sin. segm. CAD.
Sin. 2. lat. AC.	Sin. segm. BAD.
Tan. ang. C.	Sin. 2. ang. ACB
Tan. 2. ang. CAD.	Sin. 2. ang. ABC

**PROBLEMA III.** Ex 2. alternis, & media: quær. opp.

I. *Angulus ex 2. lat. & ang.*

1. oper. vt supra.	Sin. segm. CD.
Seg. 2. est summa,	Sin. segm. DB.
Si perp. cadit ex- tra, vel differ. si	Tan. 2. ang. C.
cadit intra.	Tan. 2. ang. B.

II. *Latus ex 2. ang. & lat.*

1. oper. vt supra.	Sin. 2. seg. CAD.
Seg. 2. est summa,	Sin. 2. seg. BAD.
Si perp. cadit, ex- tra, vel differ. si	Tan. 2. lat. AC.
cadit intra.	Tan. 2. lat. AB.

## SPECIES III.

**PROBLEMA IIII.** ex 2. alternis, & opp. quer. alterna:

I. *Latus ex 2. lat. & ang. opp.*

1. oper. vt supra.	Sin. 2. lat. AC.
<i>Latus BC.</i> est Sin. 2. lat. AB.	
summa, vel dif. vt	Sin. 2. seg. CD.
supra.	Sin. 2. seg. DB.

II. *Angulus ex 2. ang. & lat. opp.*

1. oper. vt supra.	Sin. 2. ang. ACB
Ang. BAG. est Sin. 2. ang. ABC	
summa, vel dif. vt	Sin. ang. CAD.
vt supra.	Sin. ang. BAD.

**PROBLEMA V.** Ex 2. alternis, & opp. quer. media.

I. *Latus ex 2. ang. & lat. opp.*

1. oper. vt supra.	Ta. 2. ang. ACB.
CB. est summa,	Ta. 2. ang. ABC.
vel dif. vt in pr. 3.	Sin. segm. CD.
	Sin. segm. BD.

II. *Angulus ex 2. lat. & ang. opp.*

1. oper. vt supra.	Ta. 2. lat. AC.
BAG. est sum- ma, vel dif. vt in	Ta. 2. lat. AB.
pr. 3.	Sin. 2. ang. CAD
	Sin. 2. ang. BAD.

**PROBLEMA VI.** Ex 2. alternis, & opp. quer. opposita.

I. *Angulus ex 2. lat. & angulo op.*

	Sin. lat. AB.
<i>Operatio unica.</i>	Sin. lat. CB.
	Sing. ang. ACB.
	Sin. ang. BAC.

II. *Latus ex 2. ang. & lat. opp.*

	Sin. ang. BCA.
<i>Operatio unica.</i>	Sin. ang. BAC.
	Sin. lat. AB.
	Sin. lat. BC.

**LIBER I. CAPVT I.**

Totum opus in tres libros distributum volui. Primi Canonem Trigonometricum, naturam, inventionem usumque mirabilem Logarithmorum exprimit, quæ omnia Trigonometriæ Planæ, & Sphæricæ communia sunt. Secundus, de Trigonometria plana totus est. Tertius autem de Sphærica.

**CAPVT PRIMVM.**

**DE SINIBVS, TANGENTIEVS, ET  
Secantibus.**

**S**iuis, Tangentes, & Secantes rectæ quædam sunt, quæ ad Triangulorum solutionē considerantur in Circulo; cum autem rectarum ad id spectantiū aliæ omnino intra Circulum cadant, aliæ prorsus extra, aliæ verò partim extra partim intra, opus fuit diversa ijs indere nomina distinctionis ergo. Sinus omnino intra Circulum cadūt, at Tangentes Circulū tangunt prorsusque eminent extra, Secantes illam fecant, & partim extra, partim intra sunt.

**2.** Mathematici cuiuscumque circuli peripheriam in 360. partes divisam intelligunt, quas gradus appellant, singulos autem gradus in 60. partes, quas vocant minuta, vel scrupula prima, singula verò minuta in 60. secunda, singula secunda in 60. tercia, &c.

**3.** Partes Circuli sunt Angulorum mensura, ut si in punto A. fig. 1. constituantur Angulus, & ex eo Circulus describatur, contineatque Arcus CB. gradus 60. & minuta 15. continebit etiam Angulus ABC. gradus 60. minuta 15. &c. Cum autem integer Circulus 360. grades habeat, Semicirculus DBM. erit graduum 180. quadrans vero MB. qui mensura est Anguli recti MAB. graduum 90. quare omnes Anguli recti inter se æquantur; omnes

**TRIGONOMETRIÆ.**

siquidem 90. gradibus constat. Angulus 90. gradibus maior, erit Obtusus; minor verò Acutus. 4 Complementum Anguli, vel Arcus est id, quod deficit ipsi, referturque ad Quadrantem, vel Semicirculum. Complementum Anguli obtusi semper est ad Semicirculum; Exem gr. sit Angulus DAC. vel Arcus DC. graduum 120. quibus demptis ex Semicirculo 180. relinquetur Angulus CAB. vel Arcus CB. graduum 60. eritque BC. complementum ad Semicirculum Arcus CD. complementum Anguli acuti esse potest ad Quadrantem, vel Semicirculum. Si Arcus CB. vel Angulus CAB. sit gradum 60. subducanturque ex Quadrante B M. 90. remanebit CM. vel CAM. graduum 30. & erit MC. complementum Arcus CB. scilicet ad Quadrantem. Si vero BC. gradum 60. auferatur ex Semicirculo BCD. 180. relinquetur CD. graduum 120. eritque CD. complementum ad Semicirculum Arcus BC. Idem dicendum est de Angulis.

**5.** Diameter est linea quæ transit per centrum, & Circulum dividit in duas partes æquales, vti DB. cuius semis AB. est Semidiameter, vel Radius, qui ex centro in circumferentiam erit, & omnes Radij sunt æquales, atque etiam Diametri. Videant Tyrone Proæmialia faltem Geometriæ nostræ.

**6.** Linea omnium potissima Radius est, ad quam aliae omnes circuli referuntur, & scilicet in quascumq; partes dividii posset, operationū facilitas exigit, vt in unitatem cum aliquot ciphris resolvatur, veluti in partes 10000. vel in 100000. &c. quæ divisio in servit ad determinandam quantitatem reliquarum circuli linearum, quæ sunt chordæ, Sinus, Tangentes, & Secantes; omnes enim, ut mensurantur cum Radij partibus conferuntur.

**7.** Chorda, subtensa, vel inscripta est recta, quæ tota intra Circulum cadit, & finitur duobus punctis extremis Arcus, cui subtenditur vti CG. est chorda, vel subtensa Del P.I. Zaragoça.

## 4 LIBER I. CAPVT I.

Arcus CBG, quia terminatur duobus punctis CG, qui sunt eiusdem Arcus extrema.

8 Sinus rectus, vel Sinus primus est recta, quæ ab uno Arcu extremo perpendicularis incidit Diametro per extremum aliud transiunti. In exemplo sit Arcus CB, & per centrum A. & punctum B. transeat Diameter DAB & ex punto C. cadat perpendicularis CE. erit CE. Sinus rectus, vel Sinus primus Arcus C.B. & Anguli acuti CAB, ipsamet recta CE. Sinus primus erit Arcus DC quia etiam perpendicularis est Diametro DAB, per extremum D. Arcus CD. transiunti: quare Sinus Anguli acuti CAB. Sinus quoque est Anguli obtusi CAD. vide licet sui complementi ad Semicirculum.

9 Sinus Totus est Sinus Quadrantis, vel Anguli recti & est ipsemet Radius. Cum enim BM. quadrans sit; perpendicularis MA. cadit in centrum A. itaque Sinus MA. est ipsemet Radius AM. & cum MA. perpendicularis maxima sit omnium, quæ in Diametrum DB. cadere possunt, erit etiam Sinus Maximus, Sinus Totus, vel Totalis, vel Radius, quæ voces idem omnino significant.

10 Sinus secundus cuiusque Arcus est ipsemet Sinus primus suæ differentiæ ad Quadrantem, veluti si Arcus sit BC. graduum 60. demptis ijs ex Quadrante 90. remanet differentia graduum 30. & perpendicularis CO. quæ est Sinus primus Arcus CM. erit Sinus secundus Arcus CB. Si verò Arcus sit DC. graduum 120. ablato ex eo Quadrante DM. 90. relinquetur differentia MC. graduum 30. cuius Sinus primus est CO. eritque Sinus secundus Arcus DC. cum autem in Rectangulo O.E. latera opposita sint æqualia OC. AE. (7.1.1.) erit AE. Sinus secundus Arcus BC. & pariter Arcus CD. ita ut Sinus secundus Anguli acuti, sit ipsemet Sinus primus sui complementi ad Quadrantem; Sinus vero secundus Anguli obtusi est Sinus primus differentiæ, vel excessus quo Quadrantem superat.

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5

11 Sinus Versus, vel Sagitta est Diametri portio comprehensa inter Sinum primum, & Circuli circumferentiam. Exempli gratia CE. est Sinus rectus Arcus CB. & EB. est Sinus Versus Arcus CB. ED. verò, Sinus Versus Arcus DC. ergo Sinus Versus EB. Arcus BC. vna cum Sinu secundo AE. æquatur Radio AB. & Sinus Versus ED. minus Sinu 2. AE. Arcus DC. æquatur Radio AD. ergo cognito Sinu secundo AE. Arcus BC. si auferatur AE. ex Radio, vel Sinu toto AB. supererit EB. Sinus Versus Arcus CB. si autem AE. Sinus secundus Arcus DC. addatur Radio AD. erit ED. Sinus Versus Arcus DC. vel Anguli Obtusi DAC. in Angulo igitur acuto subducitur Sinus secundus, in Obtuso verò additur Radio, & habetur Sinus Versus: ob hanc potissimum causam calculus Tabulae Sinuum Verlorum ommittitur.

12 Tangens est linea, quæ Circulum contingit in unico punto, & est perpendicularis ad extremum Diametri, quæ transit per illud punctum (7.1.3.) Tangens ista infinita esse potest: Tangens vero Arcus est recta, quæ in altero Arcus extremo Circulum contingit, & determinatur recta, quæ à centro transit per extremum alterum eiusdem Arcus ut BH. est Tangens Arcus BC. quia Arcus in extremitate B. tangit, & finitur recta AH. quæ à centro prodit per punctum C. dicitur Tangens prima, ut distinguatur à secunda.

13 Tangens secunda unius Arcus, Quadrante minoris, vel Anguli acuti, est ipsemet Tangens prima sui complementi ad Quadrantem, veluti si Arcus sit BC. complementum eius erit CM. & MP. est Tangens prima Arcus MC. dico MP. esse Tangentem secundam Arcus BC. Paratione BH. quæ est Tangens prima Arcus BC. erit Tangens secunda Arcus CM. &c.

14 Secans prima cuiusque Arcus, vel Anguli acuti est recta, quæ prodit à centro, & secat Tangentem primam, Secans vero secunda est recta, quæ secat Tangentem secundam,

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dat, ibique terminatur: veluti A H. est Secans prima Arcus B C. quia A H. terminatur ad Tangentem primam B I. sed A P. est Secans secunda Arcus C B. quia terminatur Tangentem secundam M P. rursum A P. est Secans pri Arcus M C. & A H. est Secans secunda eiusdem Arc M C. ergo Tangentes, & Secantes primæ vnius Arci sunt Tangentes, & Secantes secundæ sui complementi Quadrantem, & econtra.

15 Arcus maiores 90. gradibus, & Anguli Obtuti non habent Tangentes, & Secantes alias quam complementorum suorum ad Semicirculum: quare si Angulus graduum 120, eius Tangens prima, & secunda; item Secans prima, & secunda erit eadem, quæ graduum 60. si complementi ad Semicirculum. Observatione digna est, quoties dicitur Sinus, Tangens, vel Secans, ab solutis habintelligitur Sinus primus, Tangens prima, Secans prima, quoties non additur terminus secundus, vel secunda.

## CAPVT SECUNDVM:

*DE FVNDAMENTIS CANONIS  
Trigonometrici.*

**D**ifferentia quorumlibet duorum Arcuum, vel Angulorum est eadem, qua suorum complementorum ad Quadrantem, vel Semicirculum. Fig. I.

Sint Arcus duo D R. DL. quorum differentia est RL.  
complementa ad Quadrantem sunt RM. LM. & ipsorum  
differentia item est RL. complementa ad Semicirculum  
sunt RB. LB. & illorum differentia est RL. ergo semper  
est eadem.

<sup>17</sup> Sinus cuiuslibet Arcus est semissis Chordæ Arcus dupli, & Sinus duorum Arcaum proportionales sunt Chordis Arcaum duxorum. Fig. I.

## TRIGONOMETRIÆ.

Sit Arcus BC. eiusque Sinus CE. productus usque ad G. cum Radius AB. sit perpendicularis ad CG. (§. 8.) et aequalibuntur Arcus CB. BG. item CE. EG. (2. l. 3.) CE. dimidium est CG. & Arcus CBG. duplus CB. ergo Sinus CE. Arcus CB. est semitris chordæ CG. Arcus dupli CBG. igitur si sumatur quilibet alias Arcus CM. & eius duplus CL. erunt proportionales: ut CO. est dimidium CL. ita CE. est dimidium CG. & alternando ut Sinus CO. ad Sinum CE. ita chorda CL. ad chordam CG.

(5.1.5.)  
 18 Sinus primus, & secundus æque possunt ac Radius.  
 Sinus primus, & Sinus Versus æque possunt ac Chorda. Chorda  
 differentia duorum Arcuum, æque potest ac differentia ea-  
 rumdem Sinuum primorum, & secundorum. Fig. 1.  
 Sit Arcus BC. (Fig. 1.) eiusque Sinus primus CE. Si-  
 nus vero secundus CQ, id est AE. Radius est AC. ergo  
 cum Angulus B. rectus existat, erit quadratum ex AC.  
 & quale quadratis AE. EC (4.1.2.) igitur AE. EC. æquæ  
 possunt ad Radius AC. Pari ratione Arcus CL. Sinus  
 primus CZ. & Sinus Versus LZ. æque possunt ac Chor-  
 da LC. quoniam quadratum LC. æquatur duobus qua-  
 dratis CZ. ZL. Ritus Chorda GN. differentia Arcuum  
 BN. BG. æque potest ac KG. differentia Sinuum pri-  
 mu GE. SN. & KN. differentia Sinuum secundorum GX. NL.

19 Sinus primus unius Arcus medio loco proportionalis est inter semissim Radij, & Sinum Versum Arcus dupli. Fig. 1.

Sit Arcus DL. & DLC. duplum eius : erit DZ. Sinus  
primus Arcus LD. & DE. Sinus Versus Arcus DLC. cu.  
Triangula DZA. DE.C. habeant angulos ad Z. & E. re-  
ctos, & Angulum ad D. communem, æquiangula sunt  
(3.1.1.) ergo ut DE. ad DC. ita DZ. ad DA. (2.1.6.) &  
alternando ut DE. ad DZ. ita DC. ad DA. (5.1.5.) igi-  
tur ut DE. ad DZ. ita DZ. semiſſis DC. ad temiſſem Ra-  
dij DA. (4.1.5.) ergo DZ. Sinus primus Arcus DL. me-  
Del P.I. Zarag. c. 2. dico

dio loco proportionalis est inter Sinum Versum DE. Arcus dupli DLC. & Semiradium DA. &c.

20 Radius medius proportionalis est inter Tangentem Arcus primam, & secundam. Fig. 1.

Sit Arcus BC. eius Tangens prima BH, & MP. Tangens secunda cuni MA, BH. perpendiculares sint ad BA erunt parallelae (3. P.) & Anguli Alterni MAP, AHB aequales (2.1.1.) & Anguli M, B, recti aequales: ergo Triangula AMP, HBA sunt Equiangula (3.1.1.) igitur proportionales sunt HB, Tangens prima ad BA. Radium ut AM. Radius ad MP. Tangentem secundam (2.1.6) quare Radius medius est inter Tangentem primam & secundam.

21 Radius medius proportionalis est inter Sinum primum, & Secantem secundam unius Arcus, vel inter Sinum secundum, & Secantem primam. Fig. 1.

Sit Arcus BC. cuius Sinus primus est CE. & Secantem secunda AP. cum sint Equiangula. (vt ante) Triangula AMP, CEA. erunt proportionalia: vti CE. Sinus primus ad CA. Radium; ita AM. Radius ad AP. Secantem secundam (2.1.6.) ergo Radius medius est inter Sinum primum CE. & Secantem secundam AP. vel inter CE. Sinum secundum Arcus MC. & AP. Secantem primam eiusdem, &c.

22 Radius ad Tangentem Arcus rationem habet, quam Sinus secundus ad Sinum primum, eiusdem Arcus. Fig. 1.

Sit Arcus CB. eius Tangens BH. Sinus primus CE. Sinus secundus CO. vel AE. cum AB. perpendicularis sit ad EC. BH. (5.8. & 12.) erunt CE. BH. parallelae (3. P.) ergo vt AE. Sinus secundus ad EC. Sinum primum; ita AB. Radius ad BH. Tangentem, (2.1.6.)

23 Radius ad Secantem primam unius Arcus rationem habet, quam Sinus primus ad Tangentem primam. Fig. 1.

In iisdem Triangulis ACE. AHB. Radius AC est ad Sinum primum CE. vti Secans AH. ad Tangen-

## TRIGONOMETRIÆ.

tem HB. (2.1.6.) ergo alternando AC. Radius ad AH. Secantem, est vt Sinus CE. ad Tangentem HB.

24 Radius eandem rationem habet cum Secante 1. quam Tangens 2. cum Secante 2. Fig. 1.

Sit Arcus BC. cuius Secans 1. est AH. Tangens 2. MP. & Secans 2. AP. in Triangulis similibus AMP, HBA sunt proportionales MP. Tangens 2. ad PA. Secantem 2. vti BA. Radius ad AH. Secantem 1. (2.1.6.)

25 Sinus 1. & 2. unius Arcus directe proportionales sunt cum Secante 1. & 2. eiusdem Arcus. Fig. 1.

Sit A. Sinus 1. B. Sinus 2. Sit C. Secans 1. A. B. D. Secans 2. R. Radius, cum Radius medium R. proportionale sit inter A. & D. (§. 21.) erit C. D. Rectangulum ex A. in D. aequale Quadrato Radii (1.1.6.) & quoniam ipsis metis Radius medium proportionale est inter C. & B. (§. 21.) erit Quadratum ex Radio aequale Rectangulo sub C. & B. (1.1.6.) ergo Rectangulum ex A. in D. aequale est Rectangulo sub C. & B. (3. P.) ergo latera reciproce proportionalia sunt; vt A. Sinus 1. ad B. Sinus 2. ita C. Secans 1. ad D. Secantem 2. (1.1.6.)

26 Tangens 1. & 2. unius Arcus reciprocæ proportionales sunt cum Sinu 1. & Secante 2. vel cum Sinu 2. & Secante 1. eiusdem Arcus.

Sit A. Tangens 1. R. Radius. B. Tangens 2. R. Radius.

Sit C. Sinus 1. R. Radius. D. Secans 2. R. Radius.

Cum Radius medius sit inter A. & B. (§. 20.) erit Rectangulum ex A. in B. aequale Quadrato ex Radio (1.1.6.) & quia Radius medius quoque est inter C. & D. (§. 21.) erit Rectangulum sub C. & D. aequale Quadrato ex Radio (1.1.6.) ergo Rectangulum ex A. in B. aequatur Rectangulo sub C. & D. (3. P.) ergo latera reciproca proportionalia sunt (1.1.6.) vt A. Tangens 1. ad C. Siunum 1. ita D. Secans 2. ad B. Tangentem 2. Idem est de Sinu 2. & Secante 1. propter eandem rationem.

Del P. J. Zaragoza. B. TAN.

**127.5** Tangentes 1. & 2. cuiusque Arcus reciprocè proportionales sunt cum Tangente 1. & 2. cuiuslibet alterius Arcus vel cum Sinu 1. & Secante 2. vel cum Sinu 2. & Secante 1. Item Sinus 1. & Secans 2. unius Arcus reciprocè proportionales sunt cum Sinu 1. & Secante 2. vel cum Sinu 2. & Secante 1. cuiusque alterius Arcus. & i contra.

Demonstratio eadem proclus est, quia Radius medium  
est inter hos, & illos (§. 20, & 21.) ergo Rectangula erunt  
æ qualia, & latera reciprocata, ut antea (1.1.6.)

2.8. Ciborda differentia duorum Arcuum ad differentiam  
Sinuum 2. eorumdem rationem habet, quam Radius ad Sinum  
Arcus intermedii. Fig. I.

Sint duo Arcus B.N. BG. ipsorum differentia NG.  
& recta G.N. chorda differentia Arcuum. Sinus 2. At-  
cuum sunt NL. GX. & eorum differentia NK. cum AT.  
perpendicularis sit ad chordam G.N. bifariam secabit  
chordam. & Arcum (2.1.3.) ergo Arcus B.T. est Arcus  
intermedius, cuiusque Sinus TF. igitur quia GE. perpen-  
dicularis est ad BA. & AT. ad GN. & Anguli Verticales  
AVE. GVT. sunt æquales æquabitur EAV. Angulo  
VGN. (3.1.1.) ergo quia VGN. cum GNK. vnum re-  
ctum efficit. & AVE. cum EAV. constituit quoq; rectum  
æquales erant etiam EVA. GNK. & cum æquales sint  
AVE. ATF. (2.1.1.) æquales itemerunt ATF. GNK.  
igitur Triangula Rectangula ATF. GNK. Äquiangu-  
la sunt (3.1.4.) & latera proportionalia (2.1.6.) ergo  
chorda GN. ad NK. differentiam Sinuum secundorum  
est, ut Radius AT. ad Sinum TF. Arcus intermedij BT.

*Aliæ proportiones reperiuntur apud Lansbergium,*

**Clavium, & alios, quas omittio, quia ad**

nostram methodum super-

*fluxunt.*

תְּמִימָנָה בְּבֵית אֶלְעָזָר וְבַיִת שְׁמֻאֵל

*—Suzie B. Russell —*

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卷之三

## CAPVT TERTIVM.

**DE LATERRIBVS FIGVRARVM**

*regularium.*

**L**atera figurarum regularium, atque Sinus inde exorti eò erunt exactiores, quo Ra- dij divisio maior existet, & quia in extra-  
tione Radicum irrationalium elici nequit numerus ve-  
sus, & in operationum continuacione augetur error, vt  
evadat iste insensibilis, expedit quatuor, vel sex cyphras  
addere Radio præter eas, quæ in Sinuum Tabulam ele-  
ctæ fuerint: veluti si Sinus investigandi sint ad Ra-  
diū; 100. 000. 000. sumatur ad operationem Radius  
1000. 000. 000. 000. & ex Sinibus inventis rejiciantur  
quatuor litteræ ad dextram, & Sinus absque errore sen-  
sibili remanebunt.

### *De latere Hexagone.*

30 Latus Hexagoni est ipsem et Radius circuli  
(5. p. 3. Geometriæ Practicæ) ergo si Radius statuatur  
1000. 000. 000. hic etiam erit valor lateris He-  
xagoni.

### *De latere Trianguli. Fig. 2.*

31 Circulo in sex partes diviso, est ABC. Triangulum  
equilaterum (5.p.3.) & ducta BD. erit ipsa latus Hexagoni:  
ergo cum Angulus ABD. in Semicirculo rectus sit (3.I.3)  
Quadratum ex AD. & quabitur duobus Quadratis AB.  
BD. (4.I.2.) & quia AD. Diameter dupla est Radix AE.  
erit AD. 2000. 000. 000. 000. eius Quadratum 4000.  
000. 000. 000. 000. 000. & cum BD. sit la-  
tus Hexagoni aequale Radio, erit eius Quadratum 1000.  
000. 000. 000. 000. 000. quo sublato ex  
Quadrato AD. remanebit Quadratum ex AB. 3.000. 000.  
000. 000. 000. 000. cuius radix quadrata est  
latus Trianguli AB. 1732050807568.

*Del P.I.Zaragoçà.*

B 2

100

*De latere Quadrati.* Fig. 3.

32 Si duæ Diametri A.B. C.D. secantur ad Angulos rectos, erunt C.A. A.D. latera Quadrati (5.p.4.) ergo quia Angulus ad A. rectus est, duo Quadrata C.A. A.D. æquabuntur Quadrato ex C.D. (4.l.2.) cumque D.A. A.C. sint æquales; unum quodque Quadratum dimidium est Quadrati C.D. ergo existente Quadrato 4.000.000.000.000.000.000.000.000. cuius semissis 2000.000.000.000.000.000. est Quadratum ex A.C. eius radix quadrata erit latus A.C. 1414213562373.

*Delatere Pentagont.* Fig. 4.

33 Sit B.C. Diameter, D.A. Radius perpendicularis, D.E. dimidium D.C. sit E.F. æqualis ipsi EA, & ducantur AF. quæ erit latus Pentagoni. Ita practico operari ait Caramuel in sua Geometria, pag. 333. & quærit: *An ne bene?* Illam per Sinus probat, & ita concludit. Ergo secura est regula. Nequeo satis mirari tantum Mathematicum Sinus adhibuisse in examen propositionis Ptolomeo demonstratæ, lib. I. cap. 9. Almag. ac deinceps Clavio, & Herigonio in Schol. prop. 10. lib. 13. & à pluribus alijs: demonstratur etiam in nostra Geometria Minimorum, part. 2. prop. 167. vndè Sinus per hanc examinandi sunt, non è convercio.

## TRIGONOMETRIÆ.

*De latere Quindecagoni. Fig. 5.*

35 Sit ABDEG. Pentagonum, & ACF. Triangulum. Arcus AB. BD. graduum 72. eritque ABD. graduum 144. cum verò AC. circuli sit tertia pars, graduum 120. erit CD. graduum 24. Arcus Quindecagoni, quia autem ABH. AGH. Semicirculi æquales sunt; si demandatur Arcus æquales ABD. AGE. reliquentur æquales DH. HE. ergo Radius ZH. bifariam fecat chordā DE. & est ipsi perpendicularis, item CF. {2. l. 3.} eruntq; DE. CF. parallelæ interse, vt etiam perpendiculares ad illas DS. RP. {13. P.} Igitur cum Quadratum ex CD. æquatur Quadratis CS. & DS. {4. l. 2.} inventis CS. & DS. respecta erit, & CD. quæ latus est Quindecagoni.

36 *Praxis talis est.*

<i>CF.latus Trianguli.</i>	1732050807568
<i>DE.latus Pentagoni.</i>	1175570504584
<i>CP.est dimidium CF.</i>	866025403784
<i>DR.est dimidium DE.</i>	587785252292
<i>Differentia est CS.</i>	278240151492
<i>Quam CP.</i>	749999999999240241518656
<i>Quam DR.</i>	345491502811970091253264
<i>Ablatis ex Quadrato Radij ZC.&amp; ZD. remanebunt quadrata ex ZP. &amp; ZR. (4. l. 2.)</i>	
<i>Quam ex ZP.</i>	250000000000759758481344
<i>Quam ex ZR.</i>	654508497188029908746736
<i>Radix quadrata est ZP.</i>	500000000000
<i>Radix quadrata est ZR.</i>	809016994375
<i>Differensia est PR. vel SD.</i>	309016994375
<i>Differentia est GP. &amp; DR. est CS.</i>	278240151492
<i>Quam ex SD.</i>	95491502812558781640625
<i>Quam ex CS.</i>	77417581902291109826064
<i>Summa est.</i>	172909084714849891466689
<i>Eius Radix quadrata est CD.</i>	415823381635
<i>Et bac est latus Quindecagoni.</i>	

*Del P. I. Zaragoza*

四

*De latere Decagoni. Fig. 5.*

37 Latus Decagoni est DH, atque ejus Quadratum æquale Quadratis DR, RH.

Radius ZH. est.

ZR. per §. 36. est.

Differentia est RH.

DR. per §. 36. est.

Quæ ex RH. est.

Quæ ex DR. est.

Duorum summa.

Radix quadrata est DH.

Atque hoc est latus Decagoni, eodem modo reperientur figuræ omnes duplorum laterum.

## CAPVT QVARTVM.

METHODVS INVESTIGANDI SINVS,  
Tangentes, & Secantes exponit.

38 Invenire Sinus graduum 60. 45. 36. 30. 18.  
& 12. item Sinus complementorum suorum.

Quoniam semiſsis chordæ Sinus est dimidij Arcus (§. 17.) Triangulum verò gradus 120. subtendit, Quadratum 90. Pentagonum 72. Hexagonum 60. Decagonum 36. Quindecagonum 24. semiſses chordarum, erunt Sinus dimidiorum Arcuum.

	Are	Chordæ.	Gr	Sinus.
Triang.	120	1732050807568	60	866025403784
Quadr.	90	1414213562373	45	707106781186
Pentag.	72	1175570504584	36	587785252292
Hexag.	60	1000000000000	30	5000000000000
Decag.	36	618033988749	18	309016994374
Quinde.	24	415823381635	12	207911690817

Invenire Sinus complementorum.

39 Quoniam Sinus 1. & 2. æque possunt ac Radius 1000000000000 (§. 18.) si Quadratum ex Sinu 1. subducatur ex Quatratu 809016994374 to Radij, & à residuo extrahatur Radix quadrata, erit 190983005623 hæc Radix Sinus 2. vel Sinus complementi.

587785252292 Sinus 1. gr. 36. est.

Eius Quæ est.

345491502811970091253264

Quæ ex Radio.

10000000000000000000000000000000

Residuum est.

654508497188029908746736

Radix quadrata est Sinus 2. gr. 36.

809016994374

Atque etiam Sinus 1. complementi sui, quod est graduum 54. hac arte reperientur Sinus secundi, si cognoscantur primi, & vice versa primi, si cognoscantur secundi.

Grad.	Sinus.	Complement.	Sinus.
-------	--------	-------------	--------

60	866025403784	30	500000000000
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45	707106781186	45	707106781186
----	--------------	----	--------------

36	587785252292	54	809016994374
----	--------------	----	--------------

30	500000000000	60	866025403784
----	--------------	----	--------------

18	309016994374	72	951056516295
----	--------------	----	--------------

12	207911690817	78	978147600733
----	--------------	----	--------------

Invenire Sinus semiſsis, vel Arcus dupli.

40 Quoniam Sinus 1. vnius Arcus medio loco proportionalis est inter Semiradium, & Sinum Versum Arcus dupli (§. 19.) si Sinus Versus ducatur in Semiradium, Radix quadrata producti erit Sinus 1. dimidij Arcus. Si verò Sinus Arcus multiplicetur per Semiradium, Radix quadrata producti erit Sinus Versus Arcus dupli, eius autem differentia ad Radium erit Sinus 2. eiusdem Arcus dupli, & per §. 39. invenietur Sinus 1.

Ex Arcu gr. 12. & quartitur Sinus gr. 6. & 24.

Radius.

Sinus 2.gr. 12.

Sinus Versus, gr. 12.

Semiradius.

Productus.

Eius Radix quadrata est Sinus gr. 6.

Eius Sinus 2. per §. 39. eft.

41 Pari artificio reperientur Sinus 1. & 2. graduum insuper 1.gr. 30. min. deinde Sinus min. 45. Tandem Sinus dimidiorum complementorum, &c.

Grad.

Sinus.

Compl.

Sinus.

12. 00	207911690817	78. 00	968147600378
6. 00	104528463267	84. 00	994521895368
3. 00	52335956242	87. 00	998629534754
1. 30	26176948307	88. 30	999657324975
0. 45	13089595571	89. 15	999914327574

42 Præterea invenientur Sinus dimidiorum complementorum. Et quoniam Sinus 2.gr. 78. est 207911690817. subducto eo ex Radio, supererit Sinus Versus 79208830918; qui multiplicatus per Semiradium, & eruta radice quadrata; Sinus 1. graduum 39. erit 629320391049. & Sinus 2. per §. 39. erit 777145961456. codem pacto reperientur omnes subsequentes.

39. 00	629320391049.	51. 00	777145961456
19. 30	333806359233	70. 30	942641491092
9. 45	169349503849	80. 15	985556059058
42. 00	669130606358	48. 00	743144825477
21. 00	358367949545	69. 00	933580426497
10. 30	182235525492	79. 30	983254907563
5. 15	91501618663	84. 45	995804927574
43. 30	688354575693	46. 30	725374371012
21. 45	370557437509	68. 15	928809552871
44. 15	697790459841	45. 45	716301943424

43 Insuper Sinus semiisis horum complementorum.

25. 30	430511096808	64. 30	902585284349
12. 45	220697435021	77. 15	975342320508
35. 15	577145190073	54. 45	816641555161
24. 00	406736643075	66. 00	913545457642
34. 30	566406236924	55. 30	824126188622
17. 15	296541574975	72. 45	955019944457
39. 45	639439001980	50. 15	768841832073
23. 15	394743856384	66. 45	918791210148

44 Deinde Sinus semiisis horum complementorum.

32. 15	533614515915	57. 45	845727821703
33. 00	544639035015	57. 00	838670567945
16. 30	284015344703	73. 30	858819734868
8. 15	143492621991	81. 45	989651386819
27. 45	465614520325	62. 15	884987634463

Tandem Sinus semiisis horum complementorum.

28. 30	477158760259	61. 30	878857112661
14. 15	246153293028	75. 45	969230909706
36. 45	598324600570	53. 15	801253812691
30. 45	511293086077	59. 15	859406411501

45 Sicut ex Sinu gradu 12. orti sunt Sinus trigintaduo, & suorum complementorum, ita eadem praxi §. 40. & 41. nascentur 16. Sinus cum suis cōplementis, è Sinu gradu 36. deinde 8. è Sinu gradu 30. ac deinceps 4. è Sinu §. 45. qui omnes 60. summam efficiunt, cum complementis autem summam 120. distantes inter se minutis 45. & in Tabulam referentur hoc ordine.

Grad.	Sinus 1.	Sinus 2.	Comple.
0. 45	13089595571	999914327574	89. 15
1. 30	26176948307	999657324975	88. 30
2. 15	39259815759	999229036240	87. 45
3. 0	52335956242	998629534754	87. 0
3. 45	65403129230	997858933238	86. 15
4. 30	78459095727	996917333733	85. 30
5. 15	91501618663	995804927574	84. 45

Hac

## 18 LIBER I. CAPVT IV:

Hac ratione continuabitur usque ad gradus 45. descendendo, ascendendo vero per illorum complementa usque ad gr. 89. 15. min.

Invenire Sinus unius minutii.

46 Quoniam minimus Sinus repertus fuit minutum 45. inquirendo Sinus semisuum procedatur usque ad Arcum uno minuto minorem, quod contingit in sexta semisse hac arte.

Min.	Sinus 1.	Sinus 2.
45.	A. 013089595571	999914327574
45	B. 006544937697	999978581664
45	C. 003272486506	999994645401
45	D. 001636245443	999998661346
45	E. 000818122995	999999665331
45	F. 000409061532	999999916331
45	G. 000204530770	999999979082
45	H. 000290888203	999999957692
I.m.		

47 Ergo quia per centum est eò usque ubi Arcus, & Sinus insensibiliter proportionales sunt, nam ut Arcus F. duplus est Arcus G. illius quoque Sinus dupl. est huius, reperietur per regulam auream Sinus 1. min. scilicet, ut numerat 45. ad denominatorem 64. ita Sinus Arcus G. ad Sinum Arcus H. qui Sinus est 1. minut. ergo ducto 000204530770. in 64. diviso autem produc-  
to per 45. prodit Sinus 1. min. qui est 000290888203. atque eius Sinus 2. per §. 39. est 999999957692.

Ratio promovendi Tabulam.

48 Cognitis Sinibus 1. & 2. unius minutii invenientur Sinus Arcuum duplorum per §. 40. hac arte.

## TRIGONOMETRIÆ.

19

Sinus 1. min.	290888203
Semiradius.	500000000000
Productus.	14544410150000000000
Eius Radix quadrata est Sinus Versus 2. min.	169232
Ergo Sinus 2. per §. 11.	999999830868
Et Sinus 1. per §. 39.	581776385

Continuando hoc modo reperientur Sinus 4. 8. 16. 32. minutorum: ergo Sinus gr. 1. 4. min. igitur Sinus gr. 2. 8. min. &c. ergo Sinus semisuum lororum complementorum, vti in §. 40. &c.

Modus perficiendi Tabulam.

49 Inventis Sinibus min. 2. &c. 4. reperientur Sinus min. 3. ita: duplo Sinu 1. min. habebimus chordam 2. min. eritque 581776406. quæ etiam est chorda differentiæ duorum Arcuum 2. & 4. min. differentia Sinuum secundorum in minutis 2. &c. 4. est 507696. ergo proportionales sunt per §. 28.

Chorda 2. min. 581776406

Ad differentiam Sinuum secundorum. 507696

Vt Radius. 100000000000

Ad Sinum min. 3. 872664515

Multiplicato 2. in 3. diviso autem producto per 1. exit quartus, qui Sinus est 3. min. Arcus, scilicet, medij inter 2. & 4. min.

Rursus chorda ad differentiam Sinuum primorum, vt Radius ad Sinum 2. 3. min.

50 Determinato Sinu 3. min. reperientur Sinus Arcuum duplorum 6. 12. 24. 48. 1. gr. 36. &c. vti in §. 48. ergo etiam Sinus semisuum lororum complementorum, &c. vti in §. 40. Notis Sinibus min. 4. & 6. invenientur Sinus minut. 3. qui Arcus intermedius est: ergo Arcus dupli 10. 20. 40. minut. &c. Agnitis Sinibus minut. 8. & 10. reperientur Sinus minut. 9. & lororum dupli 18. 36. &c. Ita procedendum est ad inveniendos omnes Sinus minutorum imparium, & lororum duplorum, &c.

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C2

do

donec minut. 45. ad impleantur, quorum duplis, & con gens 2. eiusdem Arcus. Rursus quia Radius media pro plementorum semiisibus consumabuntur, & perficien portione est ad Tangentem 1. & 2. si Quadratum Radij tur Tabulae. In Sinibus minutorum imparium, non le vis compendij est divisorum perpetuo esse chordam mi nut. 2. vti in §. 49.

*Exactior ratio ad Tabulas perficiendas.*

51. Qui perfectissimas Tabulas confidere velit, al sumat pro Radio unitatem cum 20. cyphris, & repertis Sinibus, vt anteā usque ad Sinum minut. 45. ad inveniendum Sinum 1. min. continuabit bipartitionem prout in §. 46. duabus operationibus superadditis: hoc est,  $\frac{45}{2} \cdot \frac{45}{4} \cdot \frac{45}{3} \cdot \frac{45}{2} \cdot \frac{45}{1} \cdot \frac{45}{2} \cdot \frac{45}{3} \cdot \frac{45}{2}$  qui sunt fere secunda 11. iamque evadet intensibilior differentia inter Arcus, & Sinus: quare reperietur Sinus secundorum 10. per regulam auream, vt  $\frac{45}{2}$  ad Sinum suum, ita  $\frac{10}{2}$  ad Sinum suum. Cognito Sinu  $\frac{1}{2}$  qui sunt sec. 10. invenientur Sinus Arcuum duplorum nempē sec. 20. & 40. deinde Sinus Arcus intermedij per §. 49. qui sunt sec. 30. Deinde Sinus Arcuum duplorum, min. 1. 2. 4. 8. &c. & absolvetur Tabula, vt in praecedentibus. Denique reiicientur ab universis Sinibus inventis quinque litterae ad dextram, & remanebunt Sinus ad Radium 1. cum 15. cyphris, vel abiectis 8. litteris, supererit Radius 1. cum 12. cyphris. Qui autem laboris in patiens non fuerit ad decades secundorum, poterit Canonem perficere.

*Methodus ad investigandas Tangentes.*

52. Quia proportionales sunt, Sinus 2. ad Sinum 1. vt Radius ad Tangentem, si multiplicetur Sinus 1. in Radium, & productus dividatur per Sinum 2. erit quotiens Tangens 1. per §. 22. ē contra, si Sinus 2. ducatur in Radium, & productus dividatur per Sinum 1. prodit Tan gens.

Rursus quia Radius media pro plementorum semiisibus consumabuntur, & perficien portione est ad Tangentem 1. & 2. si Quadratum Radij tur Tabulae. In Sinibus minutorum imparium, non le vis compendij est divisorum perpetuo esse chordam mi

*Ratio inquirendi Secantes.*

53. Cum Radius medius proportionalis sit inter Si num 2. & Secantem 1. per §. 21. si dividatur Quadratum Radij per Sinum 2. fiet quotiens Secans 1. & insuper cum Radius medius proportionalis, sit inter Sinum 1. & Se cantem 2. si Quadratum Radij dividatur per Sinum 1. prodibit Secans 2.

14. Pari artificio reperientur universæ Tangentes, & Secantes graduum omnium, & minutorum Quadrantis, & confecta erit Tabula, Sinuum, Tangentium, & Secantium. Verū in qua operationes Logarithmorum sunt longe faciliores; exponemus modo artem, quā Sinus, Tangentes, & Secantes transferantur in Logarithmos.

CAPVT QVINTVM.

DE NATVRA, ET PROPRIETATIBVS

*Logarithmorum.*

55. Logarithmi sunt quidam numeri artificiales, qui in Progreßione Arithmetica veris numeris Geometricæ progreßionis respondent. Prima eorum ad inventio, & Trigonometrico Canoni applicatio Ioanni Nepero Scoto, Varoni de Merchiston debetur; tam etsi Logarithmorum species ab isto Authore edita commodior non fuerit, ipsius ta men speculationi debemus illam, qua hodie utimur, leto enim cognitis Logarithmorum suorum incommodis, cum salu sene cōstute fracta ad alios novos calculandos non sufficeret; præbuit formam, quam deinceps Henricus Briggius, y Adrianus Vlac, eius consilio executioni man

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datunt, estque illamet, quæ hodie servatur. Universa illorum fabrica, & usus à sequentibus progressionum proprietatibus pendet.

56 In quacumque Progressione Arithmetica (cuius nempe termini procedunt semper cum æquali excessu) summa extremonum æquatur summa duorum quorumlibet terminorum ab extremis æqualiter distantium, neenon duplo medij termini.

Sint pro exemplis Progressiones sequentes.

Termin.	a.	b.	c.	d.	e.	f.	g.	m.	n.
Progressio. I.	4.	6.	8.	10.	12.	14.	16.	18.	20.
Progressio. II.	5.	8.	11.	14.	17.	20.	23.	26.	29.
Progressio. III.	1.	2.	3.	4.	5.	6.	7.	8.	9.
Progressio. IV.	0.	1.	2.	3.	4.	5.	6.	7.	8.

57 In qualibet appositarum quatuor Progressionum termini primus, & nonus, qui & ultimus est, & quantus tertio, & septimo, siquidem in Progressione I. terminus a. est 4. ultimus vero 20. summa est 24. Tertius est 8. Septimus autem 16. at 8. & 16. efficiunt quoque 24. In Progressione II. a. & n. 5. 29. sunt 34. item e. & g. ex II. quoque & 23. sunt 34. &c. At in omnibus Progressionibus, si terminus medius dupletur, qui est e. eius duplum æquabitur summae duorum extremonum, sicuti in Progressione I. 12. & 12. faciunt 24. ac etiam 4. & 20. In II. bis 17. faciunt 34. ut 5. & 39. & sic de ceteris.

58 Huius ratio est, quia cum excessus sit semper æqualis; quod terminus a. minor est e. eo ultimo maior est g. ergo a. & ultimo æquatur e. & g. Rursus quo a. est minor e. medio, eo ultimo maior est ipso medio: ergo a. & ultimo æquatur duplo medio.

59 Hinc perspicuum fit b. & n. æquari e. & g. cum enim æquales sint a. & ultimo; æquales quoque inter se eront (3. P.) item infertur in quacumque Progressione Arithmetica, si ex summa quorumlibet duorum termini

ñorum dematur alter; residuum esse terminum alium, qui tantum distet à maiori, quantum minor à primo: veluti si ex summa tertij, & septimi auferatur a. exit n. qui tantum à g. distat, quantum e. ab a. cum enim æquidistantium summæ sint æquales, necessarium est dempto uno reliqui alium.

60 In quacumque Progressione Geometrica, Productus ex primo, & ultimo æquatur Producto duorum terminorum ab extremis æqualiter distantium, vel producto, quist ex medio in se ipsum multiplicato.

Num. term. a. b. c. d. e. f. g. m. n.

Progressio I. 3. 6. 12. 24. 48. 96. 192. 384. 768

Progressio II. 1. 2. 4. 8. 16. 32. 64. 128. 256

Progressio III. 1. 3. 9. 27. 81. 243. 729. 2187. 6561

Veluti in Progressione I. si c. & g. que sunt 12. & 192. multiplicantur, fit Productus 2304. ac idem producitur ex a. & n. qui sunt 3. & 768. Rursusque idem si e. qui est terminus medius, in se ipsum ducatur 48. in 48. producitur 2304. idem est si multiplicentur d. & f. &c. Horum demonstratio brevis est, quia ratio a. ad c. est duplicata rationis a. ad b. & etiam ratio g. ad n. erit quoque duplicata eiusdem rationis: ergo a. est ad c. ut g. ad n. (1. l. 5.) quare rectangulum sub a. & n. æquatur rectangulo ex e. in g. (1. l. 6.) Rursus ratio a. ad e. ex iisdem rationibus componitur quibus ratio a. ad n. ergo sunt proportionales a. ad e. ut e. ad n. quare rectangulum sub a. & n. æquatur Quadrato e. & eodem modo in omnibus æquidistantibus ab extremis, &c.

61 Vnde colligitur Productum quorumlibet duorum terminorum ab extremis æqualiter distantium, æquari Producto quorumcumq; aliorum duorum terminorum ab iisdem extremis æqualiter distantium: uterlibet æquatur Producto extremonum (9. 59.) ergo inter se sunt æquales (3. P.) idem infertur si Productus quorumlibet duorum terminorum dividatur per quemlibet aliud terminum; Quotiens

24 erit novus terminus, qui à maiori tantum distabit, quantum divisio à minori. Nam cum Producti & quidistantiū sint & quales, si Productus dividatur per unum terminum, necessariò erit Quotiens alius terminus & quidistans: quare altero Producto per terminum i. diviso; si Quotiens terminus ultimus, qui à maiori multiplicatantum distat, quantum minor à primo.

62 Si due Progressiones una Arithmetica, altera vero Geometrica, sibi ipsis respondeant summa, & subtractione terminorum Arithmeticorum equipollent semper multiplicationi, & divisioni Geometricorum, termini autem Arithmetici erant Geometricorum Logarithmi.

Exemplum sit in sequentibus Progressionibus.

Ter Progess. Geometrica.

min	I.	II.	III.	IV.	Progess. Arithmetica.					
a.	3	2	4	1	I.	II.	III.	IV.	V.	VI.
b.	6	6	8	2	a.	5	9	1	0	8
c.	12	18	16	4	b.	7	10	2	1	7
d.	24	54	32	8	c.	9	11	3	2	6
e.	48	162	64	16	d.	13	12	4	3	5
f.	96	486	128	32	e.	13	13	5	4	0
g.	192	1458	256	64	f.	15	14	6	5	3
m.	384	4374	512	128	g.	17	15	7	6	2
n.	768	13122	1024	256	m.	19	16	8	7	1
					n.	21	17	9	8	0
										-4

63 In Progressione I. Geometrica si termini d. & f. multiplicetur, scilicet, 24. per 96. & Productus 2304. dividatur per b. qui est 6. sicut Quotiens 384. qui ostavus terminus est. Asumpta mox Progressione Arithmetica I. si d. & f. in unam summam redigantur, videlicet I. & IV. sicut 26. ablatio b. qui est 7. remanebunt 19. qui est m. Eadem est ratio, de quacumque Progressione Geometrica, si enim Productus quorumlibet duorum terminorum dividatur per alium; Quotiens tantum à maiori distabit, quā-

25 tum divisor à minori per s. 60. in Arithmetica autem si ex duorum terminorum summa auferatur aliis, residuum tantum à maiori distabit, quantum subtractus à minori per s. 59. ergo semper ex summa, & subtractione terminorum Arithmeticorum exhibet alius terminus, qui prodeunt ex multiplicatione, & divisione Geometricorum respondet.

### De infinitis Logarithmorum speciebus.

64 Terminos Progressionis Arithmeticae, quæ Geometricæ correspódet terminorū Geometricorum, Logarithmos appellamus, scilicet, à voce Greca, Logos, Latine Ratio, & Arithmos. Latine numerus, quare Logarithmi sunt numeri rationales, & relati, qui Progressionis Geometricæ veris, & absolutis terminis respondet. Cum autem eidē I. Progressioni Geometricæ apponi possint, non tantum sex Arithmeticae, sed etiā aliae infinitæ, quæ diverso excessu posunt effungi, propterea Logarithmorum species infinitæ sunt pro una, eademque Progressione Geometrica, & vice versa, quia I. Progressioni Arithmeticae, non solum respondet quatuor Geometricæ, sed etiam infinitæ aliae, quæ adstrui possunt duplæ, triplæ, quadruplæ, &c. Inquamque specie rationis, ideo idem Logarithmi diversis numeris absolutis infinitè correspondere valent.

### De Logarithmis Directis, & Retrogradis.

65 Logarithmi Directi sunt, qui terminorum Geometricorum ordinem servant, crescunt autem Logarithmi, quando numeri quibus respondent, augmentur: ex hac specie sunt I. II. III. & IV. Progressio Arithmetica. Retrogradi vero sunt ij, qui contra terminorum Geometricorum ordinem procedunt, & ubi augmentur isti, illi decrescent, & è contra. Ex hac specie sunt V. & VI. Progressio Arithmetica, quia autem ubi ad unitatem per-

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venitur, nullus iam extat numerus minor, qui verus sit, promoventur Logarithmi cum cyphra, & numeris figuratis, vel fictis, qui nihilo minores sunt, & hac lineola de- notantur → quæ significat minus, veluti ista → plus: atque adeò Logarithmi cyphra inferiores sunt diminuti, de- ficiunt, & negativi.

*Incommoda Logarithmorum refuentium.*

66 Et si summa, & subtractio in Logarithmis retrogradis æquipolleat multiplicationi, & divisioni terminorum Geometricorum, quādo tamen Logarithmi signa habent contraria → & - necessarium est additionis, & subtractionis operationes contrarias esse, uti admonui in lib. 3. cap. 3. nostræ Arithmeticæ, quod quidem magnum incommodum assert, maximè ijs, qui in Algebraicis operationibus parum versati sunt. Exempli gratia, si in Progressione I. Geometrica multiplicentur  $b$ . &  $f$ . hoc est 6. per 96. procreabitur 576. quibus divisis per  $a$ . qui est 3. gignetur  $g$ . qui est 192. Assumpta igitur Progressione VI. Arithmeticæ, si addantur  $b$ . &  $f$ . hoc est → 3. & - 1. additionis vice subducetur 1. ex 3. & supere- rit → 2. quæ summa erit ex → 3. - 1. Si ex hac summa → 2. auferatur  $a$ . terminus, qui est → 4. quia 4. demi-quit ex 2. contrario modo subtrahetur 2. ex 4. & remane- bunt 2. cum signo contrario ita - 2. qui est  $g$ . & respon- det num 192. Progressionis Geometricæ I.

Nemò inficiari potest has operationes molestas esse ijs præsertim, qui recens ad illas accedunt; quin etiam æquivocationi obnoxiae sunt, & dubitationi utrum addi, vel subtrahi, vel statui cum signo → vel - debeant. In extractione radicum (quæ mirabile Logarithmorum com- pendium est) eadem incommoda sepius occurunt. Ne- perus post exantatas Logarithmorum retrogradorum Ta- bulas hæc incommoda agnoscit, & largitus est formam Logarithmorum directe procedentium, quos deinceps

efformarunt Briggius, & Vlac, qui retrogradis præferen- di sunt.

CAPV T SEXTVM.

ELECTIO LOGARITHMORVM

*Directorum.*

67 **T**ametsi Logarithmi Directi anteponen- di sunt retrogradis, cum illos species innumeræ esse possint propter Progressionum infinitatem; electionis nova materia superest. Ex omnibus Progressionum speciebus, optimæ sunt Geometricæ, quæ ab unitate incipiunt, & Arithmeticæ, quæ à cyphra, vel cero: ut sunt I. V. Geometrica, & IV. Arith- meticæ, §. 62. Nam cum in operationibus terminorum Geometricorum sæpius multiplicandum, vel dividendum sit per terminum primum, si hic sit unitas, neque multi- plicando augebit, neque dividendo minuet numerum. In terminis Arithmeticis cyphra non adauget summam, ne- que subtractionem imminuit.

*Electio Progressionum Geometricæ, & Arithmeticæ.*

68 Selectis iam speciebus, deest individuorum elec- tio, Progressiones enim Geometricæ, quæ ab unitate in- ciipiunt infinitæ esse possunt, dupla, tripla, quadrupla, &c. Arithmeticæ verò, quæ à cyphra ordinantur infinitæ quo- que esse possunt, cum varijs intervallis 0. 1. 2. 3. 4. &c. Dico ergo Progressiones Logarithmis commodiores es- se simpliciores, clariores, faciliores, & intelligentiæ magis obviæ, ex Geometricis decupla, cuius universi termini ex unitate plus unica cyphra, constant, quæ singulis terminis additur, veluti 1. 10. 100. 1000. &c. Ex Arithmeti- cis verò illa optimæ est, cuius excessus est unitas cum cy- phris quotcumque, quas tamen non expedit minus esse, quam octo, ut hic apparent.

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LIBER I. CAPVT VI:		
69 Progres. Geometrica.	Termi ni.	Progres. Arithmetica Logarithmi.
Numeri.		
M V I	a.	0.00000000
10	b.	1.00000000
M V A C M 100	c.	2.09000000
1000	d.	3.00000000
10000	e.	4.00000000
100000	f.	5.00000000
1000000	g.	6.00000000
10000000	m.	7.00000000
100000000	n.	8.00000000
1000000000	p.	9.00000000
10000000000	q.	10.00000000

70. Primæ Logarithmorum litteræ ad sinistram, quæ punctis distinguntur, sunt eæ, quæ naturalem Progressionem constituant cum excessu unitatis; has litteras vocamus *Characteristicas*, sunt enim veluti signum, aut character, quo designantur litteræ, quibus constat numerus Progressionis Geometricæ, cui ipsa responderet. Omnes enim numeri digiti, qui cadunt inter 1. & 10, Logarithmum suū habet inter cyphram, & 1.0000000. atque adeò Characteristicam habet cyphram o. omnes numeri, qui duab' litteris constat, ac sunt inter 10. & 100. Logarithmos suos habet inter 1.0000000. & 2.0000000, quorum prima littera, vel Characteristica est unitas 1. Unius numeri ex tribus litteris compositi, & inter 100. & 1000. cadentes; Logarithmos tuos habent inter 2.0000000. & 3.0000000. quorum Characteristica est 2. ita ut Characteristica semper unitate minor sit litteris numeri, cui Logarithmus correspondet: quare si Characteristica sit 4. liquet iam numerum ex 5. litteris compositum esse, & è converso si numerus quinque litteris, vel Characteribus constet, erit Characteristica 4. & sic de reliquis.

Sum-

## TRIGONOMETRIÆ.

Summa aequivalet multiplicatione.

71. Universis Logarithmorum speciebus competit summag, & subtractionem terminorum Arithmeticorum æquipollere multiplicationi, & divisioni Geometrorum per §. 62. Verum sola summa multiplicationi, & subtractio divisioni non aequivalet, nisi Progresio Geometrica incipiat ab unitate, Arithmeticæ verò à cyphra: si enim ex summa Logarithmorum duorum subducatur primus. Multiplicatio autem numerorum correspondenter dividatur per primum, procreabuntur termini correspondentes (§. 62.) cum enim subtrahere cyphram, & dividere per unitatem, neque summag, neque multiplicationem imminuat, sequitur solam summam in nostris Logarithmis æquipollere semper multiplicationi. Id vero licet termini sint tres, vel quatuor, &c. Veluti si b. & f. addatur; conflabitur Logarithmus 8.0000000. qui est n. at si b. & c. Geometricorum multiplicetur 10. per 100. prodibit 1000. hoc per f. multiplicato, qui est 10000. producetur 10000000. qui est n. & Logarithmo 8.0000000. respondet.

Subtractio sola aequivalet divisione.

72. Provenit id ex §. 71. Nam cum ex summa c. & d. oriatur f. Logarithmus; si à f. auferatur d. necesse est reddi c. Par iteratione si in Progresione Geometrica multiplicetur c. & d. gignetur f. ergo vice versâ si f. dividatur per d. orietur c. & subtractio Logarithmorum divisioni collateralium numerorum correspontat, pondebit semper.

Del P. I. Zaragoza.

## De quadrata Radice, &amp; medio proportionali.

73 Si Logarithmus dupletur, vel ducatur in 2. productetur Logarithmus numeri quadrati; si autem Logarithmus dividatur per 2. erit Quotiens Logarithmus Radicis.

Quia summa æquivalet multiplicationi (§. 71.) ergo si multiplicato numero  $c$ . per lemetipsum 100. per 100 exit  $e$ . qui est 10000. quadratus ex 100. si Logarithmus  $e$ . assumatur bis, quod idem est ac multiplicare illum per 2. prodibit Logarithmus  $e$ . qui est 4. 0000000. Logarithmus quadrati ex 100. è contra si Logarithmus 4. 0000000. dividatur per 2. iterum restituetur Logarithmus 2. 0000000. qui Logarithmus est numeri 100 radix quadrati 10000. Ergo quia ducto  $c$ . in  $e$ . & extracta radice Producti, radix illa est medium proportionale, si Logarithmi  $c$ . &  $e$ . addantur; semisumma eorum Logarithmus medij proportionalis.

## De reliquis potestatis in ipso arumque radicibus?

74 Ducto numero in seipsum exit Quadratus: ducto autem Quadrato in ipsummet numerum prodit Cubus: multiplicato item Cubo per eundem numerum; gignitur Quadrato Quadratus, & sic in infinitum, vti dictum in Arithmetica, lib. 2. cap. 1. ergo quia summa æquipollit multiplicationi (§. 71.) si Logarithmus addatur bis conflatitur Logarithmus Quadrati: si vero addatur tertiis Logarithmus Cubi: denique si addatur quater, habebitur Logarithmus Quadrati Quadrati, & sic in infinitum. Ergo etiam vice versa si Logarithmus Quadrati dividatur per 2. erit Quotiens  $R^2$ . vel radix Quadrata, autem Logarithmus dividatur per 3. reddetur Logarithmus  $R^3$  vel radicis Cubica: & si Logarithmus Quadra-

to Quadrati dividatur per 4. reddetur Logarithmus radicis Quadrato Quadrata, vel  $R^4$  & sic in infinitum.

## CAPVT SEPTIMVM.

DE ARTE INVENIENDI LOGARITHMOS  
intermedios.

75 **D**uos tantum Logarithmos in binos numeros prohibitu assignare poterit Arithmeticus, reliqui omnes determinati iam sunt ex natura sua, & arte sunt indagandi. In nostra fabrica numeris 1. & 10. decernimus Logarithmos 0. 0000000. & 1. 0000000. promotis deinceps numeris in eadem ratione 1. 10. 100. 1000. &c. continuabuntur Logarithmi cum eodem excessu, vti in §. 69. sed cum inter 1. & 10. numeri intermedij 8. deficiant, ac inter 10. & 100. deficiant 89. & inter 100. & 1000. 899. &c. Adinventio Logarithmorum illis respondentium specialem ingerit difficultatem, quæ in hoc capite exstanti venit, cuius intelligentia vnicè pendet a §. 71. 72. 73. & 74.

76 Sicuti in Sinuum fabrica monitum est ad reprehendens Sinus exactos, opus esse quatuor, vel sex cyphras addere Radio ob iacturam, quæ in Radicum irrationalium extractione fit; ita prorsus in Logarithmis, si iij novem litteras habere oporteat, talius erit inchoare operationes cum 15. vel 20. & post abolutam fabricam abijcere ad dextram tex ultimas litteras, vel plures iuxta eas, quæ additæ fuerint. Fabrica horum Logarithmorum consistit in mediorum proportionalium adinventione per Radicem quadratam, veluti in Arithmetica lib. 2. §. 51. dictum fuit.

Del P.I.Zaragoça.

D.

## De Logarithmo numeri 2.

77 Quoniam numerus 2. inter 1. & 10. intercidit; addemus singulis 20. cyphras, quò operatio fiat exactior; atque inter hos duos numeros inquiremus medium proportionale, eiusque Logarithmum (§. 73.) qui est numerus tertius C. sequentis Tabulæ. Quia autem 2. cadit inter A. & C. inter hos duos reperietur aliud medium proportionale, qui est D. cum suo Logarithmo per §. 73. mox inter C. & D. invenietur aliud medium cum suo Logarithmo, qui est E. & hac arte inter proximè maiorem quam 2. & proximè minorem, continuabitur mediorum proportionalium adinventio donec post operationes 32. extat L. qui est 1. 999999999. ita proximus ipsi 2. vt insensibiliter ab eo differat, cuius Logarithmus, qui est 0. 30102999578. haberi potest sine errore pro Logarithmo numeri 2. operationem videre licet in Tabula sequenti: Columna 1. continet numerorum ordinem ABC.&c. exigui characteres numeros denotant, inter quos assumptum est medium proportionale: veluti

C. ab. significat tertium numerum, C. medium esse proportionale inter A. & B. Similiter O. ln. denotat O. medium esse inter L.

& N. & sic de reliquo.

quis.

For.

## 78 Formula inveniendi Logarithmum numeri 2.

	Numeri.	Logarithm.
A.	1.000000000000000	0.00000000000
B.	10.00000000000000	1.00000000000
C. ab.	3.1622776601683793	0.50000000000
D. ac.	1.7782794100389128	0.25000000000
E. cd.	2.3713737056616553	0.37500000000
F. de.	2.0335250264571460	0.31250000000
G. df.	1.9109529749704405	0.28125000000
H. fg.	1.9809569785503387	0.29687500000
I. fh.	2.0169145547303304	0.30468750000
L. hi.	1.9988548118735103	0.30078125000
M. il.	2.0078643786024093	0.302734375000
N. lm.	2.0033545311449098	0.301757812500
O. ln.	2.0011034067402922	0.301269531250
P. lo.	1.9999787932923957	0.301025390625
Q. op.	2.0005410209905099	0.301147460937
R. pq.	2.0002598873877707	0.301086425781
S. pr.	2.00011933540.0097	0.301055908203
T. ps.	2.0000490611127277	0.301040649414
V. pt.	2.00001392789;9484	0.301033020019
X. pu.	1.9999963605160194	0.301039205322
Y. ux.	2.0000051441856956	0.301031112670
Z. xy.	2.0000007523460354	0.301030158996
A. xz.	1.9999985541798.03	0.30102992159
B. zx.	1.9999996532626259	0.301029920578
C. xb.	2.00000020.8042552	0.301030039787
D. bc.	1.9999999280334216	0.301029980182
E. cd.	2.00000600654188337	0.301030009984
F. de.	1.9999999967:61265	0.301029995083
G. cf.	2.0000000310724798	0.301030002334
H. fg.	2.0000000138993031	0.301029998809
I. fh.	2.0000000053127148	0.301029996946
L. fi.	2.0000000010194206	0.301029996015
M. il.	1.999999988727735	0.301029995549
N. lm.	1.999999999460971	0.301029995782

Del P. I. Zaragoza.

E

In

79 In p̄m̄issa Tabula, numeri A. & B. columnæ se-  
cūdæ sunt 1. & 10. quibus singulis additæ sunt cyphræ sex.  
decim, reliqui sunt medijs successivè extracti multiplicati-  
tis, scilicet, duobus, inter quos quæritur medium, & eruta  
radice Producti. Duo numeri primi columnæ tertiae Lo-  
garithmi sunt ex 1. & 10. reliqui sunt Logarithmi medio-  
rum, additis nimirū duobus Logarithmis, inter quos me-  
dium quæritur, & assumpta semipartite summa per §. 73.

80 Pari artificio reperietur Logarithmus 3. quia au-  
tem 3. cadit inter 1. & 10. Locabuntur iij primum in Ta-  
bula additis cyphris, &c. Reperiunturque semper medijs  
proportionales inter proximè maiorem, & proximè mi-  
norem ipso 3. donec exeat numerus 3. cum cyphris de-  
cēm, vel numerus 2. cum decem litteris 9. cuius Logarith-  
mus sumi poterit pro Logarithmo numeri 3. absque erro-  
re sensibili. Idem dices de numero 7. cum hæc omnia spe-  
ciali difficultate careant novam formulam exponere su-  
pervacuum esse duxi.

*Regula alia in Logarithmum numeri 3.*

81 Ducatur 3. in se ipsum toties quoties opus sit, vt  
exeat numerus, qui duabus primis litteris conveniat cum  
aliquo ex medijs in formula §. 78. repertis, & post multi-  
plicationes 8. invenio 19683. in Tabula autem p̄m̄issa  
observo G. esse proxime ipso minorem: H. verò proximè  
maiorem. Sumo hos duos numeros cum suis Logarithmis,  
eruantque A. & B. formulæ sequentis. Continuetur dein  
de mediorum proportionalium adinventio, suorumque  
Logarithmorum inter proximè maiorem, & minorem  
quam 19683. donec prodeat iste numerus cum cyphris  
quinq̄ue, & ubi perveneris ad operationes 24. invenias  
D. ac. qui sine errore sumi potest pro 19683. Itemque  
eius Logarithmus 0.2940612926. & immutata Char-  
acteristica cyphra ia4. quod numerus 19683. habet quinq;

letteras (§. 70.) erit verus Logarithmus 4. 2940912924.  
qui dividitus per 9. (sumptus enim est novies numerus 3. in  
multiplicationibus 8.) erit 0.4771212547. qui est Loga-  
rithmus numeri 3.

*Formula Logarithmi numeri 3.*

	Numeri.	Logarithmi.
A.	19109529749704405	0.281250000000
B.	19809567785503387	0.296875000000
C. ab.	19456400615886356	0.289062500000
D. bc.	19632190067904055	0.292968750000
E. bd.	19720679499652940	0.294921875000
F. de.	19676385041348564	0.293945312500
G. ef.	19698529840896686	0.294433593750
H. fg.	19687449330325334	0.294189453125
I. fb.	19681916408356205	0.294067382812
L. hi.	19684682674943266	0.294128417968
M. il.	19683299493053775	0.294097900390
N. im.	19682607938556427	0.294082641601
O. mn.	19682953712767906	0.294090270996
P. mo.	19683126602151535	0.294094085693
Q. op.	19683040157269895	0.294092178344
R. oq.	19682996934971445	0.294091224670
S. qr.	19683018546108806	0.294091701507
T. rs.	19683007740537159	0.294091463088
V. rt.	19683002337753560	0.294091343879
X. ru.	19682999636362317	0.294091284275
Y. ux.	19683000987057892	0.294091314077
Z. xy.	19683000311710093	0.294091299176
A. zz.	19682999974036202	0.294091291725
B. za.	19683000142873147	0.294091295450
C. ab.	19683000058454675	0.294091293588
D. ac.	19683000016245438	0.294091292656

*De Logarithmo numeri 11.*

83. Si inter numeros 10. & 100. s. 69. continuetur inventio mediorum proportionalium inter proximè maiorem, & minorē ipso 11. donec exeat numerus etiam 11. cum novem, vel decem cyphris, repertus erit Logarithmus numeri 11. Alter si numerus 11. multiplicetur in ipsum sexies; prodibit 19487171. qui cadit inter C. & D. 82. Si vero sumantur illi numeri cum suis Logarithmis erunt duo primi. Tabulae sequentis nempè A. & B.

*Formula Logarithmi numeri 11.**Numeri.**Logarithmi.*

A.	19456400615886356	0.289062500000
B.	19632190067904055	0.292968750000
C. ab.	19544097700542905	0.291015625000
D. ac.	19500199858919038	0.290039062500
E. ad.	19478287926431815	0.289550781250
F. ae.	19489240813202296	0.289794921875
G. ef.	19483763600265150	0.289672851562
H. fg.	19486502014243704	0.289733886718
I. fb.	19487871365609615	0.289764404296
L. ht.	19487186677898736	0.289749145507
M. ht.	19486844343064292	0.289741516113
N. lm.	19487015509727466	0.289745330810
O. ln.	19487101093622856	0.289747238159
P. lo.	19487143885713812	0.289748191833
Q. lp.	19487165281794528	0.289748668670
R. lq.	19487175979843695	0.289748907089
S. gr.	19487170630818377	0.28974787879
T. rs.	19487173305330853	0.289748847484
V. fl.	19487171968074569	0.289748817682
X. su.	19487171299446462	0.289748802781
Y. fx.	16487170965132417	0.289748795330
Z. xy.	1648717132289439	0.289748799055
A. yz.	16487171048710927	0.289748797193
B. ya.	19487171006921672	0.289748796261

85. Promota mediorum proportionalium inventione inter proximè maiorem, & minorē quam 19487171. post operationes 22. reperiens B. ya. cuius decem primæ litteræ non differunt à numero vero. Sumpto ergo eius Logarithmo, & immutata Characteristica cyphra in 7. quia numerus 8. litteras habet, erit 7.2897487962. Logarithmus numeri 19487171. Divisus autem Logarithmus per 7. (sexies enim multiplicatus in se ipsum numerus 11.) quod idem est ac elicere R<sup>7</sup> per 9.74. erit Logarithmus numeri 11. qui est 1.0413926852.

*De Logarithmis per summas, & subtractiones.*

86. Inventis Logarithmis numerorum 2. 3. & 11. per facile habentur alij plures, nam cum summa equipollat multiplicationi, subtractio vero divisioni. Si numerus 2. ducatur in se ipsum gignetur 4. ergo assumpto Logarithmo numeri 2. bis conflabitur Logarithmus numeri 4. & quia bis 4. efficiunt 8. additis Logarithmis ex 4. & 2. fiet Logarithmus numeri 8. quia autem 10. divisor per 2. fit quotiens 5. Si subducatur Logarithmus numeri 2. ex Logarithmo numeri 10. supererit Logarithmus numeri 5. &c. Quare si duo numeri multiplicati, vel divisi alium efficiant, summa, vel subtractio Logarithmorum datur, dabit alterius Logarithmum, hac arte multo serè negotio plurimi Logarithmi reperi possunt.

*De Logarithmis numerorum primorum.*

87. Numeri primi sunt ij, quos sola unitas metiri potest, nec ab aliorum integrorum multiplicatione gignuntur, veluti 2. 3. 5. 7. 11. 13. 17. 19. 23. 29. 31. 37. 41. 43. 47. &c. quos usque ad 10000. inventer.

studiosus in sectione 5. miscellanea Francisci Schooten.  
Inter 1. & 1000. sunt numeri primi 168. Hi omnes inves-  
tigandi sunt, vt Logarithmus numeri 2. vel vt Logarith-  
mus numeri 3. & 11. sed quo altius ascendunt numeri, eò  
redduntur breviores operationes.

*De Logarithmis per proportionem.*

88 Quando numerus superat 1000. licet sit numerus primus, Logarithmus eius ita invenietur. Quæritur enim gr. Logarithmus numeri 1011. Logarithmus numeri 1010. est 3. 0043213738. Logarithmus numeri 1012. est 3. 0051805126. differentia est 8591387. eius semissis 4295694. quæ differentia proxima est Logarithmorum 1010. & 1011. sed minor iusto. Sumatur deinde Logarithmus numeri 1014. qui est 3. 0060379550. huius, & primi differentia est 17165812. & instituatur regula trium. Si differentia 17165812. dat differentiam 8591387. quid dabit 8591387? ducto secundo in tertium diviso au- tem producto per primum: fit quotiens 4299938. quæ differentia proxima est Logarithmorum ex 1010. & 1011. sed maior iusto. Additis igitur differentiæ inventa minore 4295694. atque hac reperta maiore 4299938. confla- tur 8595632. eius semissis est 4297816. est que differentia propinquior Logarithmorum 1010. & 1011. Ergo si Logarithmo numeri 1010. qui est 3. 0043213738. adda- mus ultimam differentiam inventam, quæ est 4297816. obveniet Logarithmus numeri 1011. absque errore qui est 3. 0047511554.

89 Eadem ratione si sumamus Logarithmos 1008. 1010. & 1012. inveniemus Logarithmum numeri 1009. qui numerus primus est: similiter cum Logarithmis 1012. 1014. 1016. reperiemus Logarithmum numeri 1013. qui etiam numerus primus est, &c. In his operationibus nunquam error excedit ultimam litterarū, & quo numeri erunt

erant maiores, eò imminuetur error. Demum abiectis ex Logarithmis omnibus ultimis litteris, uti admonitum est in §. 76. remanebunt Logarithmi absque ullo errore.

CAP VT OCTAVVM.

*EXPOSITIO CANONIS TRIGONOMETRICI.*

90 **P**rima Tabula post librum tertium Canon Trigonometricus est, quæ omnes gradus, & minuta Semicirculi coantur ab 1. min. usque ad grad. 180. cum Sinibus, & Tangentibus Logarithmicis, qui sunt Logarithmi, Sinuum, & Tangentiar. Una quæque pagina in duas columnas dividitur, quarum singulæ quatuor numerorum ordines habent, primus, & quartus singulorum graduum minuta dumtaxat comprehendunt: in 2. & 3. apponuntur Sinus, & Tangentes cum suis titulis.

91 Gradus 180. distracti sunt in quatuor Semiquadrantes. Prior columnæ cuiusque paginæ, in parte superiore, & ad sinistrâ exhibet gradus à cyphra, usque ad 44. & in descensu occurrunt illorum minuta 0. 1. 2. &c. In parte autem inferiori ad dexteram habentur gradus minoribus numeris expressi à 135. usque ad 179. & ascendendo reperiuntur eorum minuta 0. 1. 2. 3. &c. Secunda columnæ cuiusque paginæ in parte inferiori, & ad dexteram continet gradus à 45. usque ad 89. & ascendendo exhibet illorum minuta 0. 1. 2. &c. In parte autem superiori sunt gradus à 90. usque ad 134. minoribus etiam numeris expressi, & in descensu eorum minuta.

*Invenire complementa cuiusque Anguli.*

92 Si Angulus minor sit gr. 45. veluti gr. 39. min. 27. & scire velimus eius complementum ad Quadrantem Del P. I. Zaragoç. quæ-

## LIBER I. CAPVT VIII:

49 quætatur 39. suprà priorem columnam, & in descensu invenientur min. 27. prosequendo lineam min. 27. usque ad ultimam ordinem, secundæ columnæ offendit min. 33. in parte vero inferiori gr. 50. Dico ergo gr. 50. min. 33. esse complementum ad Quadrantem gr. 39. min. 27. Si autem inquiratur complementum ad Semicirculum gr. 39. m. 27. repertis suprà priorem columnam 39. & in descensu min. 27. prosequendo lineam, usque ad 4. ordinem eiusdem columnæ, offendit min. 33. in parte vero inferiori gr. 140. Dico gr. 140. min. 33. esse complementum ad Semicirculum gr. 39. min. 27.

93 Si Angulus Acutus maior sit grad. 45. vel grad. 58. min. 19. querantur grad. 58. in parte inferiori secundæ columnæ, & ascendendo reperientur min. 19. prosequendo eius lineam ad sinistrâ, offendit in columna prima min. 41. & in parte superiori gr. 31. Aio gr. 31. min. 41. esse complementum ad Quadrantem gr. 58. min. 19. & prosequendo lineam eorumdem min. 19. usque ad ordinem 4. eiusdem columnæ invenio minut. 41. sursum autem grad. 121. Dico gr. 121. min. 41. esse complementum ad Semicirculum gr. 58. min. 19.

94 Si vero Angulus sit Obtusus, & minor 135. veluti gr. 121. min. 41. querentur gr. 121. in parte superiori columnæ secundæ, in primo ordine, & in descensu occurrent min. 41. prosequendo eius lineam ad dextram inventiuntur min. 19. ita autem gr. 58. Aio gr. 58. min. 19. esse complementum ad Semicirculum gr. 121. min. 41. Si vero Angulus maior sit gr. 135. veluti gr. 148. min. 19. suavitur gr. 148. in parte inferiori columnæ primæ, & ascendendo usque ad 19. prosequendo eius lineam ad sinistrâ reperiuntur min. 41. suprà vero gr. 31. Dico gr. 31. min. 41. esse complementum ad Semicirculum grad. 148. min. 19. &c.

95 Itaque gradus oppositi superior, scilicet, & inferior cuiusque paginæ maioribus characteribus designati;

sunt

## TRIGONOMETRIÆ.

51 sunt alterius alterius complementum ad Quadrantem: duo verò oppositi superior, & interior cuiusque columnæ diversis characteribus expressi; sunt alterius alterius complementum ad Semicirculum. Superior, & inferior duarum columnarum in medio positi, & minoribus characteribus scripti, sunt alterius alterius complementum ad tres Quadrantes. Minor è duobus superioribus, ut etiam è duobus inferioribus, cuiusque paginæ semper est id, quo major Quadrantem excedit.

## Invenire Sinus, &amp; Tangentes Arcuum.

96 Quævis columnæ Sinus, & Tangentes habet, qui sunt Sinus 1. & Tangens 1. gradus, & minutorum, qui in sunt in eadem columna, tam in parte superiori, quam in inferiori; verum Sinus, & Tangentes vnius columnæ sunt Sinus 2. & Tangens 2. graduum, & minutorum, qui existunt in altera columna eiusdem paginæ. Ita ut in eadem pagina reperiantur Sinus 1. & 2. vnius Anguli: Sinus 1. & 2. sui complementi ad Quadrantem, vel Semicirculum. In titulo Sinuum, & Tangentium non scribitur 1. nec 2. quia ipsem, qui primus est vnius gradus, est secundus gradus oppositi in altera columna.

97 Sit Arcus, vel Angulus grad. 23. min. 37. queritur Sinus 1. & Tangens 1. primum invenio gr. 23. in parte superiori, & in descensu min. 37. prosequendo eius lineam, respondet illi Sinus 1. 9. 6027278. sequitur Tangens 1. 9. 6407156. & prosequendo lineam usque ad alteram columnam illius Sinus 2. est 9. 9620122. & Tangens 2. 10. 3592844. Si Arcus sit gr. 66. min. 23. offendit in parte inferiori secundæ columnæ gr. 66. & in ascensu min. 23. prosequendo eius lineam ad sinistrâ occurrit illicè eius Tangens prima 10. 3592844. mox Sinus primus 9. 9620122. & prosequendo lineam usque alteram columnam invenitur Tangens 2. scilicet 9. 6407156. deinde Sinus 2. nempe 9. 6027278.

F

Sit

98 Sit Angulus grad. 113. min. 37. offendō primū gr. 113. in parte superiori secundæ columnæ, & in descensu min. 37. prosequendo eius lineam ad dexteram reperi-tur Sinus primus 9. 9620122. deinceps Tangens prima 10. 3592844. revertendo ad sinistrā, & transeundo ad pri-mam columnam in eadem linea invenio Tangentem 2. esse 9. 6407156. ad latus autem Sinuum 2. esse 9. 6027278. Si Arcus, vel Angulus sit gr. 156. min. 23. inveniam gr. in par-te inferiori columnæ prime, & in ascensu reperiā min. 23. prosequendo eius lineam ad sinistrā in Sinum ordine, offendō eius Sinum 9. 6027278. ad latus verò Tangentem 9. 6407156. & incedendo ad secundā columnā in eadem li-neā invenio Sinum 2. esse 9. 9620122. item Tangentē 2. esse 10. 3592844. itaque in columnā vbi gradus extat in eadē datorum minutorum linea reperiuntur Sinus 1. & Tan-gens 1. & pergendo ad alteram columnam invenitur in eadem linea Sinus 2. & Tangens 2.

*Ad invenire Sinus, & Tangentes secundorum.*

99 Quando Angulus, vel Arcus haber gradus, minu-ta, & secunda, veluti grad. 23. min. 37. sec. 25. & queritur Sinus 1. Sumetur Sinus grad. 23. min. 37. vt ante estque 9. 6027278. Deinde qui sequitur immediate, & est 9. 6030166. ablato minore ex maiore; relinquitur dif-ferentia ~ 2888. Dicamque per regulam trium si 60. sec. quibus constant singula minuta, dant pro differētia 2888. quid dabunt 25. sec? Duco differentiam 2888. in 25. sec. data, sit Productus 72200. quo diviso per 60. prodit 1203. hæc differentia, vel quotiens additur primo Loga-rithmo, si is minor sit secundo, vel demitur si maior ex-terit. Addita ergo differentia inventa Sinui minori 9. 6027278. erit summa Sinus gr. 23. min. 37. secund. 25. & est 9. 6028481.

100 Eodem pacto invenietur Sinus 1. Anguli grad.

grad. 156. minut. 22. secund. 35. Sinus 1. grad. 156. min. 22. est 9. 6030166. sublequens est 9. 6027278. atque minor differentia est 2888. Aio si 60. dant 2888. quid dabunt 35? Exit 1685. subducto quotiente isto ex Logarithmo pri-mo 9. 6030166. quia maior fuit, prodit 9. 6028481. vt antè, & est Sinus 1. grad. 156. min. 22. sec. 35. hac in parte cautè procedendum est illi, qui hæc operationes re-cens aggreditur, si enim summam cum subtractione, aut vice versa confundat, errorem vtique in operatione committet. In Tangentibus porrò eadem observanda veniunt, quæ in Sinibus. Modus autem inveniendi Secan-tes, & Sinus Verlos tradetur ad §§. 120. & 122.

*Reperire Angulum dato eius Sinu, vel Tangente.*

101 In omnibus operationibus Trigonometricis in-venimus Sinum, vel Tangentem, & per illum agnosce-mus Angulum, vel Arcum. Sit datus Sinus primus 9. 6028481. queratur in Tabulis eius proximè minor in prima, vel secunda columnā, sed in ordine Sinuum, & of-fendō in columnā prima eius proximè minorē 9. 6027278 & ad sinistrā 37. suprà verò grad. 23. Dico hunc esse Si-num 1. 23. grad. 37. min. & quia ad dexteram respondent ei minut. 23. infernè autem grad. 156. est quoque Sinus 1. gr. 156. min. 23. cum ergo compertum habeam Angulum futurum esse Acutum; dicam esse gr. 23. min. 37. Si autem futurum esse Obtulū agnoverim, dicam esse grad. 156. min. 23.

102 Dato ipsomet Logarithmo 9. 6028481. tan-quam Sinu 2. vnius Anguli, queritur vt anteā in ordine Sinuum, & invento in prima columnā eius proximè mi-nori, cum sciam esse Sinus 2. prosequar eius lineam vtque ad alteram columnam, & offendam min. 37. suprà verò gr. 113. & continuata linea inveniam min. 23. & infrā gr. 66. Del P.I. Zaragozæ.

Dico ergo esse Sinum 2. gr. 66. m. 23. item gr. 113. m. 37. Si ergo mihi constet Angulum Acutum esse debere, cognoscam esse 66. 23. Si vero Obtusum fore compererim, erit 113. 37. sed ignota specie Anguli determinari nequit Arcus, vel Angulus, licet regulariter Acuti observant. Idem dicendum est de Tangentibus, ita ut sumatur perpetuò Logarithmus proxime minor, & Angulus ei correspondens tanquam verus, licet tantum proximus sit: nam in Sinu 1. & Tangente 1. Angulus Acutus minor iusto exit; Obtulus vero maior, & vice versa in Sinu 2. & Tangente 2. Acutus maior iusto prodibit; Obtulus vero minor, quantumvis differentia negligatur, cum nec ad unum quidem minutum perveniat.

*Invenire secunda Sinus, vel Tangentis.*

103 Quando studiosus operationem exactiorem obtinere cupit, non acquiescit invento gradu, & minuto proximo; sed etiam inquirit secunda scrupula, quo Angulus fiat exactior. Sit datus idem Logarithmus 9.6028481. uti Sinus 1. vius Anguli, reperio eius proxime minorem 9.6027278. eiusque Angulum Acutum 23. 37. Obtusum autem 156. 23. Sinus proxime maior est 9.6030166. differentia proximi minoris, & maioris est 2888. dematur minor 9.6027278. à Logarithmo dato 9.6028481. erit differentia 1203. dicamque per regulam trium. Si differentia 2888. dat differentiam 1203. quid dabunt 60. sec? Prodeunt sec. 25. ista secunda addandur Angulo Acuto, fietque 23. 37. 25. subducantur vero ex Obtuso, & relinquantur 156. 22. 35. idem est in Tangente 1. sed contrarium in Sinu 2. & Tangente 2. quæ omnia caute observanda sunt, æquivocatio enim facile potest subrepere.

## CAPUT NONUM.

## EXPOSITIO TABVLÆ LOGARITHMICÆ.

104 Post Canonem Trigonometricum sequitur Tabula Logarithmica, quæ numerorum absolutorum Logarithmos continet ab unitate, usque ad 1100. quæ universis Trigonometriæ operationibus sufficiant. Qui vero illam uberiori exoptat, apud Vlach inveniet deductam ab unitate, usque ad centum millia numerorum.

*Ivenire Logarithmum numeri Tabula, & numerum integrum Logarithmidati.*

105 Quæratur in Tabula numerus datus, sitq; 4044. in cuius latere ad dextram invenitur eius Logarithmus 3.6068111. è contra si detur Logarithmus 3.6068111. quæratur in Tabula inter Logarithmos, & in eius latere ad sinistram reperitur numerus 4044. Quando Logarithmus datus in Tabula non invenitur præcisè, sumatur propinquior, & numerus ad sinistram pro vero haberi poterit. Sit datus Logarithmus 3.6252988. invenio Logarithmum 4219. minorem esse, maiorem vero Logarithmum 4220. hunc numerum pro vero assumam, quia propinquior est maiori, quam minori, si propinquorem attendere nolimus; sufficiet proxime minorem assumere.

*Ivenire Logarithmum cuiuslibet fractionis.*

106 Si numerator fractionis maior sit denominator, demitur Logarithmus denominatoris à Logarithmo numeratoris; residuum est Logarithmus fractionis, veluti si dentur  $\frac{2}{7}$  numerator est 29. eius Logarithmus 1. 4623980. denominator est 17. eius Logarithmus.

mus.

*Del P.I.Zaragoza.*

mus 1. 2304489. residuum est 0. 2319491. atque Logarithmus est fractionis  $\frac{1}{10}$ . Si verò numerator minor sit denominatore auferetur Logarithmus numeratoris à Logarithmo denominatoris, residuum cū signo — erit Logarithmus fractionis, sed negativus, vel defectivus. Sit fractio  $\frac{1}{10}$  Logarithmorū differentia est 0. 2319491. præfixo signo — erit — 0. 2319491. Logarithmus fractionis  $\frac{1}{10}$ .

*Ad invenire Logarithmum integrum cum fractio-*

107 Sit numerus 358  $\frac{1}{2}$ . sumatur prius Logarithmus integrum 358. & est 2. 5538830. mox sequens, qui est 2. 5550944. differentia utriusque est 12114. Ergo per regulam auream si denominator 12. dat 7. quid dabit differentia 12114? Hac multiplicata per 7. & Productum 84789. diviso per 12. prodit 7066. id additur Logarithmo numeri integrum 2. 5538830. & fit summa 2. 5545896. Logarithmus numeri 358  $\frac{1}{2}$ .

*Cuiusvis Logarithmi, integrum, & fractum reperire.*

108 Sit Logarithmus 2. 5545896. quæro eius proximè minorem, & iuxta 358. ostendo 2. 5538830. & proximè maiorem 2. 5550944. differentia inter maiorem, & minorem est 12114. differentia inter minorem, & medium est 7066. denominator fractionis sit 12. vel quia datum est. vel quia electus. Dico ergo per regulam trium: Si differentia minoris, & maioris 12114. dat minoris differentiam, & medij 7066. quid dabit denominator 12? Multiplicato 7066. per 12. diviso autem Productum per 12114. ex quo quotiens 7. & est numerator. Dico ergo hunc Logarithmum 2. 5545896. esse Logarithmum numeri 358  $\frac{1}{2}$ ; facilitatis gratia eligere opportet denominator 10. vel 100. vel 1000. &c.

*Invenire Logarithmum partium decimalium.*

109 De partibus decimis de utilitate quam afferunt Architectis militari bus, & Mathematicis egi in lib. I. Arithmeticae cap. 9. & 10. Datae sint decimæ  $\frac{7}{10}$ . Logarithmus numeratoris  $\frac{7}{10}$  est 1.8976271. denominatoris verò 100. est 2.0000000. differentia est 0.1023729. cum signo — erit — 0.1023729. Logarithmus defectivus numeri  $\frac{7}{10}$ .

*Reperire decimas Logarithmi negativi.*

110 Sit Logarithmus defectivus — 0. 1023729. subduco illum ex Logarithmo numeri 1000. qui est 3.0000000. & remanet 2. 8976271. quem reperio propè 790. estque numerator numeri 1000. Dico ergo — 0. 1023729. esse Logarithmo fractionis  $\frac{7}{10}$ . hoc est  $\frac{7}{10}$ .

*Invenire Logarithmum integrorum, & decimalium.*

111 Sit numerus 3725.  $\frac{3}{100}$ . Logarithmus numeri 3725. est 3. 5711263. proximè maior est 3. 5712428. utriusque differentia est 1165. haec multiplicata per numeratorem 238. fit Productus 277270. quo diviso per 1000. hoc est ablatis à dextera tot litteris, quot habet cyphras numerus 1000. ex eunt 277. additis his Logarithmo 3. 5711263. prodit Logarithmus 3. 5711540. numeri 3725.  $\frac{3}{100}$ .

*Invenire integros, & decimas cuiuslibet Logarithmi.*

112 Sit Logarithmus 3. 5711540. ostendo in Tabula eius proximè minorem 3. 5711263. & 3725. proximè maior est 3. 5712428. differentia maioris, & minoris est 1165. differentia verò minoris, & medij est 277. Aio, si 1165. dant 277. quid dabunt 1000? Addo tres cyphras numero 277. quod idem est ac multiplicare per 1000. fit Productus 277000. quo diviso per 1165. obveniunt 238. millesimæ: ergo 3725.  $\frac{3}{100}$ . est numerus Logarithmi dati 3. 5711540.

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*Invenire Logarithmum numerorum maiorum 10000.*

113 Sit numerus 37251238, quatuor priores litterae ad sinistram dividantur puncto sic 3725. 238, & ex reliquis constituantur fractio tot cyphris, quot habet litteras hoc modo 3725. 238 reperiatur eius Logarithmus per §. 111, qui est 3. 5711540. Si caracteristica addatur 3, quia ratio tres litteras adiecit numero, erit Logarithmus 6. 5711540. numeri integri 3725238.

*Invenire numerum Logarithmi maioris quam 4.000000.*

114 Sit Logarithmus 6. 5711540, veluti si caracteristica esset 3, & Logarithmus 3. 5711540, reperio eius proxime minorem propè 3725, & est 3. 5711263, proxime vero maior est 3. 5712424, differentia maioris, & minoris 1165, minoris autem, & medijs 277, adiectis tot cyphris, quot habet litteras differentia characteristicarum fit 277000, hoc Producto diviso per 1165, exit 238, & Logarithmus 3. 5711540, est Logarithmus numeri 3725. 238 vti in §. 112, sumpto ergo tanquam integro, alio 3725238, esse numerum Logarithmi dati 6. 5711540.

*Invenire complementum Logarithmicum.*

115 Complementum Logarithmicum est differentia inter Logarithmum, & Radium 10. 0000000, ablato ergo Logarithmo ex Radio remanet complementum Logarithmicum.

Radio, & Logarithmo etiam non scriptis

*Exemplum.*

reperiuntur facilime complementum si sumatur

*Radius.* 10. 0000000.  
*Logarithmus.* 6. 5711458.

differentia cuiusque litteræ usque ad 9, in ultima vero usque ad 10, veluti à 6, usque ad 9, defluit 3, à 5, usque ad 9,

*Complement.* 3.4288542.

defluit 4, à 7, usque ad 9, defluit 2, &c. in ultima autem à 8, usque ad 10, defluit 2.

Si Logarithmus maior sit Radio vti in Tangentibus ultra gr. 45, sumitur complementum

ad Radium Duplum 20. 000000, eodem pacto omissa unitate priori ad sinistram ac sit non esset. Sit Tangens 10. 3599731, dico à cyphra usque ad 9, defluit 9, à 3, usque ad 9, defluit 6, à 5, usque ad 9, defluit 4, &c. estque complementum 9. 6400269.

*De Logarithmis Caramuelis.*

116 Superiori anno 1670, prodit in lucem Mathematica nova Illustrissimi Caramuelis, ubi in tom. 2. novos quosdam assert Logarithmos Retrogrados, quos refluxentes ipse vocat cum Tabula Sinuum, Tangentium, & Secantium, & Briggianis commodiores esse autem, tametsi patiantur incommoda à nobis persensa 65. 65, & 66. Is tamen cui tanti Authoris opera videre non licuit, huiusmodi Tabulas facillimo negotio construet, si Logarithmorum nostrorum complementa assumat. Hac una animadversione Caramuel questionem illam paginæ 863. solvere potuit nempe: *An Briggiana Chilias nostro Canoni adaptari possit.*

## CAP VT DECIMV M.

### APP LICATI O LOGARITHMORVM.

117 **P**raemissus labor compensatur facilitate, & utilitate Logarithmorum, quæ sane admirabilis est, maximè in regula proportionis, extractione Radicum, inventione mediorum proportionalium, & in resolutione, & transformatione figurarum, & corporum regularium.

*De regula proportionis.*

118 Quatuor terminis proportionalibus existentibus Rectangulum ex medijs æquatur Rectangulo ab extremis (1. l. 6.) ergo si tres detinuntur quartus, multiplicato enim secundo in tertium, habemus Rectangulum mediorum, quia autem istud Rectangulum idem est ac

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*Re-*

## LIBERTI. CAPVT XI.

50 Rectangulum extremorum, si dividatur per primum, qui alter extremus est, exibit quartus, qui est extremus reliquus: ergo cum in Logarithmis, summa multiplicationi, subtractione vero divisioni aequivaleat (§. 71. & 72.) si addatur Logarithmi B. & C. ex summa vero dematur Logarithmus A, relinquetur Logarithmus D. vel quarti proportionalis. Dispositio huiusmodi esse potest;

Logarithmo D. rel- Term. propor. Logarithmi.  
pondet in Tabula nu- A. Sinus 12. go. 1 min. 1.0791812  
merus 75. In regula in- B. dant 36. 1.5563025  
versa observandalunt, C. quid 25? 1.3979400  
quaे in Arithmeticā  
nostra diximus, lib. 1. D. dant 75. b. + c. 2.9542425  
§. 76. 1. 1.8750613  
*De complemento Logarithmico in proportionē.*

119 Si pro Logarithmo A. sumatur eius complementum, veluti in §. 115. summa trium multata Radio dabit Logarithm. D.

Summatrium Logarith. Term. propor. Logarithmi.  
morum est 1.1.8750613. A. Si 12. Cōpl. 8.9208188  
dempto Radio remanet B. dant 36. 1.5563025  
1.8750613. dimissa, scili- C. quid 25? 1.3979400  
cet, vnitate ad sinistram. D. dant 75. summa 1.8750613  
Si complementum summa- tur ad duplum Radium, auferetur à summa 2, quod idem  
est, ac demere duplum Radium ad quem sumptū est com-  
plementum. Ratio totius operationis est, quia cum pri-  
mus Logarithmus subtrahendus esset, addidimus eius co-  
plementum ad Radium: vnde quod subtrahere omisimus,  
& quod addidimus aequaliter Radio: ergo summa omniū  
superat Logarithmum quæ sitū totō integrō Radio, quare  
ablato Radio remanet quartus Logarithmus D. quæ situs,  
hæc praxis faciliores reddit operationes, cuius viūm vi-  
dere licet in vniverso libro 2. & 3. Idem dices de comple-  
mento ad duplum Radium: tunc ergo duplum Radium au-  
pendus erit ex summa.

## TRIGONOMETRIÆ.

Ratio inveniendi Secantes Logarithmicas.

120 Secantes in Canone Trigonometrico scienter  
omissimus cum in nostra methodo minimè requiratur,  
tum quia facile reperientur per regulam sequentem.

Complementum Sinus 1. vna cum Radio, qui est vnitas  
ad sinistram; sit Secans 2. Complementum Sinus 2. vna  
cum Radio sit Secans 1. Quæratur Secans 2. gr. 35. min. 8.  
Sinus 1. est 9.7600311. eius complementum 0.2399689.  
præfixa vna vnitate, quod idem est ac addere Radium; est  
10.2399689. Secans 2. Si vero quæratur Secans 1. Si-  
nus 2. gr. 35. min. 8. est 9.9126551. eius complementum  
0.0873449. vna cum Radio sit Secans 1. 10.0873449.  
Sumpto complemento cuiusque litteræ vique ad 9. Sinu-  
etiam non scripto (§. 115.) invenitur Secans aequè velo-  
citer, ac si in Tabula, vel Canone Trigonometrico esset.

121 Huiusce rei demonstratio pendet à §. 21. Radius  
enim media proportionē est inter Sinum 1. & Secantem 2.  
vnus Arcus. Si notus sit Sinus 1. & Radius, reperietur  
Secans 2. per proportionem, dispositis terminis uti in  
§. 119.

Termin. proporcionalis 1. Sinus 1. 2. Logarithm.  
Vt Sinus 1. gr. 35. 8. min. Compl. Log. 0.2399689  
ad Radium p̄ se. Radium p̄ se. 10.0000000  
ita Radius 0.1. 10.0000000  
ad Secantem 2. 0.2. 20.0000000 summa 10.2399689

Complementum Sinus nihil immutatur, cyphræ enim  
non adaugent summam, quia vero Radius bis reperitur in  
summa, & auferri debet semel (§. 119.) remanet in summa  
Radius, & complementum Sinus: ergo complementum  
Sinus 1. vna cum Radio est Secans 2. pars ratione demon-  
strabitur complementum Sinus 2. vna cum Radio esse Se-  
cantem 1.

Invenire Logarithmum Sinus Versi.

122 Sit Arcus gr. 50. eius semis 1. tunc gr. 25. ergo  
quia Siuus 1. vnius Arcus medius est proportionalis inter  
Del P.I. Zaragoza.

Semiradiū, & Sinū Verū Arcū dupli §. 19. erunt termini proportionales, & ordinabuntur ut in §. 119.

## Termini proportionales.

Logarithmi.

Vt Semiradius	500000000.	C.L. 0.3010299
ad Sinum I.	gr. 25.	9.6259483
ita Sinus I.	gr. 25.	9.6259483
ad Sinum Versum	gr. 50.	Summa 9.5529265

Hinc exoritur hæc regula practica. Logarithmus numeri 2. vna cum Sinu duplici cuiuslibet Arcus, multatus Radio, dat Sinum Versum Logarithmicum Arcus dupli. Quoniam Logarithmus numeri 2. complementum est Logarithmi Semiradij absoluti: prout sequenti exemplo.

Log. num. 2.	0.3010299
Sinus gr. 25.	9.6259483
Sinus gr. 25.	9.6259483
Summa est Sinus Versus 50. gr.	9.5529265

## Invenire quālibet Radicem cuiusque numeri.

123 Logarithmus numeri dividatur per exponentem Radicis, & obveniet Logarithmus Radicis quæsitæ. Radix quadrata est  $R^{\frac{1}{2}}$  eius exponens 2. Radix Cubica est  $R^{\frac{1}{3}}$  sequuntur  $R^{\frac{1}{4}}$   $R^{\frac{1}{5}}$  &c. vt diximus in lib. 2. Aritmetica, §. 9. Ergo ad reperiendam  $R^{\frac{1}{n}}$  quæ quadrata est dividetur per 2. ad  $R^{\frac{1}{3}}$  dividetur per 3. & sic deinceps. Sit numerus 625. & eius Logarithmus 2.7958800. queritur  $R^{\frac{1}{2}}$  diviso Logarithmo per 2. exit 1.3979400. cui in Tabula Logarithmica respondet numerus 25. qui est  $R^{\frac{1}{2}}$  vel Radix quadrata numeri 625. Sit Rursus numerus 1728. eius Logarithmus 3.2375437. queritur  $R^{\frac{1}{3}}$  quæ Cubica est. Diviso Logarithmo per 3. prodit 1.0791812. eius numerus 12. & est Radix Cubica numeri 1728. &c. hæc practica emanat ex §. 73. & 74.

## Invenire quo scumque medios proportionales.

124 Quando termini Geometrici proportionem aliquam continuant, Logarithmici cum æquali excessu pro-

cedunt §. 62. ergo si differentia duorum Logarithmorum dividatur per numerum mediorum unitate adaequatum; fiet quotiens excessus æqualis Logarithmorum. Sint dati numeri 2. & 128. eorum Logarithmi sunt 0.3010300. & 1.1072100. differentia est 1.8061800. Si queratur unus medius proportionalis dividatur per 2. & exit 0.9030900. qui est excessus, is verò additus Logarithmo minori 0.3010300. prodit 1.2041200. cui numerus correspondens est 16. & est medium proportionale inter 2. & 128. suntque continui 2. 16. 128.

125 Si querantur duo media proportionalia: differentia 1.8061800. dividatur per 3. & obveniet excessus 0.6020600. is minori adiectas 0.3010300. est primum medium 0.9030900. eius autem numerus 8. additor rursus excessu 0.6020600. Logarithmo prioris medij 0.9030900 prodit Logarithmus 1.5051500. eius verò numerus 32. ergo quatuor proportionalia sunt 2. 8. 32. 128. atque 8. & 32. sunt duo media. Si querantur quinque media, dividetur differentia 1.8061800. per 6. & est excessus 0.3010300 adiectus Logarithmo minori 0.3010300. procreatur 0.6020600. cuius numerus est 4. Addito rursus excessu efficitur 0.9030900. cuius numerus est 8. Addito iterum excessu, fit 1.2041200. cuius numerus est 16. Adiecto ad. huc excessu, prodit 1.5051500. cuius numerus est 32. Addito rursus excessu, exite 1.8061800. cuius numerus est 64. atque continui sunt 2. 4. 8. 16. 32. 64. 128. & quinque media inter duo extrema inventa sunt, &c.

## Continuare rationem aliquam in infinitum.

126 Sit ratio 3. ad 6. si Logarithmorum tuorum differentia addatur continuè maiori; obvenient Logarithmi terminorum continuorum. Logarithmus numeri 3. est 0.4771212. numeri autem 6. est 0.7781512. differentia est 0.3010300. addita maiori Logarithmo, fit 1.0791812. cuius numerus est 12. adiectar rursus ultimo Logarithmo, prodit 1.3802112. cuius numerus est 24. addita iterum

vltimo, exit 1. 6812412, cuius numerus est 48. & sic infinitum: & sunt continui 6. 12. 24. 48. quia differentiae Logarithmorum suorum sunt aequales propter proprietatem expressam §. 62. Si ratio maioris in æ qualitate sit, vt 48. ad 24. auferetur à minori continuè differentia Logarithmorum, quæ operatio contraria existit.

## Regula aurea Astronomica.

127 In vſu Tabularum Astronomicarum occurrit ſæpius pars proportionalis, in hunc finem constructa est Tabula hexagenaria, abſque ea tamen facillime reperitur quartus proportionalis per compendium noſtra Arithmetice, lib. I. §. 138. Logarithmi in ſerviunt etiam operationibus iſtis eadem facilitate, quæ præcedentibus, quam obrem diſpoſita eſt Tabula Logarithmica cum gradibus, minutis, & lecundis necellarijs, atque ordine operationibus hiſce congruo.

## Diſpoſitio Tabula Logarithmica.

128 In parte superiori cuiuslibet columnæ in ſunt gradus, & minuta: gradus denotatur littera G. ſupernè, minuta verò littera M. lecunda à cyphra viſque ad 59. collocata ſunt ad ſinistram cuiusque paginæ, & vniuersis columnis eiusdem paginæ corrēpondent.

## Invenire Logarithmos graduum, minutorum, &amp; ſecundorum, vel è contra.

129 Sint dat gr. o. min. 37. ſec. 15. reperiantur primò gr. o. min. 37. in parte superiori, & in eadem pagina ad ſinistram deſcendendo ſumantur ſec. 15. & proſequendo eius lineam viſque ad columnam, vbi ſunt gr. o. m. 37. comperio respondere illi Logarithmum 3. 3492775. qui eſt idē Logarithmus numeri 2235. dico ergo 3. 3492775. eſſe Logarithmum gr. o. min. 37. ſec. 15. vel ſecundorum 2235. fidatus ſit Logarithmus 3. 3492775. queratur in Tabula, & in parte superiori eiusdem columnæ reperiētur gr. o. m. 37 & proſequendo lineam Logarithmi ad ſinistram offendetur ſec. 15. aio igitur Logarithmum eſſe gr. o. m. 35. ſec. 15. &c.

Repirire Logarithmum horarum, & minutorum, vel è contra.

130 Sumantur horæ in parte ſuperiori, perinde ac ſi eſſent graduum minuta, minuta verò horæ ad ſinistram, tanquam ſi eſſent graduum ſecūda, & invenietur, vt anteā Logarithmus, exempli gratia: Si queratur Logarithmus hor. 19. min. 48. ſumentur in parte ſuperiori gr. o. min. 19. & ad ſinistram ſec. 48. & proſequendo eius lineam ē regione o. 19. offendendo 3. 0748164. qui Logarithmus eſt hor. 19. min. 48. Si duo, vel tres dies ad ſint, ad horas revocandi ſunt multiplicando per 24. & horas, quibus ſinguli dies conſtat. Vice versa datur Logarithmus 3. 0748164. queſatur in Tabula, & in parte ſuperiori respondent ei o. 19. id eſt hor. 19. ad ſinistram autem reperiuntur ſec. 48. hoc eſt min. 48. vnius horæ.

Invenire Logarithmos plurium graduum, & minutorum, vel è contra.

131 Quia Tabula 3. gr. non excedit, ſi plures ſint vti in motu Lunæ, vel Cometarum, reperietur Logarithmus, vt in horis; hoc eſt ſumptis gradibus tanquam minutis, minutis verò tanquam lecundis, exempli cauſa queratur Logarithmus grad. 19. 48. minut. & invenietur, vt anteā 3. 0748164. & dato Logarithmo offendentur gr. 19. minut. 48. vti in §. 130.

## Regula proportionis Astronomicæ.

132 Disponuntur termini, & ſumuntur complemen- tum Logarithmicū primi, vti in §. 119. ſumma triū multi- tata Radio dat quartum Logarithmum.

Exemplum 1.	Logarithm.
A. 1. ſec. 1. gr. o. m.	C. L. 6.4436975
B. dat 35. m. 22. ſec.	3.3267454
C. quid dabat. 28. m. 44. ſec.	3.2365373
D. & exēunt 16. m. 56. ſec.	ſumma 3.0069802
D. Del P. I. Zaragoza.	Exem-

## Exemplum 2.

A. Si	1.gr. 15.m. 39.sec.	C. L.	6.3430398	Logarithmi.
B. dant	0.gr. 57.m. 43.sec.		3.5394525	
C. quid dabat 0.gr. 24.m. 16.sec.			3.1631614	
D. & excent 0.gr. 18.m. 31.sec.	summa		3.0456537	

## Exemplum 3.

A. Si Sol uno die, vel 24. hor.	C. L.	6.8416375	Logarithmi.
B. percurrit 59.m. 50.sec.		3.5550944	
C. quid 16.hor. 45.m?		3.0021661	
D. & prodeunt 41.m. 46.sec.	summa	3.3988980	

## Exemplum 4.

A. Si	13.gr. 45.m.	C. L.	7.0788339	Logarithmi.
B. dant	24.hor. 0.m.		3.1583625	
C. quid abut 11.gr. 20.m?			2.8325089	
D. & excent 19.hor. 34.m.	summa	3.0697053		

## 133 Ad reperiendam horam Aspectum.

Si duo Astra sint directa, vel ambo Retrogradia.

Vt motuum differentia	11.gr. 0.m.	C. L.	7.1804561
ad horas diei	24.hor. 0.m.		3.1583625
ita Astrorum distantia	7.gr. 0.m.		2.6232493
ad horam aspectus	15.hor. 16.m.		2.9620679

Si unum sit Directum, alterum vero Retrogradum.

## Exemplum 6.

Vt summa motuum	1.gr. 54.m. 54.sec.	C. L.	6.1615287
ad horas diei	24.hor. 0.m.		3.1583625
ita Astrorum distantia	58.m. 24.sec.		3.5445641
ad horam aspectus	12.hor. 14.m.		2.8644553

Finis Libri primi.

LIBER  
SECVNDVS  
DE  
TRIGONOMETRIA  
PLANA.

Rigonometria Plana est scientia, qua Triangula Plana Rectilinea mensuratur, atque resolvit. Triangulum Planum Rectilineum est illud, quod in superficie plana lineis rectis formatur. Triangulum igitur tribus Arcibus circuli, vel quibuslibet tribus lineis curvis in superficie plana descriptum, licet Triangulum Planum dici possit; non tamen Trigonometria Plana est obiectum, sed quod Rectilineum nos sit, vel tribus lineis rectis minime concludatur.

## CAPVT PRIMVM.

SVPPOSITIONES GEOMETRICE  
Triangularium.

Q Vodvis Triangulum Planum Rectilineum Rectangulum est, vel Obliquangulum. Rectangulum est, quod vnum Angulum Rectum habet. Obliquangulum Del P.I. Zaragoza.

## LIBER II. CAPVT I.

verò, quod tres Angulos omnes habet Obliquos, nullumque rectum. Triangulorum species reperientur in Geometria nostra, Proemiali 12.

2 Tres Anguli cuiusque Trianguli Rectilinei æquipollent gradibus 180. hoc est duobus Angulis Rectis, (3. l. 1.) ergo summa quorumlibet duorum Angulorum minor erit perpetuò gradibus 180. Item si quis Angulus dematur ex 180. residuum erit summa duorum reliquorum. Si verò duorum summa auferatur à 180. residuum erit Angulus tertius. Si denique dimidium Anguli subtrahatur ex gradibus 90. residuum erit semisumma duorum reliquorum, & è contra. Ratio addendi, & subtrahendi gradus, & minuta, invenietur in Arithmeticâ nostra lib. 1. cap. 2. & 3.

3 In Triangulo Rectangulo duo Anguli Acuti unum Rectum constituant, qui est graduum 90. Si latera, quæ Angulum Rectum ambiunt, sint æqualia, quivis Angulus oppositus erit semissis recti: nam lateribus æqualibus, æquales Anguli opponuntur (5. l. 1.) & quia ambo unum Rectum efficiunt, erit unusquisque Semirectus.

4 Si Triangulum sit Isosceles, perpendicularis bisetiam secat basim, & Angulum à lateribus æqualibus comprehendens. Si verò perpendicularis bisetiam basim, vel Angulum secet, erit Triangulum Isosceles, & latera æqualia. Si perpendicularis semibasi æquale sit, Angulus Verticalis Rectus erit. Si autem maius fuerit semibase, erit Angulus Acutus: si verò minus, erit Obtusus.

5 Si Triangulum Äquilaterum sit, erit quoque Äquiangularum; si autem Äquiangularum, erit etiam Äquilaterum.

6 Duo latera cuiusq; Trianguli majora sunt relinquenda. Latus maius maiori Angulo oppenit. Angulus vero major, maiori lateri: quare cognito maiori latere, maior Angulus latere non potest, & è contra.

7 In quocumque Triangulo si Angulus unus æquetur

## TRIGONOMETRIÆ PLANÆ.

79  
ur duobus reliquis, Angulus Rectus erit: si verò minor sit, erit Acutus, & si maior, erit Obtusus. Et viceversa si Rectus fuerit æquabitur summæ duorum relinquorum, si Acutus, duobus reliquis minor erit: si verò Obtusus, maior. Complementa ad Quadranten, vel Semicirculum invenerintur, lib. 1. §. 4.

## CAPVT SECUNDVM.

DEMONSTRATIONES TRIGONOMETRIAE  
Planae.

8 IN Triangulis Rectangulis latus, quod Angulum Rectum subtendit, Hypotenusa appellatur, & ab alijs dicitur Basis.

## DEMONSTRATIO (1. 1. 1.) silencio.

In Triangulo Rectangulo Hypotenusa ita se habet ad latera, ut Radius ad Sinus Angulorum oppositorum. Fig. 6.

Sit Triangulum ABC. ex centro B. descripto quovis circulo DR. continentur BAD. & BCR. & ducta perpendicularis DE. Sinus erit Anguli B. (lib. 1. §. 8.) quia verò Anguli ad C. & E. Recti sunt, erunt CA. DE. parallelæ (2. l. 1.) ergo BCA. BED. Triangula Similia sunt, & latera habent proportionalia (2. l. 6.) ergo Hypotenusa BA. est ad latus AC. vt Radius BD. ad Sinum DE. qui est Sinus Anguli oppositi B. insuper si ab Angulo D. describatur circulus BG. Hypotenusa AB. erit ad latus BC. vt Radius BD. ad Sinum BE. Anguli oppositi D. qui æqualis est Angulo A. Ergo Hypotenusa ad quodlibet latus est, vt Radius ad Sinum Anguli oppositi, & alternando Hypotenusa ad Radium, vt latus ad Sinum Anguli oppositi, etiamque invertendo. Radius ad Hypo-

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**LIBER H. CAPVT II.** ET  
thenusam, ut Sinus Anguli ad latus oppositum, &c.  
(4.l.5.)

**DEMONSTRATIO II.**  
*In Triangulo Rectangulo latus Angulo adjacente ita  
se habet ad latus oppositum ipsi Angulo, ut Radius ad Tangen-  
tem eiusdem Anguli.*

*Item. Latus ita se habet ad Hypotenusam, ut Radius ad  
Secantem Anguli comprehensi.*

**DEMONSTRATIO III.**  
*Sit Triangulum ABC, à centro B. describatur quilibet circulus, & continuatis BAD. BCE. sit ED. perpendicularis Radio, eritque ED. Tangens Anguli B.  
(l. i. 5. 12.) quia autem Anguli ad C. & E. ponuntur Re-  
cti, erunt BC. ED. parallelæ (2.l.1.) Triangula vero  
BAC. BDE. Äquangula, & latera habebunt propor-  
tionalia (2.l.6.) ergo latus BC. ad latus CA. est, ut Ra-  
dius BE. ad Tangentem ED. Anguli B. oppositi lateri  
CA. Item, quia BD. est Secans 1. Anguli B. (l. i. 5. 14.)  
latus BC. erit ad Hypotenusam BA. ut Radius BE.  
ad Secantem BD. Rursus si circulus describatur ab  
Angulo D. erit latus AC. ad latus CB. ut Radius  
DE. ad Tangentem EB. Anguli ad D. vel A. etiam  
que alternando, vel invertendo, proportionales erunt  
(4.l.5.)*

**DEMONSTRATIO IV.**  
*In quovis Triangulo latera proportionalia sunt Sinus  
bus Angulorum oppositorum, & è contra.*  
*Sit quodlibet Triangulum ABC. descripto circulo  
per tres Angulos (4.prob. nostra Geometria Pratica)  
divisique bifariam Arcibus in E. F. G. Quoniam An-  
guli in peripheria semisses sunt Arcuum oppositorum,  
(3.l.3.) erit EB. mensura Anguli C. & BF. mensura*

An:

Anguli A. & AG. Anguli B. Sinus autem Arcus EB.  
Sinus erit Anguli C. Sinus vero Arcus AG. Sinus B.  
&c. Ergo quia chorda AB. est ad chordam AC. ut Si-  
nus Arcus EB. ad Sinum Arcus AG. (l. i. 5. 17.) erit BA.  
ad AC. ut Sinus Anguli C. ad Sinum Anguli B. & pariter  
AB. ad BC. ut Sinus Anguli C. ad Sinum Anguli A. item  
que alternando, vel invertendo, &c. (4.l.5.)

**DEMONSTRATIO IV.**

*In quocumque Triangulo summa laterum ad ipsorum  
differentiam, est ut Tangens semisumme Angulorum oppo-  
sitiorum ad Tangentem semi-differentie eorundem.*

Fig. 12.

*Sit Triangulum ABC. continuetur B A D. ita ut  
AD. AC. itemque DR. AB. æquales sint, eritque DB.  
summa laterum; RA. illorum differentia, connectatur  
DC. & AE. ad hanc rectam perpendicularis fecabis illam  
bifariam, & insuper Angulum DAC. (5.l.1.) & quia ex-  
ternus Angulus DAC. summa est Angulorum B. & C.  
(3.l.1.) erit EAC. semisumma: ductis RL. AH. para-  
llelis BC. cum BA. sit æqualis RD. erit CH. æqualis  
LD. (2.l.6.) ergo LE. EH. remanebunt æquales (4.P.)  
& Anguli EAL. EAH. & insuper LAB. HAC. (5.l.1.)  
at LAH. differentia est Angulorum DAH. HAC. qui  
sunt æquales Angulis B. & C. (2.l.1.) propter paralle-  
las AH. BC. ergo EAH. semidifferentia est Angulo-  
rum B. & C. Descripto igitur circulo Radio AB. erit  
EC. Tangens semisumma EAC. & EH. Tangens semi-  
differentiae EAH. & cum LR. HA. CB. parallele  
existant, proportionales erunt BD. ad RA. ut DC.  
ad LH. (2.l.6.) itemque ut DC. ad LH. ita semissis EC.  
ad semissem EH. (5.l.5.) ergo per 1.l.5. proportionales  
sunt.*

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- Vt BD. Summa laterum CA. & AB.  
 ad RA. Differentiam eorumdem laterum.  
 ita EC. Tangens semisumma Angulorum B. & C.  
 ad EH. Tangentem semidifferentia eorumdem.

## CONSECTARIVM

12 Ergo cognita semisumma, & semidifferentia, semisumma DAE addatur semidifferentia EAH, componetur Angulus maior DAH. æqualis B. Si vero ex semisumma EAC, dematur semidifferentia EAH. supererit Angulus minor HAC. æqualis C. & vice veria adiecta semidifferentia EAH. parti minori HAC. exurget semisumma CAE. arque id univertale, & commune est omnibus quantitatibus.

## DEMONSTRATIO V.

13 In quolibet Triangulo basis, vel latus maius ita habet ad summam laterum, ut illorum differentia ad differentiam segmentorum, que sunt à perpendiculari à vertice in basim.

Fig. 13.

Sit Triangulum ABC. basis, vel latus maius CA. perpendicularis BE. Radio BC. qui est latus minus, decircinetur circulus, & producatur AB. usque ad G. ergo quis BG. BC. æquales sunt; erit ABG. summa laterum AB. BC. & quoniam perpendicularis BE. bifariam fecat chordam CD. (z. l. 3.) cum æquales sint CE. ED. erit DA. differentia segmentorum CE. EA. Tum quia æquales sunt BC. BI. erit HA. differentia laterum CB. BA. Ergo quia Secantes AG. AC. exterioribus segmentis sunt reciprocae (b.l.6.) proportionales erunt.

- Vt AG. Basis, vel latus maius.  
 ad GA. Summam laterum.  
 ita HA. Differentia laterum.  
 ad DA. Differentiam segmentorum basis.

Præ-

14 Præcedentes demonstrationes Trigonometriæ Planæ sufficiunt; vitum est tamen sequenti ad necdere, quæ Triangulo solvendo inservit ex datis tribus lateribus, eadem praxi Triangulis etiam Sphericis intervienti.

## DEMONSTRATIO VI.

15 In quocumque Triangulo proportionales sunt, Ut Rectangulum est lateribus Angulum comprehendentibus, ad Rectangulum semisumma, & semidifferentia basis, & differentia laterum,  
 ita Quadratum Radix,  
 ad Quadratum Sinus Semisanguli comprehensi.

Sit Triangulum abc. Fig. 14. 15. 16. & am. æqualis ba. eritque mc. differentia laterum. Sint em. cn. æquales, relinquentur bn. differentia basis bc. & differentiae laterum cm. vel cn. ergo si bd. dn. æquales sint, erit bd. vel nd. semidifferentia basis, & differentiae laterum. Quia autem addita semidifferentia dn. parti minori nc. efficitur semisumma (s. 12.) erit dc. semisumma basis, & differentiae laterum; quia vero ab. am. æquales sunt, perpendicularis ap. secabit bifariam Angulum a. & rectam bm. (5.1.1.) & considerato Arcu bm. est ab. Radius, & bp. Sinus semisanguli bam. (lib. I. §. 17.)

16 Caracteres significant Q. Quadratum, R. Rectangulum: + plus: - minus: =0, esse æqualem. Primum igitur demonstrabitur demissa perpendiculari bo. in singulis tribus casibus. Q. bc. esse æqualem 2, R. ac. om. + Q. em. moxque R. bac. ad R. bdc. esse vt Q. ab. ad Q. bp.

17 In singulis tribus casibus Q. totius vna cum Q. alterius segmenti æquatur 2. R. totius in idem segmentum, & Q. segmenti reliqui (1. l. 2.) ergo Q. ac. + Q. am. æquatur 2. R. em. + Q. mc.

In priori calu Q. bc. =0, Q. bo. + Q. ac. hoc est Q. ac. + Q. om. ergo Q. bc. =0, 2. R. ca. om. + Q. mc.

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In

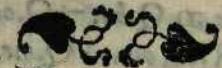
In secundo casu Q.  $b_c \propto$ , Q.  $b_a$ . quod est am. + Q. ac.  
2. R. cao. (4.1.2.)

Item Q. am. + Q. ac.  $\propto$ , 2. R. cam. + Q. mc. Tum 2. R.  
cam. + 2. R. cao.  $\propto$ , 2. R. ca. om. (2.1.1.) ergo Q. am. + Q.  
ac. + 2. R. cao.  $\propto$ , 2. R. ca. om. + Q. cm. ergo Q.  $b_c$ . æquale  
est 2. R. ca. om. + Q. mc.

In tertio casu Q.  $b_c$ . + 2. R. cao.  $\propto$ , Q.  $b_a$ . quod est am. +  
Q. ac. (4.1.2.) & Q. am. + Q. ac.  $\propto$ , 2. R. cao. + R. om. ac. +  
Q. cm. (1.1.2.) ergo Q.  $b_c \propto$ , 2. R. om. ac. + Q. cm.

18 In omnibus igitur casibus Q.  $b_c$ . = Q. cm.  $\propto$ , 2. R.  
om. ac. & quia Q. ex tota br. = Q. cm. quod est en. differen-  
tia partium, æquale est 4. R. cdb. partium inæqualium  
(2.1.2.) erunt 2. R. om. ac.  $\propto$ , 4. R. cdb. ergo 2. R. om. ac.  $\propto$ ,  
R. cdb.

19 Ratio igitur Q. ab. ad R. ab. om. est vt ab. ad om.  
ratio verò R. ab. ac. ad R. ac. om. est etiam vt ab. ad om.  
(1.1.6.) ergo Q. ab. ad R. ab. om. est, vt R. ab. ac. ad R. ac.  
om. igitur Q. ab. ad 2. R. ab. om. est vt R. ab. ac. ad 2. R. ac.  
om. quod est cdb. & quoniam Triangula bom. apm. Äquian-  
gula sunt, cum Angulos ad o. & p. rectos habeant, & An-  
gulum ad m. communem; proportionales sunt am. ad mp.  
quæ est bp. vt bm. ad mo. (2.1.6.) ergo am. ad bp. vt 2. bm.  
quæ est bp. ad 2. om. ergo R. am. 2. om. quod est R. ab. 2. om.  
quod est R. 2. ab. om. quod est cdb. æquatur Q. bp. (1.1.6.)  
cum verò ostensum sit Q. ab. ad 2. R. ab. om. quod est  
Q. bp. esse vt R. ab. ac. ad R. cdb. proportionales erunt.  
R. ab. ac. laterum Angulum a. includentium.  
ad R. cdb. semisummae, & semidifferentiae prædictæ.  
vt Q. ex Radio ab.  
ad Q. bp. Sinus Anguli bad. quod est 2. bac.



## CAPVT TERTIUM.

RESOLVTIO TRIANGULI PLANI  
Rectanguli.

20 **V**numquodque Triangulum tria habet  
latera, & Angulos tres, ex tribus Angu-  
lis Trianguli Plani latera inveniri ne-  
queunt: nam si in Triangulo ABC. Fig. 7. continentur  
latera, & ducatur DE. parallela CA. Triangulum ABC.  
eodem habebit Angulos, ac BDE. (2.1.6.) cum verò in-  
finitæ parallelæ duci possint, infinita Triangula Äquian-  
gula constituentur, quare sola laterum proportio deter-  
minari potest, non tamen quantitas Verum tribus alijs  
quibuslibet datis invenientur reliqua.

21 Maioris perspicuitatis gratia res datæ, vel cog-  
nitæ (quæ à Græcis Didomena nuncupantur) à quæsitis  
Zitumena dictis distinguendæ sunt, cognitæ lineola qua-  
dam denotantur, quæsita verò punctis, & ab alijs cyphra:  
vt in Triangulo ABC. Fig. 11. Angulus B. & latera AB.  
AC. daantur cognita, latus autem CB. & Anguli A. & C.  
supponuntur inquiri.

22 In Triangulo Rectangulo duæ tantum res po-  
stulantur, Angulus enim Rectus pro cognito haberi de-  
bet, & propterea à multis lineola nulla insignitur.  
Latus Angulo Recto subtensum Hypotenusa vocarius;  
Rectas verò Angulum Rectum includentes Latera. Cog-  
nito Angulo Acuto alterutro, manifestatur reliquus, qui  
eius complementum est ad Quadrantem, & generaliter  
observandum est, si Hypotenusa in proportione ad sit  
per demonstrationem primam Triangulum solvi; si au-  
tem duo latera reperiantur in proportione resolvitur  
Triangulum per demonstrationem secundam præmissi  
capitis.

23 In omni proportione apponitur complementum Logarithmicum prioris termini, vti diximus lib. I. §. 119, atque adeo quando Radius primum occupat locum, eius complementum est cyphra, quam scribere opus nequaquam est, summam enim, neque auget, neque minuit, licet illam in omni praxi conscriperim perspicuitati studens. Complementum autem Logarithmi ita indicatur C. L ad cuius inventionem sumendum est complementum cuiusque litterae usque ad 9. vti diximus lib. I. §. 115. In proportionibus vaiversis summa trium Logarithmorum multata Radio, Logarithmum quartum exhibet. Demittitur Radius, unitate sublata, quæ ad sinistram scribenda erat, vel subductis ex Characteristica 10. Si autem prior terminus sit Tangens ultra grad. 45. sumetur complementum ad duplum Radium, & à Characteristica, quæ in summa prodit auferentur 20. quod idem est ac demersum duplum Radium, quæ in futuros huiusmodi casus hic admonuisse sufficiat.

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## PROBLEMA I.

Dato uno latere, &amp; Angulo.

1. Invenire reliquum latus. 2. Invenire Hypotenusam.

## I. INVENIRE RELIQVM LATVS.

In Triangulo ABC. Fig. 6. est BC. pedum 345. Angulus ad B. 40. 00. min. ergo A. erit 50. 00. min. queritur latus CA. per §. 9.

Proportio §. 9.

Vt	BE. Radius.	Gradus.	Logarith.
ad	ED. Tang. Ang. B.	40.00. m.	9.9238135
ita	BC. Latus cognitum. ped.	345. ped.	2.5378191
ad	CA. Latus quasitum. ped.	289 $\frac{1}{2}$ . pe.	2.4616326

## TRIGONOMETRIÆ PLANÆ.

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## II. INVENIRE HYPOTENUSAM.

Proportio §. 8.	Logarithmi.
BE Sin. Ang. A.gr. 50. 0. 2.	Ang. B. 40. gr. C. L. 0. 1157459
BD. Radius.	10.0000000
BC. Latus opp. A. & contr. B. pedum 345.	2.5378191
BA. Hypotenusa, pedum 450. $\frac{1}{2}$ .	2.6535650

## PROBLEMA II.

Data Hypotenusa, &amp; uno latere.

1. Invenire Angulos. 2. Invenire reliquum latus.

## I. INVENIRE ANGULOS.

In Triangulo ABC. Fig. 7. datis BC. BA. queruntur Anguli A. & B.

Proportio §. 8.

BA. Hypotenusa.	C. L.	Logarithmi.
pedum 450 $\frac{1}{2}$ .	7.3464349	
DC. Latus.	pedum 345.	2.5378191
DB. Radium.		10.0000000
BE. Sinus Ang. opp. D. vel A.gr. 50. 00. m.		9.8842540
qui est Sinus 2. Ang. ad B. gr.	40.00. m.	

## 27. INVENIRE RELIQVM LATVS.

Primo reperiuntur Anguli A. & B. per §. 26. mox per §. 24. invenietur latus.

BE. Radius.	Fig. 6.	C. L.	0.0000000
ED. Tang. Ang. B. gr.	40.00. m.		9.9238135
BC. Latus conterm. B. ped.	345.		2.5378191
CA. Latus oppositum B. ped.	289 $\frac{1}{2}$ .		2.4616326

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I 2

PRO-

LIBER II. CAPVT III.  
PROBLEMA III.

Data Hypotenusa, & uno Angulo.

I. INVENIRE LATERA.

In Triangulo ABC. Fig. 8. datis BA. & Angulo B. quæruntur latera BC. CA.

Ad latus CA. inveniendum §. 8.

		Logarithmi.
BD. Radius.	C.L.	0.0000000
BE. Sinus Ang. B.	gr. 40.00.m.	9.808067
BA. Hypotenusa data ped.	450 $\frac{1}{3}$ .	2.6535651
CA. Latus oppositum B. ped.	289 $\frac{1}{3}$ .	2.4616326

Ad latus CB. inveniendum.

	C.L.	Logarithmi.
BD. Radius.	0.0000000	
BE. Sinus 2. Ang. B. gr.	40.00.m.	9.8842540
BA. Hypotenusa data ped.	450 $\frac{1}{3}$ .	2.6535651
BC. Latus conterm. B. ped.	345.	2.5378191

29 PROBLEMA IV.

Datis duobus lateribus.

I. Invenire Angulos. 2. Invenire Hypotenusam.

I. INVENIRE ANGULOS.

In Triangulo ABC. Fig. 9. datis BC. CA. quæruntur Anguli B. & A.

Proportio §. 9.

		Logarithmi.
BC. Latus maius.	pedum 345.	7.4621808
CA. Latus minus.	pedum 289 $\frac{1}{3}$ .	2.4616326
BE. Radius.		10.0000000
ED. Tang. minoris Ang. B. 40.00.m.		9.9238134
quæ est Tangens 2. Ang. mai. A. 50.00. oppositi maiori lateri.		

30 II. INVENIRE HYPOTHENUSAM.

Primò, reperiantur Anguli B. A. per §. 29. deinde Hypotenusam.

Pro Hypoth. ex §. 25.

		Logarithmi.
DE. Sinus 1. Ang. B.	gr. 40.00.m.	0.1919324
DB. Radius.		10.0000000
AC. Latus oppositum B. pedum 289 $\frac{1}{3}$ .		2.4616326
AB. Hypotenusa, pedum	450 $\frac{1}{3}$ .	2.6535650

TRIGONOMETRIÆ PLANÆ.

CAPVT QVARTVM.

RESOLVTIO TRIANGVLI PLANI

Obliquanguli.

31 PROBLEMA I.

Datis duobus Angulis, & uno latere.

I. INVENIRE RELIQVA DVO LATERA.

Cognitis duobus Angulis datus etiam est tertius per §. 2. in Triangulo ABC. Fig. 10. cogniti sunt Anguli A. & C. & latus CA. inquiruntur latera BA. BC.

Proportio §. 10. Partes. Logarithmi.

Sinus Anguli B.	gr. 50.m. 15.	C.L. 0.1141629
ad Latus oppositum CA.	ped. 448.	2.6512780
vt Sinus Ang. C.	gr. 35.m. 20.	9.7621775
ad Latus oppositum AB.	ped. 337.	2.5276184
& Sinus Ang. B. ad latus CA. vt Sinus Ang. A. ad latus CB.		

PROBLEMA II.

Datis duobus lateribus, & alterutro Angulo opposito.

I. Invenire Angulos duas. 2. Invenire reliquum latus.

I. INVENIRE ANGULOS DVOS.

In Triangulo ABC. Fig. 11. cognitis Angulo B. & lateribus BA. & AC. quæruntur Anguli A. & C.

Proportio §. 10. Partes. Logarithmi.

Latus CA. oppositum B.	ped. 400.	C.L. 7.3979400
ad Sinum Ang. B. gr. 54.30.m.		9.9106860
vt Latus AB. oppositum C.	ped. 300.	2.4771212
ad Sinum Anguli C. 37. 38.m.		9.7857472

Complementum ad 180. Angulorum C. & B. erit Angulus A. per §. 2.

33 II. INVENIRE RELIQVM LATVS.

Primò, reperientur Anguli per §. 32. deinceps latus CB. per §. 31. Sinus Anguli B. ad latus AC. vt Sinus Anguli A. ad latus CB.

## 34 PROBLEMA III.

Datis duobus lateribus, & Angulo intermedio.

1. Invenire duos Angulos. 2. Invenire reliquum latus.

## I. INVENIRE DVOS ANGVLOS.

In Triangulo ABC. Fig. 11. Angulus BAC. est 61. 16.  
CA. 400. AB. 300. investigantur Anguli B. & C. Complementum 61. 16. est 118. 44. summa Angulorum B. & C. eius semissis 59. 22.

CA. + AB. 700. CA. - AB. 100.

Proportio §. 11.	Partes.	Logarithmi.
1. Summa lateram.	ped. 700.	C.L. 7.1549019
2. Differential laterum,	ped. 100,	2.0000000
3. Tang. semifissum B. & C. gr. 59. 22. m.		10.2275434
4. Tang. semidifferentia B. & C. gr. 13. 34. m.		9.3824453

Summa 3. & 4. est B. gr. 72. 56. oppos. maiori lateri,  
Differentia 3. & 4. est C. gr. 45. 48. oppos. minori lateri

## 35 II. INVENIRE RELIQVM LATVS.

Primo, reperiantur Anguli B. 72. 56. & C. 45. 48. per  
§. 34. deinde invenietur latus CB. per Problem. I.

Proportio §. 31.	Partes.	Logarithmi.
Sinus Anguli C.	gr. 45. 48. m.	C.L. 0.1445349
Latus oppositum AB.	ped. 300.	2.4771212
Sinus Anguli A.	gr. 61. 16. m.	9.9429335
Latus oppositum CB.	ped. 367.	2.5645896

36 Præmissis tribus Problemib[us] universa Rectangua solvi possunt; breviores tamen, & faciliiores sunt operationes capit[us] superioris.

## 37 PROBLEMA IV.

Datis tribus lateribus.

## I. INVENIRE ANGVLVM QVEMLIBET. §. 13.

1. Latus minus BC.	300. in Triangulo ABC. Fig. 13.	
2. Latus medium AB.	400. Logarithmi.	
3. Latus maius AC.	600. C.L. 7.2218487	
4. Summa 1. & 2.	700. 2.8450920	
5. Differentia 1. & 2.	100. 2.0000000	
6. Differentia segm. AD. 116 <sup>2</sup> .	2.0669467	
7. Differ. 3. & 6. DC.	483 <sup>1</sup>	
8. Semissis 7. est EC.	241 <sup>2</sup> . Summa Logarith. 3. 4. & 5.	
9. Summa 6. & 8. AE.	358 <sup>1</sup> . est Logarith. 6.	

38 Ergo in Rectangulis AEB. BEC. invenientur  
Anguli A. & C. cognitis AB. BC. & AE. & CE. per §. 26.

Pro Angulo ABE. & A. per §. 26.	Logarithmi.
Hypotenus a AB. pedum 400.	C.L. 7.3979400
ad Latus, vel segm. AE. pedum 358 <sup>2</sup> .	2.5542869
vt Radius.	10.0000000
ad Sinum Ang. ABE. gr. 63. 37.	9.9522269
qui est Sinus 2. Ang. A. gr. 26. 23.	

Pro Angulo EBC. & C. §. 26.	Logarithmi.
Hypotenus a BC. 300.	C.L. 7.5228788
ad Latus, vel segm. EC. 241 <sup>2</sup> .	2.3832159
vt Radius.	10.0000000
ad Sinum Ang. CBE. gr. 53. 40. m.	9.9060947
qui est Sinus 2. Ang. C. gr. 36. 20. m.	
Summa ABE. EBC. gr. 117. 17. m. est Ang. ABC.	

## 39 A L I T E R.

In eodem Triangulo ABC. Fig. 13. investigatur Angulus ABC.

*Dispositio per §. 15.*

	Logarithm.
1. Latus maius includens AB.	400.C.L.7.3979400
2. Latus minus includens BC.	300.C.L.7.5228788
3. Differentialia laterum AB.BC.100.	
4. Latus oppositum Ang. ABC.	600.
5. Summa 3. & 4.	700.
6. Differentia 3. & 4.	500.
7. Semisumma semifissis 5.	350.Log. 2.5440680
8. Semidifferentia semifissis 6.	250.Log. 2.3979400
9. Summa 4. Logarithmorum	19.8628268
10. Eius semifissis est Sinus Arcus gr. 58. 38 <sup>m</sup> . 17 <sup>s</sup> . m. 9.9314134	
11. Arcus duplus est Ang. ABC. 117. 17 <sup>m</sup> .	

## REGVLA PRACTICA:

Addantur complementa Logarithmica laterum Logarithmis semifissae, & semidifferentiae inter basim, & differentiam laterum; semifissis summa erit Sinus 1. dimidiij Anguli.

Tametsi demonstratio §. 15. prolixa sit, & difficilis, hæc tamen praxis inde exorta facilis est, & per commoda, cum sit eadem ac illa, quæ lib. 3. §. 8. utimur ad Trianguli Spherici resolutionem.

Finis Libri secundi.



# LIBER TERTIVS DE TRIGONOMETRIA SPHERICA.



Rigonometria Sphærica est scientia Triangularium, qua in superficie Sphaera tribus Arcubus circuli maximi describuntur. Triangula igitur in superficie plana tribus Arcubus circulorum aequalium, vel in equalium comprehendens huiusc Trigonometria obiectum minimè sunt, non enim formantur in superficie Sphærica, neque etiam facta in tribus circulis in superficie Sphærica, quia sub circuli maximi tribus Arcubus non comprehenduntur. Est ergo Trigonometria Sphærica Mathematica pars utilissima, cuius usus latissimè diffunditur per omnia, que ad Sphæram, Geographiam, Navigationem, Horologiographiam, & Astronomiam pertinent, ut in eius applicatione videre lebet, ad huius tamen intelligentiam non ultra elementa Sphærica requiruntur, que in prioribus capitibus demonstrantur, nè lector obtinenda demonstrationis gratia ad Theodosij, vel Menelaüs Sphærica ablegans sit.

Del P.I. Zaragoza.

## CAPVT PRIMVM.

DE CIRCVLIS MAXIMIS, ET ANGVLIS  
Sphæricis.

**C**irculus Maximus in Sphæra est, qui communem illa centrum habet. Hinc sit quamlibet circuli Diametrum per eius centrum transirentem, transire quoque per centrum Sphæræ, atque huius etiam Diametrum esse, quia autem Diameter Sphæræ maior Recta est omnium, quæ in ea consistere possunt, circulus eadem habens Diametrum, maior quoque est, & Maximus appellatur; nullus enim maior dari potest, licet infinitos admittat æquales. Reliqui omnes circuli, qui Maximi non sunt, neque commune cum Sphæra centrum habent, vocantur circuli minores, inter quos, qui longius à centro distat minor est propinquiore, cuius demonstratio eadem est, quam chordarum in circuli. (2.1.3.)

**2** Duo Circuli Maximi bifariam se intersectant.

Fig. 1.

Circuli EGF. EDF. secantur in punctis E. F. eritque communis Sectio planorum suorum recta EAF. (1.1.11.) ergo quia centrum Sphæræ omnibus circulis Maximis est commune, erit in utroque piano (§. 1.) & in communis Sectione EAF. igitur cum EAF. transeat per centrum utriusque Diameter communis erit, & Semicirculi EGF. EDF. idem dices de quibuslibet alijs duobus circulis Maximis.

**3** Polus Circuli Maximi est punctum in superficie Sphæra, ab quo omnes Rectæ, vel Arcus ad Circumferentia Circuli prædicti æquales sunt, & gr. 90. constat, vel Quadrante Circuli.

Concipiatur circulus EDF. si omnes Arcus à punto R. exegentes NR. RD. RP. æquales sint; erit punctum R. Polus circuli EDF. par ratione, quia omnes Arcus à p-

## TRIGONOMETRIÆ SPHERICÆ. 75

to E. ducti EV. EA. ED. EG. æquales existunt; erit E. Polus circuli, quem refert recta VAG. A. vero Polus circuli EGF. &c. Ergo cum EAF. Semicirculus sit §. 2. & EA. AF. æquales, erunt Quadrantes gr. 90. &c.

**4** Angulus Sphæricus est duorum Circulorum Maximorum ad invicem inclinatio, eius autem mensura Planorum suorum inclinatio, vel Arcus Circuli Maximi interceptus, qui Polum suum habet in concursu, vel puncto Angulare.

Circuli EDF. EGF. secantur in puncto E. & E. Polum est circuli GDAV. dico Arcum GD. mensuram esse Anguli GED. circuli HX. GV. secantur in A. puncto, quod Polus est circuli EGFV. Arcus vero HG. mensura est Anguli HAG. circuli ECF. TCI. secantur in C. puncto, quod Polus est circuli MSZ. & Arcus NS. mensura est Anguli Sphærici ECS. &c.

**5** Angulus quem duo Circuli Maximi efficiunt, aquatur distantia Polorum suorum, & contra.

Sint circuli EDF. EGF. quorum Poli A. R. Angulus vero GED. atque eius mensura GD. quia RD. & AG Quadrantes æquales sunt (§. 3.) ablato Arcu communis AD. relinquetur AR. Polorum distantia æqualis DG. mensuræ Anguli DEG. denominatio Anguli Sphærici eadem est, quæ Rectilinei; sigr. 90. sit, erit Rectus: si vero gr. 90. minor, Acutus: si maior, Obtusus; idem dicendum est de complementis eorum ad Quadrantem, vel Semicirculum, &c.

**6** Si qui vis Circulus per Polos alterius transeat, Polos suos in altero habebit, & cum illo Angulos Rectos constituet, & contra.

Sit circulus EGFV. cuius Polus A. per quem transit circulus GAV. aio Polum circuli GAV. esse in circulo GEV. Angulos vero ad V. & G. Rectos esse 90. gr. dividatur Semicirculus GEV. bifariam in E. & ducto circulo EAF. quia Arcus AE. ex Polo A. Quadrans est (§. 3.) & EV. EG. Quadrantes quoq; æquales existunt; erit E. Polus Del P. I. Zaragoza.

circuli GAV. (§. 3.) & inest in circulo GEV. ergo cum EA. distantia Polorum æqualis sit Angulo EVA. (§. 5.) erit hic grad. 90. æqualis Quadranti EA. ergo Rectus; & rursus EGA. AGE. FVA. similiter, quoniam circuli YRO. MRZ. GRV. transiunt per punctum R. Polum circuli EDF. Recti erunt Anguli ad N. D. P. &c. Viceversa si Anguli ad V. & G. Recti existant, distantia Polorum E. A. erit gr. 90. ergo VAG. transibit per Polum A. & VEG. per Polum E. (§. 5.)

7. Anguli quos duo Circuli Maximi efficiunt in duabus sectionibus, æquales sunt; item illorum complementa, & uniusquisque cum complemento suo æquivalent duobus Rectis. Verticales autem æquales sunt inter se.

Sint circuli EGF. EDF. puncta verò sectionum E. F. & A. Polus circuli EGF. assumptis E.G. GF. Quadrantibus æqualibus; circulus GAV. habebit Polos suos in E. & F. (§. 6.) ergo Arcus GD. erit mensura Angulorum GED. DFG. (§. 4.) atque æquales erunt isti, cum vnam, & eandem mensuram habeant. Item illorum complemen- ta DEV. VFD. cum eorum mensura sit DV. igitur quis Arcus GD. DV. Semicirculum constituunt, sunt GFD. DFV. rursus GED. DEV. æquales duobus Rectis. Eadem est ratio in circulis GAV. HAX. quoniam circulus EGF. Polum suum habet in concurso A. & HG. HV. Semicirculum efficiunt; GAH. HAV. duobus Rectis æquivalent, & quia GHV. HVX. Semicirculi æquales sunt, dempto Arcu communi HEV. remanebunt æqua- les GH. V X. qui mensura sunt Angulorum

Verticalium oppositorum GAH. VAX;

ergo isti æquales erunt.

(§. 4.)



## CAPVT SECUNDVM.

### DE TRIANGVLIS SPHÆRICIS

in communi.

8. Triangulum Sphæricum est, quod Circuli Maximi tribus Arcibus illud includentibus, in superficie Sphaerae comprehenditur.

Eius denominatio eadem est, quam Trianguli Plani Rectilinei. Si Rectum Angulum habeat, Rectangulum erit. Si Obtusum, erit Obtusangulum. Si verò omnes tres Angulos Acutos habeat, erit Acutangulum. Dicitur Equilaterum, cum tria latera æqualia sint. Isoscelis verò cum duo latera habet æ qualia: Scalenum, si tria latera inæqualia sint.

9. Demonstrationes prop. 4. 5. & 6. nostræ Geometriae communes sunt etiam Triangulis Sphæricis.

De Triangulis omnino æqualibus.

1. Si tria latera unius æqualia sint tribus alterius. 2. Si duo latera duobus alterius æqualia, æqualem Angulum comprehendant. 3. Si duo Anguli, & unum latus, alterius æqualibus correspondant. 4. Si duo latera æquentur duobus alterius, unum verò Angulum oppositum æqualem habeat, & alterum eiusdem speciei; omnia erunt æqualia.

10. De Trianguli partibus.

1. Latera æqualia, æquales Angulos subtendunt. 2. Äquales Anguli opponuntur lateribus æqualibus. 3. Maius latus, maiorem Angulum subtendit; maior verò Angulus latus maius. 4. Quilibet duo latera maiora sunt reliquo. Conjectaria.

5. Triangulum Äquilaterum, Äquiangulum est: Äquian- gulum verò, Äquilaterum etiam est. 6. In Triangulo Isosceli Arcus, qui bifariam secat basim, bifariam secat, & Angulum. Si verò bifariam secet Angulum, basim quoque bifariam secabit, & perpendicularis est, & è contra. 7. Si perpendicularis bifariam secet basim unius Trianguli, Angulum quoque bifariam

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secabit; si vero Angulum, etiam basim, si tamen Arcus basi  
& Angulum bifariam secet, perpendicularis erit, & Triangulum  
perpetuum Iosceles. 8. Si duo Arcus aequales a puncto  
alium cadant, a Perpendiculo, quod Quadrans non est, aequaliter  
recedent, & cum illo aequales Angulos constituent, &  
contra: maior vero Arcus minorem efficit Angulum; & magis  
a Perpendiculo recedit si Anguli sint Acuti, minus si Obtusi.  
9. Minor Arcus a puncto in alium cadens est Perpendiculus  
quod unicum est, nisi Quadrans fuerit.

## 11 De Triangulorum inaequalitate.

1. Si duo Triangula duo latera habeant aequalia, quod maxima  
rem continet Angulum, basim habebit maiorem. 2. Quod autem  
maiorem habet basim, Angulum continet maiorem. 3. Si du  
a Triangula in eadem, vel aequali basi constituta sint, quod super  
illam unum Angulum maiorem habuerit, alterum vero minore  
rem, vel aequalem, & latera habebit minora. 4. Continebit  
tamen Angulum maiorem. 5. Idem erit si a basi terminis du  
Arcus ad punctum intra Triangulum concurrant.

Hæ omnes propositiones eodem modo demonstran  
tur, quo 4. 5. & 6. lib. 1. nostræ Geometriæ, atque adeo  
illarum demonstrationes hic inculcare superfluum vi  
deretur.

12 In quolibet Triangulo Sphaericæ tria latera minora  
sunt integro Circulo. Fig. 1.

Sit quodvis Triangulum YPF. productis circulis, v  
isque ad inter Sectionem O. aliud Triangulum exurgit  
PFO. cuius latera PO. OF. maiora sunt PF. & IO. ergo  
Semicirculi duo YPO. YFO. maiores sunt tribus late  
ribus PF. FY. YP. quare tria latera minora sunt inte  
gro circulo.

13 Dato quocumque Triangulo, aliud secundum efficitur  
in Polis Arcuum suorum, cuis duolatera aequalia sunt duo  
bus Angulis primi, tertium autem latus complementum est  
Anguli reliqui, idem dices de Angulis secundi, cum lateribus  
primi.

*App. S. 1. Q. 1. Sit*

3. Sit Triangulum ABC. Polus Arcus AC. est Z. Polus  
BA. est Y. & BC. est R. dico in Triangulo YRZ.  
latera YR. RZ. aequalia esse Angulis ABC. BCA.  
& latus YZ. esse complementum ad Semicirculum An  
guli BAC. quoniam Quadrantes YQ. RP. aequalis sunt,  
subducto RQ. erit YR. aequalis QP. mensura Anguli  
ABC. & dempto SR. ex Quadrantibus ZS. RN. supe  
riter ZR. aequalis SN. mensura Anguli ACB. & adie  
cto XZ. Quadrantibus YX. ZI. sicut YZ. aequalis IX.  
mensura Anguli XAI. complementi Anguli CAB. ergo  
patet veritas, &c.

14. Eadem ratione si assumamus Polum O. Arcus  
BA. in Triangulo RZO. erit RZ. aequalis SN. mensura  
Anguli BCA. & dempto OI. ex Quadrantibus HO. IZ.  
remanebit OZ. aequalis PH. mensura Anguli BAC.  
& RO. complementum erit RV. hoc est QP. mensura  
Anguli ABC. Rursus si summamus Polum M. Ar  
cus A C. in Triangulo MYR. erit MY. aequalis HI.  
mensura Anguli HAI. & YR. aequalis QP. mensura  
Anguli ABC. & MR. complementum Arcus RZ.  
hoc est NS. mensura Anguli BCA. &c. Ergo uni  
versaliter semper reperitur Triangulum secundum, eu  
ius duo latera aequaliter quibuslibet duobus Angulis  
primi, tertium vero latus complementum est Anguli  
tertiij.

15. Dato quolibet Triangulo in Polis suorum Arcuum aliud  
constituitur, cuius tria latera complementa sunt ad Semicirculum  
trium Angulorum primi, tres vero Anguli secundi complemen  
tarium laterum primi. Fig. 1.

In eodem Triangulo ABC. si assumamus Polos R.  
Arcus BC. M. Arcus AC. & O. Arcus BA. exurgit Triang  
ulum MRO. latus MR. complementum est RZ. hoc est  
NS. mensura Anguli BCA. & RO. complementum est  
YR. hoc est QP. vel ABC. & MO. complementum OZ.  
hoc est HI. vel BAC. ergo tria latera Trianguli MRO.

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ccccc

complementa sunt Triangulorum ad A. B. C. insuper i. S. mensura Anguli ad M. complementum est S. T. vel A.C. & Q.H. mensura Anguli ad O. complementum est Q.X. vel A.B. & N.P. mensura Anguli M.R.O. complementum est Arcuum E.N. P.F. hoc est C.D.B. ablato enim N.D. ex Quadrantibus E.D. N.C. remanent æquales E.N. D.C. & rursus dempto D.P. ex Quadrantibus F.D. P.B. super sunt F.P. D.B. æquales: ergo tres quoque Anguli Trianguli R.M.O. complementa sunt trium laterum A.B.C. & constat propositum, &c.

16 In quocumque Triangulo Sphaerico Angulus Externus minor est duobus Internis oppositis. Fig. I.

Sit Triangulum ABC. & Angulus externus ACP. quia in tribus Polis M.Y.R. Triangulum YRM. constitutur, & latus YR. æqualis est Angulo ABC. & YM. Angulo CAB. & MR. complementum est Anguli ACB. (§. 13.) erit MR. æqualis Angulo ACP. & cum MR. minor sit MY. YR. (§. 12.) erit Angulus Externus ACP. minor duobus Internis oppositis ABC. CAB. &c.

17 In quolibet Triangulo Sphaericō tres Anguli maiores sunt duobus Rectis, minores vero sex. Fig. I.

Sit Triangulum ABC. Anguli duo ABC. CAB. maiores sunt externo ACP. (§. 16.) ergo tres ABC. CAB. BCA. maiores existent duobus BCA. ACP. qui verò duo BCA. ACP. duobus Rectis æquivalent (§. 7.) erunt tres ABC. CAB. BCA. duobus Rectis maiores: par ratione in Triangulo M.R.O. quilibet Internus cum suo Externo duos conficit Rectos M.R.O. cum ORZ. (§. 7.) ergo tres Interni cum tribus Externis componunt sex Rectos, quare ablati Externis remanebunt Interni sex Rectis minores.

18. Triangulum Sphaericum habere potest tres Angulos Rectos, duos Rectos, & unum Obtusum; item duos Obtusos, & unum Rectum, & tres Obtusos.

In Triangulo AFG tres Anguli AFG. GAF. FGA.

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Recti sunt, in quo casu omnia tria latera sunt Quadrantes. In Triangulo HAF. Anguli ad F. & H. Recti sunt, & HAF. Obesus: duo latera sunt Quadrantes HA. AF. & HF. Quadrante maius. In Triangulo NZF. Anguli ad Z. & F. Obtusi sunt, & Angulus ad N. Rectus. In Triangulo M.R.O. tres Anguli Obtusi sunt.

## CAPVT TERTIVM.

### DE TRIANGVLIS SPHÆRICIS

sigillatim.

19 In Triangulo Rectangulo latera Angulum Rectum ambientia eiusdem speciei sunt cum lateribus oppositis.

In Triangulo EDG. DG. minus est Quadrante, quia Angulus ad E. Acutus est, & EG. Quadrans est, quod Angulus ad D. Rectus sit. In Triangulo E B H. latera BH. HE. minora sunt Quadrante, sicut Anguli oppositi ad E. & B. In Triangulo NZF. Angulus Rectus est ad N. & latera NZ. NF. Quadrantem excedunt, ut Anguli Obtusi ad F. Z.

20 In Triangulo Rectangulo si Anguli Obliqui, vel latera Anguli Recti sint eiusdem speciei; Hypotenusa minor erit Quadrante; si verò diversæ, Hypotenusa maior erit Quadrante.

In Triangulo E B H. Anguli ad B. E. Acuti sunt, & Hypotenusa E B. minor Quadrante ED. In Triangulo GRZ. Anguli ZRG. GZR. sunt eiusdem speciei Obtusi, & Hypotenusa ZR. minor Quadrante ZS. In Triangulo YRG. latera RG. GY. eiusdem speciei sunt Quadrante maiora, Hypotenusa verò YR. minor. In Triangulo HBF. latera BH. HF. diversæ speciei sunt, & Hypotenusa BF. Quadrante maior. In Triangulo ECI. Anguli ad C. E. diversæ sunt speciei, & Hypotenusa EC. maior Quadrante ED.

21 In Triangulo Rectangulo Anguli duo superant Quadrantem, & qui vis Angulus Obliquus maior est differentia alterius, & Quadrantis.

L

In

In Triangulo EBH. tres Anguli EBH. HEB. BEH. duos Rectos excedunt (§. 17.) ergo ablati Recto H. erunt BEH. HBE. plus quam Rectus: ergo quia vero quia B. cum complemento suo ad Quadrantem Rectum constituit, erit Angulus ad E. maior complemento Anguli ad B. & in Triangulo FBH. continuatis circulis exigit Triangulum BHE. Angulus ad E. ostensus est maior differentia Anguli EBH. & Quadrantis: differentia vero à Quadrante Anguli EBH. & FBH. vna, & eadem est (l. i. §. 16.) ergo quia Anguli ad E. & F. aequales sunt (§. 7.) erit F. maior differentia inter Quadrantem, & Angulos HBF. doctrina tradita in §§. 17. 18. 19. 20. & 21. magni momenti est ad cognoscendum num. Triangulum recte propositum, vel solutum sit.

22. In Triangulo Isosceli Anguli ad basim eiusdem summae specie cum lateribus, & è contra.

In Triangulis YRZ. RM O. suppositis YR. RZ. aequalibus, item RM. RO. transeat per Angulum ad R. & Polum A. basium YZ. MO. circulus VRAG. eruntque Anguli ad V. & G. Recti, §. 6. Ergo in Rectangulis VRY. VRZ. GRM. GRO. Anguli ad Y. Z. eiusdem specie cum latere opposito VR. Quadrante minores existent, vti latera YR. RZ. & Anguli ad M. O. eiusdem specie cum RG. maiores Quadrante GA. (§. 19.) velut latera RM. RO.

23. In quovis Triangulo Obliquangulo, si Anguli ad basim eiusdem specie sint; Perpendicularis ab Angulo in basi intra Triangulum cadet, ac erit eiusdem specie cum Angulis si vero ydiversa sint specieis, extra cadet, & Anguli Externi speciem servabit.

In Triangulo ABC. cadat Perpendicularis AD. alteri Angulorum Acutorum opposita, sitque B. ergo quia AD. latus est Anguli Recti, eiusdem specie erit cum Angulo ABC. qui minor est Quadrante, §. 19. Ergo in Rectangulo ADC. Angulus C. oppositus lateri DA. erit

Acutus (§. 19.) Ergo AD. opponitur Angulo Interno Acuto BGA. & non Externo Obtuso AGP. & cadit intra Triangulum, & est AD. minor Quadrante, vt B. & C. In Triangulo RMO. si Anguli M. O. sint Obtusi, erit RG. opposita M. maior Quadrante: ergo etiam opponitur Angulo Obtuso O. itaque cadit inter O. & M. §. 19. In Triangulo ROZ. Perpendicularis RV. opponitur Angulo Acuto ROZ. & ita minor est Quadrante, §. 19. Ergo opponitur Angulo Externo Acuto RZV. & non Interno Obtuso RZO. §. 19. ergo extra cadit. E contra Perpendicularis RG. quæ opponitur Angulo Externo Obtuso ROG. erit Quadrante maior.

24. In Obliquangulo inæquales Angulos ad basim habenti, si Acuti extiterint, maius segmentum basis, vel Anguli Verticis, conterminum erit maiori lateri, & è contraria Angulis fuerint Obtusi.

In Triangulo YRZ. perpendicularis RV. incidit in basim YVZ. ergo quia latus RZ. maius supponitur, longius à Perpendiculo distabit (§. 10.) ergo Segmentum ZV. maius est Segmento YV. & Angulus ZRV. maior quam VRY. (§. 10.) Viceversa in Triangulo MRO. in quo Anguli ad M. O. Obtusi sunt, si à Semicirculis aequalibus ZRM. YRO. auferantur Segmenta inæqualia ZR. YR. inæqualia manebunt RO. RM. eritque RM. minus quam RO. igitur Angulus MRG. aequalis VRZ. maior est quam Angulus GRO. aequalis VRY. Segmentum vero MG. aequale VZ. maius est quam GO. aequale YV.

25. In Obliquangulo duos Angulos Acutos habenti, latus minori oppositum minus est Quadrante; si vero duos Angulos Obtusos habuerit, latus majoris subtensum maius est Quadrante.

In Obliquangulo RYZ. duo Anguli ad Y. Z. Acuti sunt, & Y. maior Z. ergo RZ. maius est RY. (§. 10.) igitur perpendicularis RV. facit Angulum YRV. minorem ZRV. (§. 24.) cum autem YRZ. minor sit duobus Rectis, existet YRV. Acutus recto minor: ergo quia in Rectan-

gulo  $RVY$ . Anguli  $YRV$ .  $VYR$ . eiudem speciei sunt  
Acuti, erit Hypotenusa  $RY$ . Quadrante minor (§. 20.)  
igitur latus  $YR$ . minori Angulo  $RZV$ . oppositum Qua-  
drante minus est. Viceversa in Triangulo  $MRO$ . quod  
Angulos ad  $M$ .  $O$ . habet Obtusos, latus maius  $RO$ . maius.  
Quadrante existet, est enim complementum lateris  $YR$ .  
Quadrante minoris.

26 In Triangulo Acutangulo numquidque latus singu-  
latim Quadrante minus est.

In Triangulo  $ABC$ . perpendicularis  $AD$ . intra eadit,  
cum Anguli ad  $B$ . &  $C$ . Acuti sint (§. 23.) ergo quia  $BAC$   
etiam est Acutus, erit  $DAC$ . Acutus: igitur in Rectangu-  
lo  $ADC$ . cum Anguli  $CAD$ ,  $DCA$ . eiudem speciei sint;  
Hypotenusa  $AC$ . Quadrante minor erit. Idem demon-  
strabitur de  $AB$ . si vero Perpendicularis à punto  $C$ . ad  
 $BA$ . procedat, ostendentur quoque  $CA$ .  $CB$ . Quadran-  
te minora: igitur vnumquidque latus Quadrante mi-  
nus est.

27 In Obtusangulo si tria latera Quadrante maiora ex-  
stant, tres Anguli Obtusi erunt, non vero è contra.

In Triangulo  $RMO$ . tria latera  $MR$ .  $RO$ .  $OM$ . Qua-  
drante maiora sunt: ergo in tribus Polis  $A$ .  $B$ .  $C$ . Trian-  
gulum  $ABC$ . constituitur, cuius Anguli complemen-  
ta sunt laterum primi (§. 15.) ergo Triangulum  $ABC$ . Acu-  
tangulum est: igitur eius latera  $AB$ .  $BC$ .  $CD$ . Quadran-  
te minora existunt (§. 26.) ergo illorum complemen-  
ta quae sunt Anguli ad  $R$ .  $M$ .  $O$ . (§. 15.) Quadrante maiors  
sunt, atque adeò Anguli Obtusi existunt. Non è contra,  
tria enim latera Quadrante minora vnum Angulum Ob-  
tusum habere possunt: ergo Polorum Triangulum tres  
Angulos Obtusos habebit, latus vero Quadrante  
minus, quia ex complementis conflatur.

(§. 15.).

## CAPVT QVARTVM.

DEMONSTRATIONES AD TRIANGVLÀ  
Sphaerica Rectangula.

28. **P**Ecularis laterum, & Angulorum vnius  
Trianguli solutio in partium proporcio-  
ne nititur, qua demonstrata ad harū cog-  
nitionem facile ad modum pervenitur. Claritati confu-  
lens Rectanguli proportionem hoc 4. capite ostendam,  
in 5. vero. Obliquanguli, & in 6. privatam trium laterum,  
vel Angulorum rationem demonstrabo. In Triangulis  
Rectangulis latus Angulo Recto subtensum Hypothenu-  
sa est, ex lateribus Angulum Rectum incidentibus al-  
terum basis est, alterum Perpendiculum. Basis est latus,  
quod cum Hypotenusa Angulum vnum complectitur,  
latus vero oppositum illi Angulo Perpendiculum erit:  
vndè quodlibet est basis respectu Anguli contermini, &  
Perpendiculum respectu oppositi.

## PROPOSITIO I.

In Triangulis Rectangulis eundem Angulum Acutum ad  
basim habentibus, Hypotenusarum Sinus, Perpendiculorum  
Sinibus proportionales sunt. Fig. 2.

Sit  $NCOA$ . Sphaeræ octava pars, eius centrum  $A$ . &  
 $NE$ .  $CO$ .  $ON$ . Quadrantes ad Angulos Rectos, eritque  
 $N$ . Polus  $OC$ . &  $C$ . Polus  $NO$ . &  $O$ . Polus  $NC$ . conci-  
piantur ex Polis  $N$ . &  $O$ . quilibet alijs Quadrantes  $NG$ .  
 $OR$ . se ad invicem Secantes in  $I$ . & cum Anguli  $OCN$ .  
 $NGO$ . Recti sint (§. 6.) evant duo Triangula  $RCO$ .  
 $IGO$ . Rectangula eundem Angulum Acutum  $I OG$ .  
 $RC$ . ad bases habentia. Ex punto  $R$ . cadat Recta  $RB$ .  
Perpendicularis ad communem Sectionem  $AC$ . erit  
que Sinus Arcus  $RC$ . & Perpendicularis ad planum  
 $AOC$ . (23. P.) Perpendicularis  $IH$ . ad communem.  
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Sectionem AG. Sinus erit Arcus I G. & in plano ORA. est RA. Radius, & Sinus Quadrantis OR, tum I P. Perpendiculares ad communem Sectionem OA. Sinus est Arcus OI. Dico Sinus Hypotenularum OR. OI proportionales esse Sinibus Perpendiculorum RC. IG. hoc est Rectam AR. esse ad P I. vt Recta RB. ad IH.

30 Demonstratio. RB. IH. quia Perpendiculares sunt ad planum AOC. parallelæ erunt (2.1.11.) tum RA. I P. cum eodem plano AOR. sint, & Perpendiculares ad OA. parallelæ quoque erunt inter se (2.1.1.) ergo Anguli ARB. PIH. ex Rectis parallelis compositi, paralleli erunt, & æquales (3.1.11.) & quia Anguli RBA. IH P. Recti æquales sunt, erunt RAB. I PH. etiam æquales, (3.1.1.) & Triangula ARB. PIH. Äquiangularia: ergo latera proportionalia sunt. (2.1.6.)

## Proportio.

Vt. AR.	Sinus Hypotenusa.	OR.
ad RB.	Sinum Perpendiculi.	RC.
ita PI.	Sinus Hypotenusa.	OI.
ad IH.	Sinum Perpendiculi.	IG.

Ergo etiam alternando, & invertendo, &c.

## PROPOSITIO II.

In iisdem Triangulis Sinus basium proportionales sunt Tangentibus Perpendiculorum. Fig. 2.

In planis ANC. ANG. sint CE. GL. Perpendiculares in Radios AC. AG. & erit CE. Tangens Perpendiculi RC. & GL. Tangens Perpendiculi I G. (1.1.5.12.) quia autem IH. LG. in eodem insunt plano, & Perpendiculares sunt ad GA. erunt ad invicem parallelæ (2.1.1.) vñ etiam RB. EC. ergo CE. GL. parallelæ sunt (2.1.11.) ducta vero GE. Perpendiculare ad OA. erunt CA. GF. parallelæ (2.1.1.) & CA. Sinus Quadrantis OC. & GF.

Si-

Sinus Arcus OG. (1.1.6.11.) & cum Anguli ACE. FGL Recti æquales sint, & paralleli, erunt quoque plana FGL ACE. parallela; quia autem secantur plano ORA. communes Sectiones AE. FL. parallelæ sunt, & insuper Anguli ad A.F. & E.L. paralleli æquales, quæ omnia constat ex (3.1.11.) ergo Triangula ACE. FGL. Äquiangularia sunt, vt ante, & illorum Homologa latera proportionalia. (2.1.6.)

## Proportio.

Vt. AC.	Sinus Basis.	OC.
ad CE.	Tangentem Perpendiculi.	RC.
ita FG.	Sinus Basis.	OG.
ad GL.	Tangentem Perpendiculi.	IG.

Ergo alternando quoque, & invertendo, &c. (4.1.5.)

## CAP VT QVINTVM.

DEMONSTRATIONES AD TRIANGVL A.  
Spberica Obliquangula.

33 Demonstrationes sequentes Obliquangulorum solutioni inserviunt, quando duo latera, & vnum Angulum nota dantur, vel è contra. Præcedentibus nituntur, & illarum sunt Consectaria.

## PROPOSITIO I.

In quolibet Triangulo Sinus laterum proportionales sunt Sinibus Angulorum oppositorum. Fig. 1.

Sit Triangulum ABC. productis lateribus BAQ. CAS. BCP. CBN. usque ad Quadrantem, erit QP. mensura Anguli B. & NS. Anguli C. Dico Sinum BA. ad Sinum Anguli oppositi C. qui est NS. ita se habere, vt Sinus AC. ad Sinum B. qui est QP. Ex Angulo A. cadat Perpendiculum AD. Triangula Rectangula CNS. CAD. Angulum ACB. communem habent, & Triangu-

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Ia

la B Q P. BAD. communem quoque habent Angulum ABC. ergo Sinus Hypothenuarum proportionales sunt Sinibus Perpendiculorum. §. 29.

*Proprio 1.* vt CS. Sinus totus, qui est BQ. *Proprio 2.* B Q. Sinus totus, qui est CS. ad SN. Sinus ACB. Q P. Sinus ABC. ita CA. Sinus lateris. B A. Sinus lateris. ad AD. Sinum Perpendiculi. AD. Sinum Perpendiculi.

Rectangulum sub medijs æquatur Rectangulo sub extremitatibus (1.1.6.) extrema vero sunt eadem in duabus proportionibus: ergo Rectangulum SN. CA. æquale est Rectangulo sub Sinu toto, & Perpendiculo AD. Rursum Rectangulum QP. BA. æquale est Rectangulo sub Sinu toto, & Perpendiculo AD. igitur Rectangulum sub medijs SN. CA. æquatur Rectangulo sub alijs medijs QP. BA. ergo latera reciprocè proportionalia sunt (1.1.6.) vt Sinus SN. ad Sinum QP. ita Sinus BA. ad Sinum CA. & alternando, vt Sinus SN. Anguli C. ad Sinum lateris eius oppositi BA. ita Sinus QP. Anguli B. ad Sinum sui lateris oppositi AC.

In quocumque Triangulo G. ab uno Angulo Perpendiculum cadat, efficiet cum lateribus duos Angulos Verticales, & eorum Sinus 1. Sinibus 2. Angulorum ad basim proportionales erunt.

Fig. 1.

In Triangulo ABC. Perpendiculum est AD. Anguli vero Verticales BAD. DAC. quorum mensuræ HG. GI. & ablato GO. à Quadrantibus æqualibus HO. GF. remanet FO. æqualis GH. & insuper EM. æqualis GI. item OP. complementum est PQ. mensuræ ABC. & MN. complementum NS. mensuræ ACB. ergo in Rectangulis ENM. FPO. quibus Anguli ad N. P. Recti sunt, & æquailes Acuti E. F. (§. 7.) Sinus Hypothenuarum, Perpendiculorum Sinibus proportionales existent. §. 29.

Pro:

## Proportio.

Vt Sinus EM. quad est GI. vel CAD. Verticalis.  
ad Sinum MN. qui est 2. NS. vel ACB. ad Basim.  
ita Sinus FO. qui est GH. vel BAD. Verticalis.  
ad Sinum OP. qui est 2. PQ. vel ABC. ad Basim.

## PROPOSITIO III.

Item sunt proportionales Sinus 2. Angulorum Verticalium Tangentibus secundis laterum. Fig. 1.

In eodem Triangulo ABC. est FI. complementum IG. mensuræ CAD. & IC. complementum CA. & EH. Arcus HG. mensuræ Anguli BAD. & HB. Arcus BA. ergo ex §. 31. Sinus basium proportionales sunt Tangentibus Perpendiculorum, cum Anguli ad E. F. ijdem sint §. 7.

## Proprio ex §. 31.

Vt Sinus FI. qui 2. est IG. vel CAD. Anguli Verticalis.  
ad Tangentem IC. quæ 2. est lateris CA.  
ita Sinus EH. qui 2. est HG. vel BAD. Ang. Verticalis  
ad Tangentem HB. quæ 2. est lateris BA.

& proportionales sunt etiam alternando, invertendo, &c.

Sinus 2. laterum proportionales sunt Sinibus 2. Segmentorum, quæ à Perpendiculo in basi sunt. Fig. 1.

In eodem Triangulo ABC. basis Segments sunt BD. CD. siquidem perpetuo sumuntur ab Angulo basis, vñque ad Perpendiculum, licet hoc cadat extra. Deinde EB. complementum est BD. & HB. ipsius BA. rursus FC. complementum est CD. & IC. ipsius CA. Anguli vero ad I. H. Recti, & ad F. E. ijdem, vel æquailes (§. 7.) ergo ex §. 29. proportionales sunt Sinus Hypotenarum Sinibus Perpendiculorum in Rectangulis EBH. FCI.

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M

Pro:

Proprietate §. 29.

Vt Sinus EB. qui est 2. Segmenti.	BD.
ad Sinum BH. qui est 2. lateris.	BA.
ita Sinus FC. qui est 2. Segmenti.	CD.
ad Sinum GI. qui est 2. lateris.	CA.
Itemq; proportionales sunt alternando, invertendo, &c.	

## 39 PROPOSITIO V.

*Sinus 1. Segmentorum proportionales existunt Tangentibus 2. Angulorum ipsi conterminorum ad basim. Fig. 1.*

In ipso et Triangulo ABC. subducto DP. ex Quadrantibus BP. DF. relinquitur FP. aequalis Segmento BD. & EN. Segmento DC. atque OP. complementum est PQ. mensuræ ABC. & MN. complemetum NS. mensuræ ACB. Anguli ad N. P. Recti sunt (§. 6.) & E. F. aequales, vel ijdem (§. 7.) ergo in Rectangulis ENM. FPO. proportionales sunt Sinus basium Tangentibus Perpendiculorum, ex §. 31.

Proprietate §. 31.

Vt Sinus FP. qui est Segmentum	BD.
ad Tangentem PO. quae est 2. Q. P. vel Ang.	ABD.
ita Sinus EN. qui est Segmentum	DC.
ad Tangentem NM. quae est 2. NS. vel Ang.	ACB.
Atque etiam proportionales sunt alternando, invertendo, &c.	

## 40 PROPOSITIO VI.

*Tangentes Angulorum Verticalium proportionales sunt Tangentibus Segmentorum basis. Fig. 1.*

Per §. 31. Sinus AG. ad Sinum AD. est vt Tangens GH. ad Tangentem DB. & vt Sinus AG. ad Sinum A D. ita etiam Tangens GI. ad Tangentem DC. ergo proportionales quoque erunt ex. (1.1.5.)

GH.	Tangens	BAD.
BD.	Tangens	Segmenti.
GI.	Tangens	CAD.
DC.	Tangens	Segmenti.

Ergo etiam alternando, & invertendo, &c.

CA.

## CAPVT SEXTVM.

*DEMONSTRATIO AD TRIA LATERA,  
vel tres Angulos.*

## 41 PROPOSITIO I.

*Sinus Semisumma, & Semidifferentia quorumlibet duorum Arcuum, medij proportionales sunt inter Radium, & Semidifferentiam Sinum Versorum eorundem. Fig. 3.*

In circulo ZHF. sint Arcus EP. PC. & EC. duorum summa: & sumpta PY. æquali EP. erit CY. differentia EP. PC. Radius XP. Perpendicularis est EY. (2.1.3.) & BP. Sinus Versus Arcus EP. cumque CR. Perpendicularis sit XP. erit PR. Sinus Versus PG. & BR. vel CT. ipsi parallela erit differentia Sinuum Versorum BP. PR. quia autem XO. Perpendicularis est EC. eam bifariam secabit in O. ac pariter Arcum EC. (2.1.3.) Angulus vero EXO. erit Semisumma Arcuum EP. PC. & EO. Sinus Semisummarum (1.1.9.8.) atque XK. Perpendicularis CY. Semisummarum bifariam secabit, eritq; CK. Sinus Semidifferentiarum CY. dico EO. & CK. medios esse inter EX. CL.

42 Demonstr. Anguli EXO. EYC. aequales sunt, vt potest semisses Arcus EPC. (3.1.3.) quia vero CO. semissis est CE. ut CK. semissis CY. erunt EY. OK. parallelae, (2.1.6.) atque CL. semissis CT. & Angulus OKC. aequalis EYC. & EXO. (2.1.1.) porro Anguli EOX. CLK. Recti sunt: ergo Triangula XEO. KCL. Äquiangula sunt (3.1.1.) & latera Homologa proportionalia. (2.1.6.)

Proprietate.

Vt	EX.	Radius.
ad	EO.	Sinum Semisumma EP. PG.
ita	CK.	Sinu Semidifferentia inter EP. PG.
ed	CL.	Semidifferentiam Sinum Versorum BP. PR.

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Con-

*Consect. Cuiusvis Trianguli ECY. circulo inscripti laterum dimidia OG. CK. media sunt inter EX. Radium, & CL. dimidium perpendiculari CT.*

## PROPOSITIO II.

*In quovis Triangulo Sphærico proportionales sunt:*

*Rectangulum Sinuum laterum.*

*ad Quadratum Radij.*

*ut Differentia Sinuum Versorum Basis, & differentia laterum, ad Sinum Versum Anguli Verticalis.*

Sit in Fig. 3. Triangulum SZP. in superficie Sphærae ZHD. Assumantur PE. PY. æquales Basis PS. sique ZG. æqualis lateri ZS. & erit PG. differentia laterum ZS. ZP eius vero Sinus Rectus CR. Sinus autem Versus RP. conexa EY. secabitur bifariam in B. (2. l. 3.) atque est BP. Sinus Versus Basis PS. vel PE. & BR. differentia Sinuum Verorum BP. RP. cuius semidisca CL. ut antea: at PV. CL. Sinus. sicut laterū ZP. ZC. & continuato Arcu ZSG. est HG. Sinus Versus Anguli Verticalis SZP. existente Radio XH. & CS. Sinus Versus eiusdem Anguli existerente Radio CL.

*Demonstratio.* VPX. XAI. similia sunt, item SAB. SCT. (z. l. 6.) & insuper IAX. SAB. quia Angulus SAB. communis est; Anguli vero ad B. I. Recti: ergo ASB. AXI. Äquiangula sunt (3. l. 1.) ergo univerbi quatuor Triangula SAB. SCT. VPX. IAX. simili sunt inter se. (4. l. 6.) & latera proportionalia. (2. l. 6.)

Vt CT. Chorde quoque, & Sinus Sinus Versus CS. ad CS. eiusdem Anguli in diversis Circulis, proportionalis. Sinus Versus HG. ita PV. sic circulis, proportionalis Radius CL. ad PX. sunt Radis (5. l. 6.) ergo. Radius XH.

Quia

Quia vero Rectangula rationem habent compositam ex lateribus (1. l. 6.) quæ ex lateribus proportionalibus constant, erunt etiam proportionalia, atque adeò proportionalia sunt sequentia.

Rum CT. CS. Et quia CT. CS. & CS. Rum CT. CS.

Rum CS. HG. HG. eandem habent al-

Rum PV. CL. titudinem CS. erunt in-

Rum PX. XH. ter se ut Bases. (1. l. 6.) Bases. HG.

Ergo per 1. l. 5. erunt etiam proportionales.

Rum Sinuum PV. CL. laterum ZP. ZC.

Rum vel Quadratum Radiorum aequalium PX. XH.

CL. Differentia Sinuum Vers. Basis, & differentia laterum.

HG. Sinus Versus Anguli Verticalis SZP.

*In quovis Triangulo Sphærico Sinus unius lateris ad Secantem 2. alterius est, ut differentia Sinuum Versorum Basis, & differentia laterum ad Sinum Versum Anguli Verticalis.*

Sit Y. Secans 2. lateris ZC. quia Rum PV. CL. ad Qum XH. est in ratione composita PV. ad XH. & CL. ad XH. (1. l. 6.) vel XH. ad Y. (5. 2. l. 11.) Ergo Rum PV. CL. ad Qum XH. est ut PV. ad Y. sed Rum PV. CL. ad Qum XH. est ut CT. ad HG. (5. 43.) Ergo PV. ad Y. ita CT. ad HG. quod &c.

*In quolibet Triangulo Sphærico proportionalia sunt:*

1. Rectangulum ex Sinibus laterum includentium Angulum.

2. Ad Quadratum Radij.

3. Ut Rectangulum sub Sinibus semiangulorum, & semi-differentia Basis, & differentia laterum.

4. Ad Quadratum Sinus Semianguli Verticalis.

In

In eadem Fig. 3. & Triangulo SZP. concipientur omnia, quæ anteā, & quia PC. est differentia laterum, & PE. PY. æquales existunt Basi PS. erit EC. summa Basis, & differentia laterum, & EO. Sinus Semisummae: CY, verò differentia Basis PY. & differentia laterum PC. tum CK. Sinus Semidifferentiae 2. Consideretur modò Semicirculus FDH. perpendicularis ad planum FZH. & sumptu HD. mensura Anguli PZS. perpendicularis DG. quæ determinat Sinum Versum GH. cadet in G. quare signum G duo refert puncta, alterum in plano, alterum verò in superficie Sphaerae, quod est ipsum D. idem dico de puncto S. iuncta DH. chorda Arcus DH. vel Anguli SZP. bifariam secabitur à perpendiculari XM. (2. l. 3.) & MH. Sinus erit Semianguli SZP. ex lib. 1. §. 17. infistat verò MN. ad Angulos Rectos Radio XH. erit HN. semilisis HG. veluti HV. recte HD. (2. l. 6.) quibus suppositis.

46 *Demonstratio.* Ut CT. ad HG. ita illarum semisses CL. ad HN. (5. l. 5.) ergo quia Rectangulum sub PV. CL. ad Rectangulum sub PX. HX. est, ut CT. ad HG. ex §. 43. & Rectangulum sub CL. HX. est ad Rectangulum sub HN. HX. cum sint sub eadem altitudine, ut Basis CL. ad HN. (1. l. 6.) hoc est ut CT. ad HG. erunt quoque Rectangula inter se proportionalia. (1. l. 5.)  
*Rum PV. CI.* Qia verò Sinus OC. CK. laterum, ad Qum PX. HX. meajunt inter Radium HX. & CL. ut Rum CL. HX. Semidifferentiam Sinum Versorum ad Rum HN. HX. (§. 41.) Rectangulum OC. CK. æquabitur Rectigulo sub CL. HX. (1. l. 6.) Rursus in Triangulo Rectangulo XM II. est HM. media inter HN. HX. (3. l. 6.) & Quadratum HM. æquale Rectangulo HN. HX. (1. l. 6.) ergo in proportione antecedentis in locum Rectangulorum sub CL. HX. & sub HN. HX. substitutas ipsis æqualia videlicet Rectangulum sub OC. CK. & Quadratum HM. erunt quoque proportionalia. (1. l. 5.)

Pro-

Proportio ultima.

Rum PV. CI. Sinuum laterum ZP. ZC.

ad Qum PX. HX. Radij, vel Radiorum equalium.

Rum OC. CK. Sinuum Semisumme, &amp; Semidifferentiae 2.

ad Qum HM. HM. Sinus Semianguli Verticalis SZP.

## CAPVT SEPTIMVM.

## DEMONSTRATIONES SINGULARES AD

Triangula Sphaerica.

47 **T**heorematæ sequentia Triangulis Sphaericis resolvendis necessaria non sunt, cù sufficientiam Theorematæ, capitum 4. §. & 6. Illa tamen prætermittere nolui, studiosus enim varietate oblectatur. Habent nonnulla specialem convenientiam in privatos catus, alia verò operationes faciliores reddunt, vel saltem Mathematicarum fœcunditatem confirmant, quæ per tot mediadiversa metam destinata attingunt.

## PROPOSITIO I.

Summa Tangentium primarum, vel secundarum duorum Arcuum Quadrante minorum, ita se habet ad differentiam eaudem, ut Sinus summa Arcuum ad Sinum differentiae coramdem. Summa verò primarum ad summam secundarum, ut differentiae. Fig. 4.

Sint Arcus GC. GB. illorum differentia CB. sit FGH. perpendicularis ad Radium AG. & GR. æqualis GB. erit RC. summa Arcuum BG. GC. & GD. Tangens GC. & GH. GF. Tangentes Arcuum æqualium GB. GR. ergo HD. est summa Tangentium Arcuum RG. GC. & DF. differentia Tangentiū GC. GB. & Anguli ad F. H. æquales (5. l. 1.) in Triangulo ADH. latera Sinibus Angulorū oppositorum proportionalia sunt. (ex lib. 2. §. 10.)

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Pro-

49 Proprietio 1.

Latus	AD.	Etiam in Triangulo	Proportio 2)
Sinus	H.	ADF. proportiones ales sunt.	Latus AD.
Latus	DH.		Sinus F. & H.
Sinus	HAD.		Latus DF.

Ergo (1.1.5.) ad invicem quoque proportionales sunt.

Proprietio ultima.

Latus DH. summa Tangentium	GD. GH.
Sinus HAD. summa Arcuum	GC. GR.
Latus DF. differentia Tangentium	GF. GD.
Sinus DAF. differentia Arcuum.	GC. GB.

Proportionales etiam sunt alternando, &amp; invertendo, &amp;c.

Iam demonstratur de Tangentibus 2. collatis cum summa, & differentia complementorum: ergo quia summa complementorum eundem Sinum habet, quem summa Arcuum, cum illorum complementa sint ad Semicirculum, & differentia eadem. (1.1. §. 16.) Idem concludetur de Tangentibus 2. quoad summam, & differentiam Arcuum, itemque quoad 1.

## PROPOSITIO II.

Si Tangentes secunde, vel primae laterum Trianguli Sphaericum aequalem Angulum comprehendant; Recta Perpendiculis Angulos Verticales efficiet aequales Angulis Perpendiculi Sphaerici. Fig. 5.

Sit Triangulum Sphaericum BAC. & EFG. Tangens 2. AC. & EG. Tangens 2. AB. Angulus vero FEG. aequales BAC. sit EO. perpendicularis, & AD. perpendicularum Sphaericum: Dico Angulos FEO. OEG. aequales esse BAD. DAC. Anguli enim ad O. Recti sunt; Angulus vero ad F. complementum FEO. & ad G. complementum OEG. (3.1.1.) & per 3. prop. §. 37. proportionales sunt.

Proprietio 1.

Tangens 2.	BA.	& per 1.	Proprietio 2.
Tangens 2.	AC.	2. §. 10.	Latus EG. Tangens 2. BA.
Sinus 2.	BAD.		Latus EF. Tangens 2. AC.
Sinus 2.	DAC.		Sinus F. qui est 2. FEO.

Sinus 2.	OEG.		Sinus G. qui est 2. OEG.
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Ergo existentibus aequalibus Angulis FEG. BAC. aequales quoque sunt FEO. BAD. & OEG. DAC. idem demonstrabitur de Tangentibus 1. cum reciprocæ sunt 2. per lib. 1. §. 27.

## PROPOSITIO III.

In quocumque Triangulo Sphaerico, cuius latera sunt eiusdem specie, Sinus summa laterum, ita se babet ad Sinum differentia eorundem, ut Tangens 2. Semianguli Verticalis ad Tangentem 1. Semidifferentia Angulorum Verticalium, qui a perpendicularibus sunt. Fig. 5.

In iisdem Triangulis BAC. FEG. proportionales sunt.

Proprietio 1. per lib. 2. §. 11. A. O. H. A. Proportio 2. §. 48.  
Summa EF. EG. Tang. 2. AC. AB. Summa Tang. 2. AC. AB.  
Differentia eorundem. Differentia eorundem.  
Tangens semissis summa F. & G. Sinus summa AC. AB.  
Tangens semissis differentia F. & G. Sinus eorum differentiae.

Ergo proportionales quoque sunt. (1.1.5.)

Sinus summa Arcuum H. AC. AB.  
Sinus differentia AC. AB.  
Tangens 2. summa F. & G. que est 2. FEG. vel 2. BAC.  
Tangens 2. differentia F. & G. que eadem est quam FEO.  
& OEG. (1.1.9.16.) vel BAD. DAC. per 2. prop. §. 50.

In quolibet Triangulo Sphaericō, cuius Anguli suprà Basim sunt eiusdem speciei, Sinas summa Angulorum, ad Sinum differentia corundem, est ut Tangens Semibasis ad Tangentem Segmentorum. Fig. 1.

Quia in Polis Trianguli ABC. sit RMO. in quo omnia sunt alterius complementa (§. 14.) sed ex §. 51. proportionales sunt, ut Sinus laterum MR. RP. vel summæ Angulorum C. & B. ad differentiam eorundem ita Tangens 2. Semianguli NRP. vel NDP. hoc est Tangens 1. Semibasis BC. ad Tangentes Semidifferentiarum Angulorum NRD. DRP. vel Arcuum ND. DP. hoc est BD. DC. Ergo constat propositum, quod, &c.

**53 PROPOSITIO V.**

Datis tribus lateribus Trianguli Spberici, unum latus, & Basim habentis Quadrante minora, datur aliud Triangulum Planum cum æquali Angulo Basi opposito. Fig. 6.

Sit Triangulo A B C. Angulus A. latus A B. & Basis opposita B C. & sint Arcus A B. B C. Quadrante minores, productis A B. A C. eò vique secentur Semicircu in D. erit A D: communis Sectio, & cõcepto piano A H Z perpendiculari communi Sectioni A D. erit A H Z. perpendiculari planis circulorum D C A. A B D. (3. I. 1.) & A H. A Z. illorum communes Sectiones perpendicularares D A. & Angulus Z A H. planorum inclinatio es (23. P.) ergo æqualis B A C. (§. 4.) ex punto B. tanquam Polo, Atcu B C. decircinetur Semicirculus F C E. & quia D B A. transit per eius Polum, erit ipsi perpendicularis (§. 6.) Arcus A E. est summa lateris A B. & Basis B C. & A G. illorum differentia; ductis D E H. D F G.

in piano DEHA. & DCZ. in piano DCZA. conne<sup>ct</sup>an-  
tur AE. FE. PROPSITIO VI

Demonstratio. Cum AE. perpendicularis sit DH.  
(3. l. 3.) Anguli DAE. DHA. aequales erunt (3. l. 6.)  
DAR. DAE. aequales sunt; insitum enim eidem Arcui DE.  
(3. l. 3.) ergo DFE. DHG. aequaliter, cum vero GDH.  
communis sit. & aequales quoque erant DGH. & DEF.  
(3. l. 1.) dividit GH. bisariam in X. & de scripto Semicirculo  
GZH. qui plana GZH. & EGF. perpendicularia  
existunt DHG. & Sectiones FEGH. subcontrarie,  
Recta DZ. secabit circulum EGF. in C. ubi tetatur in  
plano DCA. (5. p. l. r. Appollonis) Angulus ADE. i.e.  
missis est AE. summae lateris AB. & Basis BC. (3. l. 3.) &  
FDA semissis AG. eorundem differentia, GAD. vero le-  
missis lateris AC. & quia HA. ZA. perpendicularares sunt  
Diametro communi AD. erit AH. Tangens Semisum-  
mae, & AG. Tangens Semidifferentia, & AZ. Tangens  
Semilateris AC. & GH. differentia Tangentium, at GX.  
XZ. XI. Semidifferentia Tangentium, Semidifferen-  
tia autem cum parte minori AG. Semisumma AX. con-  
ficit (l. 2. §. 12.) ergo in Triangulo Plano cognita sunt  
tria latera, AZ. Tangens Semilateris maioris, AC. &  
AX. Semisumma Tangentium Semisummæ, & Semidi-  
ferentia Basis, & lateris minoris: & demum XZ. Semi-  
differentia eorundem Tangentium; Angulus vero  
XAZ. aequalis est Sphaerico CAB. non  
ergo constat propositum, &c.

## 54 PROPOSITIO VI.

In quocumque Triangulo Spherico habente duo latera Quadrante minora, Tangens Semibasis ita se habet ad Tangentem Semisumma laterum, ut Tangens Semidifferentia laterum ad Tangentem Semidifferentia Segmentorum Basis. Fig. 6.

Sit Triangulum ABC. latera AB. BC. Quadrante minora. & AC. Basis: reliqua omnia ut in 5. prop. acta. Recta DOR. secabit Semicirculum GZH. in R. vbi secatur communis Sectione AZ. eritque AR. Tangens ADR. semidis differentia Segmentorum AO. nam cum BO. Isosceles sit, perpendicularum BI. secabit aequales IC. OI. (9. 10.) Segmenta Basis sunt AI. IC. quare AO. differentia est Segmentorum, quibus suppositis, Recta AH. AZ. circulum GZH. secatur: ergo proportionales sunt (6. 1. 6.)

AZ. Tangens Semibasis. AC. Tangens Semisumma. AH. Tangens Semidifferentia. AG. Tangens Semidifferentia laterum. AF. AR. Tangens Semidifferentia Segmentorum AO. Et etiam alterando, & invertendo, &c. Ne per us hac proportione Trigonometriam ditavit.

In Triangulo Rectangulo si Hypotenusa, & perpendiculari minores Quadrante exstant; Tangens Semibasis media erit inter Tangentes Semisumma, & Semidifferentia Hypotenusa, & perpendiculari. Fig. 6.

Conlectarium est antecedentis: perpendicularum enim cadit in extremum Basis, & Basis tota differentia est Segmentorum: ergo ut Tangens Semibasis ad Tangentem Semisumma Hypotenusa, & perpendiculari, ita Tangens Semidifferentia ad Tangentem Semidifferentia Segmentorum, quae eadem est

Semibasis.

## CAPVT OCTAVVM.

RESOLVTIO. TRIANGVLI SPHERICL  
Rectanguli.

**A**ngulus Rectus supponitur perpetuò. notus, reliqua verò data, vel quæsita. lineola, vel punctis denotantur, vti in Trigonometria Plana. Maioris perspicuitatis gratia, termini Trianguli hunc ordinem servabunt. 1. Hypothenus. 2. Latus conterminum. 3. Latus oppositum. 4. Angulus conterminus. 5. Angulus oppositus. Datis iuxta ordinem 1. & 2. tñm 1. & 3. &c. exquiruntur quoque secundum ordinem reliqui.

57 In omni proportione disponuntur termini, ut in Trigonometria Plana, & pro primo Logarithmo eius, complementum assumitur, trium autem summa multata. Radio quartum exhibet. Radius demittit unitate ad sinistram in additione omissa, vti monimus lib. 1. 9. 119. Ita ut si omnes tres termini addantur, semper ad sinistram ante punctum characteristicam dividens, provenient duæ litteræ, quarum prima, si futura sit unitas, non oportet scribi: si verò futura sit 2. apponitur. 1. plus enim ascende-re nequit, auferre tamen hanc unitatem, idem si ac demere Radium. Quando Logarithmus sit Tangentis Radio. maioris, sumetur complementum usque ad duplum Radium, & detrahentur 2. ex summa, quod dupli Radij subtractioni æquialer. Hoc monitum in posterum retinere operæ pretium erit.

58 Omnes resolutiones à Fig. 1. prouanare debent, & in qualibet duo Triangula constituantur cum. Angulo communi BEH. DEG. latera HB. GD. Angulo communi opposita perpendicularia sunt, latera verò inter Angulum communem, & Rectum Bases existunt EH. EG. Arcus oppositi Angulo Recto sunt Hypothe-

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nusæ EB. ED.idem est in Triangulis DEG. CEI.it ave  
Triangulum alterum, veluti DEG. Hypotenusam, &  
Basis habeat semper Quadrantes, vti DE. GE. quod  
principale voco, alterum verò proportionale, sive minus  
sit veluti EBH. sive maius vt CEI.

59 Quoties in Triangulo proportionali nota est, vel  
quæ sit Hypotenusa, ratio erit Sinus ad Sinum per §. 29.  
Si verò Hypotenusa in proportione non insit, Basis au-  
tem Trianguli proportionalis nota sit, ratio erit Sinus ad  
Tangentem, at si Basis ignota existat, ratio erit Tangen-  
tis ad Sinum per §. 31. & tandem ratio incipere semper  
debet à Triangulo in quo binæ res cognitæ dantur, Hy-  
potenusæ, & Perpendiculum, vel Basis, & Perpendicu-  
lum, atque etiam prima sit oportet eiusdem speciei cu-  
m tertium cognito alterius Trianguli.

Quatuor sunt Triangula principalia cum suis pro-  
portionalibus, primum DEG. BEH. secundum HAG.  
BHD. tertium QBP. ABD. quartum DRP. ARQ. Si  
in primo termino haud reperiāns sufficiētes resolutioni,  
transibo ad secundum, vel tertium, vel quartum, in quo  
rum uno offendentur, consideratis lateribus, & mensuris  
Angulorum cum suis complementis, vt in Triangulo  
BEH. est BD. complementum EB. & HG. complemen-  
tum EH. & BA. complementum BH. DG. verò men-  
sura Anguli BEH. & DA. ipsius complementum, &c.

Ista rectius percipientur in ipla praxi ad solutio-  
nem sequentium Problematum  
adhibita.

PRO

## 61 PROBLEMA I.

Data Hypotenusa, & altero latere.

1. Invenire reliquum latus.

2. Angulum conterminum.

3. Angulum oppositum.

1. INVENIRE RELIQVM LATVS. Fig. I. R.  
IN Triangulo BEH. datur Hypotenusa EB. 50. grad.  
20. m. & latus HB. 30. gr. 25. min. inquiritur reliquum  
latus EH. vel cuius complementum HG. quia BD. com-  
plementum est Hypotenusa EB. & BA. complemen-  
tum perpendiculi BH. in Triangulis ABD. AHG. suf-  
ficiētes terminos habeo per §. 29. vt Sinus novæ Hypo-  
tenusæ AB. ad Sinum Quadrantis AH. ita Sinus per-  
pendiculi BD. ad Sinum perpendiculi HG. ergo respe-  
ctu habito ad Triangulum E B H ordinabitur sequens  
proportio.

Proportio.	Gradus.	Logarithmi.
AB. Sinus 2. perp. BH.	30.25. m. CL.	0.0643082
AH. Sinus totus, vel Radius. 90.00. m.	10.0000000	
BD. Sin. 2. Hypotenusa EB; 50.20. m.	9.8050385	
HG. Sinus 2. Basis EH.	42.15. m.	9.8693467

## 62. II. INVENIRE ANGLVM CONTERMINVM.

In eodem Triangulo BEH. datis Hypotenusa EB..  
& latere BH. quaeritur Angulus EBH. coterminus la-  
teri BH. eius mensura est P Q. complementum verò.  
QR. & quoniam HA. BQ. ED. BP. Quadrantes exi-  
stunt; est AQ. æqualis BH. & DP. EB. ergo in Trian-  
gulis RPD. RQA. proportionales sunt per §. 31.  
Sinus Basis RQ. ad Tangentem perpendiculi QA..

Dicit P. I. Zaragoza.

404 LIBER III. CAPVT VIII.  
vt Sinus totus R P. ad Tangentem PD. & respectu Trianguli EBH. invertendo.

Proportio §. 31.	Gradus.	Logarithmi.
DP. Tangens Hypoth. EB.	50.20.m. CL.	9.9184198
AQ. Tangens Perpend. BH.	30.25.m.	9.7687029
PR. Sinus totus, vel Radius.	90.00.m.	10.0000000
QR. Sinus 2.QP. vel Ang. EBH. 60.53.m.	9.6871227	

Ablatus est numerus binarius 2. ex summa, quia complementum Logarithmicum assumptum est ad duplum Radium, §. 57.

### III. REPERIRE ANGULUM OPPOSITUM.

63 In eodem Triangulo EBH. datis EB. BH. queritur Angulus BEH. lateri BH. oppositus: mensura Anguli est DG. itaque in Triangulis EBH. EDG. proportionem habemus.

Proportio §. 29.	Gradus.	Logarithmi.
Sinus Hypoth. EB.	50.20.m. CL.	0.1136384
Sinus Perpend. BH.	30.25.m.	9.7043947
Sin. totus, vel Rad. ED.	90. 0.m.	10.0000000
Sinus DG. Anguli. BEH.	41. 7.m.	9.8180331

64 Eadem operatio fit quando partes datae Quadrante maiores existunt, habet enim eodem Sinus, & Tangentes, quam minores, velut si Triangulum sit BFX. Angulus ad X. Rectus, Hypotenusa BF. 129. 40. latus BX. 149. 35. disponentur termini.

Proportio §. 29.	Gradus.	Logarithmi.
Sinus Hypoth. BF.	129.40.m. CL.	0.1136384
Sinus Perpendiculi. BX.	149.35.m.	9.7043947
Sin. totus, vel Rad. FD.	90. 0.m.	10.0000000
Sinus DV. Anguli. BFX.	138.53.m.	9.8180331

Suntur Angulus Obtusus, vt latus oppositum, §. 19.

PRO-

### TRIGONOMETRIÆ SPHÆRICAÆ. 405

#### PROBLEMA II.

Data Hypotenusa, & Angulo uno, inv. H. ED.

1. Reperire latus conterminum. autem inv. PG.
2. Latus Angulo oppositum. autem inv. QG.
3. Reliquum Angulum. autem inv. QG.

#### I. INVENIRE LATVS CONTERMINVM.

In Triangulo EBH. datur Hypotenusa EB. 65.m. 45. & Angulus EBH. 61.m. 35. investigatur latus BH. Angulo dato conterminum. In Triangulis R DP. RAQ. cum ED. BP. HA. BQ. Quadrantes existant, erit DP. equalis Hypotenuse EB. & AQ. perpendiculo BH. & RQ. complemento QP. mensuræ EBH. ergo per cap. 4. §. 31. proportionales sunt. Sinus totus R P. ad Sinum RQ. vt Tangens DP. ad Tangentem AQ. & quoad Triangulum EBH. est.

Proportio §. 31.	Gradus.	Logarithmi.
Sinus totus, vel Rad. RP.	90.00.	CL. 0.0000000
Sinus 2. EBH. qui est RQ.	61.35.	9.6774975
Tang. Hypoth. DP. vel EB.	63.45.	10.3070250
Tang. lateris AQ. vel BH.	43.59.	9.9845225

#### 66. II. INVENIRE LATVS OPPOSITVM.

In Triangulo BEH. datur Hypotenusa EB. 52. 33. Angulus BEH. 40. 58. queritur latus oppositum BH. in Triangulis EDG. EDH. invenitur proportio cap. 4. §. 29.

Proportio §. 29.	Gradus.	Logarithmi.
Sinus totus, vel Rad. ED.	90. 0.	CL 0.0000000
Sinus DG. Anguli. BEH.	40. 58.	9.8166521
Sinus Hypoth. EB.	52. 33.	9.8997572
Sinus lateris opposit. BH.	31.22.	9.7164093

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## 67 III. INVENIRE RELIQVM ANGVLVM.

In Triangulo EBH. datis Hypotenusa EB. 63. 45.  
Angulo EBH. 61. 35. exquiritur reliquus Angulus  
BEH. proportio invenietur in Triangulis BPQ. BDA.

Proportio §. 31.

		Logarithmi.
BP. Sinus totus.	90. 0.	CL. 0.0000000
BD. Sinus 2. Hypotb. EB.	63.45.	9.6457058
PQ. Tangens Anguli EBH.	61.35.	10.2667433
DA. Tang. 2. GD. vel Ang. BEH.	50.44.	9.9124491

## 68 PROBLEMA III.

Datis duobus lateribus.

1. Invenire Hypotenusam.

2. Quemlibet Angulum.

## I. REPERIRE HYPOTHENVSAM.

In Triangulo BEH. dantur latus EH. 59. 22. latus  
verò HB. 33. 44. queritur Hypotenusa EB. in Trian-  
gulis AHG. ABD. invenietur proportio.

Proportio.

	Gradus.	Logarithmi.
AH. Sinus totus.	90.00.	CL. 0.0000000
AB. Sinus 2. lateris BH.	33.44.	9.9199307
HG. Sinus 2. lateris EH.	59.22.	9.7071801
BD. Sinus 2. Hypotb. EB.	64.56.	9.6271108

## 69 II. INVENIRE QVEMLIBET ANGVLUM.

Datis ijsdem investigatur Angulus BEH. oppositus  
BH. ratio reperitur in Triangulis EDG. EBI.

Proportio §. 31.

	Gradus.	Logarithmi.
Sinus EH. lateris conterm.	59.22.	CL. 0.0652765
Sinus totus EG.	90.00.	10.0000000
Tangens HB. lateris oppositi	33.44.	9.8246190
Tangens GD. Ang. HEB.	37.49.	9.8898955

Pro Angulo EBH. vt Sinus BH. ad Sinum totum, sic  
Tangens lateris oppositi HE. ad Tangentē Anguli EBH.

PRO

## 70 PROBLEMA IV.

Dato uno latere, &amp; Angulo contermino.

1. Invenire Hypotenusam.

2. Latus oppositum.

3. Reliquum Angulum.

## I. INVENIRE HYPOTHENVSAM.

Latus EH. sit 67. 51. Angulus conterminus BEH. 28.  
queritur Hypotenusa EB. reperiatur in Triangulis  
AHG. ABD.

Proportio §. 31.

	Gradus.	Logarithmi.
AG. Sinus totus, vel Radius.	90.00.	CL. 0.0000000
AD. Sin. 2. GD. vel Ang. BEH.	28.22.	9.9444457
GH. Tangens 2. lateris EH.	67.51.	9.6096742
DB. Tangens 2. Hypotb. EB.	70.18.	9.5541199

## 71 II. INVENIRE LATVS OPPositVM.

Datis ijsdem indagatur HB. in Triangulis EGD. EHD.

Proportio §. 31.

	Gradus.	Logarithmi.
EG. Sinus totus	90.00.	CL. 0.0000000
EH. Sinus lateris conterm.	67.51.	9.9667047
DG. Tangens Anguli BEH.	28.22.	9.7323506
HB. Tangens lateris oppositi	26.34.	9.6990553

## 72 III. INVENIRE RELIQVM ANGVLUM.

Datis latere HB. 37. 21. Angulo contermino HBE.  
indagatur reliquus Angulus BEH. in Triangu-  
lis BQP. BAD. reperiatur proportio, cap. 4. p. 1. §. 29.

Proportio §. 29.

	Gradus.	Logarithmi.
BQ. Sinus totus	90.00.	CL. 0.0000000
BA. Sinus 2. lateris BH.	37.21.	9.9003367
QP. Sinus Anguli EBH.	72.25.	9.9792198
AD. Sin. 2. DG. vel BEH.	40.44.	9.8795565

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## 73 PROBLEMA VI.

Dato uno latere, & Angulo opposito.

1. Invenire Hypotenusam.
2. Reliquum latus.
3. Reliquum Angulum.

## I. INVENIRE HYPOTHENVSAM.

In Triangulo EBH, datur Angulus BEH. 32. 54  
latus oppositum HB. 23. 17. queritur Hypotenusa  
EE. ratio invenietur in Triangulis E DG, EBH. §. 29.

	Proprio	§. 29.	Gradus.	Logarithmi.
DG.	Sinus Anguli	BEH.	32.54.	CL. 0.2650607
HB.	Sinus lateris data		23.17.	9.5969029
DE.	Sinus totus		90.00.	10.0000000
BE.	Sinus Hypotenuse		46.42.	9.8619636

## 74 II. INVENIRE RELIQVM LATVS.

Datis ijsdem investigatur HE. in Triangulis E DG.  
EBH.

	Proprio	§. 31.	Gradus.	Logarithmi.
DG.	Tangens Anguli	BEH.	32.54.	CL. 0.1891451
BH.	Tangens lateris oppo.		23.17.	9.6337941
EG.	Sinus totus, vel Radius		90.00.	10.0000000
EH.	Sinus alterius lateris		41.42.	9.8229381

## 75 III. INVENIRE RELIQVM ANGVLVM.

Datis ijsdem indagatur Angulus EBH. in BQP. BAD.

	Proprio	§. 29.	Gradus.	Logarithmi.
BA.	Sinus 2. lateris BH.		23.17.	CL. 0.0368918
BQ.	Sinus totus, vel Radius		90.00.	10.0000000
AD.	Sinus 2. DG. vel. BEH.		32.54.	9.9240827
QP.	Sinus 1. QP. vel EBH.		66.4.	9.9609745

PRO-

## 76 PROBLEMA VI.

Datis duobus Angulis.

## 1. Invenire Hypotenusam.

## 2. Invenire quodlibet latus.

## I. INVENIRE HYPOTHENVSAM.

Datis BEH. & EBH. queritur EB. in BQP. BAD.

	Proprio	§. 31.	Gradus.	Logarithmi.
QP.	Tangens Anguli	EBH.	60.18.	CL. 9.7561718
AD.	Tangens 2. Anguli BEH.		45.30.	9.9924197
BP.	Sinus totus, vel Radius		90.00.	10.0000000
BD.	Sinus 2. Hypotenuse EB.		55.54.	9.7485915

Ex quolibet Angulo sumi potest Tangens 1. & ex reliquo 2. vt videre est in Triangulis FDG. FPO.

	Proprio	§. 31.	Gradus.	Logarithmi.
DG.	Tangens 1. Anguli	BEH.	45.30.	CL. 9.9924197
PO.	Tang. 2. PQ. vel Ang. EBH.		60.18.	9.7561718
DF.	Sinus totus, vel Radius		90.00.	10.0000000
PF.	Sin. 2. DP. vel Hypoth. EB.		55.54.	9.7485915

## II. INVENIRE QVODLIBET LATVS.

Datis ijsdem, queritur BH. in Triangulis BQP. BAD.

	Proprio	§. 29.	Gradus.	Logarithmi.
QP.	Sinus Anguli conterm.	EBH.	60.18.	CL. 0.0611645
AD.	Sinus 2. Anguli oppositi BEH.		45.30.	9.8456618
BQ.	Sinus totus, vel Radius		90.00.	10.0000000
BA.	Sinus 2. lateris	BH.	36.12.	9.9068263

Et EH. in Triangulis FGD. FOP.

	Proprio	§. 29.	Gradus.	Logarithmi.
GD.	Sinus Anguli conterm.	BEH.	45.30.	CL. 0.1467579
OP.	Sin. 2. Ang. opp. PQ. vel EBH.		60.18.	9.6950074
GF.	Sinus totus, vel Radius		90.00.	10.0000000
OF.	Sinus 2. OG. qui est EH.		46.00.	9.8417653

Del P. I. Zaragoza.

PRO-

78 PROBLEMA VII.  
De Triangulis Quadrantalibus.

Triangulum Quadrantale est, quod vnum latus Quadrantem habet gr. 90. neque Rectangulum est, resolvitur tamen, ut Rectangula commutatis lateribus in Angulos, & Angulis in latera, cum enim in Polis efficiatur aliud, cuius Anguli complementa sunt laterum, latera vero Angulorum, §. 15, prodit Triangulum vnum Rectangulum, & quia complementa ad Semicirculum eosdem Sinus, & Tangentes habent, sufficit latera in Angulos convertere, & Angulos in latera. Sit pro exemplo Triangulum EBA. sitque EB. 55. 54. BA. vero 53. 48. & EA. Quadrans 90. o. in datur Angulus EAB. maior i lateri oppositus: permittatis lateribus in Angulos; suppono maius latus exquiri, ut in operatione praecedenti.

Proportio.	Gradus.	Logarithmi.
Sinus B A. lateris conterm.	53.48.	CL. 0.0931478
Sinus 2. BE. lateris oppos.	55.54.	9.7486833
Radius	90.00.	10.0000000
Sinus 2. Anguli EAB.	46.00.	9.8418311

## 79 Observationes generales.

In efformatione Rectangulorum observetur, in Angulis Acutis duo simul maiores semper esse gr. 90. Obtusos vero 180. minores. Vnumquodque latus Angulo Acuto, si i opposito minus; Obtuso vero opposito maius. Lateral sequi speciem Angulorum oppositorum, Hypothenam minorem Quadrante existere, si Anguli Obliqui ejusdem speciei sint, maiorem tamen si diversae. Observentur partes, quae Obtuse, vel Acute prodire debent; maximè in Quadrantalibus, facta commutatione laterum in Angulos, & Angulorum in latera solvantur Quadrantalia per Problema ad quod pertinent, veluti Rectangula.

CA.

CAPVT NONVM.  
RESOLVTIO OBLIQVANGVLORVM  
*Sphericorum.*

80 Problemata Obliquangula sunt sex, ad tres species revocata.

Species 1. Datis tribus partibus alternis invenire reliquas.

Species 2. Datis duabus partibus alternis cum intermedia.

Species 3. Datis duabus partibus alternis cum una opposita.

Prima species unicum habet Problema, secunda duo, tertia vero tria, quæ omnia sex conficiunt. Partes alternas voco, quæ vnam intermedium habent, veluti latera, quæ vnum Angulum habent intermedium; & Anguli, quibus intermedium est vnum latus: quare datæ partes alternæ latera, vel Anguli esse possunt.

## SPECIES PRIMA.

## PROBLEMA I.

Datis tribus partibus alternis.

Invenire quamlibet partem oppositam.

1. Datis tribus lateribus. Reperire quemlibet Angulum.

81 In Triangulo ABC. notis tribus lateribus, indagatur Angulus BAC. praxis oritur ex §. 45, dispositio eadem quam lib. 1. §. 37: atque optimum præceptum est.

Dispositio practica. Gradus. Logarithmi.

1. AB. Latus maius includens. 55.30. CL. 0.0840062

2. AC. Latus minus includens. 54.19. CL. 0.0903085

3. Differentia laterum. 1.11.

4. BC. Latus oppositum Angulo 40.10.

5. Summa 3. & 4. 41.21.

6. Differentia 3. & 4. 38.59.

7. Semisumma semissis 5.. 20.40<sup>22</sup>.

8. Semidifferentia semissis 6. 19.29<sup>22</sup>.

9. Summa 4. Logarithmorum.

10. Etius semissis Sinus est. 24.48<sup>22</sup>.

11. Arcus duplusest Ang. BAC. 49.37<sup>22</sup>.

DA.

## 82 DATIS TRIBVS ANGLIS.

Invenire quodlibet latus.

In Triangulo ABC. notis tribus Angulis ad A. B. C. investigatur latus BC. summatur complementum ad Semicirculum quorumlibet duorum Angulorum includentium, in ceteris eodem modo operandum est in §. 81.

## Dispositio.

## Gradus.

## Logarithmi.

1. Complementum Ang. ACB.	103.20.	CL. 0.0118671
2. Angulus conterminus ABC.	73.33.	CL. 0.0181509
3. Differentia 1. & 2.	29.47.	
4. Angul. CAB. lateri oppositus	49.40.	
5. Summa 3. & 4.	79.27	
6. Differentia 3. & 4.	19.53.	
7. Semisumma semissis 5.	39.43 $\frac{1}{2}$ .	9.8055712
8. Semidifferentia semissis 6.	9.56 $\frac{1}{2}$ .	9.2371551
9. Summa 4. Logaritb.		19.0727443
10. Eius semissis est Sinus	20. 6 $\frac{1}{2}$ .	9.5363721
11. Eius duplum est latus BC.	40.13.	

83 Ratio praxis est, quia sunt proportionalia, §. 45.

Rect. Sinuum later.	AB. 55. 30.	(9.915993)
	AC. 54. 19.	(9.909691)
Quadratum Radij		2.0000000
Rectang. Sinuum Semisum.	20. 40 $\frac{1}{2}$ .	(9.547912)
Semidiff.	19. 29 $\frac{1}{2}$ .	(9.5233168)
Quadratum Sinus Semianguli		19.2455440

Siergo Logarithmi 3. 4. 5. in unam summam colligantur, & ab ipsis auferatur Logarithmorum 1. & 2. summa: remanebit Logarithmus Quadrati Sinus Semianguli, ex lib. 1. §. 118. ergo ex §. 119. Si summantur complementa

Lo-

## TRIGONOMETRIÆ SPHERICÆ. 113

Logarithmica 1. & 2. summa 1. 2. 3. 4. 5. minus duplo Radio, quia duo complemeta ad Radium sumpta sunt, dabit Logarithmum sextum: cum ergo in præcedenti duplus Radius, qui auferendus erat, omissus sit, summa quatuor priorum dat Logarithmum Quadrati quadratum: & illius dimidium erit Logarithmus Radicis quadratae, ex §. 123. lib. 1.

## 84 ALITER EX NEPERO, §. 54.

1. Basis BC. opp. Ang. A.	40. 10.	Datis 3. lateribus
2. Latus AB.	55.30.	AB. AC. CB. que.
3. Latus AC.	54.19.	ritur Angulus B.
4. Summa 2. & 3.	109.49.	
5. Differentia 2. & 3.	1.11.	Logarithmi
6. Semissis 1. Tangent.	20. 5.	CL. 0.4369721
7. Semissis 4. Tangens.	54.54 $\frac{1}{2}$ .	10.1532960
8. Semissis 5. Tangens.	0.35 $\frac{1}{2}$ .	8.0139699
9. Semidiffer. Segm. Tang.	2.18.	8.6042380
10. Summa 6. & 9. est BD.	22.23.	Segm. maius.

Tandem in Triangulo ABD. invenietur Ang. ABD. 73.33. ex §. 62. Hæc praxis exigit ut Semisumma sit Quadrante minor ex demonstratis, §. 54.

## SPECIES SECUNDA.

## PROBLEMA II.

Datis duabus partibus alternis cum intermedia.

Invenire reliquam alternam.

85 Problema istud, & insuper tria sequentia binas operationes depositunt, prima pertinet ad Segmentum Basis, vel Anguli Verticalis.

In Triangulo BAC. perpendicularis semper procidere debet ab uno latere noto AC. in alterum CB. ita ut ambo notum Angulū includant ACB. quo in Rectangulo ACD

Del P.I. Zaragoça.

E

præ

## 114 LIBER III. CAPVT IX.

præter Angulum Rectum ad D. binæ res innotescant, Hypothenua A.C. & Angulus ACD.

Pro Segmento DC. §. 65. Logarithmi.

Sinus totus.

90.001 CL. 0.000000

Sinus 2. Anguli ACD.

76.40. 9.3628892

Tangens lateris AC.

54.19. 10.1437958

Tangens Segment. CD.

17.48. 9.5066850

Pro Angulo CAD. §. 67.

Sinus totus.

90.00. CL. 0.000000

Sinus 2. lateris AC.

54.19. 9.7658956

Tangens Anguli ACB.

76.40. 10.6252436

Tangens 2. Ang. CAD.

22.7. 10.3911392

Si A.C. gr. 90. maior extiterit erunt CD. & CAD. 90. maiores, modò Angulus ACD. Acutus sit, minores vero situerit Obtusus.

## I. DATIS 2. LATERIBVS, ET ANGVLQ MEDIO.

86 Invenire reliquum latus.

In Triangulo ABC. notis CA. CB. & Angulo ACB. quæritur latus AB. 1. Reperitur CD. per §. 85.

Segm. inventum CD. est 17.48. Si Perpendiculum in

In Triangul. ABC. est BC. 40.12. cadat auferetur summa

Differentia CD. BC. est BD. 22.24. per; si vero extra ad-

detur, si Angulus A. segmentum inventum CD. est 17.48. tuis sit Obtusus ACB.

In Triangulo AbC. est bC. 45.6. si demetur vero si sit Ac-

Summa Cb. CD. est Db. 22.24. tuis.

Ergo invenitur latus AB.

II. Operatio §. 38. quia, huius modis Logarithmi.

Sinus 2. Segment. DC. 17.48. CL. 0.0213040

Sinus 2. Segm. DB. vel Db. 22.24. Log. 9.965928

Sinus 2. lateris AC. 54.19. Log. 9.7658956

Sinus 2. lateris AB. 55.30. Log. 9.753128

Latus AB. sequitur speciem Segmenti Db. vel BD.

## TRIGONOMETRIÆ SPHERICÆ. 115

87 Regula ad Perpendiculum spectantes.

Si Anguli ad B. C. eiusdem speciei sint, cadet intra, si vero diversæ extra, quia autem de specie Angulorum haud semper constat, has regulas servare opportet.

Regula 1. Si Angulus notus ad C. Acutus sit, latera versus gr. 90. minora, vel alterum plus, alterum minus, & demittatur perpendiculum in latus maius cadet intra; si tamen latera singula gr. 90. maiora existant, cadet in minus extra.

Regula 2. Si Angulus notus ad C. Obtusus sit, latera versus gr. 90. minora, vel alterum plus, alterum minus, cadet in maius extra; si autem maiora cadet intra. In Fig. 1. reperiuntur Triangula omnium specierum, cuius meditatio omnibus praceptis erit præstantior.

## II. DATIS DVOBVS ANGVLIS, ET LATERE MEDIO.

88 Invenire reliquum latus.

In Triangulo ABC. cognitis Angulis CAB. BCA. & latere AC. investigatur ABC. 1. Reperietur Angulus CAD. §. 85.

Angulus CAD. inventus est 22.7. Si Perpendiculum ca-

In Triang. BAC. est Ang. BAC 49.40. dat intra, demetur sem-

Diff. BAC. CAD. est DAB. 27.33. per; si vero extra ad-

detur, si tamen Angulus inventus CAD. est 22.7. latus datus ACB. Obtusus.

In Triang. CAB. est Ang. CAB. 5.26. sus existat: auferetur

Summa CAB. CAD. est DAB. 27.33. vero, si Acutus sit.

Ergo invenietur Angulus ABC.

II. Operatio §. 36. Gradus. Logarithmi.

Sinus Segmenti CAD. 22.07. CL. 0.4242422

Sinus Segm. bAD. vel BAD. 27.33. Log. 9.6651328

Sinus 2. Ang. ACB. vel ACb. 76.40. 9.3628892

Sinus 2. Ang. ABC. vel AbC. 73.33. 9.4522642

Angulus ABC. sequitur speciem BAD.

Del P. I. Zaragoza.

P 2

PRO-

## PROBLEMA III.

Datis duabus partibus alternis cum intermedia.

Invenire quamlibet oppositarum.

## I. DATIS 2. LATERIBVS, ET ANGVLQ MEDIO.

89 Invenire quemlibet Angulorum.

Perpendicularis cadit ab Angulo ignoto, qui non quætitur, CA. CB. & BCA. datae sunt, investigatur Angulus ABC. i. Reperietur Segmentum CD. per §. 85. & est 17. 48.

Segmentum CD inventum est 17. 48. Additio, vel

In Triangulo ABC. latus BC. 40. 12. subtractione

Different. CD. BC. est BD. 22. 24. uti in §. 86.

In Triangulo AbC. latus Cb. 4. 6.

Summa CD. Cb. est Db. 22. 24.

Ergo reperietur Angulus ABC. vel AbC.

## II. Operatio §. 39.

Gradus Logarithmi.

Sinus Segmenti CD. 17.48. CL. 0.5147113

Sinus Segmenti Db. vel BD. 22.24. 9.5810052

Tangens 2. Ang. ACB. vel ACb. 76.40. 9.3747563

Tangens 2. Ang. ABC. vel AbC. 73.33. 9.4704728

## III. DATIS 2. ANGVLIS, ET LATERE MEDIO.

Invenire quolibet latus oppositum.

90 Perpendicularis cadit in latus ignotum, quod non  
quæritur CAB. BCA. AC. datae sunt investigatur la-  
tus AB. i. Reperietur Angulus CAD. §. 85. & DAb. vel  
BAD. §. 88.

## II. Operatio §. 36.

Logarithmi.

Sinus 2. Anguli CAD. 22. 7. CL. 0.0331924

Sinus 2. Anguli DAb. vel BAD. 27.33. 9.9477314

Tangens 2. lateris AC. 54.19. 9.8562042

Tangens 2. lateris AB. 55.30. 9.8371280

SPE.

## SPECIES TERTIA.

## PROBLEMA IV.

Datis duabus partibus alternis, &amp; una opposita.

Invenire reliquam partem alternam.

## I. DATIS DVOBVS LATERIBVS, ET ALTERO.

Angulo opposito.

Invenire reliquum latus.

91 Cognitis CA. BA. BCA. quæritur BC. perpen-  
dicularis cadit in latus quæsumum. i. Reperietur CD. §. 85.  
quæ est 17. 48. m. mox DB. vel BD.

II. Operatio §. 38.

Gradus. Logarithmi.

Sinus 2. lateris AC. 54.19. CL. 0.2341043

Sinus 2. lateris AB. 55.30. 9.7531280

Sinus 2. Segm. CD. 17.48. 9.9786959

Sinus 2. Segm. DB. vel BD. 22.24. 9.9659282

Summa CD. BD. est BC. 40.12. in ABC.

Different. CD. DB. est CB. 436. in ACb.

Additio, vel subtractione fit ut in §. 86. Segmentum BD.  
sequitur speciem lateris contermini AB.

## II. DATIS DVOBVS. ANGVLIS, ET VNO.

latere opposito.

Invenire reliquum Angulum.

92 Notis AC. CBA. ACB. quæritur BAC. perpen-  
dicularis cadit ab Angulo quæsito. i. Reperietur Angulus  
CAD. §. 85. qui est 22. 7. m. moxque DAB. vel BAD.

II. Operatio §. 36.

Gradus. Logarithmi.

Sinus 2. Anguli ACB. 76.40. CL. 0.6374108

Sinus 2. Ang. ABC. vel AbC. 73.33. 9.4520602

Sinus Anguli CAD. 22. 7. 9.5757577

Sinus Ang. DAB. vel BAD. 27.33. 9.6649287

Sum. CAD. &amp; DAB. est BAC. 49.40. in ABC.

Diff. CAD. &amp; DAB. est CAB. 5.26. in ACb.

Additio, vel subtractione fit ut in §. 88. Angulus DAB.  
sequitur speciem Segmenti BD.

PRO-

## PROBLEMA V.

Datis duabus partibus alternis, & vna opposita.

*Invenire intermedium.*

## I. DATIS DVOBVS LATERIBVS, ET

Angulo opposito.

*Invenire Angulum intermedium.*

93 Cognitis CA. AB. BCA. quæritur BAC. perpendicularis cadit ab Angulo quæsito. 1. Reperiatur CAD. §. 85.

## II. Operatio §. 37.

Tangens 2. lateris AC. 54.19. CL. 0.1437957

Tangens 2. lateris AB. 55.30. 9.8371343

Sinus 2. Anguli CAD. 22.7. 9.9668075

Sinus 2. Anguli DAb. vel BAD. 27.33. 9.9477375

Summa DAC. BAD. est BAC. 49.40. in ABC.

Differ. CAD. D Ab. est CAB. 5.26. in ACb.

Additio, vel subtractio, fit ut in §. antecedenti, vel §. 88.

## II. DATIS DVOBVS ANGVLIS, ET VNO

latere opposito.

*Invenire latus intermedium.*

94 Cognitis CBA. ACB. AC. quæritur BC. perpendicularis cadit in latus quæsitus. 1. Reperiatur Segmentum DC. §. 85.

## II. Operatio §. 39.

Tang. 2. Ang. ACB. vel ACb. 76.40. CL. 0.6252437

Tang. 2. Ang. ABC. vel AbC. 73.33. 9.4702112

Sinus Segmenti CD. 37.48. 9.4852887

Sinus Segm. Db. vel BD. 22.23. 9.5807436

Summa CD. BD. est BC. 49.11. in ABC.

Differencia CD. Db. est Cb. 4.35. in ABC.

Additio, & subtractio fit ut in §. 86. & 91. &c.

## PROBLEMA VI.

Datis duabus partibus alternis, & vna opposita.

*Invenire alteram oppositam.*

## I. DATIS DVOBVS LATERIBVS, ET ALTERO

Angulo opposito.

*Invenire reliquum Angulum oppositum.*

95 Cognitis AB. 55. 30. CB. 40. 10. & ACB. 76. 40. quæritur Angulus BAC.

## Proportio §. 34.

Gradus.	Logarithmi.
Sinus lateris AB.	55.30. CL. 0.0840063.

Sinus Anguli BCA.	76.40. 9.9881329.
-------------------	-------------------

Sinus lateris CB.	40.10. 9.8095686.
-------------------	-------------------

Sinus Anguli BAC.	49.36. 9.8817078.
-------------------	-------------------

## II. DATIS DVOBVS ANGVLIS, ET VNO

latere opposito.

*Invenire reliquum latus oppositum.*

Cognitis BCA. 40. 10. BAC. 49. 36. & BA. 55. 30. quæritur latus BC.

## Proportio §. 34.

Gradus.	Logarithmi.
Sinus Anguli BCA.	40.10. CL. 0.1904314.

Sinus lateris AB.	55.30. 9.9159936.
-------------------	-------------------

Sinus Anguli BAC.	49.36. 9.8816917.
-------------------	-------------------

Sinus lateris BC.	76.40. 9.9881167.
-------------------	-------------------

In his duabus resolutionibus animadverti debet numerus latus, vel Angulus, qui egreditur maior, vel minor Quadrante existat.

Del P. I. Zaragoza.

RA-

## RATIO ALIA SOLVENDI PROBLEMATA

2. 3. 4. 5.

96 Quando partes alternæ Anguli sunt, redigi possunt ad latera, & è contra, sumendo semper complementum vnius, quæ neque quæsita, neque notæ alteri opponatur: veluti in Fig. 1. in Triangulo ROZ. Cogniti Angulis RZO. 125. 41. ROZ. 55. 30. RZ. 22. 7. quæritur ZO.

Fiat reductio sequenti modo.

Ang. RZO. 125. 41. Comp. in latus AC. 54. 19.

Ang. ROZ. 55. 30. in latus BA. 55. 30.

Latus RZ. 22. 7. in Ang. ACB. 22. 7.

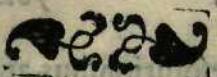
Et in Triangulo ABC. invenietur Angulus BAC. 49. 40. per §. 93. qui æqualis est lateri ZO. per §. 13. Viceversa in Triangulo YRM. cogitatis YR. RM. MY. quæritur YRM. fiat reductio ut anteà.

Latus RM. 103. 20. Comp. in Ang. ACB. 76. 40.

Latus YR. 73. 33. in Ang. ABC. 73. 33.

Ang. RMY. 54. 19. in latus AC. 54. 19.

Et in Triangulo ABC. reperietur latus BC. 40. per §. 94. estque Angulus YRM. per §. 13. Idem dicitur de Problematis 2. 3. 4. & 5. itaque binas solutions singula habent.



CAP.

## CAPVT DECIMVM.

SINGVLARES ALIQUÆ SPHÆRICORVM  
resolutiones explicantur.

## PROBLEMA I.

Pro Rectangulis ex Nepero.

97 CElèbris est Neperi regula pro Rectangulis Sphæricis, quæ in hoc opere omissa non fuit.

Sit Triangulum Sphæricum Rectangulum EBH. in Fig. 7. respondeas nostro Triangulo EBH. Fig. 1. describatur quodlibet Pentagonum; & in parte superiori collectetur Hypothenusa e b. deinde Anguli e. b. tandem latera b. bb. sed partium superiorum, nempè Hypothenuæ, & Angulorum sumuntur complementa, quæ signantur hac nota §. vt in Figura apparet. Pro Angulo Recto sumitur semper in proportione Sinus totus, & ideo nulla ipsius fit mentio in Fig. 7.

98 Quælibet pars duas aliæs habet vicinas, & duas remotas: si enim sumatur Angulus e. partes vicinæ erunt Hypothenusa e b. & latus e b. remotæ vero b. & bb. Si autem assumatur eb. vicinæ sunt e. b. remotæ eb. bb. & sic de reliquis. Quibus positis.

Regula Neperii.

Præficiens.

Tangens vicinæ.

Sinum media.

Sinus totus.

Tang. vicinie reliqua.

Pro remotis.

Vt Sinus 2. remotæ.

ad Sinum media.

ita Sinus totus.

ad Sinum 2. reliq. remot.

Del P. I. Z. prægredi.

Q

VN.

## VNDE NOSTRA REGVLA.

*Radius, & Sinus cuiuslibet partiis medij sunt inter Tangentes vicinarum, & inter Sinus 2. remotarum. Et nè inter Sinum 2. & Tangentem æquivocatio subrepatur: hoc carmine continentur.*

*Tangens vicina, amota Sinus est secundus.*

100

## Praxis regula.

In Triangulo EBH, data sit Hypotenusa EB. 50.20. latus BH. 30.25. queritur latus EH. Quoniam eb. media est inter remotas bb. eb. erunt Radius, & Sinus eb. nempe complementi Hypotenuse medij inter Sinum 2. bb. bb. (§.99.) ergo erunt reciprocae. (1.1.6.)

## Proportio.

Vt Sin. 2. bh. vel BH.	30.25.	CL.	Logarithm.
ad Radium.			0.0643081
ita Sin. eb. vel 2. EB.			10.0000000
ad Sinum 2. eb. vel EH.			9.8050385

101

## Iisdem datis queritur Ang. b.

Quia b. media est inter vicinas eb. bb. erunt Radius, & Sinus b. vel 2. B. medij inter Tangentem eb. bb. ergo erunt reciprocae. (1.1.6.)

## Proportio.

Vt Radius.		CL.	Logarithm.
ad Tang. eb. vel 2. EB.	50.20.		9.9184198
ita Tang. bh. vel BH.	30.25.		9.7687029
ad Sin. b. vel 2. B.	60.53.		9.6871221

102

## Iisdem datis queritur Ang. e.

Quia bb. media est inter remotas e. eb. erit Rectangulus Radii, & Sinus bb. æquale Rectangulo Sinuum 2. e. & eb. (§.99.) ergo, & reciprocae. (1.1.6.)

## Propertio.

Vt Sin. EB. vel 2. eb.	50.20.	CL.	Logarithm.
ad Radium.	90.0.		10.0000000
ita Sin. BH. vel bh.	30.25.		9.7043947
ad Sin. E. vel 2. e.	41.7.		9.8180331

Eadem omnino est praxis in omnibus, vnde patet pri-  
mum terminum proportionis esse Radium, quoties quæri-  
tur media, vel esse extremam, si quæritur alia extrema.

## 103 Demonstratio regula.

Neperus regulam suam adduxit abique demonstratio-  
ne, quæ tamen ex nostra Fig. 1. facile demonstrari poterit.  
Quoties enim quæritur extrema, vel media inter remotas,  
tadē est proportio Neperi, & nostra, vt patet in exem-  
plis 1. & 3. Vndē nulla alia indiget demonstratione præ-  
ter adductam in superioribus.

104 Quando verò quæritur media inter extremas vi-  
cinas, vt in exemplo 2. talis est demonstratio.

## Proport. 1.

Tang. EB.	Tang. EB.	Radius.
Radius.	Radius.	Tang. 2. EB.
Tang. BH.	Radius.	Tang. BH.
Sin. 2. B.	Tang. 2. EB.	Sin. 2. B.

Constat ergo Neperi proportio, eademque est in alijs  
demonstratio,

## Proport. 2.

Tang. EB.	Tang. EB.	Radius.
Radius.	Radius.	Tang. 2. EB.
Tang. BH.	Radius.	Tang. BH.
Sin. 2. B.	Tang. 2. EB.	Sin. 2. B.

## Proport. 3.

Tang. EB.	Tang. EB.	Radius.
Radius.	Radius.	Tang. 2. EB.
Tang. BH.	Radius.	Tang. BH.
Sin. 2. B.	Tang. 2. EB.	Sin. 2. B.

## 105 QUADRANTALIA.

Solventur etiam ex regula Neperi, si prius convertan-  
tur latera in Angulos, & Anguli in latera, prout dictum  
fuit §.78. Quid speciale difficultatem non habet, ideo-  
que exemplum omissit.

## PROBLEMA II.

Pro Rectangulis ex data Basi, & summa, vel differentia,  
Hypothenus. & Perpend.

106

## I. DATA SUMMA. Fig. 1.

In Triangulo EBH. data sit Basis EH. 59. 22. & summa EB. BH. 98. 40. quæruntur determinatae EB. & BH. oportet autem partes esse singillatim Quadrante minores, ex §. 55.

Proportio ex §. 55.

Logarithm.

Vt Tang. Semisumma.	49.20.	CL.	9.9340559
ad Tang. Semibasis.	29.41.		9.7558783
ita Tang. Semibasis.	29.41.		9.7558783
ad Tang. Semidiffer.	15.36.		9.4458125
Hypoth. summa 1. & 4.	64.56.		
Perpend. differ. 1. & 4.	33.44.		

Quibus cognitis reliqua innotescunt, ex cap. 8.

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## II. DATA DIFFERENTIA. Fig. 1.

In eodem Triangulo EBH. data sit Basis EH. 59. 22. & differentia Hypothenuse, & perpendiculi 31. 12. quæruntur determinatae EB. BH. quia ex eodem §. 55. Tangens Semibasis media est inter Tangentes Semisumma, & Semidifferentie, erit invertendo rationem precedentem.

Proportio ex §. 55.

Logarithm.

Vt Tang. Semidiffer.	15.36.	CL.	0.5540767
ad Tang. Semibasis.	29.41.		9.7558783
ita Tang. Semibasis.	29.41.		9.7558783
ad Tang. Semifumma.	49.20.		10.0658333
Hypoth. summa 1. & 4.	64.56.		
Perpend. differ. 1. & 4.	33.44.		

Reliqui ergo innotescunt pariter, ex cap. 8.

PRO-

## PROBLEMA III.

*In Obliquangulis Sphæricis uno actu.*

Ex duabus alternis, &amp; media.

Invenire Segmenta media.

## 108 I. SEGMENTA BASIS. Fig. 1.

In Triangulo ABC. datae sint partes alternæ Anguli B. C. & media BC. sit Angulus B. 40. 30. & Ang. C. 48. 50. Basis verò BC. 64. 8. in quam cadat perpend. AD. quæruntur Segm. BD. DC. proportio sumenda est, ex §. 52.

Proportio §. 52.

Logarithm.

Vt Sin. summa Ang.	89.20.	CL.	0.0000293
ad Sin. differ. Ang.	8.20.		9.1611638
ita Tang. Semibasis.	32. 4.		9.7969130
ad Tang. Semidiffer. Segm.	5.11.20.		8.9581061
Summa 3. & 4. est BD.	37.15.20.		
Differ. 3. & 4. est DC.	26.52.40.		

## 109 II. SEGMENTA ANGULI. Fig. 1.

In eodem Triangulo ABC. sint datæ alternæ AB. 48. 50. AC. 40. 30. & Angulus comprehensus BAC. 115. 52. ex quo cadat perpendiculum AD. & quæruntur Segmenta BAD. DAC.

Proportio §. 51.

Logarithm.

Vt Sin. summ. later.	89.20.	CL.	0.0000293
ad Sin. differ. later.	8.20.		9.1611638
ita Tang. 2. Semiang.	57.56.		9.7969130
ad Tang. Semidiffer. Segm.	5.11.20.		8.9581061
Summa 3. & 4. est BAD.	63. 7.20.		
Differ. 3. & 4. est DAC.	52.44.40.		

Huius praxis insignem usum pro directionibus videre licebit in Trigonometria ingeniosissimi Cavalierij, pag. 56 quem in Trigonometria applicata breviter exponam.

Del P. I. Zaragoza.

PRO-

## PROBLEMA IV.

Data media Segmentis, & summa alternarum.  
Invenire alternas.

## I. LATERA INCLIDENTIA.

110 In Triangulo ABC. datur Ang. ABC. 115. 52.  
& illius Segmenta, nempè DAB. 62. 20. & CAD. 53. 32.  
& summa laterum incidentium 89. 20. quæruntur determinata latera AB. AC. sumitur ratio ex eodem §. 51.

	Proportio §. 51.	Logarithm.
Vt Tang. 2. Semiang.	57.56.	CL. 0.2030869
ad Tang. Semidiff. Segm.	4.24.	8.8861849
ita Sin. summ. later.	89.20.	9.9999706
ad Sin. differ. later.	7. 3.10.	9.0892424
Summa 3. & 4.	96.23.10.	
Eius dimidium est AB.	48.11.35.	Oportet latera esse
Differ. 3. & 4.	82.16.50.	eiusdem speciei.
Eius dimidium est AC.	41. 8.25.	

## II. ANGULI INCLIDENTES.

111 In Triangulo ABC. data sit Basis BC. 64. 8. ipsius Segmenta BD. 36. 28. DC. 27. 40. & summa Angulorum incidentium 89. 20. quæruntur determinati Anguli B. & C. ratio sumitur ex §. 52.

	Proportio §. 52.	Logarithm.
Vt Tang. Semibasis.	32. 4.	CL. 0.2030869
ad Tang. Semidiff. Segm.	4.24.	8.8861849
ita Sin. summ. Ang.	89.20.	9.9999706
ad Sin. differ. Ang.	7. 3.10.	9.0892424
Semisumma 3. & 4. est C.	48.11.35.	
Semidiffer. 3. & 4. est B.	41. 8.25.	

Debent etiam Anguli comprehendentes esse eiusdem speciei, ex §. 51. & 52.

PRO-

## PROBLEMA V.

Data media, Segmentis, & differentia alternarum.  
Invenire alternas.

## I. LATERA INCLIDENTIA.

112 In Triangulo ABC. datur Ang. BAC. 115. 52.  
& illius Segmenta B. AD. 62. 20. & DAC. 53. 32. differentia verò laterum incidentium AB. AC. 7. 3. 10. quæruntur determinata latera AB. AC.

	Proportio ex §. 51.	Logarithm.
Vt Tang. Semidiffer. Segm.	4.24.	CL. 1.1138151
ad Tang. 2. Semiang. BAC.	57.56.	9.7969130
ita Sin. differ. later.	7. 3.10.	9.0892424
ad Sin. summ. later.	89.20.	9.9999705
Semisumma 3. & 4. est AB.	48.11.35.	
Semidiffer. 3. & 4. est AC.	41. 8.25.	

## II. ANGULI INCLIDENTES.

113 In eodem Triangulo ABC. datur Basis BC. 64. 8. ipsius Segmenta BD. 36. 28. & DC. 27. 40. & differentia Angulorum incidentium B. C. 7. 3. 10. quæruntur determinati Anguli B. C.

	Proportio §. 52.	Logarithm.
Vt Tang. Semidiffer. Segm.	4.24.	CL. 1.1138151
ad Tang. Semibasis.	32. 4.	9.7969130
ita Sin. differ. Ang.	7. 3.10.	9.0892424
ad Sin. summ. Ang.	89.20.	9.9999705
Semisumma 3. & 4. est C.	48.11.35.	
Semidiffer. 3. & 4. est B.	41. 8.25.	

Vtraque ratio istius Problematis inversa est præcedens, & in vtraque resolutione partes quæsitæ eiudem speciei debent esse.

Del P. I. Zaragoza.

PRO-

## PROBLEMA VI.

Datis alternis, & differentia Segmentorum mediæ.  
Invenire medium.

## I. BASIM INCLVSAM.

114 In Triangulo ABC. dati sunt Ang. B. 41. 8. 25.  
& C. 48. 11. 35. differentia vero Segmentorum BD. DC  
sit 8. 48. quæritur Basis BC. ex §. 52.

*Proportio.* *Logarithm.*

Vt Sinus differ. Angul.	7. 3. 10. CL.	0.9107575
ad Sin. summae Ang.	89.20.	9.9999706
ita Tang. Semidiff. Segm.	4.24.	8.8861849
ad Tang. Semibasis.	32. 4.	9.7969130
istius duplum est BC.	64. 8.	

## II. ANGVLVM INCLVSVM.

115 In Triangulo ABC. data sint latera AB. AC.  
& sit AC. 41. 8. 25. & AB. 48. 11. 35. cadat ex Angulo BAC. perpendicularum AD. & differentia Segmentorum BAD. DAC. sit 8. 48. quæritur Angulus comprehensus BAC.

*Proportio ex §. 51.* *Logarithm.*

Vt Sin. differ. later.	7. 3. 10. CL.	0.9107575
ad Sin. Summae later.	89.20.	9.9999706
ita Tang. Semidiff. Segm.	4.24.	8.8861849
ad Tang. 2. Semianguli.	57.56.	9.7969130
istius duplum est BAC.	115.52.	

Vltima hæc quatuor Problemata, nempè 3. 4. 5. & 6.  
ortasunt ex Theorematibus adductis, §. 51. & 52. huius  
disti, quæ contemnenda non sunt, licet ad communes re-  
solutiones non conducant.

CA.

## CAPVT VNDECIMVM.

## TRIANGVLORVM SOLVITIONES SINEBVS.

Logarithmis explicantur.

116 Licet in hac Trigonometria nullus sit abso-  
lutorum Sinum, Tangentium, & Secantium  
vls, libet hic modum exponere, quo sine Logarithmis  
per absolutorum Canonem perficiantur, & addere com-  
peudia, quæ ad facilitandas operationes conducunt.

## REGVL A VNIVERSALIS.

117 In omni proportione superius adducta, multipli-  
cuntur termini secundus, & tertius: Et productus ex multi-  
plicatione dividendus per primum, quotiens habit quartum  
terminum questum.

Exemplum proportionis §. 61.

*Proportio ex §. 29.* *Num. absoluti.*

Sin. 2. perp. BH.	30.25.m.	86236
Radius.		100000
Sin. 2. Hypoth. EB.	50.20.m.	63832
Sin. 2. Basis EH.	42.15.m.	74019

Ducatur 63832. in radium 100000. & productus erit  
6383200000. quo diviso per primum terminum 86236.  
erit quotiens 74019. & est quartus terminus iuxta quali-  
tatem proportionis, nempe sin. 2. gr. 42. 15.m. vt in §. 61.  
Eadem est omnia praxis in omnibus.

## Reductio Radij in primum locum.

118 Quando Radius in proportione secundum, vel  
tertium locum occupat, vt evitetur divisio, reducetur ad  
primum, & primus fiet secundus, vel tertius hac arte.

Pro Sinu 1. substituatur Secans 2. pro Sinu 2. Secans 1.  
pro Tangente 1. Tangens 2. & pro Tangente 2. Tangens 1.

Del P.I. Zaragoza. R. Exem-

## 119 Exemplum reductionis.

Proportio ex §. 117.	Reductio.	Numeri.
Sinus 2. perpend.	30.25.	Radius.
Radius.	Secans 2. perpend.	100000
Sinus 2. Hypoth.	Sinus 2. Hypoth.	115959
Sinus 2. Basis.	Sinus 2. Basis.	63832

Ducendo igitur 1 i 5959. per 63832. erit productum 7401894888. quo diviso per Radium 100000. delendo. scilicet ad dexteram tot litteras. quod cyphras habet Radius: quæ hic sunt 5. remanet Quotiens 74018. nempè sim. 2.gr. 42. 15. vt anteā hac reductione evitabitur in calculo molestia divisionis.

## Demonstratio huius reductionis.

Oritur ex §. 20. & 21. lib. 1. Etenim quia Radius medium est inter Sinum 1. & Secantem 2. tūm inter Sinum 2. & Secantem 1. & etiam inter Tangentem 1. & 2. servatur eadem ratio. vt Sinus 2. perpendiculi ad Radium. ita Radius ad Secantem 1. sed vt Sinus 2. perpend. ad Radium. ita Sin. 2. Hypoth. ad Sin. 2. Basis. ex §. 61. Ergo vt Radius ad Sec. 1. perpend. ita Sinus 2. Hypoth. ad Sinum 2. Basis (1. l. 5.) Eadem est demonstratio de Sinu 1. & Secante 2. similiter de Tangente 1. & 2. vel de 2. & 1. quod, &c.

## Quando Radius non est in proportiona.

120 Pro termino primo sumitur Secans, vel Tangens opposita, vt in §. 118. multiplicatur deinde hæc secundum, & ex producto delentur ad dexteram tot litteræ, quæ cyphras habet Radius: reliquæ vero multipli- catur in tertium; & delentur iterum litteræ: & remanet quartus terminus iuxta qualitatem proportionis, hac ar- te divisione, quæ prolixior, & molestior esse solet ad facilitior- rem multiplicationem reducitur. Exemplum sit in pro- portione §. 93.

Exemplum.

## TRIGONOMETRIÆ SPHÆRICE. 131

Proprio.	Reductio.	Numeri.
Sin. lateris AB.	55.30.	Sec. 2. AB.
Sin. lateris BC.	40.10.	Sin. BC.
Sin. Ang. ACB.	76.40.	Sin. ACB.
Sin. Ang. BAC.	49.36.	Sin. BAC.

Multipl. 121340. in 97304. erit productū 11806867360. & ablatis 5. litteris remanet 118068. hoc residuo ducatur in tertium terminum 64501. oritur 7615504068. & abla- tis 5. litteris remanet 76154. quartus terminus, hec est Sinus quæsusus Anguli BAC. 49. 36.

## Demonstratio præcis præcedentis.

122 Sint proportionales A. ad B.	A. R. E.
vt C. ad D. Si A. fuerit Sin. 1. cuiuslibet	B. I.
Arcus sumatur E. Secans 2. vel è con- tra. Si verò sit A. Tang. 1. sumatur E.	C.
Tang. 2. vel è contra: terminis B.C.D.	D.

quicumque sint immutatis: cum ergo R. radius medium sit inter A. & E. (§. 20. & 21. lib. 1.) si fiat vt R. ad E. ita B. ad I. erit vt A. ad R. ita B. ad I. (1. l. 5.) & alternando vt A. ad B. ita R. ad I. (4. l. 5.) sed vt A. ad B. ita C. ad D. ex Hypothesi. Ergo vt R. ad I. ita C. ad D. quod, &c.

123 Hinc praxis. Quia R. ad E. Secantem est, vt R. ad I. inventum primum: si ducatur E. in B. & ex producto auferantur 5. litteræ, provenit I. ex §. 119. Quia verò est etiam vt R. ad I. ita C. ad D. si ducatur I. inventum pri- mum in C. tertium terminum; & auferantur ex producto 5. litteræ, provenit D. ex §. 119. constat ergo praxis, &c.

## Pro Triangulis Planis.

124 In Triangulis Planis si Radius sit in propor- tionc, & primus terminus fuerit Sinus, vel Tangens, vt in §. 25. 27. 30. lib. 2. observatur omnino regula, §. 118. un- mendo Secantem, vel Tangenter oppositam.

125 Si autem primus terminus fuerit linea, vt in §. 26. & 29. lib. 2. addantur ipsi cyphræ, vt numerus tot Del P. J. Zaragoza.

R. 2

lit;

## 132 LIBER III. CAPVT XI.

litteras habeat, quot cyphras Radius, & queratur numerus inter Sinus; & eius loco substituatur Secans 2. illius Sinus; & fiat operatio ut in §. 119. exemplum sit in proportione, §. 26. lib. 2.

Proportio.	Reducio.	Numeri.
Hypotb. BA.	450.00.	Radius.
Latus BG.	345.00.	Sec. 2. Hypotb.
Radius.	1000.00.	Latus BG.
Sin. Ang. A.	50. 2.	Sin. Ang. A.

126 Quia Hypotenusa 450. et res litteras habet addantur 00. ut 45000. tot litteras habeat, quot cyphras Radius. Queritur numerum hunc inter Sinus, & invenio esse Sinum gr. 26. 45. & eius Secantem 2. esse 222173. duco igitur 222173. in terminum secundum 345. additis etiam 2. cyphris, ut sit 34500. & ex producione 7664967500. deleto 5. litteras, & remanet Sinus 76649. Anguli A. 50. 2. Demonstratio est ipsa §. 119. Quia Radius est medius inter Hypotenusam 45000. & Secantem 2. assumptam 222173 & 450. ad 345. est etiam ut 45000. ad 34500. constat igitur praxis.

Si Radius non sit in proportione.

127 Et primus terminus fuerit Sinus, vel Tangens observatur omnino regula, §. 120. ut in proportione §. 3. lib. 2. Si autem primus terminus fuerit linea, ut in §. 3. 34. 37. lib. 2. additis cyphris queritur inter Sinus, & substituitur Secans 2. prout in §. 125. quæ dicitur in secundum terminum, & deletis 5. litteris residuum ducitur in tertium: deletis iterum 5. litteris remanet quartus terminus quæfatus. Exemplum sit in proportione lib. 2. §. 34.

Propartio.	Reducio.	Numeri.
Summa later.	700.00.	Secans 2.
Differ. later.	100.00.	Differ. later.
Tang. Semijum.	59.22.	Tang. Semijum.
Tang. Semidiff.	13.34.	Tang. Semidiff.

## TRIGONOMETRIÆ SPHÆRICÆ. 133

In Sinu 70000. invenio Secantem 142841. hac ducta in differentiam laterum 100. vel additis 2. cyphris 10000. dat 1428410000. ablatis 5. litteris remanet 14284. hoc residuo ducto in Tangentē 168866. prodit 2412081944. ablatis 5. litteris remanet 24120. Tangens Semidiffer. 13.34. ut in lib. 2. §. 34.

128 Demonstratio. Facilis est, quia 70000. ad 10000. est ut 700. ad 100. servant primus, & secundus terminus eandem rationem: deinde quia Radius medius est inter Sinum 70000. & Secantem secundam 142841. instauratur, omnino demonstratio §. 122. constat ergo praxis. Quod erat, &c.

Compendium multiplicationis per inversionem.

129 Quia in praecedentibus operationibus ab iacentiæ sunt ex producione 5. litteræ, omitti illæ possunt in ipsa multiplicatione, per inversionem multiplicatoris, scribendo ipsum inverte sub quantitate multiplicanda; sit exemplum in proportione §. 76.

Proportio.	Reducio.	Numeri.
Tang. Ang. B.	60. 18.	Radius.
Tang. 2. Ang. E.	45. 30.	Tang. 2. B. 60. 18.
Radius.	90.00.	Tang. 2. E. 45. 30.
Sin. 2. EB.	55. 54.	Sin. 2. EB. 55. 54.

Multiplicandus est 57038. per 98269.

Modus communis.	Modus inversus.
57038	Multiplicandus 57038
98269	Multiplicator inversus. 96289
<hr/>	<hr/>
5   13343	5   1334   2
34   2228	4562   4
114   076	314   0
4563   04	34   2
51334   2	4.5
56050   67222	Productus. 56049

Ex  
Del P. I. Zaragoça.

Ex modo communi apparet dimidiā operationem, quæ ad dexteram est, inutilem esse cum delendæ sint vltimæ litteræ: si ergo multiplicator 98269. inverse scribatur 96289. & quæ vis littera multiplicet tantum superiore correspondēt, & reliquas ad sinistram, & omnes multiplicationes perpendiculariter sub vltima littera scribantur: summa dabit quartum quæsitum, vt appareat; vltima ergo littera multiplicatoris 9. ducitur in totam quantitatem 57038. penultima 8. ducitur in 5703. ante penultima 2. in 570. & 6. in 57. at verò 9. tantum in 5.

130 Inversio fieri potest cuiusvis numeri ex multiplicandis, vt in eodem exemplo numeri sunt 98269. & 57038. facta huius inversione 83075. Exemplum. fiet multiplicatio, vt in exemplo apparet. Quando autem plures litteræ sunt in uno, quam in alio fiat inversio minoris: aliquando vltimæ etiam litteræ ad dexteram colligendæ sunt in summam, quod ipsa praxis ostendit.

## Pro Tabularum constructione.

131 Occurrit tæpiùs in Tabularum constructione eundem numerum in alios ducere, vt si Tabula declinationum solis construenda sit, quia proportio est, vt Radius ad Sinum maximæ declinationis 23. 30. ita Sinus distantiae ab Equinoctio ad Sinum declinationis; in qua proportione multipli cands semper est Sinus 23. 30. per Sinum distantiae: sumatur ergo Sinus, grad. 23. 30. nempè 39875. & illius duplum, triplum, quadruplum, &c. Et ad sinistram apponantur numeri 1. 2. 3. &c. vt appareat, & monitum fuit in Arithmetica, lib. I. §. 14. Et vt omnes lineæ habeant æqualem litterarum numerum addatur cyphra prioribus ad sinistram, vt in exemplo.

Sit

## TRIGONOMETRIÆ SPHÆRICÆ. 135

132 Sit ergo inquirenda declinatio Operatio. gr. 15. Arietis: distantia ab Equinoctio 2 - 07975,0 est gr. 15. huius Sinus 25881. scribatur 5 - 19937 perpendiculariter, vt vides. Quia ergo 8 - 319,0 prima littera est 2. assumo ex tabella superiore lineam secundam; & scribo illam 8 - 319 2 - 319,9 ē regione ipsius 2. Deinde secundus numerus est 5. assumo lineam quintam, quæ 1 - 0,3 scribitur relinquendo unum spatium vacuum, & in tertia duo, &c. Similiter in secunda linea omissitur una littera ad dexteram, in tertia duo, &c. Prodit ergo 10319. ferè 10320. Sinus gr. 5. 55. declinatio quæsita, & sic de reliquis.

Sin. 1031919

## RESOLVTIO TRIANGVL.

Ex datis 3. lateribus, vel 3. Angulis.

Praxis per numeros absolutos sumitur, ex §. 44. sit in Fig. I. Triangulum ABC. latus AC. 100. 15. latus AB. 85. 30. Differentia laterum 14. 45. Basis BC. 40. 25. quæritur Ang. BAC. sumatus Sinus Versus, Basis, & differentia laterum, & eo Sinus Versus Basis. BC. 23865. sum differentia; ergo ex Sinus Vers. differ. later. 3295. §. 44. Differ. Sinuum Vers. 20570.

Proportio.	Reductio §. 127.	Numeri.
Sin. lat. AB.	Sec. 2. lat. AB.	100309
Sec. 2. lat. AC.	Sec. 2. lat. AC.	101622
Differ. Sin. Vers.	Differ. Sin. Vers.	20570
Sin. Vers. Ang. A.	Sin. Vers. Ang. A.	20267

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## LIBER III. CAPVT XI.

134 Si ergo multiplice-  
tur 100309. per 101622. in-  
verse fit 101934. Si hoc pro-  
ductum iterum multiplice-  
tur per 20570. inverse fit  
20967. & est Sinus Versus  
Anguli BAC. grad. 37. 47.  
Si dati fuerint tres Anguli,  
& queratur quodlibet latus,  
sumitur complementum ad  
180. vnius Anguli ex includē-  
tibus latus quæsitum, in reli-  
quo fit eadem operatio iuxta  
dicta, §. 82. *Sin. Verf. 20967.*

*ALITER PER RECTILINEAM*, ex §. 53.

135 Quia in Fig. 6 Angulus Planus X A Z. æqualis  
est Sphærico BAC. & in Triangulo Plano Rectilineo in-  
notescunt AZ. Tangens Semilateris AC. & AXH. vel  
AXZ. Tangens Semisummæ AB. BC. & AG. Tangens  
Semidifferentiæ AB. BC. invenietur Angulus XAZ  
qui est ABC. ex lib. 2. §. 37. sed quia operatio, licet  
non iniucunda, compendium nullum assert,  
libens illam ommitto.

FINIS.

*Praxis.*

100309

*Invers.* 226101

100309

1003

600

20

2

101934

*Invers.* 075012

203868

5095

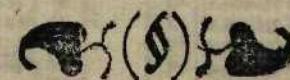
707

*Sin. Verf.* 20967.

# CANON TRIGONOMETRICVS.

CONTINENS  
LOGARITHMOS,  
SINVVM, ET TANGENTIVM,  
ad singula scrupula totius  
Semicirculi.

*Radij Logarithmo, 10.000000.*



M A T R I T I.

Apud Bernardum à Villa-  
Diego.

ANNO M.DC.LXXII.

In sequenti canone Trigonometrico numeri oppositi, nempe superior ad sinistram & inferior ad dexteram cuiuslibet paginæ, sunt invicem complementa ad quadrantem: superior verò, & inferior vniuscuiusque columnæ sunt invicem complementa ad semicirculum.

Secantium Logarithmi ommissi sunt duplicum ob causam: prima est, quoniam in Trigonometria nostra nullus secantium est usus; secunda verò, quia earum Logarithmi summa cum facilitate ex sinuum Logarithmis erui possunt hac arte.

#### *Regula pro secantibus Logarithmis.*

Sumatur complementum Logarithmicum sinus secundi, & præposita unitate ad sinistram habetur secantis Logarithmus. Exempli gratia; quæritur secans Logarithmica grad. 5. 10. min. Sinus secundus illius est 9.9982318. huius complementum auferendo singulos numeros ex 9. est 0.0017681. & anteposita unitate erit quæsitus, 10.0017681. Logarithmus secantis, graduum nempè 5. 10. min.

0	Sinus.	Tangens.	90	Sinus.	Tangens.
0	0.0000000	0.0000000	60	10.0000000	1.955131
1	6.4637261	6.4637261	59	1	9.9999999
2	6.7647561	6.7647562	58	2	9.9999999
3	6.9408473	6.9408475	57	3	9.9999998
4	7.0657866	7.0657863	56	4	9.9999997
5	7.1626960	7.1626964	55	5	9.9999995
6	7.2418771	7.2418778	54	6	9.9999993
7	7.3088239	7.3088248	53	7	9.9999991
8	7.3668157	7.3668169	52	8	9.9999988
9	7.4179681	7.4179696	51	9	9.9999985
10	7.4637255	7.4637273	50	10	9.9999982
11	7.5051181	7.5051203	49	11	9.9999978
12	7.5429065	7.5429081	48	12	9.9999974
13	7.5776684	7.5776715	47	13	9.9999969
14	7.6098530	7.6098566	46	14	9.9999964
15	7.6398160	7.6398201	45	15	9.9999959
16	7.6678445	7.6678492	44	16	9.9999953
17	7.6941733	7.6941786	43	17	9.9999947
18	7.7189966	7.7190026	42	18	9.9999940
19	7.7424775	7.7424841	41	19	9.9999934
20	7.7647537	7.7647610	40	20	9.9999927
21	7.7859427	7.7859508	39	21	9.9999919
22	7.8061458	7.8061547	38	22	9.9999911
23	7.8254507	7.8254604	37	23	9.9999903
24	7.8439338	7.8439444	36	24	9.9999894
25	7.8616623	7.8616738	35	25	9.9999885
26	7.8786953	7.8787077	34	26	9.9999876
27	7.8950854	7.8950988	33	27	9.9999866
28	7.91208793	7.9120938	32	28	9.9999856
29	7.9261190	7.9261344	31	29	9.9999845
30	7.9408419	7.9408584	30	30	9.9999835
31	7.9550819	7.9550996	29	31	9.9999823
32	7.9688698	7.9688886	28	32	9.9999812
33	7.9822334	7.9822534	27	33	9.9999800
34	7.9951980	7.9952198	26	34	9.9999788
35	8.0077867	8.0078092	25	35	9.9999775
36	8.0200207	8.0200445	24	36	9.9999762
37	8.0319195	8.0319446	23	37	9.9999748
38	8.0435009	8.0435274	22	38	9.9999735
39	8.0547314	8.0548094	21	39	9.9999721
40	8.0657763	8.0658057	20	40	9.9999706
41	8.0764997	8.0765306	19	41	9.9999691
42	8.0869646	8.0869970	18	42	9.9999676
43	8.0971832	8.0972172	17	43	9.9999660
44	8.1071669	8.1072025	16	44	9.9999644
45	8.1169262	8.1169634	15	45	9.9999624
46	8.1264710	8.1265099	14	46	9.9999611
47	8.1358104	8.1358510	13	47	9.9999594
48	8.1449536	8.1449956	12	48	9.9999577
49	8.1539075	8.1539516	11	49	9.9999559
50	8.1626808	8.1627167	10	50	9.9999541
51	8.1712804	8.1713282	9	51	9.9999522
52	8.1797129	8.1797626	8	52	9.9999503
53	8.1879848	8.1880364	7	53	9.9999484
54	8.1961020	8.1961556	6	54	9.9999464
55	8.2040703	8.2041259	5	55	9.9999444
56	8.2118949	8.2119526	4	56	9.9999424
57	8.2195811	8.2196408	3	57	9.9999403
58	8.2272335	8.2271953	2	58	9.9999382
59	8.2345568	8.2346208	1	59	9.9999360
60	8.2418553	8.2419215	0	60	9.9999338

1	Sinus.	Tangens.
2	8.2412553	8.2479215
3	8.2490332	8.2491015
4	8.2560943	8.2561649
5	8.2630423	8.2631153
6	8.2698810	8.2699563
7	8.2766136	8.2766912
8	8.2832433	8.2833234
9	8.2969734	8.2985959
10	8.2962067	8.2962977
11	8.3025460	8.3026335
12	8.3087941	8.3088424
13	8.3149536	8.3150462
14	8.3270163	8.3271122
15	8.3329243	8.3330249
16	8.3387529	8.3388563
17	8.3445043	8.3446105
18	8.3501805	8.3502895
19	8.3557839	8.3558953
20	8.3613150	8.3614297
21	8.3667769	8.3668945
22	8.3723730	8.3722935
23	8.3774988	8.3776223
24	8.3827620	8.3828836
25	8.3879622	8.3880918
26	8.3931008	8.3932336
27	8.4031990	8.4033331
28	8.4031644	8.403037
29	8.4130676	8.4132132
30	8.4179190	8.4180679
31	8.4227168	8.4228690
32	8.4274621	8.4276176
33	8.4321561	8.4323150
34	8.4367999	8.4369622
35	8.4413944	8.4415603
36	8.44459409	8.44611103
37	8.4504402	8.4506131
38	8.4548934	8.4550699
39	8.4593013	8.4594814
40	8.4636649	8.4636886
41	8.4679850	8.4681725
42	8.4722662	8.4724538
43	8.4764994	8.4766933
44	8.4826932	8.4830820
45	8.4848479	8.4850505
46	8.4889632	8.4891696
47	8.4930398	8.4932502
48	8.4970784	8.4972928
49	8.5010798	8.5012982
50	8.5050447	8.5051671
51	8.5089736	8.5092002
52	8.5128673	8.5130978
53	8.5167264	8.5169610
54	8.5205514	8.5207902
55	8.5243430	8.5245360
56	8.5281017	8.5283490
57	8.5318281	8.5320797
58	8.5355228	8.5357787
59	8.5391863	8.5394466
60	8.5428192	8.5430838

91	Sinus.	Tangens.
0	9.9999338	11.7580785
1	9.9999316	11.7508985
2	9.9999294	11.7483351
3	9.9999271	11.7368847
4	9.9999247	11.7300437
5	9.9999224	11.7333083
6	9.9999200	11.7366766
7	9.9999175	11.7301441
8	9.9999150	11.7307083
9	9.9999125	11.6973665
10	9.9999100	11.6911158
11	9.9999074	11.6849538
12	9.9999047	11.6788779
13	9.9999021	11.6728857
14	9.9998994	11.6669751
15	9.9998900	11.6611437
16	9.9998939	11.6553895
17	9.9998911	11.6497105
18	9.9998882	11.6441047
19	9.9998853	11.6385703
20	9.9998824	11.6331055
21	9.9998794	11.6277085
22	9.9998764	11.6223777
23	9.9998734	11.6171114
24	9.9998703	11.6119082
25	9.9998672	11.6067664
26	9.9998641	11.6016848
27	9.9998609	11.5966679
28	9.9998577	11.5916963
29	9.9998544	11.5867868
30	9.9998512	11.5819321
31	9.9998478	11.5771110
32	9.9998445	11.5723824
33	9.9998411	11.5676850
34	9.9998376	11.5630378
35	9.9998342	11.5584397
36	9.9998306	11.5538897
37	9.9998271	11.5493869
38	9.9998235	11.5449301
39	9.9998199	11.5405186
40	9.9998162	11.5361514
41	9.9998125	11.5318275
42	9.9998088	11.5275462
43	9.9998050	11.5233067
44	9.9998012	11.5197080
45	9.9997974	11.5149495
46	9.9997935	11.5108304
47	9.9997896	11.5067498
48	9.9997856	11.5027073
49	9.9997817	11.4987018
50	9.9997776	11.4947329
51	9.9997736	11.4907999
52	9.9997695	11.4869022
53	9.9997653	11.4830390
54	9.9997612	11.4792098
55	9.9997570	11.4754140
56	9.9997527	11.4716510
57	9.9997484	11.4679203
58	9.9997441	11.4642213
59	9.9997398	11.4605534
60	9.9997354	11.4569162

2	Sinus.	Tangens.
0	8.5428192	8.5430838
1	8.5464218	8.5466909
2	8.5499448	8.5502683
3	8.5535336	8.5538166
4	8.5570536	8.5573362
5	8.5605404	8.5608276
6	8.5639994	8.5642912
7	8.5674310	8.5677753
8	8.5703577	8.5711168
9	8.5742139	8.5745197
10	8.5775660	8.5778766
11	8.5805923	8.5812077
12	8.5841933	8.5845136
13	8.5874694	8.5877945
14	8.5907209	8.5910509
15	8.5939483	8.5942832
16	8.5971517	8.5974917
17	8.6003317	8.6006767
18	8.6034880	8.6038386
19	8.6066626	8.6069776
20	8.6097341	8.6109443
21	8.6128355	8.6131889
22	8.6158910	8.6162616
23	8.6189369	8.6193127
24	8.6219616	8.6223427
25	8.6249653	8.6253518
26	8.6279484	8.6283402
27	8.6309111	8.6313083
28	8.6338537	8.6342563
29	8.6367764	8.6371845
30	8.6396796	8.6400931
31	8.6425634	8.6429825
32	8.6454282	8.6458248
33	8.6464274	8.6467044
34	8.6511016	8.6515375
35	8.6539107	8.6543522
36	8.6567017	8.6571490
37	8.6599279	8.6602973
38	8.6622303	8.6626391
39	8.6649684	8.6654131
40	8.6676893	8.6681598
41	8.6703932	8.6708697
42	8.6730804	8.6735628
43	8.6757510	8.6762293
44	8.6784052	8.6788996
45	8.6810433	8.6815437
46	8.6836654	8.6841719
47	8.6862718	8.6867844
48	8.6888625	8.6893813
49	8.6914379	8.6919629
50	8.6939463	8.6945708
51	8.6965431	8.6970806
52	8.6990734	8.6996172
53	8.7018887	8.7021390
54	8.7040893	8.7046465
55	8.7065766	8.7071395
56	8.7090490	8.7096185
57	8.7115075	8.7120834
58	8.7139520	8.7145345
59	8.7163829	8.7169719
60	8.7188002	8.7193958

## 3 Sinus. Tangens.

0	8.7123002	8.7193958	60
1	8.7212040	8.7218003	59
2	8.7235946	8.7242035	58
3	8.7259721	8.7265877	57
4	8.7283366	8.7289589	56
5	8.7306882	8.7313174	55
6	8.7330272	8.7336031	54
7	8.7353535	8.7359964	53
8	8.7376675	8.7383172	52
9	8.739691	8.7406258	51
10	8.7422586	8.7429222	50
11	8.7445360	8.7452057	49
12	8.7468015	8.7474792	48
13	8.7490553	8.7497400	47
14	8.7512973	8.7519692	46
15	8.7535278	8.7542269	45
16	8.7557469	8.7564531	44
17	8.7579546	8.7586681	43
18	8.7601512	8.7608719	42
19	8.7623366	8.7630647	41
20	8.7645111	8.7652465	40
21	8.7666747	8.7674175	39
22	8.7688275	8.7695777	38
23	8.7709697	8.7717274	37
24	8.7731014	8.7738665	36
25	8.7752226	8.7759952	35
26	8.7773334	8.7781136	34
27	8.7794340	8.7802218	33
28	8.7815244	8.7823199	32
29	8.7836048	8.7844079	31
30	8.7856753	8.7864861	30
31	8.7877359	8.7885544	29
32	8.7897867	8.7906130	28
33	8.7918278	8.7926620	27
34	8.7938594	8.7947014	26
35	8.7958814	8.7967313	25
36	8.7978941	8.7987519	24
37	8.7998974	8.8007632	23
38	8.8018915	8.8027653	22
39	8.8038764	8.8047583	21
40	8.8058523	8.8067422	20
41	8.8078192	8.8087172	19
42	8.8097772	8.8106834	18
43	8.8117264	8.8126407	17
44	8.8136668	8.8145894	16
45	8.8155985	8.8165294	15
46	8.8175217	8.8184668	14
47	8.8194363	8.8203832	13
48	8.8213445	8.8222984	12
49	8.8232404	8.8242046	11
50	8.8251299	8.8261026	10
51	8.8270112	8.8279244	9
52	8.828844	8.8298741	8
53	8.8307495	8.8317473	7
54	8.8326066	8.8336134	6
55	8.8344557	8.8354712	5
56	8.8362969	8.8373211	4
57	8.8381304	8.8391633	3
58	8.8399561	8.8409977	2
59	8.8417741	8.8428245	1
60	8.8435845	8.8446437	0

## 93 Sinus. Tangens.

0	9.9994044	11.2806042	60
1	9.9993978	11.2781937	59
2	9.9993911	11.2757965	58
3	9.9993844	11.2734123	57
4	9.9993776	11.2710411	56
5	9.9993708	11.2686826	55
6	9.9993640	11.2663369	54
7	9.9993572	11.2640036	53
8	9.9993503	11.2616828	52
9	9.9993433	11.2593742	51
10	9.9993364	11.2570778	50
11	9.9993293	11.2547933	49
12	9.9993223	11.2525228	48
13	9.9993152	11.2502600	47
14	9.9993081	11.2480108	46
15	9.9993009	11.2457731	45
16	9.9992938	11.2435469	44
17	9.9992865	11.2413319	43
18	9.9992793	11.2391281	42
19	9.9992720	11.2369353	41
20	9.9992646	11.2347535	40
21	9.9992572	11.2325825	39
22	9.9992498	11.2304223	38
23	9.9992424	11.2282726	37
24	9.9992349	11.2261335	36
25	9.9992274	11.2240048	35
26	9.9992198	11.2218864	34
27	9.9992122	11.2197732	33
28	9.9992046	11.2176801	32
29	9.9991969	11.2155921	31
30	9.9991892	11.2135139	30
31	9.9991815	11.2114456	29
32	9.9991737	11.2093870	28
33	9.9991659	11.2073330	27
34	9.9991580	11.2052926	26
35	9.9991501	11.2032687	25
36	9.9991422	11.2011481	24
37	9.9991342	11.1992368	23
38	9.9991262	11.1972347	22
39	9.9991182	11.1952417	21
40	9.9991101	11.1932578	20
41	9.9991020	11.1912828	19
42	9.9990943	11.1893166	18
43	9.9990856	11.1873593	17
44	9.9990774	11.1854106	16
45	9.9990691	11.1834706	15
46	9.9990608	11.1815392	14
47	9.9990525	11.1796162	13
48	9.9990441	11.1777016	12
49	9.9990357	11.1757954	11
50	9.9990273	11.1738974	10
51	9.9990188	11.1720076	9
52	9.9990103	11.1701259	8
53	9.9990017	11.1682522	7
54	9.9989931	11.1663866	6
55	9.9989845	11.1645288	5
56	9.9989758	11.1626789	4
57	9.9989671	11.1608367	3
58	9.9989584	11.1590023	2
59	9.9989496	11.1571755	1
60	9.9989408	11.1553563	0

## 4 Sinus. Tangens.

0	8.8435845	8.8446437	60
1	8.8453874	8.8464554	59
2	8.8471827	8.8482597	58
3	8.8489707	8.8500566	57
4	8.8507512	8.8518461	56
5	8.8525145	8.8536283	55
6	8.8542905	8.8554634	54
7	8.8560493	8.8571713	53
8	8.8578010	8.8589321	52
9	8.8595457	8.8606859	51
10	8.8612833	8.8624237	50
11	8.8630139	8.8641725	49
12	8.8647376	8.8652055	48
13	8.8664545	8.8676337	47
14	8.8681636	8.8693511	46
15	8.8698680	8.8710638	45
16	8.8715646	8.8727699	44
17	8.8732545	8.8744694	43
18	8.8749381	8.8761623	42
19	8.8766150	8.8778487	41
20	8.8782834	8.8795286	40
21	8.8799493	8.8812022	39
22	8.8816069	8.8828094	38
23	8.8832531	8.8843303	37
24	8.8849031	8.8861850	36
25	8.8865418	8.8878334	35
26	8.8881743	8.8894757	34
27	8.8898007	8.8911119	33
28	8.8914209	8.8927420	32
29	8.8930351	8.8943666	31
30	8.8946433	8.8959842	30
31	8.8962455	8.8975963	29
32	8.8978418	8.899026	28
33	8.8998722	8.900830	27
34	8.9010169	8.9023977	26
35	8.9025955	8.9039866	25
36	8.9041685	8.9055697	24
37	8.9057358	8.9071472	23
38	8.9072975	8.9097190	22
39	8.9088535	8.9102853	21
40	8.9104039	8.9118460	20
41	8.9119487	8.9134012	19
42	8.9134881	8.9154959	18
43	8.9150219	8.9164952	17
44	8.9165504	8.9180340	16
45	8.9180734	8.9195675	15
46	8.9195911	8.9210957	14
47	8.9211034	8.9226186	13
48	8.9226105	8.9241363	12
49	8.9241123	8.9256487	11
50	8.9256089	8.9271560	10
51	8.9271003	8.9286811	9
52	8.9285866	8.9301552	8
53	8.9300678	8.9316471	7
54	8.9315439	8.9331340	6
55	8.933050	8.9346160	5
56	8.9344811	8.9360929	4
57	8.9359422	8.9375650	3
58	8.9373983	8.9390321	2
59	8.9388496	8.9404944	1
60	8.9402960	8.9419518	0

## 94 Sinus. Tangens.

0	9.9994943	11.1553563	60
1	9.9993119	11.1535446	59
2	9.9992320	11.1517403	58
3	9.9991412	11.1494944	57
4	9.9990512	11.1481539	56
5	9.9989692	11.1463717	55
6	9.9988871	11.1445966	54
7	9.9988780	11.1428287	53
8	9.9988689	11.1410679	52
9	9.9988593	11.1393141	51
10	9.9988506	11.1375673	

## 5 | Sinus. Tangens.

0	8.9402960	8.9419518	60
1	8.9417376	8.9434044	59
2	8.9432743	8.9448523	58
3	8.9446663	8.9462954	57
4	8.9460335	8.9477338	56
5	8.9474561	8.9494676	55
6	8.9488739	8.9505967	54
7	8.9502871	8.9520211	53
8	8.9516957	8.9534410	52
9	8.9530996	8.9548504	51
10	8.9544991	8.9562672	50
11	8.9558940	8.9576735	49
12	8.9574843	8.9590754	48
13	8.9586703	8.9604723	47
14	8.9605517	8.9618659	46
15	8.96174288	8.9632549	45
16	8.9628034	8.9646388	44
17	8.9641697	8.9661888	43
18	8.9655337	8.9673944	42
19	8.9668934	8.9687658	41
20	8.9682487	8.9701330	40
21	8.9695999	8.9714959	39
22	8.9709408	8.9728547	38
23	8.9722895	8.9742092	37
24	8.9736280	8.9755597	36
25	8.9749624	8.9769060	35
26	8.9762926	8.9782483	34
27	8.9776188	8.9795365	33
28	8.9789428	8.9809266	32
29	8.9802589	8.9822507	31
30	8.9815729	8.9835769	30
31	8.9828829	8.9848891	29
32	8.9841389	8.9861273	28
33	8.9854910	8.9875317	27
34	8.9867891	8.9883842	26
35	8.9880834	8.9901487	25
36	8.9893737	8.9914514	24
37	8.9900662	8.9927503	23
38	8.9919429	8.9940454	22
39	8.9932217	8.9953367	21
40	8.9944968	8.9966243	20
41	8.9957681	8.9979081	19
42	8.9970356	8.9991883	18
43	8.9982994	9.0004647	17
44	8.9995595	9.0017375	16
45	9.0008160	9.0030066	15
46	9.0020687	9.0042721	14
47	9.0033179	9.0055340	13
48	9.0045634	9.0067924	12
49	9.0058053	9.0080471	11
50	9.0070436	9.0092984	10
51	9.0082784	9.0105461	9
52	9.0095096	9.0117903	8
53	9.01067374	9.0130110	7
54	9.0119616	9.0142682	6
55	9.0131824	9.0155021	5
56	9.0143996	9.0167325	4
57	9.0156138	9.0179594	3
58	9.0168259	9.0191831	2
59	9.0180309	9.0204033	1
60	9.0192346	9.0216202	0

## 95 | Sinus. Tangens.

0	9.9983442	11.0580482	60
1	9.9983332	11.0551477	59
2	9.9983220	11.0551477	58
3	9.9983109	11.0537046	57
4	9.9982997	11.0522662	56
5	9.9982885	11.0508324	55
6	9.9982772	11.0494033	54
7	9.9982660	11.0479789	53
8	9.9982546	11.0465590	52
9	9.9982433	11.0451436	51
10	9.9982318	11.0437328	50
11	9.9982204	11.0423265	49
12	9.9982089	11.0409246	48
13	9.9981974	11.0395272	47
14	9.9981859	11.0381341	46
15	9.9981743	11.0367955	45
16	9.9981626	11.0353612	44
17	9.9981510	11.0339812	43
18	9.9981393	11.0326056	42
19	9.9981275	11.0312342	41
20	9.9981158	11.0298670	40
21	9.9981040	11.0285041	39
22	9.9980921	11.0271453	38
23	9.9980802	11.0257908	37
24	9.9980663	11.0244403	36
25	9.9980563	11.0230940	35
26	9.9980443	11.0217517	34
27	9.9980323	11.0204135	33
28	9.9980202	11.0190794	32
29	9.9980081	11.0177493	31
30	9.9979960	11.0164231	30
31	9.9979838	11.0151009	29
32	9.9979716	11.0137827	28
33	9.9979593	11.0124683	27
34	9.9979470	11.0111579	26
35	9.9979347	11.0098513	25
36	9.9979223	11.0085486	24
37	9.9979099	11.0072497	23
38	9.9978975	11.0059546	22
39	9.9978850	11.0046633	21
40	9.9978725	11.0033757	20
41	9.9978599	11.0020918	19
42	9.9978473	11.0008117	18
43	9.9978347	10.9995553	17
44	9.9978220	10.9982625	16
45	9.9978093	10.9969934	15
46	9.9977966	10.9957279	14
47	9.9977838	10.9944660	13
48	9.9977710	10.9932076	12
49	9.9977582	10.9919529	11
50	9.9977453	10.9907016	10
51	9.9977323	10.9894539	9
52	9.9977194	10.9883097	8
53	9.9977064	10.9869690	7
54	9.9976933	10.9857318	6
55	9.9976803	10.9844979	5
56	9.9976672	10.9832675	4
57	9.9976540	10.9820406	3
58	9.9976408	10.9808169	2
59	9.9976276	10.9795967	1
60	9.9976143	10.9783798	0

## 6 | Sinus. Tangens.

0	9.0192346	9.0216202	60
1	9.0204348	9.0228338	59
2	9.0216318	9.0240441	58
3	9.0228254	9.0252510	57
4	9.0240157	9.0264548	56
5	9.0252027	9.0270552	55
6	9.0263365	9.028524	54
7	9.0275669	9.0300464	53
8	9.0287442	9.0312373	52
9	9.0299182	9.0324249	51
10	9.0310890	9.0336093	50
11	9.0322567	9.0347906	49
12	9.0334212	9.0359698	48
13	9.0345825	9.0371439	47
14	9.0357407	9.0383159	46
15	9.0368958	9.0394848	45
16	9.0380477	9.0406506	44
17	9.0391966	9.0418134	43
18	9.0403424	9.0429731	42
19	9.0414852	9.0441299	41
20	9.0426249	9.0452836	40
21	9.0437617	9.0464343	39
22	9.0448954	9.0475821	38
23	9.0460261	9.0487270	37
24	9.0471538	9.0498089	36
25	9.0482786	9.0510078	35
26	9.0494005	9.0521439	34
27	9.0505194	9.0532770	33
28	9.0516554	9.0544074	32
29	9.0527485	9.0555349	31
30	9.0538988	9.0566595	30
31	9.0549661	9.0577813	29
32	9.0560705	9.0589002	28
33	9.0571723	9.0600164	27
34	9.0582711	9.0611297	26
35	9.0593672	9.0622403	25
36	9.0606404	9.0633482	24
37	9.0615509	9.0644533	23
38	9.0626386	9.0655556	22
39	9.0637235	9.0666553	21
40	9.0648057	9.0677522	20
41	9.0658552	9.0684665	19
42	9.0669619	9.0699381	18
43	9.0680360	9.0710270	17
44	9.0691074	9.0721333	16
45	9.0701761	9.0731969	15
46	9.0712421	9.0742779	14
47	9.0723055	9.0753563	13
48	9.0733663	9.0764321	12
49	9.0744244	9.0775053	11
50	9.0754799	9.0785760	10
51	9.0765329	9.0796447	9
52	9.0775332	9.0807096	8
53	9.0786310	9.0817726	7
54	9.0796762	9.0828331	6
55	9.0807189	9.0838911	5
56	9.0817590	9.0849466	4
57	9.0827966	9.085996	3
58	9.0838317	9.0870501	2
59	9.0848643	9.0880981	1
60	9.0858945	9.0891438	0

## 96 | Sinus. Tangens.

0	9.9976143	10.9783798	60
1	9.9976011	10.9771662	59
2	9.9975877	10.9759559	58
3	9.9975743	10.9747490	57
4	9.9975609	10.9735452	56
5	9.9975473	10.9723448	55
6	9.9975340	10.9711476	54
7	9.9975205	10.9699536	53
8	9.9975069	10.9687627	52
9	9.9974933	10.9665791	51
10	9.9974807	10.96	

## 7 Sinus. Tangens.

0	9.0858945	9.0891438	60
1	9.0869211	9.0901369	59
2	9.0879473	9.0912277	58
3	9.0889700	9.0922660	57
4	9.0899903	9.0933020	56
5	9.0910082	9.0943355	55
6	9.0920237	9.0953667	54
7	9.0930367	9.0963955	53
8	9.0942474	9.0974219	52
9	9.0950556	9.0984460	51
10	9.0960635	9.0994678	50
11	9.0970651	9.1004872	49
12	9.0980662	9.1015044	48
13	9.0990651	9.1025192	47
14	9.1000616	9.1035317	46
15	9.1010558	9.1045420	45
16	9.1020477	9.1055500	44
17	9.1030373	9.1065957	43
18	9.1040246	9.1075591	42
19	9.1050096	9.1085604	41
20	9.1059994	9.1095594	40
21	9.1069729	9.1105562	39
22	9.1079512	9.1115508	38
23	9.1089272	9.1125431	37
24	9.1099010	9.1135333	36
25	9.1108726	9.1145213	35
26	9.1118420	9.1155072	34
27	9.1128092	9.1164909	33
28	9.1137742	9.1174724	32
29	9.1147370	9.1184518	31
30	9.1156977	9.1194291	30
31	9.1166562	9.1204043	29
32	9.1176125	9.1213773	28
33	9.1185667	9.1223482	27
34	9.1195188	9.1233171	26
35	9.1204682	9.1242839	25
36	9.1214167	9.1252486	24
37	9.1223624	9.1262121	23
38	9.1233061	9.1271718	22
39	9.1244777	9.1281303	21
40	9.1251872	9.1290868	20
41	9.1261246	9.1300413	19
42	9.1270600	9.1309937	18
43	9.1279934	9.1319412	17
44	9.1289247	9.1328926	16
45	9.1298539	9.1338391	15
46	9.1307812	9.1347835	14
47	9.1317762	9.1357260	13
48	9.1326297	9.1366655	12
49	9.1335509	9.1376051	11
50	9.1344752	9.1385417	10
51	9.1353875	9.1394764	9
52	9.1363019	9.1404092	8
53	9.1372161	9.1413400	7
54	9.1381275	9.1422689	6
55	9.1390370	9.1431959	5
56	9.1399145	9.1441210	4
57	9.1408501	9.1450442	3
58	9.1417537	9.1459655	2
59	9.1426555	9.1468850	1
60	9.1435553	9.1478025	0

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## 97 Sinus. Tangens.

0	9.9967507	10.9108562	60
1	9.9967352	10.9098131	59
2	9.9967196	10.9087723	58
3	9.9967040	10.9077340	57
4	9.9966884	10.9066980	56
5	9.9966727	10.9056645	55
6	9.9966570	10.9046333	54
7	9.9966412	10.9036045	53
8	9.9966254	10.9025781	52
9	9.9966096	10.9015540	51
10	9.9965937	10.9005322	50
11	9.9965778	10.8995128	49
12	9.9965619	10.8984956	48
13	9.9965459	10.8974808	47
14	9.9965299	10.8964683	46
15	9.9965138	10.8954580	45
16	9.9964977	10.8944500	44
17	9.9964816	10.8934443	43
18	9.9964655	10.8924409	42
19	9.9964493	10.8914396	41
20	9.9964330	10.8904406	40
21	9.9964167	10.8894438	39
22	9.9964004	10.8884492	38
23	9.9963841	10.8874569	37
24	9.9963677	10.8864667	36
25	9.9963513	10.8854787	35
26	9.9963348	10.8844928	34
27	9.9963183	10.8835091	33
28	9.9963018	10.8825276	32
29	9.9962852	10.8815482	31
30	9.9962686	10.8805709	30
31	9.9962519	10.8795957	29
32	9.9962352	10.8785227	28
33	9.9962185	10.8776518	27
34	9.9962017	10.8766829	26
35	9.9961849	10.8757161	25
36	9.9961681	10.8747514	24
37	9.9961512	10.8737888	23
38	9.9961343	10.8728282	22
39	9.9961174	10.8718697	21
40	9.9961004	10.8709172	20
41	9.9960834	10.8699587	19
42	9.9960663	10.8690663	18
43	9.9960492	10.8680558	17
44	9.9960321	10.8671074	16
45	9.9960149	10.8661669	15
46	9.9959977	10.8652165	14
47	9.9959804	10.8642740	13
48	9.9959611	10.8633333	12
49	9.9959458	10.8623949	11
50	9.9959284	10.8614583	10
51	9.9959111	10.8605236	9
52	9.9958936	10.8595908	8
53	9.9958761	10.8586600	7
54	9.9958586	10.8577311	6
55	9.9958411	10.8568041	5
56	9.9958235	10.8558790	4
57	9.9958059	10.8549558	3
58	9.9957882	10.8540345	2
59	9.9957705	10.8531150	1
60	9.9957528	10.8521975	0

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## 8 Sinus. Tangens.

0	9.1435553	9.1478025	60
1	9.1444532	9.1471832	59
2	9.1453493	9.1496321	58
3	9.1462435	9.1505441	57
4	9.1471358	9.1514543	56
5	9.1480262	9.1523627	55
6	9.1489149	9.1532692	54
7	9.1498015	9.1541739	53
8	9.1506664	9.1550769	52
9	9.1515694	9.1559780	51
10	9.1524507	9.1568773	50
11	9.1533301	9.1577748	49
12	9.1542076	9.1586706	48
13	9.1550834	9.1595646	47
14	9.1559574	9.1604569	46
15	9.1568296	9.1613473	45
16	9.1577000	9.1622361	44
17	9.1585686	9.1631231	43
18	9.1594354	9.1640083	42
19	9.1603005	9.1648919	41
20	9.1616399	9.1657737	40
21	9.1620254	9.1666638	39
22	9.1628053	9.1675322	38
23	9.1637434	9.1684089	37
24	9.1645998	9.1692839	36
25	9.1654544	9.1701572	35
26	9.1663074	9.1710280	34
27	9.1671536	9.1718989	33
28	9.1680081	9.1727672	32
29	9.1685559	9.1736338	31
30	9.1697021	9.1744988	30
31	9.1705465	9.1753622	29
32	9.1713893	9.1762239	28
33	9.1723059	9.1770840	27
34	9.1730699	9.1779425	26
35	9.1739077	9.1787993	25
36	9.1747439	9.1796546	24
37	9.1755784	9.1805082	23
38	9.1764112	9.1813602	22
39	9.1772425	9.1822106	21
40	9.1780721	9.1830595	20
41	9.1789001	9.1839068	19
42	9.1797265	9.1847525	18
43	9.1805512	9.1855966	17
44	9.1813744	9.1864392	16
45	9.1821960	9.1872802	15
46	9.1830160	9.1881960	14
47	9.1838344	9.1889575	13
48	9.1846512	9.1897939	12
49	9.1854665	9.1906287	11
50	9.1862802	9.1914621	10
51	9.1870923	9.1922939	9
52	9.1879029	9.1931241	8
53	9.1887120	9.1939529	7
54	9.1895195	9.1947802	6
55	9.1903254	9.1956059	5
56	9.1911299	9.1964304	4
57	9.1919328	9.1972530	3
58	9.1927342	9.1980743	2
59	9.1935341	9.1988941	1
60	9.1943324	9.1997125	0

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## 98 Sinus. Tangens.

0	9.9957528	10.8521975	60
1	9.9957350	10.8512818	59
2	9.9957171	10.8503679	58
3	9.9956993	10.8494559	57
4	9.9956815	10.8484547	56
5	9.9956635	10.8476373	55
6	9.9956456	10.8467308	54
7	9.9956276	10.8458261	53
8	9.9956095	10.8449231	52
9	9.9955915	10.8440220	51
10	9.9955734	10.8431227	

## 9 Sinus. Tangens.

0	9.1943324	9.1997125	60
1	9.1953293	9.2005294	59
2	9.1959247	9.2033449	58
3	9.1967186	9.2021538	57
4	9.1975110	9.2029714	56
5	9.1983019	9.2037825	55
6	9.1990913	9.2045922	54
7	9.1998793	9.2054004	53
8	9.2006658	9.2062072	52
9	9.2014509	9.2070126	51
10	9.2022345	9.2078165	50
11	9.2030167	9.2086191	49
12	9.2037974	9.2094203	48
13	9.2045766	9.2102200	47
14	9.2053545	9.2110184	46
15	9.2061309	9.2118153	45
16	9.2069059	9.2126109	44
17	9.2076795	9.2134051	43
18	9.2084516	9.2141980	42
19	9.2092224	9.2149894	41
20	9.2099917	9.2157795	40
21	9.2107597	9.2165683	39
22	9.2115263	9.2173556	38
23	9.2122914	9.2181417	37
24	9.2130552	9.2189264	36
25	9.2138176	9.2197097	35
26	9.2145787	9.2204917	34
27	9.2153384	9.2212724	33
28	9.2160967	9.2220518	32
29	9.2168536	9.2228298	31
30	9.2176092	9.2236065	30
31	9.2183635	9.2243819	29
32	9.2191164	9.2251951	28
33	9.2198680	9.2259289	27
34	9.2206182	9.2267004	26
35	9.2213671	9.2274706	25
36	9.2221147	9.228395	24
37	9.2228609	9.2290071	23
38	9.2236059	9.2297735	22
39	9.2243493	9.2305386	21
40	9.2250918	9.2313024	20
41	9.2258328	9.2320650	19
42	9.2265725	9.232862	18
43	9.2273110	9.2335861	17
44	9.2280481	9.2343451	16
45	9.2287839	9.2351026	15
46	9.2295185	9.2358589	14
47	9.2302518	9.2366139	13
48	9.2309838	9.2373678	12
49	9.2317145	9.2381203	11
50	9.2324440	9.2382717	10
51	9.2331722	9.2396218	9
52	9.2338992	9.2403708	8
53	9.2346249	9.2411185	7
54	9.2353494	9.2418650	6
55	9.2360726	9.2426103	5
56	9.2367946	9.2433543	4
57	9.2375153	9.2440972	3
58	9.2382549	9.2448389	2
59	9.2389532	9.2455794	1
60	9.2396702	9.2463188	0

## 99 Sinus. Tangens.

0	9.9946199	10.8002875	60
1	9.9945999	10.7994706	59
2	9.9945798	10.7986551	58
3	9.9945597	10.7978412	57
4	9.9945396	10.7970286	56
5	9.9945194	10.7962175	55
6	9.9944992	10.7954078	54
7	9.9944789	10.7945996	53
8	9.9944587	10.7937928	52
9	9.9944383	10.7929874	51
10	9.9944180	10.7921835	50
11	9.9943975	10.7913809	49
12	9.9943771	10.7905797	48
13	9.9943566	10.7897800	47
14	9.9943361	10.7889816	46
15	9.9943156	10.7881847	45
16	9.9942950	10.7873891	44
17	9.9942743	10.7865949	43
18	9.9942537	10.7858020	42
19	9.9942330	10.7850106	41
20	9.9942122	10.7842205	40
21	9.9941914	10.7834377	39
22	9.9941706	10.7826444	38
23	9.9941498	10.7818523	37
24	9.9941289	10.7810733	36
25	9.9941079	10.7802903	35
26	9.9940870	10.7795083	34
27	9.9940659	10.7787276	33
28	9.9940449	10.7779482	32
29	9.9940238	10.7771702	31
30	9.9940027	10.7763935	30
31	9.9939875	10.7756181	29
32	9.9939603	10.7748439	28
33	9.9939391	10.7740711	27
34	9.9939178	10.7732996	26
35	9.9938965	10.7725294	25
36	9.9938752	10.7717605	24
37	9.9938538	10.7709929	23
38	9.9938324	10.7702265	22
39	9.9938109	10.7694614	21
40	9.9937894	10.7686976	20
41	9.9937679	10.7679350	19
42	9.9937463	10.7671738	18
43	9.9937247	10.7664317	17
44	9.9937030	10.7656459	16
45	9.9936813	10.7648974	15
46	9.9936696	10.7641411	14
47	9.9936478	10.7633861	13
48	9.9936260	10.7626322	12
49	9.9935942	10.7618797	11
50	9.9935723	10.7611283	10
51	9.9935504	10.7603782	9
52	9.9935285	10.7596292	8
53	9.9935065	10.7588815	7
54	9.9934844	10.7583395	6
55	9.9934624	10.7573897	5
56	9.9934403	10.7566457	4
57	9.9934181	10.7559028	3
58	9.9933959	10.7551611	2
59	9.9933737	10.7544206	1
60	9.9933515	10.7536812	0

## 10 Sinus. Tangens.

0	9.2396702	9.2463188	60
1	9.2403861	9.2470569	59
2	9.2411007	9.2477939	58
3	9.2418141	9.2485297	57
4	9.2425264	9.2492643	56
5	9.2432374	9.2499978	55
6	9.2439472	9.2507301	54
7	9.2446558	9.2514612	53
8	9.2453632	9.2521912	52
9	9.2460695	9.2529200	51
10	9.2467746	9.2536477	50
11	9.2474784	9.2543743	49
12	9.2481811	9.2550997	48
13	9.2488287	9.2558240	47
14	9.2495830	9.2565172	46
15	9.2502822	9.2572692	45
16	9.2509803	9.2579901	44
17	9.2516772	9.2587099	43
18	9.2523729	9.2594285	42
19	9.2530675	9.2601461	41
20	9.2537609	9.2608625	40
21	9.2544532	9.2615779	39
22	9.2551444	9.2622921	38
23	9.2558344	9.2630053	37
24	9.2565233	9.2641713	36
25	9.2572110	9.2646428	35
26	9.2578977	9.2651322	34
27	9.2585832	9.2658470	33
28	9.2592676	9.2665547	32
29	9.2599509	9.2672613	31
30	9.2606330	9.2679669	30
31	9.2613141	9.2686714	29
32	9.2619941	9.2693749	28
33	9.2626729	9.2700772	27
34	9.2633507	9.2707786	26
35	9.2640274	9.2714788	25
36	9.2647030	9.2721780	24
37	9.2653775	9.2728762	23
38	9.2660529	9.2735733	22
39	9.2667222	9.2742694	21
40	9.2673945	9.2749644	20
41	9.2680647	9.2756848	19
42	9.2687338	9.2763514	18
43	9.2694199	9.2770434	17
44	9.2700689	9.2777343	16
45	9.2707348	9.2784242	15
46	9.2713997	9.2791131	14
47	9.2720535	9.2798009	13
48	9.2727263	9.2804878	12
49	9.2733880	9.2817136	11
50	9.2740487	9.2818585	10
51	9.2747083	9.2825423	9
52	9.2753669	9.2832521	8
53	9.2760245	9.2839070	7
54	9.2766811	9.2845878	6
55	9.2773366	9.2852677	5
56	9.2779911	9.2859466	4
57	9.2786445	9.2866245	3
58	9.2792970	9.2873014	2
59	9.2799484	9.2879773	1
60	9.2805988	9.2886523	0

## 100 Sinus. Tangens.

0	9.9933515	10.7536812	60
1	9.9933392	10.7529432	59
2	9.9933298	10.7522061	58
3	9.9933245	10.7514703	57
4	9.9933201	10.7507357	56
5	9.9933196	10.7500222	55
6	9.9933171	10.7492699	54
7	9.9933146	10.7485388	53
8	9.9933121	10.7478088	52
9	9.9933097	10.7471747	51
10	9.9933072	10.7465344	50
11	9.9933047	10.7458934	49
12	9.9933022	1	

II	Sinus.	Tangens.
•	9.2805988	9.2886523
1	9.2812483	9.2893263
2	9.2818967	9.2899993
3	9.2825443	9.2906713
4	9.2831905	9.2913424
5	9.2838359	9.2920126
6	9.2844803	9.2926817
7	9.2851237	9.2933500
8	9.2857661	9.2940172
9	9.2864076	9.2946836
10	9.2870480	9.2953489
11	9.2876875	9.2960134
12	9.2883260	9.2966769
13	9.2889636	9.2973395
14	9.2896001	9.2980011
15	9.2902357	9.2986618
16	9.2908704	9.2993216
17	9.2915040	9.2999804
18	9.2921367	9.3006383
19	9.2927685	9.3012954
20	9.2933993	9.3019514
21	9.2940291	9.3026066
22	9.2946580	9.3032609
23	9.2952859	9.3039141
24	9.2959129	9.3045667
25	9.2965390	9.3052183
26	9.2971641	9.3058689
27	9.2977883	9.3065187
28	9.2984112	9.3071675
29	9.2990339	9.3078155
30	9.2990553	9.3084026
31	9.3002758	9.3091088
32	9.3008953	9.3097541
33	9.3015140	9.3103985
34	9.3021317	9.3110421
35	9.3027485	9.3116848
36	9.3033644	9.3123266
37	9.3039794	9.3129675
38	9.3045934	9.3136076
39	9.3052066	9.3142468
40	9.3058189	9.3148831
41	9.3064303	9.3155226
42	9.3070407	9.3161592
43	9.3076503	9.3167950
44	9.3082590	9.3174299
45	9.3088668	9.3180640
46	9.3094737	9.3186972
47	9.3100798	9.3193295
48	9.3108482	9.3199611
49	9.3112892	9.3205918
50	9.3118926	9.3212116
51	9.3124951	9.3218506
52	9.3130968	9.3224783
53	9.3136976	9.3231061
54	9.3142975	9.3237327
55	9.3148965	9.3243584
56	9.3154947	9.3249832
57	9.3166921	9.3256073
58	9.3166883	9.3262305
59	9.3172841	9.3268529
60	9.3178789	9.3274745

101	Sinus.	Tangens.
0	9.9919466	10.7113477
1	9.9919220	10.7106737
2	9.9918974	10.7100007
3	9.9918727	10.7093287
4	9.9918380	10.7086576
5	9.9918233	10.7079374
6	9.9917986	10.7073183
7	9.9917737	10.7066900
8	9.9917489	10.7059628
9	9.9917240	10.7053164
10	9.9916921	10.7046511
11	9.9916741	10.7039866
12	9.9916492	10.7032331
13	9.9916241	10.7029605
14	9.9915990	10.7019989
15	9.9915739	10.701382
16	9.9915488	10.7006284
17	9.9915236	10.7000196
18	9.9914984	10.6993617
19	9.9914731	10.698746
20	9.9914478	10.6980486
21	9.9914225	10.6973934
22	9.9913971	10.6967391
23	9.9913717	10.6960557
24	9.9913462	10.6954333
25	9.9913207	10.6947817
26	9.9912952	10.6941311
27	9.9912696	10.6934813
28	9.9912440	10.6928325
29	9.9912184	10.6921845
30	9.9911927	10.6915374
31	9.9911670	10.6908912
32	9.9911412	10.6902459
33	9.9911154	10.6896015
34	9.9910806	10.6889579
35	9.9910617	10.6883152
36	9.9910378	10.6876734
37	9.9910119	10.6870325
38	9.9909859	10.6863924
39	9.9909598	10.6857532
40	9.9909333	10.6851149
41	9.9909077	10.6844774
42	9.9908815	10.6838408
43	9.9908553	10.6832050
44	9.9908291	10.6825701
45	9.9908049	10.6819360
46	9.9907766	10.6813028
47	9.9907502	10.6806705
48	9.9907239	10.6800389
49	9.9906974	10.6794082
50	9.9906710	10.6787734
51	9.9906445	10.6781494
52	9.9906180	10.6775212
53	9.9905914	10.6768939
54	9.9905648	10.6762673
55	9.9905382	10.6756416
56	9.9905115	10.6750168
57	9.9904848	10.6743927
58	9.9904580	10.6737695
59	9.9904312	10.6731471
60	9.9904044	10.6725255

12	Sinus.	Tangens.
0	9.3178789	9.3274745
1	9.3184728	9.3280953
2	9.3190659	9.3287153
3	9.3196981	9.3293345
4	9.3202495	9.3299528
5	9.3208400	9.3305704
6	9.3214297	9.3311872
7	9.3220186	9.3318031
8	9.3226066	9.3324783
9	9.3231938	9.3330327
10	9.3237802	9.3336663
11	9.3242657	9.3342591
12	9.3249505	9.3348711
13	9.3255344	9.3354823
14	9.3261174	9.3360927
15	9.3266997	9.3367024
16	9.3272811	9.3373713
17	9.3278617	9.3379194
18	9.3284416	9.3385267
19	9.3290206	9.3391333
20	9.3295988	9.3397391
21	9.3301761	9.3403441
22	9.3307527	9.3409484
23	9.3313285	9.3515519
24	9.3319035	9.3421546
25	9.3324777	9.3427566
26	9.3330511	9.3433578
27	9.3336237	9.3439583
28	9.3347155	9.3445580
29	9.3347665	9.3451570
30	9.3333368	9.3457552
31	9.3339062	9.3465157
32	9.3336474	9.3469494
33	9.3370428	9.3475454
34	9.3376099	9.3481407
35	9.3381762	9.3487352
36	9.3387418	9.3493290
37	9.3393065	9.3499220
38	9.3398766	9.3505143
39	9.3404338	9.3511059
40	9.3409969	9.3516968
41	9.3415580	9.3522869
42	9.3421190	9.3528763
43	9.3426792	9.3534650
44	9.3432386	9.3540530
45	9.3437973	9.3546402
46	9.3443552	9.3552287
47	9.3449124	9.3558126
48	9.3454688	9.3563977
49	9.3460245	9.3569821
50	9.3464704	9.3575658
51	9.3471330	9.3581487
52	9.3476870	9.3587310
53	9.3482397	9.3593126
54	9.3487917	9.3596935
55	9.3493429	9.3604736
56	9.3498934	9.3610531
57	9.3504437	9.3616319
58	9.3509922	9.3622100
59	9.3515405	9.3627874
60	9.3520880	9.3633641

102	Sinus.	Tangens.
0	9.9904044	10.6725255
1	9.9903775	10.6719047
2	9.9903506	10.6712847
3	9.9903237	10.6706655
4	9.9902967	10.6700472
5	9.9902637	10.6694296
6	9.9902426	10.6688128
7	9.9902155	10.6681969
8	9.9901832	10.6675317
9	9.9901512	10.6669673
10	9.9901239	10.6663537
11	9.9901067	10.6657409
12	9.9900794	10.6651289
13	9.9900521	10.6645177
14	9.9900247	10.6639772
15	9.9899973	10.6632976
16	9.9899698	10.6626887
17	9.9899423	10.6620806
18	9.9899148	10.6614733
19	9.9898873	10.6608667
20	9.9898397	10.6602589
21	9.9898320	10.6596359
22	9.9898043	10.6590516
23	9.9897766	10.6584187
24	9.9897489	10.6578444
25	9.9897211	10.6572444
26	9.9896972	10.6566442
27	9.9896654	10.6560417
28	9.9896374	10.6554420
29	9.9896095	10.6548430
30	9.9895815	10.6542448
31	9.9895335	10.6536473
32	9.9895254	10.6530506
33	9.9894973	10.6524546
34	9.9894692	10.6518932
35	9.9894410	10.6512648
36	9.9894128	10.6506710
37	9.9893845	10.65030780
38	9.9893563	10.6494857
39	9.9893279	10.6488941
40	9.9892995	10.6483032
41	9.9892711	10.6477131
42	9.9892427	10.6471237
43	9.9892142	10.6465350
44	9.9891856	10.6459470
45	9.9891571	10.6453598
46	9.9891285	10.6447733
47	9.9890993	10.6441874
48	9.9890711	10.6436023
49	9.9890424	10.6430179
50	9.9890137	10.6424342
51	9.9889849	

## 13 Sinus. Tangens.

0	9.3520880	9.36333641	60
1	9.3526349	9.363639401	59
2	9.3531810	9.3645355	58
3	9.3537264	9.3650901	57
4	9.3542710	9.3656641	56
5	9.3548150	9.3662374	55
6	9.3553582	9.3668100	54
7	9.3559007	9.3673819	53
8	9.3564426	9.3679532	52
9	9.3569836	9.3685238	51
10	9.3575240	9.3690937	50
11	9.3580637	9.3696629	49
12	9.3586027	9.3702315	48
13	9.3591409	9.3707994	47
14	9.3596785	9.3713667	46
15	9.3602154	9.3719333	45
16	9.3607515	9.3724992	44
17	9.3612870	9.3730645	43
18	9.3618217	9.3736291	42
19	9.3623558	9.3741930	41
20	9.3628892	9.3747563	40
21	9.3634219	9.3753190	39
22	9.3639539	9.3758810	38
23	9.3644852	9.3764423	37
24	9.3650158	9.3770030	36
25	9.3655458	9.3775631	35
26	9.3660750	9.3781225	34
27	9.3666036	9.3786813	33
28	9.3671315	9.3792394	32
29	9.3676587	9.3797969	31
30	9.3681853	9.3803537	30
31	9.3687111	9.3809400	29
32	9.3692363	9.3814655	28
33	9.3697608	9.3820205	27
34	9.3702847	9.3825748	26
35	9.3708079	9.3831285	25
36	9.3713304	9.3836816	24
37	9.3718523	9.3842430	23
38	9.3723735	9.3847858	22
39	9.3728940	9.3853570	21
40	9.3734139	9.3858876	20
41	9.3739331	9.3864376	19
42	9.3744517	9.3869869	18
43	9.3749696	9.3875356	17
44	9.3754668	9.3880837	16
45	9.3760034	9.3886312	15
46	9.3765194	9.3901781	14
47	9.3770347	9.3907244	13
48	9.3775493	9.3902700	12
49	9.37780633	9.3908151	11
50	9.3785767	9.3913595	10
51	9.3790894	9.3919034	9
52	9.3796015	9.3924466	8
53	9.3801129	9.3929893	7
54	9.3806237	9.3935313	6
55	9.3811339	9.3940727	5
56	9.3816434	9.3946136	4
57	9.3821533	9.3951538	3
58	9.3826605	9.3956935	2
59	9.3831682	9.3962326	1
60	9.3836752	9.3967711	0

## 103 Sinus. Tangens.

0	9.9887239	10.6366359	60
1	9.9886947	10.6366599	59
2	9.9886655	10.6354845	58
3	9.9886363	10.6349099	57
4	9.9886070	10.6343359	56
5	9.9885776	10.6337626	55
6	9.9885482	10.6331900	54
7	9.9885188	10.6326181	53
8	9.9884894	10.6320468	52
9	9.9884599	10.6314762	51
10	9.9884303	10.6309063	50
11	9.9884008	10.6303371	49
12	9.9883712	10.6297685	48
13	9.9883415	10.6292006	47
14	9.9883118	10.6286333	46
15	9.9882821	10.6280667	45
16	9.9882523	10.6275008	44
17	9.9882225	10.6269355	43
18	9.9881927	10.6263709	42
19	9.9881628	10.6258070	41
20	9.9881329	10.6252437	40
21	9.9881029	10.6246810	39
22	9.9880729	10.6241190	38
23	9.9880429	10.6235577	37
24	9.9880128	10.6229970	36
25	9.9879827	10.6224369	35
26	9.9879535	10.6218775	34
27	9.9879243	10.6213187	33
28	9.9878921	10.6207665	32
29	9.9878618	10.6202031	31
30	9.9878315	10.6196463	30
31	9.9878012	10.6190900	29
32	9.9877708	10.6185345	28
33	9.9877404	10.6179795	27
34	9.9877099	10.6174252	26
35	9.9876794	10.6168715	25
36	9.9876438	10.6163184	24
37	9.9876183	10.6157660	23
38	9.9873735	10.6152142	22
39	9.9875570	10.6146630	21
40	9.9875263	10.6141124	20
41	9.9874955	10.6135624	19
42	9.9874648	10.6130131	18
43	9.9874339	10.6124644	17
44	9.9874031	10.6119163	16
45	9.9873722	10.6113683	15
46	9.9873413	10.6106219	14
47	9.9873103	10.6102756	13
48	9.9872793	10.6097300	12
49	9.9872482	10.6091849	11
50	9.9872171	10.6086405	10
51	9.9871860	10.6080966	9
52	9.9871549	10.6075534	8
53	9.9871236	10.6070107	7
54	9.9870924	10.6064687	6
55	9.9870611	10.6059273	5
56	9.9870328	10.6053364	4
57	9.9869984	10.6048462	3
58	9.9869670	10.6042065	2
59	9.9869356	10.6037674	1
60	9.9869041	10.6032289	0

## 14 Sinus. Tangens.

0	9.3836752	9.39067711	60
1	9.3841815	9.3973089	59
2	9.3845873	9.3998463	58
3	9.3851924	9.3988380	57
4	9.3856969	9.3989191	56
5	9.3862008	9.3994547	55
6	9.3867040	9.3999896	54
7	9.3872067	9.4005240	53
8	9.3877087	9.4010578	52
9	9.3882101	9.4015910	51
10	9.3887109	9.4021237	50
11	9.3892111	9.4026558	49
12	9.3897106	9.4031873	48
13	9.3902096	9.4037182	47
14	9.3907079	9.4042486	46
15	9.3912057	9.4047764	45
16	9.3917028	9.4053076	44
17	9.3921993	9.4053633	43
18	9.3926952	9.4063644	42
19	9.3931905	9.4068919	41
20	9.3936852	9.4074189	40
21	9.3941794	9.4074943	39
22	9.3946729	9.4084712	38
23	9.3951658	9.4089695	37
24	9.3956581	9.4095212	36
25	9.3961499	9.410454	35
26	9.3966410	9.4105690	34
27	9.3971345	9.4110921	33
28	9.3976215	9.4116146	32
29	9.3981169	9.4121366	31
30	9.3985996	9.4126581	30
31	9.3990873	9.4131789	29
32	9.3995754	9.4136993	28
33	9.4000625	9.4142119	27
34	9.4005489	9.4147383	26
35	9.4010348	9.4152570	25
36	9.4015201	9.4157752	24
37	9.4020448	9.4162928	23
38	9.4024889	9.4168099	22
39	9.4029724	9.4173265	21
40	9.4034554	9.4178425	20
41	9.4039378	9.4183580	19
42	9.4044196	9.4188729	18
43	9.4049009	9.4193874	17
44	9.4053816	9.4199033	16
45	9.405817	9.4204746	15
46	9.4063413	9.4209273	14
47	9.4068203	9.4214598	13
48	9.4072987	9.4219575	12
49	9.407766	9.4224618	11
50	9.4082539	9.4229735	10
51	9.4087306	9.4234383	9
52	9.4092068	9.4239935	8
53	9.4096824	9.4245026	7
54	9.4101775	9.4250113	6
55	9.4106320	9.4255194	5
56	9.4111059	9.4262571	4
57	9.4115793	9.4265342	3
58	9.4120522	9.4274043	2
59	9.4125249	9.4275469	1
60	9.4129962	9.4280525	0

## 104 Sinus. Tangens.

0	9.9869041	10.6032289	60
1	9.9868726	10.6026911	59
2	9.9868410	10.6021537	58
3	9.9868094	10.6016170	57
4	9.9867778	10.6010809	56
5	9.9867461	10.6005453	55
6	9.9867144	10.6000104	54
7	9.9866827	10.5994760	53
8	9.9866509	10.5989422	52
9	9.9866191	10.5984090	51
10	9.9865872		

## 15 Sinus. Tangens.

0	9.4129962	9.4180525	60
1	9.4134674	9.4285575	59
2	9.4139301	9.4306621	58
3	9.4144382	9.4295661	57
4	9.4148778	9.4300697	56
5	9.4151468	9.4305727	55
6	9.4158152	9.4310753	54
7	9.4162832	9.4315773	53
8	9.4167906	9.4320789	52
9	9.4172174	9.4325799	51
10	9.4176837	9.4330804	50
11	9.4181495	9.4335805	49
12	9.4186148	9.4340800	48
13	9.4190795	9.4345791	47
14	9.4195436	9.4350776	46
15	9.4200073	9.4355757	45
16	9.4204704	9.4360733	45
17	9.4209330	9.4365704	44
18	9.4213950	9.4370670	43
19	9.4218966	9.4375631	42
20	9.4223176	9.4380587	41
21	9.4227780	9.4385538	40
22	9.4232380	9.4390485	39
23	9.4236974	9.4395426	38
24	9.4241563	9.4400363	37
25	9.4246147	9.4405295	36
26	9.4250726	9.4410221	35
27	9.4255299	9.4415145	34
28	9.4259867	9.4420061	33
29	9.4264430	9.4424975	32
30	9.4268988	9.4429893	31
31	9.4273541	9.4434786	30
32	9.4278089	9.4439685	29
33	9.4282631	9.4444579	28
34	9.4287169	9.4449468	27
35	9.4291701	9.4454312	26
36	9.4295228	9.4459232	24
37	9.4300750	9.4464107	23
38	9.4305267	9.4468978	22
39	9.4309779	9.4473843	21
40	9.4314286	9.4478704	20
41	9.4318788	9.4483561	19
42	9.4323285	9.4488413	18
43	9.4327777	9.4493260	17
44	9.4332264	9.4498102	16
45	9.4330795	9.4503940	15
46	9.43341223	9.4507774	14
47	9.4335634	9.4512602	13
48	9.43350161	9.4517427	12
49	9.43354613	9.4522246	11
50	9.43350823	9.4527061	10
51	9.43353532	9.4531872	9
52	9.43367980	9.4536678	8
53	9.4372423	9.4541479	7
54	9.4376859	9.4546276	6
55	9.4381292	9.4551069	5
56	9.4385719	9.4555857	4
57	9.4390142	9.4560641	3
58	9.4394560	9.4565420	2
59	9.4398973	9.4570194	1
60	9.4403381	9.4574964	0

## 105 Sinus. Tangens.

0	9.9849438	10.5719475	60
1	9.9849099	10.5714425	59
2	9.9848760	10.5709379	58
3	9.9848420	10.5704339	57
4	9.9848081	10.5699303	56
5	9.9847740	10.5694273	55
6	9.9847400	10.5689247	54
7	9.9847059	10.5684227	53
8	9.9846717	10.5679211	52
9	9.9846375	10.5674201	51
10	9.9846033	10.5669196	50
11	9.9845690	10.5664195	49
12	9.9845347	10.5659200	48
13	9.9845004	10.5654209	47
14	9.9844660	10.5649224	46
15	9.9844316	10.5644243	45
16	9.9843971	10.5639267	44
17	9.9843626	10.5634296	43
18	9.9843281	10.5629330	42
19	9.9842935	10.5624369	41
20	9.9842489	10.5619413	40
21	9.9842142	10.5614462	39
22	9.9841242	10.5609452	38
23	9.9841895	10.5604951	38
24	9.9841200	10.5599637	36
25	9.9840851	10.5594705	35
26	9.9840503	10.5589778	34
27	9.9840154	10.5584855	33
28	9.9839805	10.5579938	32
29	9.9839455	10.5575025	31
30	9.9839105	10.5570117	30
31	9.9838755	10.5565214	29
32	9.9838404	10.5560315	28
33	9.9838052	10.5555421	27
34	9.9837701	10.5550532	26
35	9.9837348	10.5545648	25
36	9.9836996	10.5540768	24
37	9.9836643	10.5535893	23
38	9.9836290	10.5531022	22
39	9.9835936	10.5526157	21
40	9.9835582	10.5521296	20
41	9.9835227	10.5516439	19
42	9.9834872	10.5511587	18
43	9.9834517	10.5506740	17
44	9.9834161	10.5501893	16
45	9.9833805	10.5497060	15
46	9.9833449	10.5492226	14
47	9.9833092	10.5487398	13
48	9.9832735	10.5482573	12
49	9.9832377	10.5477714	11
50	9.9832019	10.5472939	10
51	9.9831661	10.5468128	9
52	9.9831302	10.5463322	8
53	9.9830942	10.5458521	7
54	9.9830583	10.5453724	6
55	9.9830243	10.5448931	5
56	9.9829862	10.5444143	4
57	9.9829501	10.5439359	3
58	9.9829140	10.5434580	2
59	9.9828778	10.5429806	1
60	9.9828416	10.5425036	0

## 16 Sinus. Tangens.

0	9.4403381	9.4574964	60
1	9.4407784	9.4579730	59
2	9.4412182	9.4584491	58
3	9.4416576	9.4589248	57
4	9.4420965	9.4594001	56
5	9.4425349	9.4598749	55
6	9.4429728	9.4603492	54
7	9.4434103	9.4608232	53
8	9.4438472	9.4612967	52
9	9.4442837	9.4617697	51
10	9.4447197	9.4622423	50
11	9.4451553	9.4627145	49
12	9.4455904	9.4632183	48
13	9.4460250	9.4636576	47
14	9.4464591	9.4641285	46
15	9.4468927	9.4645990	45
16	9.4472529	9.4650690	44
17	9.4477589	9.4653386	43
18	9.4481909	9.4660078	42
19	9.4486227	9.4664765	41
20	9.4490540	9.4669448	40
21	9.4494849	9.4674127	39
22	9.4499153	9.4678802	38
23	9.4503452	9.4683473	37
24	9.4507747	9.4683139	36
25	9.4512037	9.4692801	35
26	9.4516232	9.4697459	34
27	9.4520603	9.4702112	33
28	9.4524879	9.4707662	32
29	9.4529151	9.4711407	31
30	9.4533418	9.4716048	30
31	9.4537681	9.4720683	29
32	9.4541939	9.4725318	28
33	9.4545639	9.4729497	27
34	9.4550441	9.4734572	26
35	9.4554866	9.4739192	25
36	9.4558926	9.4743808	24
37	9.4563161	9.4748421	23
38	9.4567392	9.4753029	22
39	9.4571618	9.4757633	21
40	9.4575840	9.4762233	20
41	9.4580058	9.4766829	19
42	9.4584271	9.4771421	18
43	9.4588480	9.4776609	17
44	9.4592584	9.4780592	16
45	9.4598834	9.4784172	15
46	9.46001079	9.4789748	14
47	9.4605270	9.4794119	13
48	9.4609456	9.4795887	12
49	9.4613618	9.4803451	11
50	9.4617816	9.4808011	10
51	9.4621989	9.4812566	9
52	9.4626158	9.4817118	8
53	9.4630323	9.4821666	7
54	9.4634483	9.4826210	6
55	9.4638630	9.4830750	5
56	9.4642790	9.4835286	4
57	9.4646938	9.4839318	3
58	9.4650708	9.4843446	2
59	9.4655219	9.4848870	1
60	9.4659353	9.4853390	0

## 106 Sinus. Tangens.

0	9.9818416	10.5425036	60
1	9.9818054	10.5420270	59
2	9.9817691	10.5415309	58
3	9.9817328	10.5410752	57
4	9.9816964	10.5405999	56
5	9.9816600	10.5401251	55
6	9.9816136	10.5396508	54
7	9.9815871	10.5391768	53
8	9.9815506	10.5387033	52
9	9.9815140	10.5382303	51
10	9.9814774	10.5377577	50
11	9.9814408	10.5372855	49
12	9.9814041	10.5368137	48

## 17 Sinus. Tangens.

0	9.4659353	9.4353320	60
1	9.4663433	9.4357907	59
2	9.4667609	9.4862479	58
3	9.4671730	9.4866928	57
4	9.4675848	9.4871433	56
5	9.4679960	9.4875933	55
6	9.4684069	9.4880430	54
7	9.4688173	9.4884924	53
8	9.4692173	9.4888443	52
9	9.4696369	9.4893893	51
10	9.4700461	9.4898380	50
11	9.4704548	9.4902858	49
12	9.4708631	9.4907732	48
13	9.4712710	9.4911802	47
14	9.4716735	9.4916240	46
15	9.4720556	9.4920731	45
16	9.4724222	9.4925190	44
17	9.4728085	9.4929046	43
18	9.4732043	9.4933497	42
19	9.4737097	9.4938545	41
20	9.4741146	9.4942988	40
21	9.4745192	9.4947429	39
22	9.4749234	9.4951865	38
23	9.4753271	9.4956298	37
24	9.4757304	9.4960727	36
25	9.4761334	9.4965152	35
26	9.4765359	9.4969654	34
27	9.4769380	9.4973991	33
28	9.4773396	9.4978406	32
29	9.4777409	9.4982816	31
30	9.4781418	9.4987223	30
31	9.4785423	9.4991626	29
32	9.4789427	9.4996026	28
33	9.4793420	9.5000426	27
34	9.4797412	9.5004814	26
35	9.4801471	9.5009103	25
36	9.4805385	9.5013588	24
37	9.4809366	9.5017969	23
38	9.4813342	9.5022347	22
39	9.4817315	9.5026721	21
40	9.4821283	9.5031092	20
41	9.4825248	9.5035459	19
42	9.4829208	9.5039824	18
43	9.4833165	9.5044182	17
44	9.4837177	9.5048318	16
45	9.4841066	9.5052891	15
46	9.4845010	9.5057240	14
47	9.4848951	9.5061586	13
48	9.4852838	9.5065928	12
49	9.4856820	9.5070267	11
50	9.4860749	9.5074652	10
51	9.4864674	9.5078933	9
52	9.4868595	9.5083261	8
53	9.4872512	9.5087586	7
54	9.4876426	9.5091907	6
55	9.4880355	9.5096224	5
56	9.4884240	9.5100539	4
57	9.4888142	9.5104849	3
58	9.4892040	9.5109156	2
59	9.4895934	9.5113460	1
60	9.4899824	9.5117760	0

## 107 Sinus. Tangens.

0	9.9805963	10.5145610	60
1	9.9805577	10.5142093	59
2	9.9805190	10.5137581	58
3	9.9804803	10.5133072	57
4	9.9804415	10.5128567	56
5	9.9804027	10.5124067	55
6	9.9803639	10.5119570	54
7	9.9803250	10.5115076	53
8	9.9802860	10.5110587	52
9	9.9802471	10.5106102	51
10	9.9802081	10.5101620	50
11	9.9801690	10.5097142	49
12	9.9801299	10.5092668	48
13	9.9800908	10.5088198	47
14	9.9800516	10.5083731	46
15	9.9800124	10.5079269	45
16	9.9799732	10.5074810	44
17	9.9799339	10.5070354	43
18	9.979846	10.5065903	42
19	9.9798552	10.5061455	41
20	9.9798158	10.5057012	40
21	9.9797764	10.5052571	39
22	9.9797369	10.5048135	38
23	9.9796973	10.5043702	37
24	9.9796578	10.5039273	36
25	9.9796182	10.5034848	35
26	9.9795783	10.5030426	34
27	9.9795388	10.5026009	33
28	9.9794991	10.5021594	32
29	9.9794593	10.5017184	31
30	9.9794195	10.5012777	30
31	9.9793796	10.5008374	29
32	9.9793398	10.5003974	28
33	9.9792998	10.4999578	27
34	9.9792599	10.4995186	26
35	9.9792198	10.4990979	25
36	9.9791798	10.4986452	24
37	9.9791397	10.4982031	23
38	9.9790996	10.4977653	22
39	9.9790594	10.4973279	21
40	9.9790192	10.4968953	20
41	9.9789789	10.4964541	19
42	9.9789386	10.4960178	18
43	9.9788983	10.4955818	17
44	9.9788579	10.4951462	16
45	9.9788175	10.4947105	15
46	9.9787770	10.4942760	14
47	9.9787365	10.4938141	13
48	9.9786960	10.4923407	12
49	9.9786554	10.4929733	11
50	9.9786148	10.4925398	10
51	9.9785741	10.4921067	9
52	9.9785334	10.4916739	8
53	9.9784927	10.4912414	7
54	9.9784519	10.4908033	6
55	9.9784111	10.4903776	5
56	9.9783702	10.4899464	4
57	9.9783293	10.4895151	3
58	9.9782883	10.4890844	2
59	9.9782474	10.4886540	1
60	9.9782063	10.4882240	0

## 18 Sinus. Tangens.

0	9.4899824	9.5117760	60
1	9.4903710	9.5122057	59
2	9.4907592	9.5126351	58
3	9.4911471	9.5130641	57
4	9.4915345	9.5134927	56
5	9.4919216	9.5133921	55
6	9.4923083	9.5143490	54
7	9.4926946	9.5147766	53
8	9.4930826	9.5152039	52
9	9.4934661	9.5156309	51
10	9.493813	9.5160575	50
11	9.4942161	9.5164838	49
12	9.4945525	9.5169097	48
13	9.4950046	9.5173353	47
14	9.4953883	9.5177656	46
15	9.4957716	9.5181855	45
16	9.4959154	9.5185151	44
17	9.4959170	9.5190344	43
18	9.4960192	9.5194533	42
19	9.4963010	9.5198819	41
20	9.4967584	9.5203052	40
21	9.4968635	9.5207281	39
22	9.4968442	9.5211508	38
23	9.4968453	9.5215730	37
24	9.4969245	9.5219950	36
25	9.49695840	9.5224166	35
26	9.49699633	9.5228379	34
27	9.5003221	9.5232589	33
28	9.5007206	9.5236955	32
29	9.5010987	9.5240999	31
30	9.5014764	9.5245199	30
31	9.5018538	9.5249395	29
32	9.5022303	9.5253589	28
33	9.5026075	9.5257779	27
34	9.5029838	9.5261966	26
35	9.5033597	9.5265150	25
36	9.5037333	9.5270331	24
37	9.5041105	9.5274558	23
38	9.5044833	9.5278682	22
39	9.5048598	9.5282853	21
40	9.5052339	9.5287021	20
41	9.5056077	9.5291186	19
42	9.5059821	9.5295347	18
43	9.5063542	9.5299505	17
44	9.5067269	9.5303681	16
45	9.5070992	9.5307813	15
46	9.5074712	9.5311061	14
47	9.5078128	9.5315107	13
48	9.5082411	9.5320350	12
49	9.5085850	9.5324389	11
50	9.5089556	9.5328526	10
51	9.5093458	9.5332659	9
52	9.5096956	9.5336789	8
53	9.5100651	9.5340816	7
54	9.5104343	9.5344540	6
55	9.5108031	9.5349461	5
56	9.5111716	9.5353278	4
57	9.5115397	9.5357393	3
58	9.5119074	9.5361505	2
59	9.5123749	9.5365613	1
60	9.5126419	9.5369719	0

## 108 Sinus. Tangens.

0	9.9782063	10.4882240	60
1	9.9781653	10.4877943	59
2	9.9781241	10.4873649	58
3	9.9780830	10.4869359	57
4	9.9780418	10.4865073	56
5	9.9780006	10.4860790	55
6	9.9779593	10.4856510	54
7	9.9779180	10.4852234	53
8	9.9778666	10.4847961	52
9	9.9778353	10.4843691	51
10	9.9777938	10.4839425	50
11	9.9777523	10.4835162	49
12	9.9777108	10.4830923	48
13	9.9776693	10.4826647	

## 19 Sinus. | Tangens.

0	9.5126419	9.5369719	60
1	9.5133086	9.5373821	59
2	9.5133750	9.5377920	58
3	9.5137410	9.5382017	57
4	9.5141067	9.5386110	56
5	9.5144721	9.5390200	55
6	9.5148371	9.5394287	54
7	9.5152037	9.5398371	53
8	9.5155660	9.5402453	52
9	9.5159300	9.5406531	51
10	9.5162936	9.5410606	50
11	9.5166569	9.5414678	49
12	9.5170198	9.5418747	48
13	9.5173824	9.5422813	47
14	9.5177447	9.5426877	46
15	9.5181066	9.5433937	45
16	9.5184682	9.5434994	44
17	9.5188295	9.5439043	43
18	9.5191904	9.5443100	42
19	9.5195510	9.5447148	41
20	9.5199112	9.5451193	40
21	9.5202711	9.5455136	39
22	9.5206307	9.5459276	38
23	9.5209899	9.5463312	37
24	9.5213483	9.5467346	36
25	9.5217074	9.5471377	35
26	9.5220656	9.5475405	34
27	9.5224235	9.5479430	33
28	9.5227811	9.5483452	32
29	9.5231383	9.5487471	31
30	9.5234953	9.5491487	30
31	9.5238518	9.5495500	29
32	9.5242081	9.5499511	28
33	9.5245640	9.5503519	27
34	9.5249196	9.5507523	26
35	9.5252749	9.5511525	25
36	9.5256298	9.5515524	24
37	9.5259844	9.5519521	23
38	9.5263387	9.5523574	22
39	9.5266927	9.5527504	21
40	9.5270463	9.5531492	20
41	9.5273987	9.5535477	19
42	9.5277526	9.5539459	18
43	9.5281053	9.5543438	17
44	9.5284577	9.5547415	16
45	9.5288097	9.5551388	15
46	9.5291614	9.5555359	14
47	9.5295128	9.5559327	13
48	9.5298638	9.5563292	12
49	9.5302146	9.5567255	11
50	9.5305650	9.5571214	10
51	9.5309151	9.5575171	9
52	9.5312649	9.5579125	8
53	9.5316143	9.5583077	7
54	9.5319635	9.5587025	6
55	9.5323123	9.5590971	5
56	9.5326668	9.5594914	4
57	9.5330090	9.5598854	3
58	9.5333569	9.5602792	2
59	9.5337044	9.5606727	1
60	9.5340517	9.5610659	0

## 109 Sinus. | Tangens.

0	9.9756701	10.4630181	60
1	9.9756205	10.4626179	59
2	9.9755830	10.4622080	58
3	9.9755394	10.4617983	57
4	9.9754957	10.4613290	56
5	9.9754521	10.4609800	55
6	9.9754083	10.4605713	54
7	9.9753646	10.4601629	53
8	9.9753208	10.4597547	52
9	9.9752769	10.4593469	51
10	9.9752330	10.4589394	50
11	9.9751891	10.4585322	49
12	9.9751451	10.4581253	48
13	9.9751011	10.4577187	47
14	9.9750570	10.4573123	46
15	9.9750129	10.4569003	45
16	9.9749688	10.4565006	44
17	9.9749246	10.4561052	43
18	9.9748804	10.4556900	42
19	9.9748361	10.4552852	41
20	9.9747918	10.4548807	40
21	9.9747475	10.4544764	39
22	9.9747031	10.4540724	38
23	9.9746587	10.4536688	37
24	9.9746142	10.4532654	36
25	9.9745697	10.4528623	35
26	9.9745252	10.4524595	34
27	9.9744806	10.4520570	33
28	9.9744359	10.4516548	32
29	9.9741913	10.4512529	31
30	9.9743466	10.4508513	30
31	9.9743018	10.4504500	29
32	9.9742570	10.4500489	28
33	9.9742122	10.4496831	27
34	9.9741673	10.4492477	26
35	9.9741224	10.4488475	25
36	9.9740774	10.4484476	24
37	9.9740324	10.4480479	23
38	9.9739873	10.4476436	22
39	9.9739422	10.4472496	21
40	9.9738971	10.4468508	20
41	9.9738519	10.4464523	19
42	9.9738067	10.4460541	18
43	9.9737615	10.4456562	17
44	9.9737162	10.4452585	16
45	9.9736709	10.4448612	15
46	9.9736255	10.4444641	14
47	9.9735801	10.4440673	13
48	9.9735346	10.4436708	12
49	9.9734891	10.4432743	11
50	9.9734435	10.4428786	10
51	9.9733980	10.4424829	9
52	9.9733523	10.4420875	8
53	9.9733067	10.4416923	7
54	9.9732610	10.4412975	6
55	9.9732152	10.4409029	5
56	9.9731604	10.4405086	4
57	9.9731236	10.4401146	3
58	9.9730777	10.4397208	2
59	9.9730318	10.4393273	1
60	9.9729585	10.4389141	0

## 20 Sinus. | Tangens.

0	9.5340517	9.5610659	60
1	9.5343986	9.5614588	59
2	9.5347452	9.5618155	58
3	9.5350915	9.5622439	57
4	9.5354375	9.5626360	56
5	9.5357832	9.5630278	55
6	9.5362186	9.5634194	54
7	9.5364737	9.5638107	53
8	9.5368184	9.5642018	52
9	9.5371628	9.5645925	51
10	9.5375070	9.5649981	50
11	9.5378508	9.5653733	49
12	9.5381943	9.5657633	48
13	9.5385375	9.5661530	47
14	9.5388804	9.5665424	46
15	9.5392230	9.5669316	45
16	9.5395653	9.5673205	44
17	9.5399073	9.5677091	43
18	9.5402489	9.5680975	42
19	9.5405903	9.5684856	41
20	9.5409314	9.568735	40
21	9.5412721	9.5692611	39
22	9.5416126	9.5696484	38
23	9.5419527	9.5700355	37
24	9.5422926	9.5704223	36
25	9.5426221	9.5708878	35
26	9.5429713	9.5711951	34
27	9.5433103	9.5715811	33
28	9.5436489	9.5719669	32
29	9.5439873	9.5723524	31
30	9.5443253	9.5727377	30
31	9.5446630	9.5731227	29
32	9.5450005	9.5735074	28
33	9.5453376	9.5738919	27
34	9.5456745	9.5742761	26
35	9.5460110	9.5746601	25
36	9.5463472	9.5750438	24
37	9.5466832	9.5754272	23
38	9.5470189	9.5758104	22
39	9.5473542	9.5761934	21
40	9.5476893	9.5765761	20
41	9.5480240	9.5769585	19
42	9.5483585	9.5773497	18
43	9.5486937	9.5777226	17
44	9.5490266	9.5781043	16
45	9.5493602	9.5784858	15
46	9.5496935	9.5788669	14
47	9.5500265	9.5792479	13
48	9.5503592	9.5796286	12
49	9.5506916	9.5800000	11
50	9.5510237	9.5803892	10
51	9.5513556	9.5807691	9
52	9.5516871	9.5811488	8
53	9.5520184	9.5815282	7
54	9.5523494	9.5819074	6
55	9.5526803	9.5822864	5
56	9.5530105	9.5826651	4
57	9.5533406	9.5830435	3
58	9.5536704	9.5834217	2
59	9.5539999	9.5837997	1
60	9.5543292	9.5841774	0

## 110 Sinus. | Tangens.

0	9.9734988	10.4389341	60
1	9.9729398	10.4385412	59
2	9.9728928	10.4381485	58
3	9.9728477	10.4377561	57
4	9.9728016	10.4373640	56
5	9.97271754	10.4369722	55
6	9.9727092	10.4365836	54
7	9.9726629	10.4361893	53
8	9.9726166	10.4357982	52
9	9.9725703	10.4353407	51
10	9.9725339	10.4349575	50
11	9.9724775	10.4346267	49
12	9.9724370	10.4342367	48
1			

## 21 Sinus. Tangens.

0	9.5543292	9.5842774	60
1	9.5546581	9.5845549	59
2	9.5549862	9.5849321	58
3	9.5553152	9.5853091	57
4	9.5556433	9.5856859	56
5	9.5559711	9.5860242	55
6	9.5562987	9.5864386	54
7	9.5566259	9.5868147	53
8	9.5569529	9.5871904	52
9	9.5573296	9.5875660	51
10	9.5576060	9.5879413	50
11	9.5579321	9.5883163	49
12	9.5582579	9.5886912	48
13	9.5585385	9.5890657	47
14	9.5589088	9.5894401	46
15	9.5592338	9.5898142	45
16	9.5595585	9.5901881	44
17	9.5598329	9.5905617	43
18	9.5602071	9.5909351	42
19	9.5605320	9.5913082	41
20	9.5608546	9.5916812	40
21	9.5611779	9.5920539	39
22	9.5615010	9.5924263	38
23	9.5618337	9.5927985	37
24	9.5621162	9.5931705	36
25	9.5624685	9.5935423	35
26	9.5627924	9.5939138	34
27	9.5631121	9.5942851	33
28	9.5634335	9.5946561	32
29	9.5637546	9.5950269	31
30	9.5640754	9.5953975	30
31	9.5643960	9.5957679	29
32	9.5647163	9.5961389	28
33	9.5650363	9.5965079	27
34	9.5653561	9.5968776	26
35	9.5656756	9.5972470	25
36	9.5659948	9.5976162	24
37	9.5663137	9.5979852	23
38	9.5666324	9.5983540	22
39	9.5669508	9.5987225	21
40	9.5672689	9.5990908	20
41	9.5675868	9.5994588	19
42	9.5679044	9.5998267	18
43	9.5682117	9.6001943	17
44	9.5685387	9.6005617	16
45	9.5688555	9.6009289	15
46	9.5691721	9.6012958	14
47	9.5694883	9.6016625	13
48	9.5698043	9.6020290	12
49	9.5701200	9.6023953	11
50	9.5704355	9.6027673	10
51	9.5707506	9.6031271	9
52	9.5710656	9.6034927	8
53	9.5713852	9.6038581	7
54	9.5716946	9.6042233	6
55	9.5720087	9.6045882	5
56	9.5723226	9.6049529	4
57	9.5726362	9.6053174	3
58	9.5729495	9.6056817	2
59	9.5732626	9.6060457	1
60	9.5735754	9.6064296	0

## III Sinus. Tangens.

0	9.9701517	10.4158226	60
1	9.9701032	10.4154471	59
2	9.9700547	10.4150679	58
3	9.9700061	10.4146909	57
4	9.9699574	10.4143741	56
5	9.9699087	10.413976	55
6	9.9698600	10.4135164	54
7	9.9698112	10.4131853	53
8	9.9697624	10.4128096	52
9	9.9697136	10.4124340	51
10	9.9696647	10.4120587	50
11	9.9696158	10.4116837	49
12	9.9695668	10.4113088	48
13	9.9695177	10.410943	47
14	9.9694687	10.4105999	46
15	9.9694196	10.4101858	45
16	9.9693704	10.4098119	44
17	9.9693212	10.4094583	43
18	9.9692720	10.4090679	42
19	9.9692217	10.4086913	41
20	9.9691734	10.4083188	40
21	9.9691241	10.4079461	39
22	9.9690736	10.4075737	38
23	9.9690252	10.4072015	37
24	9.9690757	10.4068295	36
25	9.9689262	10.4064577	35
26	9.9688766	10.4060862	34
27	9.9688270	10.4057149	33
28	9.9687773	10.4053479	32
29	9.9687276	10.4049731	31
30	9.9686779	10.4046065	30
31	9.9686181	10.4042321	29
32	9.9685783	10.4038620	28
33	9.9685284	10.4034921	27
34	9.9684785	10.4031224	26
35	9.9684286	10.4027530	25
36	9.9683786	10.4023388	24
37	9.9683285	10.4020148	23
38	9.9682784	10.4016460	22
39	9.9682283	10.4012775	21
40	9.9681781	10.4009092	20
41	9.9681270	10.4005542	19
42	9.9680777	10.4001733	18
43	9.9680274	10.3998057	17
44	9.9679771	10.3994333	16
45	9.9679267	10.3990711	15
46	9.9678763	10.3987042	14
47	9.9678158	10.3983375	13
48	9.9677733	10.3979710	12
49	9.9677247	10.3976047	11
50	9.9676741	10.3972387	10
51	9.9676235	10.3968729	9
52	9.9675733	10.3965073	8
53	9.9675221	10.3961419	7
54	9.9674713	10.3957767	6
55	9.9674205	10.3954119	5
56	9.9673697	10.3950471	4
57	9.9673188	10.3946826	3
58	9.9672679	10.3943183	2
59	9.9672169	10.3939543	1
60	9.9671659	10.3935904	0

## 22 Sinus. Tangens.

0	9.5735754	9.6064096	60
1	9.5733880	9.6067132	59
2	9.5742003	9.6071366	58
3	9.5745123	9.6074997	57
4	9.5748240	9.6078627	56
5	9.5751356	9.6082254	55
6	9.5754468	9.6085880	54
7	9.5757573	9.6089503	53
8	9.5760685	9.6093124	52
9	9.5763790	9.6096742	51
10	9.5766692	9.6100359	50
11	9.5769991	9.6103973	49
12	9.5773058	9.6107586	48
13	9.5776183	9.6111196	47
14	9.5779275	9.6114804	46
15	9.5782364	9.6118409	45
16	9.5785450	9.6122013	44
17	9.5788535	9.6125615	43
18	9.5791616	9.6129114	42
19	9.5794695	9.6132812	41
20	9.5797772	9.6136497	40
21	9.5800845	9.6140000	39
22	9.5803917	9.6143591	38
23	9.5806986	9.6147180	37
24	9.5810092	9.6150706	36
25	9.5813116	9.6154351	35
26	9.5816177	9.6157934	34
27	9.5819236	9.6161514	33
28	9.5822292	9.6165093	32
29	9.5825145	9.6168669	31
30	9.5828397	9.6172443	30
31	9.5831445	9.6175815	29
32	9.5834491	9.6179385	28
33	9.5837535	9.6182953	27
34	9.5840576	9.6185159	26
35	9.5843615	9.6190083	25
36	9.5846651	9.6193645	24
37	9.5849685	9.6197205	23
38	9.5852716	9.6200072	22
39	9.5855745	9.6204318	21
40	9.5858771	9.6207872	20
41	9.5861795	9.6211143	19
42	9.5864816	9.6214974	18
43	9.5867835	9.6218520	17
44	9.5870851	9.6222066	16
45	9.5873865	9.6225639	15
46	9.5876876	9.6229150	14
47	9.5879885	9.6232690	13
48	9.5882892	9.6236227	12
49	9.5885861	9.6239763	11
50	9.5888397	9.6243296	10
51	9.5891847	9.6246827	9
52	9.5894893	9.6250356	8
53	9.5897888	9.6253884	7
54	9.5900880	9.6257403	6
55	9.5903869	9.6260932	5
56	9.5906856	9.6264454	4
57	9.5909841	9.6267973	3
58	9.5912823	9.6271491	2
59	9.5915803	9.6275006	1
60	9.5918780	9.6278519	0

## 112 Sinus. Tangens.

0	9.9671659	10.3935904	60
1	9.9671148	10.3932263	59
2	9.9670637	10.3928634	58
3	9.9670125	10.3925003	57
4	9.9669614	10.3921373	56
5	9.9669101	10.3917746	55
6	9.9668888	10.3914120	54
7	9.9668075	10.3910497	53
8	9.9667562	10.3906876	52
9	9.9667048	10.3903258	51
10	9.9666533	10.3899641	50
11	9.9666128	10.3896027	49
12	9.9665503	10.3892414	48
13	9.9664987	10.3888804	47
14	9.9664471	10.3	

## 23. Sinus. Tangens.

0	9.5918780	9.6278519	40
1	9.5921755	9.6285931	59
2	9.5924722	9.6285948	58
3	9.5927698	9.6280448	57
4	9.5930666	9.6292553	56
5	9.5933631	9.6296057	55
6	9.5936594	9.6299558	54
7	9.5939551	9.6303498	53
8	9.5942573	9.6306596	52
9	9.5945469	9.6310052	51
10	9.5948422	9.6313545	50
11	9.5951373	9.6317037	49
12	9.5954322	9.6321507	48
13	9.5957258	9.6324015	47
14	9.5960212	9.6327501	46
15	9.5963154	9.6330985	45
16	9.5966093	9.6334468	44
17	9.5969030	9.6337948	43
18	9.5971965	9.6341426	42
19	9.5974897	9.6344003	41
20	9.5977827	9.6348378	40
21	9.5980754	9.6351850	39
22	9.5983679	9.6355321	38
23	9.5986602	9.6358790	37
24	9.5989523	9.6362257	36
25	9.5992441	9.6365722	35
26	9.5995357	9.6369185	34
27	9.5998270	9.6372696	33
28	9.6001181	9.6376106	32
29	9.6004090	9.6379563	31
30	9.6006997	9.6381039	30
31	9.6009901	9.6384673	29
32	9.6012892	9.6389025	28
33	9.6015703	9.6393375	27
34	9.6018600	9.6396823	26
35	9.6021495	9.6400269	25
36	9.6024388	9.6403714	24
37	9.6027273	9.6407156	23
38	9.6030166	9.6410597	22
39	9.6033152	9.6414036	21
40	9.6035936	9.6417473	20
41	9.6038381	9.6420908	19
42	9.6041763	9.6424342	18
43	9.6044573	9.6427773	17
44	9.6047418	9.6431203	16
45	9.6050320	9.6434631	15
46	9.6053190	9.6438057	14
47	9.6056097	9.6441481	13
48	9.6058923	9.6444903	12
49	9.6061786	9.6448324	11
50	9.6064617	9.6451743	10
51	9.6067506	9.6454166	9
52	9.6070362	9.6457575	8
53	9.6073216	9.6461983	7
54	9.6076063	9.6465400	6
55	9.6078918	9.6468810	5
56	9.6081765	9.6472217	4
57	9.6084611	9.6475624	3
58	9.60887454	9.6479028	2
59	9.6090294	9.6482331	1
60	9.6093333	9.6485831	0

## 113. Sinus. Tangens.

0	9.9640261	10.3727481	60
1	9.9639724	10.3717969	59
2	9.9639187	10.3714460	58
3	9.9638650	10.3710952	57
4	9.9638112	10.3707447	56
5	9.9637574	10.3703943	55
6	9.9637136	10.3700442	54
7	9.9636496	10.3696942	53
8	9.9635957	10.3693444	52
9	9.9635417	10.3689948	51
10	9.9634877	10.3686455	50
11	9.9634336	10.3682063	49
12	9.9633795	10.3679473	48
13	9.9633253	10.3675985	47
14	9.9632711	10.3672499	46
15	9.9632168	10.3669015	45
16	9.9631625	10.3665532	44
17	9.9631582	10.3662052	43
18	9.9630538	10.3658747	42
19	9.9629994	10.3655097	41
20	9.9629449	10.3651022	40
21	9.9628904	10.3648150	39
22	9.9628358	10.3644619	38
23	9.9627812	10.3641212	37
24	9.9627266	10.3637743	36
25	9.9626719	10.3634278	35
26	9.9626172	10.3630315	34
27	9.9625624	10.3627354	33
28	9.9625076	10.3623894	32
29	9.9624527	10.3620437	31
30	9.9623978	10.3616981	30
31	9.9623428	10.3613527	29
32	9.9622878	10.3610075	28
33	9.9622328	10.3606025	27
34	9.9621777	10.3602277	26
35	9.9621226	10.3599731	25
36	9.9620674	10.3596286	24
37	9.9620122	10.3592844	23
38	9.9619569	10.3589403	22
39	9.9619076	10.3585964	21
40	9.9618463	10.3582527	20
41	9.9617909	10.3579092	19
42	9.9617358	10.3575558	18
43	9.9616860	10.3572227	17
44	9.9616245	10.3568797	16
45	9.9615689	10.3565369	15
46	9.9615133	10.3560943	14
47	9.9614576	10.3558191	13
48	9.9614020	10.3555097	12
49	9.9613463	10.3551676	11
50	9.9612904	10.3548257	10
51	9.9612346	10.3544840	9
52	9.9611787	10.3541429	8
53	9.9611228	10.3538012	7
54	9.9610668	10.3534060	6
55	9.9610108	10.3531190	5
56	9.9609548	10.3527783	4
57	9.9608987	10.3524376	3
58	9.9608426	10.3520972	2
59	9.9607864	10.3517569	1
60	9.9607302	10.35134169	0

## 24. Sinus. Tangens.

0	9.6093233	9.64285831	60
1	9.6092969	9.6428230	59
2	9.6092803	9.6428263	58
3	9.6102035	9.6426023	57
4	9.6102465	9.64299417	56
5	9.6102723	9.6428089	55
6	9.6102118	9.6426199	54
7	9.6112941	9.64259587	53
8	9.6115762	9.64251294	52
9	9.6118580	9.642516359	51
10	9.6121397	9.642519742	50
11	9.6124211	9.642522123	49
12	9.6127023	9.6425205	48
13	9.6129833	9.642529881	47
14	9.6132641	9.64253257	46
15	9.6135446	9.642536631	45
16	9.6138250	9.642540004	44
17	9.6141051	9.64253375	43
18	9.6143850	9.642546744	42
19	9.6146667	9.642551212	41
20	9.6149441	9.642553477	40
21	9.6152234	9.642558111	39
22	9.6155024	9.64256204	38
23	9.6157812	9.64256564	37
24	9.6160599	9.64256923	36
25	9.6163382	9.64257280	35
26	9.6166164	9.642573636	34
27	9.6168844	9.642576989	33
28	9.6171721	9.64258041	32
29	9.6174496	9.642583692	31
30	9.6177270	9.642587041	30
31	9.6180041	9.642590387	29
32	9.6182839	9.642593733	28
33	9.6185516	9.642597076	27
34	9.6188341	9.64260418	26
35	9.61911703	9.64263755	25
36	9.6193864	9.64267097	24
37	9.6196612	9.642610434	23
38	9.6199378	9.642613769	22
39	9.6202132	9.642617103	21
40	9.6204884	9.642620434	20
41	9.6207634	9.642623759	19
42	9.6210382	9.642627093	18
43	9.6212127	9.642630420	17
44	9.6215871	9.64263745	16
45	9.6218612	9.64267069	15
46	9.6221351	9.642660391	14
47	9.622488	9.642663711	13
48	9.622624	9.642667030	12
49	9.6229557	9.642660346	11
50	9.6232287	9.642663664	10
51	9.6235016	9.64265975	9
52	9.6237743	9.642660288	8
53	9.6241468	9.642663598	7
54	9.6244790	9.642666907	6
55	9.6248571	9.642670214	5
56	9.6248629	9.642673519	4
57	9.6251346	9.642676813	3
58	9.6254060	9.642680126	2
59	9.6257672	9.642683426	1
60	9.62619481	9.642686725	0

## 114. Sinus. Tangens.

0	9.6067302	10.3514169	60
1	9.6066739	10.3512070	59
2	9.6066176	10.3510732	58
3	9.6065612	10.3509397	57
4	9.6065048	10.3508053	56
5	9.6064484	10.3497191	55
6	9.6063919	10.3495380	54
7	9.6063554	10.3494013	53
8	9.6063154	10.3489702	52
9	9.6062722	10.3486222	51
10	9.6062322	10.3483041	50
11	9.6061908	10.3479877	49
12	9.		

## 25 Sinus. Tangens.

0	9.6259483	9.6686725	60
1	9.6262193	9.6690023	59
2	9.6264897	9.6693319	58
3	9.6267601	9.6696613	57
4	9.6270303	9.6699906	56
5	9.6273003	9.6703197	55
6	9.6275701	9.6706486	54
7	9.6278397	9.6709774	53
8	9.6281099	9.6713060	52
9	9.6283782	9.6716345	51
10	9.6286472	9.6719628	50
11	9.6289160	9.6722910	49
12	9.6291843	9.6726190	48
13	9.6294529	9.6729468	47
14	9.6297111	9.6732745	46
15	9.6299890	9.6736020	45
16	9.6302568	9.6739204	44
17	9.6305243	9.6742586	43
18	9.6307917	9.6745836	42
19	9.6310589	9.6749105	41
20	9.6313258	9.6752372	40
21	9.6315926	9.6755638	39
22	9.6318591	9.6758903	38
23	9.6321255	9.6761165	37
24	9.6323916	9.676426	36
25	9.6326576	9.6768686	35
26	9.6329233	9.6771944	34
27	9.6331889	9.6775201	33
28	9.6334542	9.6778456	32
29	9.6337104	9.6781709	31
30	9.6339844	9.6784961	30
31	9.6342491	9.6788211	29
32	9.6345137	9.6791460	28
33	9.6347780	9.6794708	27
34	9.6350422	9.6797953	26
35	9.6353062	9.6801198	25
36	9.6355099	9.6804440	24
37	9.6358335	9.6807682	23
38	9.6360969	9.6810921	22
39	9.6363601	9.6814160	21
40	9.6365831	9.6817396	20
41	9.6368850	9.6820632	19
42	9.6371484	9.6823365	18
43	9.6374108	9.6827098	17
44	9.6376734	9.6830328	16
45	9.6379351	9.6833557	15
46	9.6381969	9.6836785	14
47	9.6384587	9.6840011	13
48	9.6387199	9.6843236	12
49	9.6389812	9.6846459	11
50	9.6392422	9.6849681	10
51	9.6395030	9.6852901	9
52	9.6397637	9.6856120	8
53	9.6401031	9.6859338	7
54	9.6402864	9.6862553	6
55	9.6405445	9.6865768	5
56	9.6408044	9.6869981	4
57	9.6410640	9.6873192	3
58	9.6413235	9.6875402	2
59	9.6414620	9.6878611	1
60	9.6418420	9.6881318	0

## 115 Sinus. Tangens.

0	9.9572757	10.3333278	60
1	9.9572168	10.3309977	59
2	9.9571578	10.3306681	58
3	9.9570988	10.3303387	57
4	9.9570397	10.3300095	56
5	9.9569806	10.3296803	55
6	9.9569215	10.3295154	54
7	9.9568623	10.3290226	53
8	9.9568030	10.3286940	52
9	9.9567437	10.3283655	51
10	9.9566844	10.3280372	50
11	9.9566250	10.3277090	49
12	9.9565656	10.3273810	48
13	9.9565061	10.3270332	47
14	9.9564466	10.3267554	46
15	9.9563870	10.3263980	45
16	9.9563274	10.3260706	44
17	9.9562078	10.3257434	43
18	9.9562081	10.3254164	42
19	9.9561483	10.3250895	41
20	9.9560886	10.3247628	40
21	9.9560287	10.3244936	39
22	9.9559689	10.3241907	38
23	9.9559089	10.3237835	37
24	9.9558490	10.3234574	36
25	9.9557890	10.3231314	35
26	9.9557289	10.3228056	34
27	9.9556688	10.3224799	33
28	9.9556087	10.3221544	32
29	9.9555485	10.3218291	31
30	9.9554882	10.3215039	30
31	9.9554280	10.3211789	29
32	9.9553676	10.3208547	28
33	9.9553073	10.3205244	27
34	9.9552469	10.3202047	26
35	9.9551864	10.3198880	25
36	9.9551259	10.3195560	24
37	9.9550653	10.3192338	23
38	9.9550047	10.3189797	22
39	9.9549441	10.3185840	21
40	9.9548834	10.3182604	20
41	9.9548217	10.3179369	19
42	9.9547619	10.3176135	18
43	9.9547011	10.3172902	17
44	9.9546402	10.3169672	16
45	9.9545793	10.3166443	15
46	9.9545184	10.3163215	14
47	9.9544574	10.3159989	13
48	9.9543963	10.3156764	12
49	9.9543352	10.3153541	11
50	9.9542742	10.3150319	10
51	9.9542129	10.3147099	9
52	9.9541517	10.3144186	8
53	9.9540904	10.3140662	7
54	9.9540291	10.3137447	6
55	9.9539677	10.3134232	5
56	9.9539063	10.3131019	4
57	9.9538443	10.3127808	3
58	9.9537833	10.3124598	2
59	9.9537219	10.3121389	1
60	9.9536602	10.3118182	0

## 26 Sinus. Tangens.

0	9.6418420	9.6381833	60
1	9.6421009	9.6385023	59
2	9.6423596	9.6388227	58
3	9.6426182	9.6391430	57
4	9.6428765	9.6394631	56
5	9.6431347	9.6397821	55
6	9.6433926	9.6401030	54
7	9.6436504	9.6404226	53
8	9.6439030	9.6407422	52
9	9.6441054	9.6410616	51
10	9.6442226	9.6413809	50
11	9.6445793	9.6417000	49
12	9.6449365	9.6420189	48
13	9.6451931	9.6423378	47
14	9.6454496	9.6426565	46
15	9.6457058	9.6429750	45
16	9.6459619	9.6432974	44
17	9.6462178	9.6436117	43
18	9.6464735	9.6439298	42
19	9.6467295	9.6442478	41
20	9.6469844	9.6445656	40
21	9.6472395	9.6448333	39
22	9.6474945	9.6452009	38
23	9.6477492	9.6455183	37
24	9.6480038	9.6458355	36
25	9.6482582	9.6461527	35
26	9.6485124	9.6464697	34
27	9.6487665	9.6467865	33
28	9.6490203	9.6471072	32
29	9.6491740	9.6474198	31
30	9.6495274	9.6477363	30
31	9.6497807	9.6480526	29
32	9.6500338	9.6483687	28
33	9.6502868	9.6486847	27
34	9.6505395	9.6490006	26
35	9.6507920	9.6491164	25
36	9.6510444	9.6496620	24
37	9.6512966	9.6499474	23
38	9.6515496	9.7001618	22
39	9.6518004	9.7005780	21
40	9.6520521	9.7008300	20
41	9.6523035	9.7012080	19
42	9.6525548	9.7015227	18
43	9.6528059	9.7018374	17
44	9.6530569	9.7021519	16
45	9.6533073	9.7024603	15
46	9.6535581	9.7027805	14
47	9.6538084	9.7030946	13
48	9.6540588	9.7034086	12
49	9.6543086	9.7037225	11
50	9.6545584	9.7040362	10
51	9.6548081	9.7043497	9
52	9.6550568	9.7046612	8
53	9.6553068	9.7049765	7
54	9.6555599	9.7052897	6
55	9.6558043	9.7056027	5
56	9.6560536	9.7059156	4
57	9.6563021	9.7062284	3
58	9.6565505	9.7065410	2
59	9.6568797	9.7068355	1
60	9.6570468	9.7071659	0

## 116 Sinus. Tangens.

0	9.9536602	10.3118182	60
1	9.9539085	10.3114977	59
2	9.9539336	10.3111773	58
3	9.9539751	10.3108570	57
4	9.95394134	10.3105369	56
5	9.9539315	10.3102169	55
6	9.9539289	10.3098970	54
7	9.9539227	10.3095774	53
8	9.9539165	10.3092578	52
9	9.9539103	10.3089384	51
10	9.9538941	10.3086191	50
11	9.9538797	10.3083000	49
12	9.9538631	10.3080702	48
13	9.9538473	10.3076602	47
14	9.9538315	10.3073435	46
15	9.9538171	10.3070237	45
16	9.9537953	10.3067037	44
17	9.9537715	10.3063837	

## 27 Sinus. Tangens.

0	9.6570468	9.7071659	60
1	9.6572946	9.7074781	59
2	9.6575423	9.7077902	58
3	9.6577828	9.7081022	57
4	9.6580371	9.7084141	56
5	9.6582842	9.7087258	55
6	9.6585312	9.7090374	54
7	9.6587780	9.7093488	53
8	9.6590246	9.7096601	52
9	9.6592710	9.7099713	51
10	9.6595173	9.7102824	50
11	9.6597634	9.7105933	49
12	9.6600093	9.7109241	48
13	9.6602550	9.7112148	47
14	9.6605005	9.7115254	46
15	9.6607459	9.7118353	45
16	9.6609911	9.7121461	44
17	9.6612361	9.7124562	43
18	9.6614810	9.7127662	42
19	9.6617257	9.7130761	41
20	9.6619702	9.7133859	40
21	9.6622145	9.7136956	39
22	9.6624586	9.7140051	38
23	9.6627026	9.7143145	37
24	9.6629464	9.7146257	36
25	9.6631900	9.7149329	35
26	9.6634335	9.7152419	34
27	9.6636768	9.7155508	33
28	9.6639199	9.7158595	32
29	9.6641623	9.7161682	31
30	9.6644056	9.7164767	30
31	9.6646482	9.7167851	29
32	9.6648906	9.7170993	28
33	9.6651349	9.7174014	27
34	9.6653749	9.7177094	26
35	9.6656108	9.7180173	25
36	9.6658585	9.7183251	24
37	9.6659001	9.7186327	23
38	9.6663415	9.7189402	22
39	9.6665818	9.7192476	21
40	9.6668238	9.7195549	20
41	9.6670647	9.7198629	19
42	9.6673054	9.7201090	18
43	9.6675459	9.7204759	17
44	9.6677863	9.7207827	16
45	9.6680265	9.7210893	15
46	9.6682665	9.7213958	14
47	9.6685064	9.7217022	13
48	9.6687461	9.7220085	12
49	9.6689856	9.7223147	11
50	9.6692250	9.7226207	10
51	9.6694660	9.7229266	9
52	9.6697032	9.7232324	8
53	9.6699420	9.7235181	7
54	9.6701807	9.7238436	6
55	9.6704192	9.7241490	5
56	9.6706576	9.7244543	4
57	9.6708598	9.7247595	3
58	9.6711338	9.7250646	2
59	9.6713716	9.7253695	1
60	9.6716093	9.7256744	0

## 117 Sinus. Tangens.

0	9.9498309	10.2928343	60
1	9.9498165	10.2925219	59
2	9.9497521	10.2922098	58
3	9.9496876	10.2918978	57
4	9.9496330	10.2915859	56
5	9.9495585	10.2912742	55
6	9.9494938	10.2909616	54
7	9.9494492	10.2906521	53
8	9.9493645	10.2903399	52
9	9.9492997	10.2900287	51
10	9.9492349	10.2897176	50
11	9.9491700	10.2894667	49
12	9.9491051	10.2890959	48
13	9.9490402	10.2887852	47
14	9.9489752	10.2884746	46
15	9.9489101	10.2881662	45
16	9.9488450	10.2883539	44
17	9.9487709	10.2875438	43
18	9.9487147	10.2872318	42
19	9.9486495	10.2869239	41
20	9.9485842	10.2866141	40
21	9.9485169	10.2863044	39
22	9.9484535	10.2859949	38
23	9.9483881	10.2856855	37
24	9.9483227	10.2853763	36
25	9.9482572	10.2850671	35
26	9.9481916	10.2847581	34
27	9.9481260	10.2844492	33
28	9.9480604	10.2841405	32
29	9.9479947	10.2838318	31
30	9.9479289	10.2835233	30
31	9.9478631	10.2832149	29
32	9.9477973	10.2829067	28
33	9.9477314	10.2825986	27
34	9.9476655	10.2822906	26
35	9.9475995	10.2819827	25
36	9.9475335	10.2816749	24
37	9.9474674	10.2813673	23
38	9.9474013	10.2810598	22
39	9.9473352	10.2807524	21
40	9.9472689	10.2804451	20
41	9.9472027	10.2801380	19
42	9.9471364	10.2798310	18
43	9.9470700	10.2795241	17
44	9.9470036	10.2792173	16
45	9.9469372	10.2789107	15
46	9.9468707	10.2786642	14
47	9.9468042	10.2783978	13
48	9.9467376	10.2779915	12
49	9.9466970	10.2776853	11
50	9.9466643	10.2773793	10
51	9.9465376	10.2770734	9
52	9.9464708	10.2767676	8
53	9.9464040	10.2764619	7
54	9.9463371	10.2761564	6
55	9.9462702	10.2758510	5
56	9.9462032	10.2755457	4
57	9.9461362	10.2752405	3
58	9.9460692	10.2749354	2
59	9.9460021	10.2746305	1
60	9.9459349	10.2743256	0

## 28 Sinus. Tangens.

0	9.6716093	9.7256744	60
1	9.6718468	9.7259791	59
2	9.6720841	9.7262837	58
3	9.6723213	9.7265881	57
4	9.6725583	9.7268925	56
5	9.6727952	9.7271967	55
6	9.6730319	9.7275008	54
7	9.6732684	9.7278048	53
8	9.6735247	9.7281087	52
9	9.6737409	9.7284124	51
10	9.6739769	9.7287161	50
11	9.6742128	9.7290196	49
12	9.6744488	9.7293230	48
13	9.6746840	9.7296263	47
14	9.6749194	9.7299295	46
15	9.6751546	9.7302325	45
16	9.6753896	9.7305354	44
17	9.6756245	9.7308383	43
18	9.675892	9.7311410	42
19	9.6760937	9.7314436	41
20	9.6763281	9.7317460	40
21	9.6765623	9.7320484	39
22	9.6767963	9.7323506	38
23	9.6770302	9.7326527	37
24	9.6772640	9.7329547	36
25	9.6774975	9.7332566	35
26	9.6777309	9.7335584	34
27	9.6779642	9.7338601	33
28	9.6781972	9.7341616	32
29	9.6784301	9.7344631	31
30	9.6786629	9.7347644	30
31	9.6788955	9.7350666	29
32	9.6791279	9.7353667	28
33	9.6793602	9.7356677	27
34	9.6795923	9.7359685	26
35	9.6798243	9.7362693	25
36	9.6800560	9.7365699	24
37	9.68042877	9.7368705	23
38	9.6805191	9.7371709	22
39	9.6807524	9.7374712	21
40	9.6809816	9.7377714	20
41	9.6812126	9.7380715	19
42	9.6814434	9.7383714	18
43	9.6816741	9.7386713	17
44	9.6819466	9.7389710	16
45	9.6821349	9.7392707	15
46	9.6823651	9.7395702	14
47	9.6825952	9.7398696	13
48	9.6828250	9.7401689	12
49	9.6830548	9.7404681	11
50	9.6831843	9.7407672	10
51	9.6835137	9.7410662	9
52	9.6837430	9.7413650	8
53	9.6839726	9.7416638	7
54	9.6842010	9.7419624	6
55	9.6844297	9.7422609	5
56	9.6846581	9.7425594	4
57	9.6848868	9.7428577	3
58	9.6851151	9.7431559	2
59	9.6853432	9.7434540	1
60	9.6855712	9.7437520	0

## 118 Sinus. Tangens.

0	9.9459349	10.2743256	60
1	9.9458677	10.274209	59
2	9.9458005	10.2737163	58
3	9.9457332	10.2734119	57
4	9.9456659	10.2731075	56
5	9.9455885	10.2728033	55
6	9.9455110	10.2724992	54
7	9.9454636	10.2721952	53
8	9.9453960	10.2718913	52
9	9.9453285	10.2715876	51
10	9.9452609	10.2712819	50
11	9.9451931	10.2709804	49
12	9.9451255	10.2706770	48
13	9.9450577	10.2703737	47
14	9.9449899	10.2700705	46
15	9.9449220	10.269	

Sinus.	Tangens.	120
0.9659720	0.7161731	0
0.96999187	0.7161731	1
0.969994037	0.7162227	2
0.969996494	0.716260595	3
0.969996494	0.716261444	4
0.969996494	0.716261444	5
0.969996494	0.716261444	6
0.969996494	0.716261444	7
0.969996494	0.716261444	8
0.969996494	0.716261444	9
0.969996494	0.716261444	10
0.969996494	0.716261444	11
0.969996494	0.716261444	12
0.969996494	0.716261444	13
0.969996494	0.716261444	14
0.969996494	0.716261444	15
0.969996494	0.716261444	16
0.969996494	0.716261444	17
0.969996494	0.716261444	18
0.969996494	0.716261444	19
0.969996494	0.716261444	20
0.969996494	0.716261444	21
0.969996494	0.716261444	22
0.969996494	0.716261444	23
0.969996494	0.716261444	24
0.969996494	0.716261444	25
0.969996494	0.716261444	26
0.969996494	0.716261444	27
0.969996494	0.716261444	28
0.969996494	0.716261444	29
0.969996494	0.716261444	30
0.969996494	0.716261444	31
0.969996494	0.716261444	32
0.969996494	0.716261444	33
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0.969996494	0.716261444	35
0.969996494	0.716261444	36
0.969996494	0.716261444	37
0.969996494	0.716261444	38
0.969996494	0.716261444	39
0.969996494	0.716261444	40
0.969996494	0.716261444	41
0.969996494	0.716261444	42
0.969996494	0.716261444	43
0.969996494	0.716261444	44
0.969996494	0.716261444	45
0.969996494	0.716261444	46
0.969996494	0.716261444	47
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0.969996494	0.716261444	50
0.969996494	0.716261444	51
0.969996494	0.716261444	52
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0.969996494	0.716261444	54
0.969996494	0.716261444	55
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0.969996494	0.716261444	57
0.969996494	0.716261444	58
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0.969996494	0.716261444	62
0.969996494	0.716261444	63
0.969996494	0.716261444	64
0.969996494	0.716261444	65
0.969996494	0.716261444	66
0.969996494	0.716261444	67
0.969996494	0.716261444	68
0.969996494	0.716261444	69
0.969996494	0.716261444	70
0.969996494	0.716261444	71
0.969996494	0.716261444	72
0.969996494	0.716261444	73
0.969996494	0.716261444	74
0.969996494	0.716261444	75
0.969996494	0.716261444	76
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0.969996494	0.716261444	78
0.969996494	0.716261444	79
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0.969996494	0.716261444	82
0.969996494	0.716261444	83
0.969996494	0.716261444	84
0.969996494	0.716261444	85
0.969996494	0.716261444	86
0.969996494	0.716261444	87
0.969996494	0.716261444	88
0.969996494	0.716261444	89
0.969996494	0.716261444	90
0.969996494	0.716261444	91
0.969996494	0.716261444	92
0.969996494	0.716261444	93
0.969996494	0.716261444	94
0.969996494	0.716261444	95
0.969996494	0.716261444	96
0.969996494	0.716261444	97
0.969996494	0.716261444	98
0.969996494	0.716261444	99
0.969996494	0.716261444	100

	Sinus.	Tangens.	Cosecans.	Secans.	Cotangens.	
0	9.34918193	10.2562480	9.34918193	10.2562480	9.34918193	9.34918193
1	9.34917191	10.25595091	9.34917191	10.25595091	9.34917191	9.34917191
2	9.34916900	10.25550572	9.34916900	10.25550572	9.34916900	9.34916900
3	9.34916593	10.25517244	9.34916593	10.25517244	9.34916593	9.34916593
4	9.34915382	10.25444624	9.34915382	10.25444624	9.34915382	9.34915382
5	9.34915090	10.25255347	9.34915090	10.25255347	9.34915090	9.34915090
6	9.34914693	10.25131924	9.34914693	10.25131924	9.34914693	9.34914693
7	9.34914161	10.24977624	9.34914161	10.24977624	9.34914161	9.34914161
8	9.34913788	10.24826882	9.34913788	10.24826882	9.34913788	9.34913788
9	9.34913390	10.24711904	9.34913390	10.24711904	9.34913390	9.34913390
10	9.34912911	10.24597758	9.34912911	10.24597758	9.34912911	9.34912911
11	9.34912450	10.24472287	9.34912450	10.24472287	9.34912450	9.34912450
12	9.34911982	10.24346053	9.34911982	10.24346053	9.34911982	9.34911982
13	9.34911516	10.24217617	9.34911516	10.24217617	9.34911516	9.34911516
14	9.34911048	10.24088248	9.34911048	10.24088248	9.34911048	9.34911048
15	9.34910579	10.23948480	9.34910579	10.23948480	9.34910579	9.34910579
16	9.34910109	10.23813413	9.34910109	10.23813413	9.34910109	9.34910109
17	9.34909641	10.23673347	9.34909641	10.23673347	9.34909641	9.34909641
18	9.34909172	10.23531282	9.34909172	10.23531282	9.34909172	9.34909172
19	9.34908705	10.23441217	9.34908705	10.23441217	9.34908705	9.34908705
20	9.34908238	10.23347154	9.34908238	10.23347154	9.34908238	9.34908238
21	9.34907769	10.23244702	9.34907769	10.23244702	9.34907769	9.34907769
22	9.34907301	10.23141031	9.34907301	10.23141031	9.34907301	9.34907301
23	9.34906833	10.23039271	9.34906833	10.23039271	9.34906833	9.34906833
24	9.34906365	10.22935912	9.34906365	10.22935912	9.34906365	9.34906365
25	9.34905894	10.22831554	9.34905894	10.22831554	9.34905894	9.34905894
26	9.34905428	10.22727179	9.34905428	10.22727179	9.34905428	9.34905428
27	9.34904961	10.22624741	9.34904961	10.22624741	9.34904961	9.34904961
28	9.34904493	10.22521686	9.34904493	10.22521686	9.34904493	9.34904493
29	9.34904025	10.22419053	9.34904025	10.22419053	9.34904025	9.34904025
30	9.34903558	10.22315580	9.34903558	10.22315580	9.34903558	9.34903558
31	9.34903090	10.22212728	9.34903090	10.22212728	9.34903090	9.34903090
32	9.34902621	10.22109977	9.34902621	10.22109977	9.34902621	9.34902621
33	9.34902153	10.22007291	9.34902153	10.22007291	9.34902153	9.34902153
34	9.34901685	10.19895378	9.34901685	10.19895378	9.34901685	9.34901685
35	9.34901217	10.19781311	9.34901217	10.19781311	9.34901217	9.34901217
36	9.34900749	10.19671284	9.34900749	10.19671284	9.34900749	9.34900749
37	9.34900281	10.19561258	9.34900281	10.19561258	9.34900281	9.34900281
38	9.34900813	10.19451294	9.34900813	10.19451294	9.34900813	9.34900813
39	9.34900345	10.19350150	9.34900345	10.19350150	9.34900345	9.34900345
40	9.34900877	10.19250308	9.34900877	10.19250308	9.34900877	9.34900877
41	9.34900409	10.19150601	9.34900409	10.19150601	9.34900409	9.34900409
42	9.34900941	10.19050626	9.34900941	10.19050626	9.34900941	9.34900941
43	9.34900473	10.18951237	9.34900473	10.18951237	9.34900473	9.34900473
44	9.34900005	10.18851191	9.34900005	10.18851191	9.34900005	9.34900005
45	9.34899537	10.18751153	9.34899537	10.18751153	9.34899537	9.34899537
46	9.34899069	10.18651115	9.34899069	10.18651115	9.34899069	9.34899069
47	9.34898601	10.18551076	9.34898601	10.18551076	9.34898601	9.34898601
48	9.34898133	10.18451039	9.34898133	10.18451039	9.34898133	9.34898133
49	9.34897665	10.18351001	9.34897665	10.18351001	9.34897665	9.34897665
50	9.34897197	10.18250963	9.34897197	10.18250963	9.34897197	9.34897197
51	9.34896729	10.18150924	9.34896729	10.18150924	9.34896729	9.34896729
52	9.34896261	10.18050886	9.34896261	10.18050886	9.34896261	9.34896261
53	9.34895793	10.17950847	9.34895793	10.17950847	9.34895793	9.34895793
54	9.34895325	10.17850808	9.34895325	10.17850808	9.34895325	9.34895325
55	9.34894857	10.17750769	9.34894857	10.17750769	9.34894857	9.34894857
56	9.34894389	10.17650730	9.34894389	10.17650730	9.34894389	9.34894389
57	9.34893921	10.17550691	9.34893921	10.17550691	9.34893921	9.34893921
58	9.34893453	10.17450652	9.34893453	10.17450652	9.34893453	9.34893453
59	9.34892985	10.17350613	9.34892985	10.17350613	9.34892985	9.34892985
60	9.34892517	10.17250574	9.34892517	10.17250574	9.34892517	9.34892517

## 31 | Sinus. | Tangens.

0	9.7119393	9.7787737	60
1	9.7120495	9.7790599	59
2	9.7122596	9.7793459	58
3	9.7124695	9.7796318	57
4	9.7126792	9.7799177	56
5	9.7128889	9.7802034	55
6	9.7130983	9.7804891	54
7	9.7133077	9.7807747	53
8	9.7135169	9.7810602	52
9	9.7137260	9.7813456	51
10	9.7139349	9.7816309	50
11	9.7141437	9.7819162	49
12	9.7143524	9.7822013	48
13	9.7145609	9.7824864	47
14	9.7147693	9.7827773	46
15	9.7149776	9.7830562	45
16	9.7151857	9.7833410	44
17	9.7153937	9.7836258	43
18	9.7156015	9.7839194	42
19	9.7158092	9.7841949	41
20	9.7160168	9.7844794	40
21	9.7162243	9.7847618	39
22	9.7164316	9.7850481	38
23	9.7166387	9.7853222	37
24	9.7168458	9.7856164	36
25	9.7170526	9.7859004	35
26	9.7172594	9.7861844	34
27	9.7174660	9.7864632	33
28	9.7176725	9.7867520	32
29	9.7178789	9.7870357	31
30	9.7180851	9.7873193	30
31	9.7182912	9.7876028	29
32	9.7184971	9.7878863	28
33	9.7187030	9.7881696	27
34	9.7189086	9.7884529	26
35	9.7191142	9.7887361	25
36	9.7193196	9.7890192	24
37	9.7195249	9.7893023	23
38	9.7197300	9.7895982	22
39	9.7199350	9.7898681	21
40	9.7201399	9.7901508	20
41	9.7203447	9.7904335	19
42	9.7205493	9.7907161	18
43	9.7207538	9.7909987	17
44	9.7210581	9.7912871	16
45	9.7211623	9.7915635	15
46	9.7213664	9.7918453	14
47	9.7215704	9.7921280	13
48	9.7217742	9.7924101	12
49	9.7219779	9.7926921	11
50	9.7221814	9.7929741	10
51	9.7223848	9.7932560	9
52	9.7225881	9.7935378	8
53	9.7227913	9.7938195	7
54	9.7229943	9.7941011	6
55	9.7231972	9.7943827	5
56	9.7234000	9.7946647	4
57	9.7236026	9.7949455	3
58	9.7238051	9.7952268	2
59	9.7240075	9.7955081	1
60	9.7242097	9.7957892	0

## 121 | Sinus. | Tangens.

0	9.9330656	10.2212263	60
1	9.9329897	10.2209401	59
2	9.9329137	10.2206541	58
3	9.9328376	10.2203682	57
4	9.9327616	10.2200823	56
5	9.9326854	10.2197966	55
6	9.9326092	10.2195109	54
7	9.9325330	10.2192533	53
8	9.9324567	10.2189398	52
9	9.9323804	10.2186544	51
10	9.9323160	10.2183691	50
11	9.9322276	10.2180838	49
12	9.9321511	10.2177987	48
13	9.9320746	10.2175136	47
14	9.9319980	10.2172287	46
15	9.9319213	10.2169438	45
16	9.9318447	10.2166990	44
17	9.9317679	10.2163742	43
18	9.9316911	10.2160896	42
19	9.9316143	10.2158051	41
20	9.9315374	10.2155206	40
21	9.9314605	10.2152362	39
22	9.9313835	10.2149519	38
23	9.9313065	10.2146677	37
24	9.9312294	10.2143836	36
25	9.9311522	10.2140996	35
26	9.9310750	10.2138158	34
27	9.9309978	10.2135318	33
28	9.9309205	10.2132480	32
29	9.9308432	10.2129643	31
30	9.9307658	10.2126807	30
31	9.9306883	10.2123972	29
32	9.9306109	10.2121137	28
33	9.9305333	10.2118304	27
34	9.9304557	10.2115471	26
35	9.9303781	10.2112639	25
36	9.9303004	10.2109808	24
37	9.9302226	10.2106977	23
38	9.9301748	10.2104148	22
39	9.9300670	10.2101319	21
40	9.9299891	10.2098492	20
41	9.9299112	10.2095665	19
42	9.9298332	10.2092839	18
43	9.9297551	10.2090013	17
44	9.9296770	10.2087189	16
45	9.9295989	10.2084265	15
46	9.9295207	10.2081542	14
47	9.9294424	10.2078720	13
48	9.9293641	10.2075899	12
49	9.9292857	10.2073079	11
50	9.9292073	10.2070259	10
51	9.9291189	10.2067440	9
52	9.9290504	10.2064622	8
53	9.9289718	10.2061805	7
54	9.9288932	10.2058989	6
55	9.9288145	10.2056173	5
56	9.9287358	10.2053359	4
57	9.9286571	10.2050545	3
58	9.9285783	10.2047732	2
59	9.9284924	10.2044919	1
60	9.9284205	10.2042108	0

## 32 | Sinus. | Tangens.

0	9.7243097	9.7957892	60
1	9.7244118	9.7956070	59
2	9.7246338	9.7955153	58
3	9.7248156	9.7956632	57
4	9.7250174	9.7959913	56
5	9.7252189	9.7971938	55
6	9.7254204	9.7974745	54
7	9.7256217	9.7977551	53
8	9.7258229	9.7980356	52
9	9.7260240	9.7983160	51
10	9.7262249	9.7985064	50
11	9.7264257	9.7988767	49
12	9.7266264	9.7991569	48
13	9.7268262	9.7994470	47
14	9.7270273	9.7997170	46
15	9.7272276	9.7999970	45
16	9.7274278	9.8002769	44
17	9.7276278	9.8005567	43
18	9.7278277	9.8008365	42
19	9.7280275	9.8011161	41
20	9.7282271	9.8013957	40
21	9.7284267	9.8016752	39
22	9.7286260	9.8019546	38
23	9.7288253	9.8022340	37
24	9.7290244	9.8025133	36
25	9.7292234	9.8027925	35
26	9.7294223	9.8030716	34
27	9.7296211	9.8033506	33
28	9.7298197	9.8036296	32
29	9.7300182	9.8039085	31
30	9.7302165	9.8041873	30
31	9.7304148	9.8044661	29
32	9.7306129	9.8047447	28
33	9.7308109	9.8050233	27
34	9.7310087	9.8053019	26
35	9.7312064	9.8055803	25
36	9.7314040	9.8058587	24
37	9.7316015	9.8061370	23
38	9.7317989	9.8064152	22
39	9.7319961	9.8066933	21
40	9.7321932	9.8069714	20
41	9.7323902	9.8072494	19
42	9.7325870	9.8075273	18
43	9.7327837	9.8078052	17
44	9.7329803	9.8080829	16
45	9.7331768	9.8083606	15
46	9.7333731	9.8086383	14
47	9.7335693	9.8089158	13
48	9.7337654	9.8091933	12
49	9.7339614	9.8094907	11
50	9.7341572	9.8097480	10
51	9.7343529	9.8100253	9
52	9.7345485	9.8103025	8
53	9.7347440	9.8105796	7
54	9.7349393	9.8108566	6
55	9.7351345	9.8111336	5
56	9.7353296	9.8114105	4
57	9.7355246	9.8116873	3
58	9.7357195	9.8119641	2
59	9.7359142	9.8122408	1
60	9.7361088	9.8125174	0

## 122 | Sinus. | Tangens.

0	9.92184205	10.2042108	60
1	9.92283418	10.2052947	59
2	9.92382625	10.2063687	58
3	9.92481834	10.2073678	57
4	9.92581043	10.2083070	56
5	9.92680251	10.2092062	55
6	9.92784559	10.2102555	54
7	9.9278666	10.2102449	53
8	9.9277873	10.2101644	52
9	9.9277079	10.21016840	51
10	9.9276285	10.21014036	50
11	9.9275499	10.2101233	49
12	9.9274695	10.21008431	48
13	9.9273899	10.2005630	47
14	9.9273103	10.2002830	46
15	9		

Page	Section	Text
1	Sinus.	1. <i>Lungsens.</i>
2		2. <i>Urticaria.</i>
3		3. <i>Angens.</i>
4		4. <i>Urticaria.</i>
5		5. <i>Angens.</i>
6		6. <i>Urticaria.</i>
7		7. <i>Angens.</i>
8		8. <i>Urticaria.</i>
9		9. <i>Angens.</i>
10		10. <i>Urticaria.</i>
11		11. <i>Angens.</i>
12		12. <i>Urticaria.</i>
13		13. <i>Angens.</i>
14		14. <i>Urticaria.</i>
15		15. <i>Angens.</i>
16		16. <i>Urticaria.</i>
17		17. <i>Angens.</i>
18		18. <i>Urticaria.</i>
19		19. <i>Angens.</i>
20		20. <i>Urticaria.</i>
21		21. <i>Angens.</i>
22		22. <i>Urticaria.</i>
23		23. <i>Angens.</i>
24		24. <i>Urticaria.</i>
25		25. <i>Angens.</i>
26		26. <i>Urticaria.</i>
27		27. <i>Angens.</i>
28		28. <i>Urticaria.</i>
29		29. <i>Angens.</i>
30		30. <i>Urticaria.</i>
31		31. <i>Angens.</i>
32		32. <i>Urticaria.</i>
33		33. <i>Angens.</i>
34		34. <i>Urticaria.</i>
35		35. <i>Angens.</i>
36		36. <i>Urticaria.</i>
37		37. <i>Angens.</i>
38		38. <i>Urticaria.</i>
39		39. <i>Angens.</i>
40		40. <i>Urticaria.</i>
41		41. <i>Angens.</i>
42		42. <i>Urticaria.</i>
43		43. <i>Angens.</i>
44		44. <i>Urticaria.</i>
45		45. <i>Angens.</i>
46		46. <i>Urticaria.</i>
47		47. <i>Angens.</i>
48		48. <i>Urticaria.</i>
49		49. <i>Angens.</i>
50		50. <i>Urticaria.</i>
51		51. <i>Angens.</i>
52		52. <i>Urticaria.</i>
53		53. <i>Angens.</i>
54		54. <i>Urticaria.</i>
55		55. <i>Angens.</i>
56		56. <i>Urticaria.</i>
57		57. <i>Angens.</i>
58		58. <i>Urticaria.</i>
59		59. <i>Angens.</i>
60		60. <i>Urticaria.</i>
61		61. <i>Angens.</i>
62		62. <i>Urticaria.</i>
63		63. <i>Angens.</i>
64		64. <i>Urticaria.</i>
65		65. <i>Angens.</i>
66		66. <i>Urticaria.</i>
67		67. <i>Angens.</i>
68		68. <i>Urticaria.</i>
69		69. <i>Angens.</i>
70		70. <i>Urticaria.</i>
71		71. <i>Angens.</i>
72		72. <i>Urticaria.</i>
73		73. <i>Angens.</i>
74		74. <i>Urticaria.</i>
75		75. <i>Angens.</i>
76		76. <i>Urticaria.</i>
77		77. <i>Angens.</i>
78		78. <i>Urticaria.</i>
79		79. <i>Angens.</i>
80		80. <i>Urticaria.</i>
81		81. <i>Angens.</i>
82		82. <i>Urticaria.</i>
83		83. <i>Angens.</i>
84		84. <i>Urticaria.</i>
85		85. <i>Angens.</i>
86		86. <i>Urticaria.</i>
87		87. <i>Angens.</i>
88		88. <i>Urticaria.</i>
89		89. <i>Angens.</i>
90		90. <i>Urticaria.</i>
91		91. <i>Angens.</i>
92		92. <i>Urticaria.</i>
93		93. <i>Angens.</i>
94		94. <i>Urticaria.</i>
95		95. <i>Angens.</i>
96		96. <i>Urticaria.</i>
97		97. <i>Angens.</i>
98		98. <i>Urticaria.</i>
99		99. <i>Angens.</i>

## 35 Sinus. | Tangens.

0	9.7585913	9.8452268	60
1	9.7587717	9.8454956	59
2	9.7589519	9.8457644	58
3	9.7591321	9.8460332	57
4	9.7593121	9.8463018	56
5	9.7594920	9.8465705	55
6	9.7596718	9.8468390	54
7	9.7598515	9.8471075	53
8	9.7600311	9.8473700	52
9	9.7602106	9.8476444	51
10	9.7603899	9.8479127	50
11	9.7605692	9.8481810	49
12	9.7607483	9.8484492	48
13	9.7609274	9.8487174	47
14	9.7611063	9.8489855	46
15	9.7612851	9.8492536	45
16	9.7614638	9.8495216	44
17	9.7616424	9.8497896	43
18	9.7618208	9.8500575	42
19	9.7619992	9.8503253	41
20	9.7621775	9.8505931	40
21	9.7623556	9.8508608	39
22	9.7625337	9.8511285	38
23	9.7627116	9.8513961	37
24	9.7628994	9.8516637	36
25	9.7630671	9.8519372	35
26	9.7632447	9.8521987	34
27	9.7634222	9.8524667	33
28	9.7635996	9.8527335	32
29	9.7637769	9.8530008	31
30	9.7639540	9.8532680	30
31	9.7641311	9.8535352	29
32	9.7643080	9.8538023	28
33	9.7644849	9.8540694	27
34	9.7646616	9.8543365	26
35	9.7648382	9.8546034	25
36	9.7650147	9.8548704	24
37	9.7651911	9.8551372	23
38	9.7653674	9.8554041	22
39	9.7655436	9.8556708	21
40	9.7657197	9.8559376	20
41	9.7658957	9.8562042	19
42	9.7660715	9.8564708	18
43	9.7662473	9.8567374	17
44	9.7664229	9.8570039	16
45	9.7665985	9.8572704	15
46	9.7667739	9.8575368	14
47	9.7669492	9.8578031	13
48	9.7671244	9.8580694	12
49	9.7672996	9.8583357	11
50	9.7674746	9.8586019	10
51	9.7676494	9.8588680	9
52	9.7678242	9.8591341	8
53	9.7679989	9.8594002	7
54	9.7681735	9.8596661	6
55	9.7683480	9.8599321	5
56	9.7685223	9.8601980	4
57	9.7686966	9.8604638	3
58	9.7688707	9.8607296	2
59	9.7690443	9.8609954	1
60	9.7692187	9.8612610	0

## 125 Sinus. | Tangens.

0	9.91333645	10.1547732	60
1	9.9132760	10.1545044	59
2	9.9131875	10.1542356	58
3	9.9130989	10.1539668	57
4	9.9130202	10.1536982	56
5	9.9129215	10.1534295	55
6	9.9128328	10.1531610	54
7	9.9127440	10.1528925	53
8	9.9126551	10.1526240	52
9	9.9125662	10.1523356	51
10	9.9124772	10.1520873	50
11	9.9123882	10.1518190	49
12	9.9122991	10.1515508	48
13	9.9122099	10.1512826	47
14	9.9121207	10.1510145	46
15	9.9120315	10.1507464	45
16	9.9119422	10.1504784	44
17	9.9118528	10.1502104	43
18	9.9117634	10.1499425	42
19	9.9116739	10.1496747	41
20	9.9115844	10.1494069	40
21	9.9114948	10.1491392	39
22	9.9114051	10.1488715	38
23	9.9113155	10.1486039	37
24	9.9112257	10.1483363	36
25	9.9111359	10.1480688	35
26	9.9110460	10.1478073	34
27	9.9109561	10.1475339	33
28	9.9108661	10.1472665	32
29	9.9107761	10.1469992	31
30	9.9106860	10.1467220	30
31	9.9105959	10.1464648	29
32	9.9105057	10.1461977	28
33	9.9104155	10.1459306	27
34	9.9103251	10.1456635	26
35	9.9102348	10.1453966	25
36	9.9101444	10.1451296	24
37	9.9100539	10.1448623	23
38	9.9099634	10.1445959	22
39	9.9098728	10.1443292	21
40	9.9097821	10.1440624	20
41	9.9096975	10.1437958	19
42	9.9096007	10.1435292	18
43	9.9095099	10.1432626	17
44	9.9094190	10.1429961	16
45	9.9093281	10.1427296	15
46	9.9092371	10.1424632	14
47	9.9091461	10.1421969	13
48	9.9090550	10.1419305	12
49	9.9089639	10.1416643	11
50	9.9088727	10.1413981	10
51	9.9087814	10.1411200	9
52	9.9086901	10.1408659	8
53	9.9085988	10.1405998	7
54	9.9085073	10.1403339	6
55	9.9084159	10.1400679	5
56	9.9083243	10.1398020	4
57	9.9082327	10.1395362	3
58	9.9081411	10.1392704	2
59	9.9080494	10.1390646	1
60	9.9079576	10.1387390	0

## 36 Sinus. | Tangens.

0	9.7692187	9.8612610	60
1	9.7693925	9.8615267	59
2	9.7695662	9.8617923	58
3	9.7697398	9.8620578	57
4	9.7699134	9.8622333	56
5	9.7700868	9.8625887	55
6	9.7702601	9.8628541	54
7	9.7704332	9.8631195	53
8	9.7706063	9.8633848	52
9	9.7707793	9.8636500	51
10	9.7709522	9.8639152	50
11	9.7711249	9.8641803	49
12	9.7712976	9.8644454	48
13	9.7714702	9.8647105	47
14	9.7716426	9.8649755	46
15	9.7718150	9.8652404	45
16	9.7719872	9.8655053	44
17	9.7721593	9.8657702	43
18	9.7723314	9.8660350	42
19	9.7725033	9.8662997	41
20	9.7726751	9.8665644	40
21	9.7728468	9.8668291	39
22	9.7730185	9.8670937	38
23	9.7731900	9.8673583	37
24	9.7733674	9.8676228	36
25	9.7735327	9.8678873	35
26	9.7737039	9.8681517	34
27	9.7738749	9.8684160	33
28	9.7740459	9.8686804	32
29	9.7742168	9.8680446	31
30	9.7743876	9.8682089	30
31	9.7745583	9.8684731	29
32	9.7747288	9.8687372	28
33	9.7748993	9.8690001	27
34	9.7750697	9.8670265	26
35	9.7752309	9.8670529	25
36	9.7754101	9.8670933	24
37	9.7755801	9.8671057	23
38	9.7757501	9.8671210	22
39	9.7759199	9.8671582	21
40	9.7760897	9.8671848	20
41	9.7762593	9.8672123	19
42	9.7764289	9.8672376	18
43	9.7765983	9.8672636	17
44	9.7767676	9.8672902	16
45	9.7769369	9.8673168	15
46	9.7771060	9.8673402	14
47	9.7772750	9.8673697	13
48	9.7774439	9.8673957	12
49	9.7776128	9.8674220	11
50	9.7777815	9.8674483	10
51	9.7779501	9.8674740	9
52	9.7781186	9.8675010	8
53	9.7782870	9.8675274	7
54	9.7784559	9.8675536	6
55	9.7786235	9.8675799	5
56	9.7787916	9.8676027	4
57	9.7789596	9.8676357	3
58	9.7791275	9.8676586	2
59	9.7792953	9.8676875	1
60	9.7794630	9.8677144	0

## 126 Sinus. | Tangens.

0	9.9079576	10.1387390	60
1	9.9078658	10.1384733	59
2	9.9077740	10.1382077	58
3	9.9076820	10.1379422	57
4	9.9075790	10.1376767	56
5	9.9074790	10.1374113	55
6	9.9073740	10.1371459	54
7	9.9072738	10.1368805	53
8	9.9071736	10.1366152	52
9	9.9070734	10.1363500	51
10	9.9069732	10.1360848	50
11	9.9068729	10.1358197	49
12	9.9067826	10.1355546	48
13	9.9066825	10.1352895	47
14	9.9065824		

## 37 Sinus. Tangens.

0	9.7794630	9.8771144	60
1	9.7796306	9.8773772	59
2	9.7797981	9.8776400	58
3	9.7799655	9.8779227	57
4	9.7801328	9.8781654	56
5	9.7803000	9.8784281	55
6	9.7804671	9.8786907	54
7	9.7806341	9.8789533	53
8	9.7808010	9.8792158	52
9	9.7809677	9.8794782	51
10	9.7811344	9.8797407	50
11	9.7813010	9.8800311	49
12	9.7814675	9.8802654	48
13	9.7816339	9.8805277	47
14	9.7818002	9.8807900	46
15	9.7819664	9.8810522	45
16	9.7821324	9.8813144	44
17	9.7822984	9.8815765	43
18	9.7824643	9.8818386	42
19	9.7826301	9.8821007	41
20	9.7827958	9.8823627	40
21	9.7829614	9.8826246	39
22	9.7831268	9.8828866	38
23	9.7832922	9.8831484	37
24	9.7834575	9.8834103	36
25	9.7836227	9.8836721	35
26	9.7837878	9.8839338	34
27	9.7839528	9.8841956	33
28	9.7841177	9.8844572	32
29	9.7842824	9.8847189	31
30	9.7844471	9.8849805	30
31	9.7846117	9.8852420	29
32	9.7847762	9.8855035	28
33	9.7849406	9.8857650	27
34	9.7851049	9.8860264	26
35	9.7852691	9.8862878	25
36	9.7854332	9.8865492	24
37	9.7855972	9.8868105	23
38	9.7857613	9.8870718	22
39	9.7859119	9.8873300	21
40	9.7860886	9.8875942	20
41	9.7862522	9.8878554	19
42	9.7864157	9.8881165	18
43	9.7865791	9.8883775	17
44	9.7867424	9.8886386	16
45	9.7869056	9.8888996	15
46	9.7870687	9.8891605	14
47	9.7872317	9.8894214	13
48	9.7873946	9.8896823	12
49	9.7875574	9.8899443	11
50	9.7877202	9.8902040	10
51	9.7878818	9.8904047	9
52	9.7880453	9.8907254	8
53	9.7882077	9.8909861	7
54	9.7883701	9.8912468	6
55	9.7885323	9.8915074	5
56	9.7886944	9.8917679	4
57	9.7888365	9.8920285	3
58	9.7890184	9.8923890	2
59	9.7891802	9.8925494	1
60	9.7893420	9.8928098	0

## 127 Sinus. Tangens.

0	9.90223426	10.1228856	60
1	9.9022534	10.1226228	59
2	9.9022581	10.1223600	58
3	9.9022618	10.1220973	57
4	9.9022674	10.1218346	56
5	9.90228719	10.1215719	55
6	9.9022764	10.1213093	54
7	9.9022688	10.1210467	53
8	9.9022582	10.1207842	52
9	9.90224895	10.1205218	51
10	9.9022398	10.1202593	50
11	9.9022298	10.1199969	49
12	9.9022201	10.1197346	48
13	9.90221062	10.1194723	47
14	9.9022102	10.1192100	46
15	9.9009142	10.1189478	45
16	9.9008181	10.1186856	44
17	9.9007219	10.1184235	43
18	9.9006257	10.1181674	42
19	9.9005294	10.1178993	41
20	9.9004331	10.1176373	40
21	9.9003367	10.1173754	39
22	9.9002403	10.1171134	38
23	9.9001438	10.1168316	37
24	9.9000472	10.1165897	36
25	9.8999506	10.1163279	35
26	9.8998539	10.1160662	34
27	9.8997572	10.1158044	33
28	9.8996604	10.1155428	32
29	9.8995636	10.1152111	31
30	9.8994667	10.1150195	30
31	9.8993697	10.1147580	29
32	9.8992727	10.1144965	28
33	9.8991756	10.1142350	27
34	9.8990784	10.1139736	26
35	9.8992812	10.1137222	25
36	9.8988840	10.1134508	24
37	9.8987867	10.1131895	23
38	9.8986893	10.1129282	22
39	9.8985919	10.1126670	21
40	9.8984944	10.1124058	20
41	9.8983968	10.1121446	19
42	9.8982992	10.1118353	18
43	9.8982015	10.1116225	17
44	9.8981038	10.1113614	16
45	9.8980060	10.1111004	15
46	9.8979082	10.1108393	14
47	9.8978103	10.1105786	13
48	9.8977123	10.1103177	12
49	9.8976143	10.1100568	11
50	9.8975162	10.1097950	10
51	9.8974181	10.1095353	9
52	9.8973199	10.1092746	8
53	9.8972216	10.1090139	7
54	9.8971233	10.1087533	6
55	9.8970249	10.1084926	5
56	9.8969266	10.1082321	4
57	9.8968280	10.1079715	3
58	9.8967294	10.1077110	2
59	9.8966308	10.1074506	1
60	9.8965321	10.1071902	0

## 38 Sinus. Tangens.

0	9.7893420	9.8928098	60
1	9.7895016	9.8930702	59
2	9.7896652	9.8933306	58
3	9.7898266	9.8935509	57
4	9.7899880	9.8938511	56
5	9.7901493	9.8941114	55
6	9.7903104	9.8943725	54
7	9.7904715	9.8946317	53
8	9.7906325	9.8948918	52
9	9.7907233	9.8951519	51
10	9.7909541	9.8954111	50
11	9.7911148	9.8956719	49
12	9.7912754	9.8957127	48
13	9.7914359	9.8961918	47
14	9.7915963	9.8964517	46
15	9.7917566	9.8967116	45
16	9.7919168	9.8969714	44
17	9.7920769	9.8972322	43
18	9.7922369	9.8974910	42
19	9.7923968	9.8977507	41
20	9.7925566	9.8980104	40
21	9.7927163	9.8982700	39
22	9.7928760	9.8985296	38
23	9.7930355	9.8987892	37
24	9.7931949	9.8994487	36
25	9.7933543	9.8993082	35
26	9.7935135	9.8995677	34
27	9.7936727	9.8998271	33
28	9.7938177	9.9000865	32
29	9.7939907	9.9003459	31
30	9.7941496	9.9006552	30
31	9.7943083	9.9008645	29
32	9.7944670	9.9011237	28
33	9.7946256	9.9013330	27
34	9.7947841	9.9016222	26
35	9.7949425	9.9019013	25
36	9.7951008	9.9021604	24
37	9.7952590	9.9024195	23
38	9.7954171	9.9026786	22
39	9.7955751	9.9029376	21
40	9.7957330	9.9031966	20
41	9.7959099	9.9034555	19
42	9.7960486	9.9037144	18
43	9.7962062	9.9039737	17
44	9.7963638	9.9042321	16
45	9.7965212	9.9044910	15
46	9.7966786	9.9047497	14
47	9.7968359	9.9050085	13
48	9.7969930	9.9052672	12
49	9.7971501	9.9055259	11
50	9.7973071	9.9057845	10
51	9.7974640	9.9060431	9
52	9.7976208	9.9063017	8
53	9.7977775	9.9065603	7
54	9.7979411	9.9068188	6
55	9.7980906	9.9070773	5
56	9.7982470	9.9073357	4
57	9.7984034	9.9075947	3
58	9.7985596	9.9078595	2
59	9.7987158	9.9081109	1
60	9.7988718	9.9083692	0

## 128 Sinus. Tangens.

0	9.8965321	10.1071902	60
1	9.8966334	10.1069298	59
2	9.8966346	10.1066694	58
3	9.8966358	10.1064091	57
4	9.8966369	10.1061489	56
5	9.8966379	10.1053886	55
6	9.8959389	10.1056285	54
7	9.8959398	10.1053683	53
8	9.8957406	10.1051082	52
9	9.8956414	10.1048481	51
10	9.8955422	10.1045881	50
11	9.8954429	10.1043281	49
12	9.8953435	10.1040681	48
13	9.8952440	10.1038682	47
14	9.8951445	10.1035483	46
15	9.8950450	10.1032884	45
16	9.8949453	10.1030286	44
17	9.8948457	10.102768	

## 39 | Sinus. | Tangens.

0	9.7988718	9.9083692	60
1	9.7990278	9.90836275	59
2	9.7991816	9.90838858	58
3	9.7993394	9.9091440	57
4	9.7994951	9.9094022	56
5	9.7996507	9.9096603	55
6	9.7998062	9.9099185	54
7	9.7999616	9.9101766	53
8	9.8001369	9.9104347	52
9	9.8002721	9.9106927	51
10	9.8004272	9.9109507	50
11	9.8005823	9.9112087	49
12	9.8007372	9.9114666	48
13	9.8008921	9.9117245	47
14	9.8010468	9.9119824	46
15	9.8012015	9.9122403	45
16	9.8013561	9.9124981	44
17	9.8015106	9.9127559	43
18	9.8016649	9.9130137	42
19	9.8018192	9.9132714	41
20	9.8019745	9.9135291	40
21	9.8021276	9.9137368	39
22	9.8022816	9.9140444	38
23	9.8024355	9.9143020	37
24	9.8025894	9.9145596	36
25	9.8027431	9.9148171	35
26	9.8028968	9.9150747	34
27	9.8030504	9.9153322	33
28	9.8032038	9.9155896	32
29	9.8033572	9.9158471	31
30	9.8035105	9.9160453	30
31	9.8036637	9.9163618	29
32	9.8038168	9.9166192	28
33	9.8039699	9.9168705	27
34	9.8041228	9.9171338	26
35	9.8042757	9.9171911	25
36	9.8044284	9.9175483	24
37	9.8045811	9.9179055	23
38	9.8047336	9.9181627	22
39	9.8048861	9.9184198	21
40	9.8050385	9.9186769	20
41	9.8051928	9.9189340	19
42	9.8053430	9.9191911	18
43	9.8054951	9.9194481	17
44	9.8056472	9.9197051	16
45	9.8057993	9.9199641	15
46	9.8059510	9.9202791	14
47	9.8061027	9.9204767	13
48	9.8062544	9.9207329	12
49	9.8064600	9.9209898	11
50	9.8065575	9.9212466	10
51	9.8067089	9.9215034	9
52	9.8068602	9.9217602	8
53	9.8070114	9.9220175	7
54	9.8071626	9.9222737	6
55	9.8073136	9.9225304	5
56	9.8074646	9.9227871	4
57	9.8076154	9.9230437	3
58	9.8077662	9.9233004	2
59	9.8079169	9.9235570	1
60	9.8080675	9.9238135	0

## 129 | Sinus. | Tangens.

0	9.8905026	10.0916308	60
1	9.8904003	10.0913725	59
2	9.8902979	10.0911142	58
3	9.8901954	10.0908560	57
4	9.8900929	10.0905978	56
5	9.8899903	10.0903397	55
6	9.8898877	10.0900835	54
7	9.8897850	10.0898234	53
8	9.8896822	10.0895953	52
9	9.8895794	10.0893073	51
10	9.8894765	10.0890493	50
11	9.8893736	10.0887913	49
12	9.8892706	10.0885334	48
13	9.8891675	10.0882755	47
14	9.8890644	10.0880176	46
15	9.8889612	10.0877597	45
16	9.8888580	10.0875019	44
17	9.8887547	10.0872441	43
18	9.8886513	10.0869863	42
19	9.8885479	10.0867286	41
20	9.8884444	10.0864709	40
21	9.8883408	10.0862132	39
22	9.8882372	10.0859556	38
23	9.8881335	10.0856980	37
24	9.8880298	10.0854404	36
25	9.8879260	10.0851829	35
26	9.8878221	10.0849253	34
27	9.8877182	10.0846678	33
28	9.8876142	10.0844104	32
29	9.8875102	10.0841529	31
30	9.8874061	10.0838955	30
31	9.8873019	10.0836382	29
32	9.8871977	10.0833808	28
33	9.8870934	10.0831235	27
34	9.8869890	10.0828662	26
35	9.8868846	10.0826089	25
36	9.8867801	10.0823517	24
37	9.8866756	10.0820945	23
38	9.8865710	10.0818373	22
39	9.8864661	10.0815802	21
40	9.8863616	10.0813231	20
41	9.8862568	10.0810660	19
42	9.8861519	10.0808089	18
43	9.8860470	10.0805579	17
44	9.8859410	10.0802949	16
45	9.8858370	10.0800379	15
46	9.8857319	10.0797809	14
47	9.8856267	10.0795240	13
48	9.8855215	10.0792671	12
49	9.8854162	10.0790102	11
50	9.8853109	10.0787534	10
51	9.8852055	10.0784966	9
52	9.8851000	10.0782398	8
53	9.8849945	10.0779830	7
54	9.8848889	10.0777263	6
55	9.8847832	10.0774696	5
56	9.8846775	10.0772129	4
57	9.8845717	10.0769563	3
58	9.8844659	10.0766996	2
59	9.8843599	10.0764430	1
60	9.8842540	10.0761865	0

## 40 | Sinus. | Tangens.

0	9.8080675	9.9238135	60
1	9.8082180	9.9240701	59
2	9.8083634	9.9242266	58
3	9.8085188	9.9245831	57
4	9.8086690	9.9248396	56
5	9.8088191	9.9250960	55
6	9.8089692	9.9253524	54
7	9.8091192	9.9256088	53
8	9.8092691	9.9258652	52
9	9.8094189	9.9261215	51
10	9.8095686	9.9263778	50
11	9.8097182	9.9266141	49
12	9.8098678	9.9268904	48
13	9.8100172	9.9271466	47
14	9.8101666	9.9274028	46
15	9.8103199	9.9276590	45
16	9.8104650	9.9279152	44
17	9.8106141	9.9281713	43
18	9.8107631	9.9284274	42
19	9.8109121	9.9286835	41
20	9.8110609	9.9289196	40
21	9.8112096	9.9291956	39
22	9.8113583	9.9294576	38
23	9.8115069	9.9297076	37
24	9.8116554	9.9299616	36
25	9.8118038	9.9302195	35
26	9.8119521	9.9304755	34
27	9.8121003	9.9307374	33
28	9.8121484	9.9310982	32
29	9.8123965	9.9312431	31
30	9.8125444	9.9314989	30
31	9.8126923	9.9317547	29
32	9.8128401	9.9320105	28
33	9.8129878	9.9322662	27
34	9.8131354	9.9325220	26
35	9.8132829	9.9327777	25
36	9.8134303	9.9330334	24
37	9.8135777	9.9332890	23
38	9.8137250	9.9335446	22
39	9.8138721	9.9338003	21
40	9.8140192	9.9340559	20
41	9.8141662	9.9343114	19
42	9.8143131	9.9345670	18
43	9.8144600	9.9348225	17
44	9.8146067	9.9350780	16
45	9.8147334	9.9353335	15
46	9.8148990	9.9355897	14
47	9.8150464	9.9358444	13
48	9.8151928	9.9360998	12
49	9.8153391	9.9363552	11
50	9.8154854	9.9366105	10
51	9.8156115	9.9368659	9
52	9.8157776	9.9371212	8
53	9.8159235	9.9373765	7
54	9.8160604	9.9376318	6
55	9.8162152	9.9378871	5
56	9.8163609	9.9381423	4
57	9.8165066	9.9383975	3
58	9.8166521	9.9386527	2
59	9.8167975	9.9389292	1
60	9.8169429	9.9391631	0

## 130 | Sinus. | Tangens.

0	9.8842540	10.0761865	60
1	9.8844179	10.0759299	59
2	9.8846018	10.0756734	58
3	9.8849357	10.0754169	57
4	9.8851604	10.0751604	56
5	9.8853722	10.0749040	55
6	9.8856168	10.0746476	54
7	9.8858104	10.0743912	53
8	9.8860399	10.0741348	52
9	9.8862294	10.0738785	51
10	9.8864162	10.0736122	50
11	9.8866081	10.0733599	49
12	9.8		

## 41 Sinus. Tangens.

0	9.8169429	9.9391611	60
1	9.8173883	9.9394182	59
2	9.8173334	9.9395712	58
3	9.8173785	9.9399264	57
4	9.8175125	9.9401835	56
5	9.8176685	9.9404385	55
6	9.8178133	9.9406936	54
7	9.8179581	9.9409436	53
8	9.8181028	9.9412236	52
9	9.8181474	9.9414585	51
10	9.8181919	9.9417135	50
11	9.8183604	9.9419684	49
12	9.8186807	9.9422233	48
13	9.8188250	9.9424782	47
14	9.8189692	9.9427221	46
15	9.8191733	9.9429879	45
16	9.8192573	9.9432428	44
17	9.8194012	9.9433976	43
18	9.8195450	9.9437524	42
19	9.8196888	9.9440072	41
20	9.8198325	9.9441510	40
21	9.8199761	9.9445160	39
22	9.8201196	9.9447714	38
23	9.8202630	9.9450261	37
24	9.8204063	9.9452807	36
25	9.8205496	9.9455354	35
26	9.8206927	9.9457902	34
27	9.8208358	9.9460447	33
28	9.8209728	9.9462993	32
29	9.8211217	9.9465539	31
30	9.8212646	9.9468084	30
31	9.8214073	9.9470630	29
32	9.8215500	9.9472175	28
33	9.8216926	9.9475720	27
34	9.8218351	9.9478165	26
35	9.8219775	9.9480810	25
36	9.8221198	9.9483355	24
37	9.8222621	9.9485899	23
38	9.8224042	9.9488443	22
39	9.8225463	9.9490987	21
40	9.8226883	9.9493531	20
41	9.8228202	9.9496075	19
42	9.8229721	9.9498619	18
43	9.8231138	9.9501162	17
44	9.8232555	9.9503705	16
45	9.8233971	9.9506248	15
46	9.8235386	9.9508791	14
47	9.8236800	9.9511334	13
48	9.8238213	9.9513876	12
49	9.8239626	9.9516419	11
50	9.8241037	9.9518961	10
51	9.8242448	9.9521503	9
52	9.8243858	9.9524045	8
53	9.8245267	9.9526587	7
54	9.8246676	9.9529128	6
55	9.8248083	9.9531670	5
56	9.8249490	9.9534273	4
57	9.8250896	9.9536952	3
58	9.8252301	9.9539293	2
59	9.8253705	9.9541834	1
60	9.8255109	9.9544374	0

## 131 Sinus. Tangens.

0	9.8777799	10.0603869	60
1	9.8777670	10.0605818	59
2	9.8775601	10.0603207	58
3	9.8774501	10.0600716	57
4	9.8773401	10.0598165	56
5	9.8772300	10.0595615	55
6	9.8771198	10.0593064	54
7	9.8770096	10.0590514	53
8	9.8768993	10.0587964	52
9	9.8767829	10.0585415	51
10	9.8766785	10.0583865	50
11	9.8765680	10.0580316	49
12	9.8764574	10.0577767	48
13	9.8763468	10.0575218	47
14	9.8762361	10.0571669	46
15	9.8761253	10.0570121	45
16	9.8760145	10.0567572	44
17	9.8759036	10.0565244	43
18	9.8757927	10.0562470	42
19	9.8756816	10.0559923	41
20	9.8755706	10.0557381	40
21	9.8754594	10.0554834	39
22	9.8753482	10.0552286	38
23	9.8752369	10.0549739	37
24	9.8751250	10.0547193	36
25	9.8750142	10.0544646	35
26	9.8749027	10.0542800	34
27	9.8747912	10.0539553	33
28	9.8746795	10.0537007	32
29	9.8745679	10.0534461	31
30	9.8744561	10.0531916	30
31	9.8743443	10.0529370	29
32	9.8742325	10.0526825	28
33	9.8741205	10.0524260	27
34	9.8740085	10.0521735	26
35	9.8738965	10.0519190	25
36	9.8737844	10.0516645	24
37	9.8736722	10.0514101	23
38	9.8735599	10.0511557	22
39	9.8734476	10.0509013	21
40	9.8733352	10.0506469	20
41	9.8732227	10.0503925	19
42	9.8731102	10.0501381	18
43	9.8729970	10.0498838	17
44	9.8728849	10.0496295	16
45	9.8727722	10.0493752	15
46	9.8726594	10.0491109	14
47	9.8725466	10.0488666	13
48	9.8724337	10.0486124	12
49	9.8723207	10.0483581	11
50	9.8722076	10.0481039	10
51	9.8720945	10.0478497	9
52	9.8719813	10.0475955	8
53	9.8718681	10.0473413	7
54	9.8717548	10.0470871	6
55	9.8716414	10.0468330	5
56	9.8715279	10.0465789	4
57	9.8714144	10.0463248	3
58	9.8713008	10.0460707	2
59	9.8711872	10.0458166	1
60	9.8710735	10.0455626	0

## 42 Sinus. Tangens.

0	9.8755109	9.9544374	60
1	9.8755612	9.9546625	59
2	9.8757913	9.9549255	58
3	9.8759314	9.9551995	57
4	9.8760715	9.9554535	56
5	9.8762114	9.9557075	55
6	9.8763512	9.9559615	54
7	9.8764910	9.9562154	53
8	9.8766307	9.9564694	52
9	9.8767703	9.9567233	51
10	9.8769098	9.9569772	50
11	9.8770493	9.9572317	49
12	9.8771887	9.9574350	48
13	9.8773279	9.9577159	47
14	9.8774673	9.9579927	46
15	9.8776063	9.9582405	45
16	9.8777453	9.9583004	44
17	9.8778843	9.9585752	43
18	9.8780232	9.9590304	42
19	9.8781619	9.9592618	41
20	9.8783006	9.9595155	40
21	9.8784393	9.9597693	39
22	9.8785778	9.9600230	38
23	9.8787163	9.9602767	37
24	9.8788547	9.9605305	36
25	9.8789930	9.9607782	35
26	9.8791312	9.9610778	34
27	9.8792694	9.9612915	33
28	9.8794075	9.9615452	32
29	9.8795454	9.9617088	31
30	9.8796833	9.9620525	30
31	9.8798212	9.9623061	29
32	9.8799589	9.9625597	28
33	9.8800966	9.9628133	27
34	9.8802342	9.9630669	26
35	9.8803717	9.9633204	25
36	9.8805091	9.9635740	24
37	9.8806646	9.9638275	23
38	9.8807337	9.9640211	22
39	9.8808709	9.9643346	21
40	9.8810580	9.9646881	20
41	9.8812195	9.9649316	19
42	9.8813320	9.9650957	18
43	9.8814688	9.9653486	17
44	9.8816056	9.9656020	16
45	9.8817423	9.9658355	15
46	9.8818789	9.9661089	14
47	9.8820155	9.9663623	13
48	9.8821517	9.9666157	12
49	9.8822883	9.9668692	11
50	9.8824246	9.9671225	10
51	9.8825609	9.9673759	9
52	9.8826979	9.9676293	8
53	9.8828331	9.9678827	7
54	9.8829691	9.9681360	6
55	9.8831050	9.9683393	5
56	9.8832428	9.9686437	4
57	9.8833766	9.9688960	3
58	9.8835122	9.9691493	2
59	9.8836478	9.9694026	1
60	9.8837833	9.9696559	0

## 132 Sinus. Tangens.

0	9.8710735	10.0455926	60
1	9.8710957	10.0455305	59
2	9.8710848	10.0455545	58
3	9.8710731	10.0455305	57
4	9.87106179	10.0454505	56
5	9.8710530	10.0454425	55
6	9.8710389	10.0454425	54
7	9.87102756	10.0453746	53
8	9.8710163	10.045306	52
9	9.8710047	10.045238	51
10	9.8709947	10.045170	50
11	9.8709838	10.045102	49
12	9.8709728	10.045034	48
13	9.8709618	10.044966	47
14	9.8709508	10.044898	46
15	9.8709400	10.044830	45

## 43 Sinus. Tangens.

0	9.8337833	9.9696559	60
1	9.8336138	9.9696091	59
2	9.8340541	9.9701624	58
3	9.8341894	9.9704157	57
4	9.8343246	9.9706689	56
5	9.8344597	9.9709221	55
6	9.8345948	9.9711754	54
7	9.8347297	9.9714286	53
8	9.8348646	9.9716818	52
9	9.8349994	9.9719350	51
10	9.8351341	9.9721882	50
11	9.8352688	9.9724413	49
12	9.8354033	9.9726945	48
13	9.8355378	9.9729477	47
14	9.8356722	9.9732008	46
15	9.8358066	9.9734539	45
16	9.8359408	9.9737077	44
17	9.8360750	9.9739602	43
18	9.8362091	9.9742133	42
19	9.8363431	9.9744664	41
20	9.8365771	9.9747195	40
21	9.8366109	9.9749726	39
22	9.8367447	9.9752257	38
23	9.8368784	9.9754787	37
24	9.8370121	9.9757318	36
25	9.8371456	9.9759849	35
26	9.8372791	9.9762379	34
27	9.8374125	9.9764909	33
28	9.8375458	9.9767440	32
29	9.8376790	9.9769970	31
30	9.8378122	9.9772500	30
31	9.8379453	9.9775010	29
32	9.8380783	9.9777560	28
33	9.8382112	9.9780090	27
34	9.8383441	9.9782620	26
35	9.8384769	9.9785149	25
36	9.8386096	9.9787679	24
37	9.8387422	9.9790209	23
38	9.8388747	9.9792718	22
39	9.8390072	9.9795268	21
40	9.8392396	9.9797797	20
41	9.8392719	9.9800326	19
42	9.8394041	9.9802856	18
43	9.8395363	9.9805385	17
44	9.8396684	9.9807914	16
45	9.8398024	9.9810443	15
46	9.8399323	9.9812972	14
47	9.8400641	9.9815501	13
48	9.8401959	9.9818303	12
49	9.8403276	9.9820559	11
50	9.8404593	9.9823087	10
51	9.8405958	9.9825616	9
52	9.8407223	9.9828145	8
53	9.8408537	9.9830673	7
54	9.8409850	9.9833202	6
55	9.8411162	9.9835730	5
56	9.8412474	9.9838259	4
57	9.8413785	9.9840787	3
58	9.8415095	9.9843315	2
59	9.8416404	9.9845844	1
60	9.8417713	9.9848372	0

## 133 Sinus. Tangens.

0	9.8641275	10.0303481	60
1	9.8640096	10.0300909	59
2	9.8638917	10.0298376	58
3	9.8637737	10.0295843	57
4	9.8636557	10.0293311	56
5	9.8635376	10.0290779	55
6	9.8634194	10.0288246	54
7	9.8633011	10.0285714	53
8	9.8631828	10.0283182	52
9	9.8630644	10.0280650	51
10	9.8628460	10.0278118	50
11	9.8628274	10.0275387	49
12	9.8627088	10.0273055	48
13	9.8625902	10.0270523	47
14	9.8624714	10.0267992	46
15	9.8623526	10.0265461	45
16	9.8622338	10.0262929	44
17	9.8621148	10.0260398	43
18	9.8619953	10.0257867	42
19	9.8618767	10.0255356	41
20	9.8617576	10.0252805	40
21	9.8616383	10.0250274	39
22	9.8615190	10.0247743	38
23	9.8613997	10.0245213	37
24	9.8612803	10.0242682	36
25	9.8611608	10.0240151	35
26	9.8610412	10.0237612	34
27	9.8609215	10.0235191	33
28	9.8608018	10.0232550	32
29	9.8606821	10.0230030	31
30	9.8605622	10.0227500	30
31	9.8604423	10.0224970	29
32	9.8603213	10.0222440	28
33	9.8602024	10.0219970	27
34	9.8600821	10.0217380	26
35	9.8599619	10.0214851	25
36	9.8598416	10.0212321	24
37	9.8597273	10.0209791	23
38	9.8596009	10.0207262	22
39	9.8594804	10.0204732	21
40	9.8593599	10.0202203	20
41	9.8592393	10.0199674	19
42	9.8591186	10.0197144	18
43	9.8590978	10.0194615	17
44	9.8588770	10.0192086	16
45	9.8587561	10.0189557	15
46	9.8586351	10.0187028	14
47	9.8585141	10.0184499	13
48	9.8583929	10.0181970	12
49	9.8582718	10.0179441	11
50	9.8581505	10.0176913	10
51	9.8580292	10.0174384	9
52	9.8579078	10.0171855	8
53	9.8577863	10.0169237	7
54	9.8576648	10.0166798	6
55	9.8575432	10.0164270	5
56	9.8574215	10.0161741	4
57	9.8572948	10.0159213	3
58	9.8571779	10.0156695	2
59	9.8570567	10.0154156	1
60	9.8570341	10.0151628	0

## 44 Sinus. Tangens.

0	9.8417713	9.9848372	60
1	9.8419021	9.9850900	59
2	9.8420328	9.9853428	58
3	9.8421634	9.9855956	57
4	9.8422939	9.9858284	56
5	9.8424244	9.9861012	55
6	9.8425548	9.9863540	54
7	9.8426851	9.9866068	53
8	9.8428154	9.9868596	52
9	9.8429456	9.9871123	51
10	9.8430757	9.9873651	50
11	9.8432057	9.9876179	49
12	9.8433356	9.9878706	48
13	9.8434655	9.9881234	47
14	9.8435953	9.9883761	46
15	9.8437250	9.9886189	45
16	9.8438547	9.9888816	44
17	9.8439842	9.9891344	43
18	9.8441337	9.9893371	42
19	9.8442432	9.9896399	41
20	9.8443725	9.9898292	40
21	9.8445018	9.9901453	39
22	9.8446310	9.9903981	38
23	9.8447601	9.9906508	37
24	9.8448891	9.9909035	36
25	9.8450181	9.9911562	35
26	9.8451470	9.9914089	34
27	9.8452758	9.9916616	33
28	9.8454045	9.9919143	32
29	9.8455332	9.9921670	31
30	9.8456618	9.9924197	30
31	9.8457903	9.9926724	29
32	9.8459188	9.9929251	28
33	9.8460471	9.9931778	27
34	9.8461754	9.9934305	26
35	9.8463036	9.9936832	25
36	9.8464318	9.9939359	24
37	9.8465599	9.9941836	23
38	9.8466879	9.9944413	22
39	9.8468158	9.9946940	21
40	9.8469436	9.9949466	20
41	9.8470714	9.9951993	19
42	9.8471991	9.9954520	18
43	9.8473267	9.9957047	17
44	9.8474543	9.9959573	16
45	9.8475817	9.9962100	15
46	9.8477091	9.9964627	14
47	9.8478365	9.9967154	13
48	9.8479637	9.9969680	12
49	9.8480909	9.9972207	11
50	9.8482180	9.9974734	10
51	9.8483450	9.9977260	9
52	9.8484720	9.9979787	8
53	9.8485989	9.9982374	7
54	9.8487257	9.9984840	6
55	9.8488524	9.9987367	5
56	9.8489791	9.9989893	4
57	9.8491057	9.9992420	3
58	9.8492322	9.9994947	2
59	9.8493586	9.9997473	1
60	9.8494850	10.0000000	0

## 134 Sinus. Tangens.

0	9.8569341	10.0151628	60
1	9.8568121	10.0149100	59
2	9.8566900	10.0146572	58
3	9.8565678	10.0144044	57
4	9.8564455	10.0141516	56
5	9.8562232	10.0138338	55
6	9.8560008	10.0136460	54
7	9.8558784	10.0133932	53
8	9.8556558	10.0131404	52
9	9.8554332	10.0128577	51
10	9.8552106	10.0126397	50
1			

# TABVLA LOGARITHMICA

CONTINENS

VNDECIM NVMERORVM CHILIADES,

CVM SVIS LOGARITHMIS

Ab vnitate, scilicet, ad 11100.

DISPOSITIS

NOVA METHODO,

ET PROPORTIONI ASTRONOMICÆ

APPLICATIS IN GRATIAM

ASTRONOMORVM.



MATRIX.

Apud Bernardum à Villa-Diego.

Anno M.DC.LXXII.

# LECTORI MONITVM.

**T**Abula sequens continet Logarithmos numerorum ab unitate usque ad 1100. numeri tamen nunquam positi sunt nisi supra centenarios, & ad numeri dexteram ipsius inuenietur Logarithmus *exemp. gr.* si queratur Logarithmus numeri 225. queratur prius numerus 200. & posteā infra ipsum descendendo numerus 25. cui respondet Logarithmus 2.3521825. similiter desideratur Logarithmus numeri 7834. queratur prius numerus 7800. & infra ipsum descendendo numerus 34. cui respondet Logarithmus 3.8939836.

In superiori tabulæ parte positi sunt gradus, & eorum minuta quibus etiam secunda sunt addita in primis columnis omnium paginarum, quæ pro singulis minutis omnium paginarum in servient. *Exemp. gr.* Datus sit arcus. gr. o. 4. min. 47. secunda.

Inveniantur prius in parte superiori tabulæ gr. o. 4. min. scilicet, in columna quinta Logarithrorum prioris paginae. Deinde in priori numerorum columna eiusdem paginae inveniantur 47. secunda quibus in columna quinta rectè procedendo respondet Logarithmus 2.4578819. similiter in alijs erit operatio instituenda. Videantur quæ de proportione Astronomica diximus lib. I. *Trigonom. à numero 227.*

M A T R I T .

Apropositum à Valla-Diego.  
Anno M.DC.IXXII.

secū	Gr. Mi. da. 0.	Gr. Mi. o. 0.	Gr. Mi. o. 1.	Gr. Mi. o. 2.	Gr. Mi. o. 3.	Gr. Mi. o. 4.			
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.			
0	0.0000000	60	1.7731512	120	2.0791812	180	2.2552725	240	2.3802112
1	0.0000000	61	1.7833298	21	2.0827834	81	2.2576786	41	2.3826179
2	0.3010300	62	1.7923917	22	2.0863598	82	2.2600714	42	2.3838154
3	0.4771212	63	1.7993405	23	2.0899051	83	2.2624511	43	2.3856063
4	0.6020600	64	1.8061800	24	2.0934217	84	2.2648378	44	2.3873898
5	0.6989700	65	1.8129133	25	2.0969100	85	2.2671717	45	2.3891661
6	0.7781512	66	1.8195439	26	2.1003705	86	2.2695129	46	2.3909351
7	0.8450930	67	1.8260748	27	2.1038037	87	2.2717416	47	2.3926969
8	0.9030900	68	1.8325089	28	2.1072100	88	2.2741578	48	2.3944517
9	0.9542425	69	1.8388491	29	2.1105897	89	2.2764618	49	2.3961993
10	1.0000000	70	1.8450980	30	2.1139433	90	2.2787536	50	2.3979400
11	1.0413927	71	1.8512583	31	2.1172713	91	2.2810334	51	2.3996737
12	1.0791812	72	1.8573325	32	2.1205739	92	2.2833012	52	2.4014005
13	1.1139433	73	1.8633220	33	2.1238516	93	2.2855573	53	2.4031205
14	1.1461280	74	1.8692317	34	2.1271048	94	2.2878017	54	2.4048337
15	1.1760913	75	1.8750613	35	2.1303333	95	2.2900346	55	2.4065402
16	1.2041200	76	1.8808136	36	2.1335339	96	2.2922561	56	2.4082400
17	1.2304489	77	1.8864907	37	2.1367206	97	2.2944662	57	2.4099331
18	1.2552273	78	1.8920946	38	2.1398791	98	2.2966652	58	2.4116197
19	1.2737536	79	1.8976271	39	2.1430148	99	2.2988351	59	2.4132998
20	1.3010300	80	1.9030900	40	2.1461280	200	2.3010300	60	2.4149733
21	1.3221193	81	1.9084850	41	2.1492191	1	2.3031961	61	2.4166405
22	1.3424227	82	1.9133818	42	2.1522883	2	2.3053514	62	2.4183013
23	1.3617278	83	1.9190781	43	2.1553360	3	2.3074960	63	2.4199557
24	1.3802152	84	1.9242793	44	2.1583625	4	2.3096302	64	2.4216039
25	1.3979400	85	1.9294189	45	2.1613680	5	2.3117539	65	2.4232459
26	1.4149733	86	1.9344984	46	2.1643528	6	2.3138672	66	2.4248816
27	1.4313638	87	1.9395192	47	2.1673173	7	2.3159703	67	2.4265113
28	1.4471580	88	1.9444827	48	2.1702617	8	2.3180633	68	2.4281348
29	1.4623980	89	1.9493900	49	2.1731863	9	2.3201403	69	2.4297533
30	1.4771212	90	1.9542425	50	2.1760913	10	2.3222193	70	2.4313638
31	1.4913617	91	1.9590414	51	2.1789769	11	2.3242824	71	2.4329693
32	1.5051500	92	1.9637878	52	2.1818436	12	2.3267359	72	2.4345659
33	1.5185139	93	1.9684829	53	2.1846914	13	2.3283796	73	2.4361626
34	1.5314789	94	1.9731278	54	2.1875207	14	2.3304438	74	2.4377506
35	1.5440680	95	1.9777236	55	2.1903317	15	2.3324485	75	2.4393327
36	1.5563025	96	1.9822712	56	2.1931246	16	2.3344537	76	2.4409091
37	1.5682017	97	1.9867717	57	2.1958996	17	2.3364597	77	2.4424798
38	1.5797836	98	1.9912261	58	2.1986571	18	2.3384565	78	2.4440448
39	1.5910646	99	1.9956352	59	2.2013971	19	2.3404441	79	2.4456042
40	1.6020600	100	2.0000000	60	2.2041200	20	2.3424227	80	2.4471580
41	1.6127839	1	2.0043214	61	2.2068259	21	2.3443923	81	2.4487063
42	1.6232493	2	2.0086002	62	2.2095150	22	2.3463530	82	2.4502491
43	1.6334085	3	2.0128372	63	2.2121876	23	2.3483049	83	2.4517864
44	1.6434527	4	2.0170333	64	2.2148438	24	2.3502480	84	2.4533183
45	1.6532212	5	2.0211893	65	2.2174839	25	2.3521825	85	2.4548449
46	1.6627378	6	2.0253059	66	2.2201081	26	2.3541084	86	2.4563660
47	1.6720979	7	2.0293838	67	2.2227165	27	2.3560259	87	2.4578819
48	1.6815412	8	2.0334238	68	2.2253093	28	2.3579348	88	2.4593925
49	1.6901961	9	2.0374265	69	2.2278867	29	2.3598355	89	2.4608978
50	1.6959700	10	2.0417927	70	2.2304489	30	2.3617278	90	2.4633980
51	1.7057572	11	2.0453230	71	2.2322961	31	2.3636120	91	2.4653930
52	1.7160033	12	2.0492180	72	2.2355284	32	2.3654880	92	2.4653828
53	1.72242759	13	2.0530784	73	2.2380461	33	2.3673559	93	2.4668676
54	1.7323938	14	2.0569048	74	2.2405492	34	2.3692159	94	2.4683473
55	1.7402627	15	2.0606978	75	2.2430380	35	2.3710679	95	2.4698220
56	1.7483880	16	2.0644530	76	2.2455127	36	2.3729120	96	2.4712917
57	1.7553748	17	2.0681859	77	2.2479733	37	2.3747483	97	2.4727564
58	1.7634280	18	2.0718820	78	2.2504200	38	2.3765770	98	2.4742163
59	1.7708520	19	2.0751470	79	2.2528530	39	2.3783979	99	2.4756712

<i>secū</i>	<i>Gr. Mi.</i>				
<i>dā.</i>	<i>O. 5.</i>	<i>O. 6.</i>	<i>O. 7.</i>	<i>O. 8.</i>	<i>O. 9.</i>
409	2.4775221	63	2.5563025	420	2.6232493
1	2.4735669	61	2.5575072	21	2.6252282
2	2.4700069	62	2.5587-81	22	2.6253124
3	2.4814420	63	2.559-006	23	2.6263404
4	2.4828735	64	2.5611014	24	2.6273659
5	2.4842998	65	2.5622292	25	2.6281880
6	2.4857214	66	2.5634811	26	2.6294096
7	2.4871384	67	2.5646661	27	2.6304279
8	2.4885507	68	2.5658478	28	2.6314418
9	2.4899385	69	2.5670284	29	2.6324573
10	2.4913617	70	2.5682017	30	2.6334685
11	2.4927604	71	2.5693729	31	2.6344773
12	2.4942154	72	2.5704229	32	2.6354879
13	2.4957443	73	2.5717088	33	2.6364879
14	2.4969206	74	2.5728716	34	2.6373897
15	2.4983105	75	2.5740313	35	2.6384893
16	2.4996871	76	2.5751878	36	2.6394865
17	2.5010593	77	2.5763417	37	2.6404814
18	2.5024271	78	2.5774918	38	2.6414741
19	2.5037907	79	2.5786392	39	2.6424645
20	2.5051500	80	2.5797878	40	2.6434527
21	2.5065050	81	2.5809250	41	2.6444386
22	2.5078559	82	2.5820634	42	2.6454223
23	2.5092025	83	2.5831988	43	2.6464037
24	2.5105450	84	2.5843312	44	2.6473370
25	2.5118834	85	2.5854607	45	2.6483600
26	2.5132176	86	2.5868783	46	2.6493349
27	2.5145477	87	2.5877110	47	2.6503075
28	2.5158738	88	2.5888317	48	2.6512780
29	2.5171950	89	2.5899496	49	2.6522463
30	2.5185139	90	2.5910646	50	2.6532125
31	2.5198280	91	2.5921768	51	2.6541765
32	2.5211587	92	2.5932867	52	2.6551384
33	2.5224442	93	2.5943295	53	2.6560982
34	2.5237465	94	2.5954962	54	2.6570558
35	2.5250448	95	2.5965971	55	2.6580114
36	2.5263393	96	2.5976952	56	2.6590468
37	2.5276299	97	2.5987905	57	2.6599162
38	2.5289167	98	2.5998831	58	2.6608655
39	2.5301997	99	2.6009729	59	2.6618127
40	2.5314789	400	2.6020600	60	2.6627578
41	2.5327544	1	2.6031444	61	2.6637009
42	2.5340201	2	2.6042260	62	2.6646420
43	2.5352941	3	2.6053050	63	2.6653580
44	2.5365584	4	2.6063814	64	2.6665180
45	2.5378791	5	2.6074550	65	2.6674529
46	2.5390761	6	2.6085260	66	2.6683859
47	2.5403295	7	2.6095944	67	2.6693169
48	2.5415792	8	2.6106602	68	2.6702458
49	2.5428284	9	2.6117233	69	2.6711723
50	2.5440680	10	2.6127820	70	2.6720979
51	2.5453071	11	2.6138418	71	2.6730209
52	2.5465427	12	2.6148972	72	2.6739420
53	2.5477747	13	2.6150500	73	2.6748611
54	2.5490033	14	2.6170003	74	2.6757763
55	2.5502483	15	2.6180481	75	2.6766936
56	2.5514500	16	2.6190921	76	2.6776669
57	2.5526082	17	2.6201360	77	2.6785184
58	2.5538330	18	2.6211763	78	2.6794279
59	2.5550944	19	2.6222140	79	2.6803355

<i>secū</i>	<i>Gr. Mi.</i>				
<i>dā.</i>	<i>O. 10.</i>	<i>O. 11.</i>	<i>O. 12.</i>	<i>O. 13.</i>	<i>O. 14.</i>
600	2.7781512	660	2.8195439	720	2.8573325
1	2.7788745	61	2.8202015	21	2.8579353
2	2.7793065	62	2.8205580	22	2.8585172
3	2.7803173	63	2.8215135	23	2.8591383
4	2.7810169	64	2.8221681	24	2.8597326
5	2.7817154	65	2.822816	25	2.8603380
6	2.7824720	66	2.8234742	26	2.8609366
7	2.7831337	67	2.8241258	27	2.8615344
8	2.7839036	68	2.8247765	28	2.8621314
9	2.7846173	69	2.8254261	29	2.8627273
10	2.7853198	70	2.8260748	30	2.8633219
11	2.7860412	71	2.8267225	31	2.8639174
12	2.7867514	72	2.8273693	32	2.8645111
13	2.7874605	73	2.8281515	33	2.8651040
14	2.7881684	74	2.8286590	34	2.8656961
15	2.7888751	75	2.8292038	35	2.8662873
16	2.7895807	76	2.8299467	36	2.8668778
17	2.7902852	77	2.8305387	37	2.8674675
18	2.7909885	78	2.8312297	38	2.8680564
19	2.7916906	79	2.8318698	39	2.8686444
20	2.7923917	80	2.8325080	40	2.8692317
21	2.7930916	81	2.8331471	41	2.8698182
22	2.7937904	82	2.8337844	42	2.8704039
23	2.7944880	83	2.8344207	43	2.8709888
24	2.7951846	84	2.8350561	44	2.8715729
25	2.7958800	85	2.8356906	45	2.8721563
26	2.7965744	86	2.8363241	46	2.8727188
27	2.7972675	87	2.8369567	47	2.8733206
28	2.7979596	88	2.8375884	48	2.8739016
29	2.7986506	89	2.8382192	49	2.8744878
30	2.7993405	90	2.8388491	50	2.8750613
31	2.8000294	91	2.8394780	51	2.8756399
32	2.8007171	92	2.8407061	52	2.8762178
33	2.8014037	93	2.8407332	53	2.8767950
34	2.8020893	94	2.8415595	54	2.8773773
35	2.8027737	95	2.8419848	55	2.8779459
36	2.8034571	96	2.8426692	56	2.8785218
37	2.8041394	97	2.8432328	57	2.8790959
38	2.8048207	98	2.8438554	58	2.8796662
39	2.8055009	99	2.8447471	59	2.8802418
40	2.8061800	700	2.8450980	60	2.8808136
41	2.8068580	1	2.8457187	61	2.8813347
42	2.8075350	2	2.8463311	62	2.8819550
43	2.8082110	3	2.8469553	63	2.8825245
44	2.8088595	4	2.8475737	64	2.8830934
45	2.8095597	5	2.8481891	65	2.8836614
46	2.8102325	6	2.8488047	66	2.8842288
47	2.8109043	7	2.8494194	67	2.8847954
48	2.8115750	8	2.8500333	68	2.8856162
49	2.8122447	9	2.8506462	69	2.8859263
50	2.8129134	10	2.8512533	70	2.8864907
51	2.8135810	11	2.8518696	71	2.8870544
52	2.8142476	12	2.8524800	72	2.8876173
53	2.8149132	13	2.8530805	73	2.8881795
54	2.8155777	14	2.8536982	74	2.8887410
55	2.8162413	15	2.8543060	75	2.8893017
56	2.8169038	16	2.8549120	76	2.8898017
57	2.8175654	17	2.8555191	77	2.8904210
58	2.8181776	18	2.8561244	78	2.8909796
59	2.8188854	19	2.8567289	79	2.8915375

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>o. 15.</i>	<i>o. 16.</i>	<i>o. 17.</i>	<i>o. 18.</i>	<i>o. 19.</i>
900	2.9542425	60	2.9822712	1020	3.0086002
1	2.9547248	61	2.9827234	21	3.0090257
2	2.9552065	62	2.9831751	22	3.0094509
3	2.9552087	63	2.9836263	23	3.0098756
4	2.9561684	64	2.9840720	24	3.0102299
5	2.9566486	65	2.9845273	25	3.0107239
6	2.9571282	66	2.9849271	26	3.0111474
7	2.9576073	67	2.9854265	27	3.0115704
8	2.9580858	68	2.9858753	28	3.0119931
9	2.9585639	69	2.9863238	29	3.0124154
10	2.9590414	70	2.9867717	30	3.0128372
11	2.9595184	71	2.9872192	31	3.0132587
12	2.9599948	72	2.9876633	32	3.0136679
13	2.9604708	73	2.9881128	33	3.0141003
14	2.9609462	74	2.9885589	34	3.0145205
15	2.9614211	75	2.9890046	35	3.0149403
16	2.9618955	76	2.9894948	36	3.0153597
17	2.9623693	77	2.9898946	37	3.0157787
18	2.9628447	78	2.9903388	38	3.0161973
19	2.9633155	79	2.9907827	39	3.0166155
20	2.9637878	80	2.9911261	40	3.0170333
21	2.9642596	81	2.9916690	41	3.0174507
22	2.9643709	82	2.9921115	42	3.0178677
23	2.9652017	83	2.9925535	43	3.0182843
24	2.9656704	84	2.9929951	44	3.0187005
25	2.9661417	85	2.9934362	45	3.0191163
26	2.9666110	86	2.9938769	46	3.0195317
27	2.9670797	87	2.9943171	47	3.0199467
28	2.9675480	88	2.9947569	48	3.0203613
29	2.9680157	89	2.9951963	49	3.0207755
30	2.9684829	90	2.9956352	50	3.0211893
31	2.9689497	91	2.9960736	51	3.0216027
32	2.9694159	92	2.9965117	52	3.0220157
33	2.9698816	93	2.9969492	53	3.0224284
34	2.9703469	94	2.9973864	54	3.0228406
35	2.9708116	95	2.9978231	55	3.0232524
36	2.9712758	96	2.9982193	56	3.0236639
37	2.9717396	97	2.9986951	57	3.0240750
38	2.9722028	98	2.9991305	58	3.0244857
39	2.9726656	99	2.9995655	59	3.0248960
40	2.9731278	1000	3.0000000	60	3.0253059
41	2.9735896	1	3.004341	61	3.0257154
42	2.9740509	2	3.008687	62	3.0261245
43	2.9745117	3	3.0013009	63	3.0265331
44	2.9749720	4	3.0017337	64	3.0269416
45	2.9754318	5	3.0021661	65	3.0273496
46	2.9758911	6	3.0025980	66	3.0277572
47	2.9763500	7	3.0030295	67	3.0281644
48	2.9768083	8	3.0034603	68	3.0285712
49	2.9772662	9	3.0038912	69	3.0289777
50	2.9777236	10	3.0043214	70	3.0293838
51	2.9781805	11	3.0047511	71	3.0297895
52	2.9786369	12	3.0051805	72	3.0303948
53	2.9790929	13	3.0056094	73	3.0305997
54	2.9795484	14	3.0060379	74	3.0310043
55	2.9800034	15	3.0064660	75	3.0314085
56	2.9804579	16	3.0068937	76	3.0318123
57	2.9809119	17	3.0073209	77	3.0322157
58	2.9813655	18	3.0077478	78	3.0326188
59	2.9818166	19	3.00821742	79	3.0330214

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>o. 20.</i>	<i>o. 21.</i>	<i>o. 22.</i>	<i>o. 23.</i>	<i>o. 24.</i>
1260	3.0791812	1260	3.1003705	1260	3.1205739
1	3.0795430	61	3.1007151	21	3.1209028
2	3.0799045	62	3.1010593	22	3.1212114
3	3.0802656	63	3.1014033	23	3.1215598
4	3.0806265	64	3.1017471	24	3.1218380
5	3.0809870	65	3.1020905	25	3.122159
6	3.0813473	66	3.1024337	26	3.1225435
7	3.0817073	67	3.1027766	27	3.1228709
8	3.0820669	68	3.1031192	28	3.1231081
9	3.0824263	69	3.1034616	29	3.1235250
10	3.0827854	70	3.1038037	30	3.1238156
11	3.0831441	71	3.1041455	31	3.1241780
12	3.0835026	72	3.1044871	32	3.1245042
13	3.0838668	73	3.1048284	33	3.1248301
14	3.0842137	74	3.1051694	34	3.1251558
15	3.0845763	75	3.1055102	35	3.1254813
16	3.0849336	76	3.1058507	36	3.1258064
17	3.0852906	77	3.1061090	37	3.1261314
18	3.0856473	78	3.1065308	38	3.1264561
19	3.0860037	79	3.1068705	39	3.1267806
20	3.0863598	80	3.1071200	40	3.1271048
21	3.0867156	81	3.1075491	41	3.1274238
22	3.0870712	82	3.1078880	42	3.1277525
23	3.0874264	83	3.1082266	43	3.1280760
24	3.0877814	84	3.1085650	44	3.1283993
25	3.0881361	85	3.1089031	45	3.1287223
26	3.0884905	86	3.1092410	46	3.1290450
27	3.0888446	87	3.1095785	47	3.1293676
28	3.0891984	88	3.1099159	48	3.1296899
29	3.0895519	89	3.1102529	49	3.1300119
30	3.0899051	90	3.1105897	50	3.1303338
31	3.0902580	91	3.1109262	51	3.1306553
32	3.0906107	92	3.1112625	52	3.1309767
33	3.0909031	93	3.1115985	53	3.1312978
34	3.0913351	94	3.1119343	54	3.1313162
35	3.0916659	95	3.1122698	55	3.1319393
36	3.0920185	96	3.1126050	56	3.1322597
37	3.0923697	97	3.1129400	57	3.1325798
38	3.0927206	98	3.1132747	58	3.1330898
39	3.0930713	99	3.1136091	59	3.1332195
40	3.0934217	1000	3.1139433	60	3.1335389
41	3.0937718	1	3.1142773	61	3.1338581
42	3.0941216	2	3.1146110	62	3.1341771
43	3.0944711	3	3.1149444	63	3.1344958
44	3.0948204	4	3.1152776	64	3.1348144
45	3.0951693	5	3.1156105	65	3.1351326
46	3.0955180	6	3.1159432	66	3.1354507
47	3.0958664	7	3.1162756	67	3.1357685
48	3.0962146	8	3.1166677	68	3.1360861
49	3.0965624	9	3.1169396	69	3.1364034
50	3.0969100	10	3.1172713	70	3.1367206
51	3.0972573	11	3.1176027	71	3.1370374
52	3.0976043	12	3.1179338	72	3.1373541
53	3.0979511	13	3.1182647	73	3.1376705
54	3.0982975	14	3.1185954	74	3.1379867
55	3.0986437	15	3.1189257	75	3.1383027
56	3.0989806	16	3.1192559	76	3.1386184
57	3.0993333	17	3.1195858	77	3.1389339
58	3.0996860	18	3.1199154	78	3.1392492
59	3.1000357	19	3.1202448	79	3.1395643

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>O. 25.</i>	<i>O. 26.</i>	<i>O. 27.</i>	<i>O. 28.</i>	<i>O. 29.</i>
150	3.1760913	1560	3.1931246	1620	3.2095150
1	3.1763807	61	3.1934029	21	3.2097830
2	3.1766699	62	3.1936810	22	3.2100508
3	3.1769520	63	3.1939590	23	3.2103135
4	3.1772478	64	3.1942367	24	3.2105860
5	3.1775365	65	3.1945143	25	3.2108534
6	3.1778325	66	3.1947917	26	3.2111205
7	3.1781132	67	3.1950690	27	3.2113876
8	3.1784013	68	3.1953466	28	3.2116544
9	3.1786892	69	3.1956229	29	3.2119211
10	3.1789769	70	3.1958996	30	3.2121876
11	3.1792645	71	3.1961762	31	3.2124540
12	3.1795538	72	3.1964525	32	3.2127201
13	3.1798389	73	3.1967287	33	3.2129862
14	3.1801259	74	3.1970047	34	3.2132531
15	3.1804126	75	3.1972806	35	3.2135178
16	3.1806922	76	3.1975562	36	3.2137833
17	3.1809856	77	3.1978171	37	3.2140487
18	3.1812718	78	3.1981070	38	3.2143139
19	3.1815578	79	3.1983821	39	3.2145759
20	3.1818436	80	3.1986571	40	3.2148438
21	3.1821292	81	3.1989319	41	3.2151086
22	3.1824146	82	3.1992065	42	3.2153732
23	3.1826999	83	3.1994809	43	3.2156376
24	3.1829850	84	3.1997552	44	3.2159018
25	3.1832668	85	3.2000293	45	3.2161659
26	3.1835545	86	3.2003032	46	3.2164298
27	3.1838390	87	3.2005769	47	3.2166936
28	3.1841233	88	3.2008505	48	3.2169572
29	3.1844075	89	3.2011230	49	3.2172206
30	3.1846914	90	3.2013971	50	3.2174839
31	3.1849752	91	3.2016702	51	3.2177471
32	3.1852588	92	3.2019431	52	3.2180100
33	3.1855421	93	3.2022158	53	3.2182728
34	3.1858453	94	3.2024883	54	3.2185355
35	3.1861084	95	3.2027607	55	3.2187930
36	3.1863912	96	3.2030329	56	3.2190603
37	3.1866739	97	3.2033049	57	3.2193125
38	3.1869563	98	3.2035768	58	3.2195845
39	3.1872386	99	3.2038485	59	3.2198464
40	3.1875207	1600	3.2041200	60	3.2201018
41	3.1878026	1	3.2043913	61	3.2203696
42	3.1880844	2	3.2046625	62	3.2206370
43	3.1883659	3	3.2049335	63	3.2208912
44	3.1886473	4	3.2052044	64	3.2211533
45	3.1889285	5	3.2054750	65	3.2214142
46	3.1892095	6	3.2057455	66	3.2216750
47	3.1894903	7	3.2060159	67	3.2219356
48	3.1897769	8	3.2062860	68	3.2221960
49	3.1900514	9	3.2065560	69	3.2224563
50	3.1903317	10	3.2068259	70	3.2227755
51	3.1906118	11	3.2070955	71	3.2229764
52	3.1908947	12	3.2073650	72	3.2232363
53	3.1911744	13	3.2076344	73	3.2234959
54	3.1914510	14	3.2079035	74	3.2237555
55	3.1917304	15	3.2081725	75	3.2240148
56	3.1920096	16	3.2084414	76	3.2242743
57	3.1922886	17	3.2087100	77	3.2245331
58	3.1925674	18	3.2089785	78	3.2247920
59	3.1928461	19	3.2092468	79	3.2250507

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>O. 30.</i>	<i>O. 31.</i>	<i>O. 32.</i>	<i>O. 33.</i>	<i>O. 34.</i>
1800	3.2552725	1860	3.2695129	1920	3.2833012
1	3.2555137	61	3.2697464	21	3.2835274
2	3.2557548	62	3.2699797	22	3.2837534
3	3.2559757	63	3.2701228	23	3.2839793
4	3.2562365	64	3.2704659	24	3.2842051
5	3.2564772	65	3.2706733	25	3.2844307
6	3.2567177	66	3.2709116	26	3.2846563
7	3.2569532	67	3.2711443	27	3.2848817
8	3.2571934	68	3.2713769	28	3.2851070
9	3.2574386	69	3.2716093	29	3.2853322
10	3.2576786	70	3.2718416	30	3.2855573
11	3.2579784	71	3.2720738	31	3.2858783
12	3.2581582	72	3.2723058	32	3.2860071
13	3.2583978	73	3.2725378	33	3.286218
14	3.2586373	74	3.2727696	34	3.2864565
15	3.2588766	75	3.2730013	35	3.2866810
16	3.2591158	76	3.2732328	36	3.2869054
17	3.2593549	77	3.2734633	37	3.2871296
18	3.2595939	78	3.2736536	38	3.2873538
19	3.2598347	79	3.2739028	39	3.2875778
20	3.2600714	80	3.2741578	40	3.2878017
21	3.2602309	81	3.2743888	41	3.2880255
22	3.2604848	82	3.2746196	42	3.2882492
23	3.2607867	83	3.2748303	43	3.2884728
24	3.2610248	84	3.2750809	44	3.2886953
25	3.2612629	85	3.2753113	45	3.2889196
26	3.2615008	86	3.2755417	46	3.2891428
27	3.2617385	87	3.2757719	47	3.2893659
28	3.2619762	88	3.2760020	48	3.2895889
29	3.2622137	89	3.2762320	49	3.2898118
30	3.2624511	90	3.2764618	50	3.2900346
31	3.2626883	91	3.2766915	51	3.2902573
32	3.2629255	92	3.2769221	52	3.2904798
33	3.2631635	93	3.2771506	53	3.2907022
34	3.2633993	94	3.2773800	54	3.2909246
35	3.2636161	95	3.2776092	55	3.2911468
36	3.2638727	96	3.2778383	56	3.2913404
37	3.2641092	97	3.2780673	57	3.2915303
38	3.2643455	98	3.2782968	58	3.2918422
39	3.2645817	99	3.2785250	59	3.2920344
40	3.2648178	1000	3.2787536	60	3.2922561
41	3.2650538	1	3.2789818	61	3.2924776
42	3.2652890	2	3.2792105	62	3.2926990
43	3.2655253	3	3.2794388	63	3.2929203
44	3.2657609	4	3.2796669	64	3.2931415
45	3.2659964	5	3.2798950	65	3.2933526
46	3.2662317	6	3.2801129	66	3.2935835
47	3.2664660	7	3.2803507	67	3.2938044
48	3.2667020	8	3.2805784	68	3.2940251
49	3.2669369	9	3.2808352	69	3.2942457
50	3.2671717	10	3.2810334	70	3.2944662
51	3.2674064	11	3.2812607	71	3.2946856
52	3.2676410	12	3.2814939	72	3.2949069
53	3.2678754	13	3.2817150	73	3.2951271
54	3.2681097	14	3.2819319	74	3.2953471
55	3.2683439	15	3.2821088	75	3.2955671
56	3.2685780	16	3.2823955	76	3.2957869
57	3.2688119	17	3.2826221	77	3.2960067
58	3.2690457	18	3.2828486	78	3.2962263
59	3.2692794	19	3.2830750	79	3.2964458

<i>secū</i>	<i>Gr. Mi.</i>				
<i>dā.</i>	0. 35.	0. 36.	0. 37.	0. 38.	0. 39.
100	3.3222193	2160	3.3344537	2220	3.3463530
2	3.3224260	61	3.3346548	21	3.3465436
3	3.3226327	62	3.3348557	22	3.3467441
4	3.3228393	63	3.3350565	23	3.3469395
5	3.3230457	64	3.3352572	24	3.3471348
6	3.3232521	65	3.3354579	25	3.3473320
7	3.3234584	66	3.3356585	26	3.3475252
8	3.3236645	67	3.3358589	27	3.3477222
9	3.3238706	68	3.3360593	28	3.3479152
10	3.3240760	69	3.3362598	29	3.3481061
11	3.3242825	70	3.3364597	30	3.3483049
12	3.3244882	71	3.3366508	31	3.3484996
13	3.3246939	72	3.3368510	32	3.3486942
14	3.3248993	73	3.3370512	33	3.3488887
15	3.3251050	74	3.3372515	34	3.3490832
16	3.3253104	75	3.3374513	35	3.3492775
17	3.3255157	76	3.3376518	36	3.3494718
18	3.3257209	77	3.3378518	37	3.3496656
19	3.3259200	78	3.3380519	38	3.3498001
20	3.3261110	79	3.3382512	39	3.3500541
21	3.3263152	80	3.3384565	40	3.3502480
22	3.3265197	81	3.3386557	41	3.3504432
23	3.3267245	82	3.3388547	42	3.3506356
24	3.3269200	83	3.3390537	43	3.3508293
25	3.3271153	84	3.3392526	44	3.3510223
26	3.3273189	85	3.3394514	45	3.3512163
27	3.3275173	86	3.3396501	46	3.3514098
28	3.3277079	87	3.3398488	47	3.3516031
29	3.3279716	88	3.3400473	48	3.3517963
30	3.3281757	89	3.3422458	49	3.3519825
31	3.3283796	90	3.3404441	50	3.3521825
32	3.3285834	91	3.3406424	51	3.3523755
33	3.3287872	92	3.3408405	52	3.3525684
34	3.3289909	93	3.3410386	53	3.3527612
35	3.3291944	94	3.3412366	54	3.3529539
36	3.3293979	95	3.3414345	55	3.3531465
37	3.3296012	96	3.3416323	56	3.3533391
38	3.3298045	97	3.3418301	57	3.3535316
39	3.3300077	98	3.3420277	58	3.3537239
40	3.3302118	99	3.3422252	59	3.3539162
41	3.3304138	2200	3.3424227	60	3.354084
42	3.3306167	1	3.3426200	61	3.3543006
43	3.3308199	2	3.3428173	62	3.3545926
44	3.3310222	3	3.3430145	63	3.3548446
45	3.3312248	4	3.3432116	64	3.3548764
46	3.3314273	5	3.3434086	65	3.3550682
47	3.3316297	6	3.3436055	66	3.3552599
48	3.3318320	7	3.3438023	67	3.3554151
49	3.3320343	8	3.3439991	68	3.3556040
50	3.3322364	9	3.3441957	69	3.3558345
51	3.3324382	10	3.3443923	70	3.3560259
52	3.3326404	11	3.3445887	71	3.3562171
53	3.3328423	12	3.3447851	72	3.3564083
54	3.3330440	13	3.3449814	73	3.3565994
55	3.3332457	14	3.3451770	74	3.3567975
56	3.3334473	15	3.3453737	75	3.3569814
57	3.3336488	16	3.3455698	76	3.3571723
58	3.3338501	17	3.3457657	77	3.3573620
59	3.3340514	18	3.3459615	78	3.3575537
60	3.3342526	19	3.3461573	79	3.3577443

<i>secū</i>	<i>Gr. Mi.</i>				
<i>dā.</i>	0. 40.	0. 41.	0. 42.	0. 43.	0. 44.
100	3.3302112	2460	3.3909351	2520	3.4014005
2	3.3303922	61	3.3911116	21	3.4015723
3	3.3305740	62	3.3912380	22	3.4017451
4	3.3307538	63	3.3914644	23	3.4019173
5	3.3309345	64	3.3916407	24	3.4020893
6	3.3311151	65	3.3918169	25	3.4021614
7	3.3312956	66	3.3919931	26	3.4024333
8	3.3314656	67	3.3921691	27	3.4026052
9	3.3316353	68	3.3923452	28	3.4027771
10	3.3318163	69	3.3925211	29	3.4029488
11	3.3320170	70	3.3926699	30	3.4031205
12	3.3321972	71	3.3928727	31	3.4032921
13	3.3323773	72	3.3930485	32	3.4034057
14	3.3325573	73	3.3932241	33	3.4036352
15	3.3327373	74	3.3933997	34	3.4038066
16	3.3329171	75	3.3935752	35	3.4039780
17	3.3330969	76	3.3937306	36	3.4041492
18	3.3332766	77	3.3939260	37	3.4043205
19	3.3334359	78	3.3941013	38	3.4044916
20	3.3336154	79	3.3942765	39	3.4046627
21	3.3338154	80	3.3944517	40	3.4048337
22	3.3340048	81	3.3946268	41	3.4050047
23	3.3341741	82	3.3948018	42	3.4051755
24	3.3343534	83	3.3949767	43	3.4053464
25	3.3345326	84	3.3951516	44	3.4053711
26	3.3347117	85	3.3953264	45	3.4056378
27	3.3348908	86	3.3955011	46	3.4058584
28	3.3350698	87	3.3956758	47	3.4060289
29	3.3352437	88	3.3958504	48	3.4061994
30	3.3354275	89	3.3960249	49	3.4063698
31	3.3356063	90	3.3961993	50	3.4065402
32	3.3357850	91	3.3963737	51	3.4067105
33	3.3359636	92	3.3965480	52	3.4068807
34	3.3361421	93	3.3967213	53	3.4070508
35	3.3363206	94	3.3968964	54	3.4072209
36	3.3364990	95	3.3970705	55	3.4073909
37	3.3366773	96	3.3972446	56	3.4075608
38	3.3368555	97	3.3974185	57	3.4177307
39	3.3369718	98	3.3975914	58	3.4177905
40	3.3370898	2500	3.3977662	59	3.4280703
41	3.3372678	1	3.3981137	60	3.4282400
42	3.3374557	2	3.3982873	61	3.4284096
43	3.3376255	3	3.3984608	62	3.4285791
44	3.3378102	4	3.3986143	63	3.4287983
45	3.3380789	5	3.3988577	64	3.4290874
46	3.3383455	6	3.3989811	65	3.4292567
47	3.3385347	7	3.3997543	66	3.4094259
48	3.3388114	8	3.39993275	67	3.4196234
49	3.3389888	9	3.3999507	68	3.4197936
50	3.3391661	10	3.39996737	69	3.4199541
51	3.3393433	11	3.39998497	70	3.4201021
52	3.3395205	12	3.4000196	71	3.42012710
53	3.3396975	13	3.40001925	72	3.4204398
54	3.3398746	14	3.40003053	73	3.4100685
55	3.3399575	15	3.4000580	74	3.4107773
56	3.3397284	16	3.4000716	75	3.4109459
57	3.3399052	17	3.40008832	76	3.4111144
58	3.33995819	18	3.4010557	77	3.4112289
59	3.33997585	19	3.4012282	78	3.4114513

secū	Gr. Mi. da. o. 45.	Gr. Mi. o. 46.	Gr. Mi. o. 47.	Gr. Mi. o. 48.	Gr. Mi. o. 49.
No.	Logarith.	Nu.	Logarith.	Nu.	Logarith.
2700	3.4313633	2760	3.4409091	2820	3.4502491
1	3.4315246	61	3.4410662	21	3.4504031
2	3.4316851	62	3.4412237	22	3.4505570
3	3.4318490	63	3.4413609	23	3.4507109
4	3.4320067	64	3.4415380	24	3.4508647
5	3.4321677	65	3.4416751	25	3.4510184
6	3.4323278	66	3.4418322	26	3.4511721
7	3.4324882	67	3.4420092	27	3.4513258
8	3.4326487	68	3.4421661	28	3.4514794
9	3.4328094	69	3.4423229	29	3.4516329
10	3.4329693	70	3.4424798	30	3.4517864
11	3.4331295	71	3.4426165	31	3.4519199
12	3.4332897	72	3.4427932	32	3.4520322
13	3.4334498	73	3.4429499	33	3.4521466
14	3.4336098	74	3.4431065	34	3.4523393
15	3.4337698	75	3.4432030	35	3.4525331
16	3.4339298	76	3.4434195	36	3.4527062
17	3.4340896	77	3.4435750	37	3.4528593
18	3.4342494	78	3.4437324	38	3.4530142
19	3.4344092	79	3.4438883	39	3.4531054
20	3.434589	80	3.4440448	40	3.4533183
21	3.4347489	81	3.4442010	41	3.4534712
22	3.4348881	82	3.4443571	42	3.4536141
23	3.4350476	83	3.4445132	43	3.4537769
24	3.4352071	84	3.4446692	44	3.4539296
25	3.4353665	85	3.4448252	45	3.4540833
26	3.4355258	86	3.4449811	46	3.4542339
27	3.4356851	87	3.4451373	47	3.4543875
28	3.4358444	88	3.4452928	48	3.4545400
29	3.4360025	89	3.4454485	49	3.4546924
30	3.4361620	90	3.4456048	50	3.4548449
31	3.4363217	91	3.4457598	51	3.4549972
32	3.4364817	92	3.4459154	52	3.4551495
33	3.4366300	93	3.4460749	53	3.4553018
34	3.4367985	94	3.4462264	54	3.4554540
35	3.4369573	95	3.4463818	55	3.4556061
36	3.4371101	96	3.4465372	56	3.4557562
37	3.4372748	97	3.4466925	57	3.4559102
38	3.4374224	98	3.4468477	58	3.4560622
39	3.4375900	99	3.4470029	59	3.4562142
40	3.4377506	2800	3.4473580	60	3.4563660
41	3.4379000	1	3.4473131	61	3.4565179
42	3.4380694	2	3.4474081	62	3.4566696
43	3.4382258	3	3.4476231	63	3.4568213
44	3.4383837	4	3.4477780	64	3.4569730
45	3.4385423	5	3.4479329	65	3.4571240
46	3.4387005	6	3.4480877	66	3.4572762
47	3.4388587	7	3.4482424	67	3.4574277
48	3.4390167	8	3.4483971	68	3.4575791
49	3.4391747	9	3.4485517	69	3.4577305
50	3.4393327	10	3.4487063	70	3.4578879
51	3.4394900	11	3.4488603	71	3.4580332
52	3.4396484	12	3.4490133	72	3.4581844
53	3.4398062	13	3.4491697	73	3.4583356
54	3.4399639	14	3.4493241	74	3.4584867
55	3.4401216	15	3.4494784	75	3.4586378
56	3.4402792	16	3.4496336	76	3.4587889
57	3.4404368	17	3.4497868	77	3.4589399
58	3.4405943	18	3.4499410	78	3.4590908
59	3.4407517	19	3.4500951	79	3.4592417

secū	Gr. Mi. da. o. 50.	Gr. Mi. o. 51.	Gr. Mi. o. 52.	Gr. Mi. o. 53.	Gr. Mi. o. 54.
No.	Logarith.	Nu.	Logarith.	Nu.	Logarith.
3000	3.4773212	3060	3.4857214	3120	3.4941526
3020	3.4772660	61	3.4858633	21	3.4942958
3040	3.4774187	62	3.4860652	22	3.4944119
3060	3.4775553	63	3.4862170	23	3.4945750
3080	3.4776999	64	3.4863888	24	3.4947110
3100	3.4778445	65	3.4865405	25	3.4948500
3120	3.4779890	66	3.4867021	26	3.4949890
3140	3.4781334	67	3.4868733	27	3.4951279
3160	3.4782773	68	3.4869354	28	3.4952557
3180	3.4784224	69	3.4869969	29	3.4954056
3200	3.4785665	70	3.4871384	30	3.4955443
3220	3.4787108	71	3.4872798	31	3.4956831
3240	3.4788550	72	3.4874212	32	3.4958228
3260	3.4789991	73	3.4875026	33	3.4959604
3280	3.4791432	74	3.4876859	34	3.4960990
3300	3.4792873	75	3.4878281	35	3.4962873
3320	3.4794313	76	3.4879863	36	3.4964768
3340	3.4795753	77	3.4881275	37	3.4966746
3360	3.4797194	78	3.4882686	38	3.4968785
3380	3.4798631	79	3.4884097	39	3.4969884
3400	3.4800069	80	3.4885557	40	3.4969996
3420	3.4801507	81	3.4886917	41	3.4970679
3440	3.4802945	82	3.4888326	42	3.4972062
3460	3.4804381	83	3.4889715	43	3.4973444
3480	3.4805813	84	3.4891144	44	3.4974825
3500	3.4807254	85	3.4892552	45	3.4976406
3520	3.4808683	86	3.4893959	46	3.4977587
3540	3.4810124	87	3.4895350	47	3.4978957
3560	3.4811559	88	3.4896773	48	3.4980347
3580	3.4813093	89	3.4898179	49	3.4981727
3600	3.4814526	90	3.4899585	50	3.4990530
3620	3.4815859	91	3.4900990	51	3.4992484
3640	3.4817291	92	3.4902395	52	3.4993786
3660	3.4818724	93	3.4903799	53	3.4995240
3680	3.4820156	94	3.4905203	54	3.4996817
3700	3.4821587	95	3.4906607	55	3.4998994
3720	3.4823026	96	3.4908009	56	3.4999106
3740	3.4824448	97	3.4909412	57	3.4999746
3760	3.4825878	98	3.4910814	58	3.4999721
3780	3.4827313	99	3.4912216	59	3.4999746
3800	3.4828736	100	3.4913617	60	3.4999871
3820	3.4830184	61	3.4915018	61	3.4999845
3840	3.4831592	62	3.4916418	62	3.4999619
3860	3.4833019	63	3.4917818	63	3.4999992
3880	3.4834446	64	3.4919217	64	3.5002305
3900	3.4835873	65	3.4920616	65	3.5003737
3920	3.4837299	66	3.4920619	66	3.5005297
3940	3.4838725	67	3.4921343	67	3.5006481
3960	3.4840150	68	3.4921810	68	3.5007853
3980	3.4841574	69	3.4922607	69	3.5009222
4000	3.4843008	70	3.4923093	70	3.5009225
4020	3.4844422	71	3.4923900	71	3.5009370
4040	3.4845844	72	3.4924332	72	3.5009473
4060	3.4847263	73	3.4925097	73	3.5010393
4080	3.4848683	74	3.4925719	74	3.5011417
4100	3.4850112	75	3.4926430	75	3.5012437
4120	3.4851533	76	3.4927150	76	3.5013457
4140	3.4852954	77	3.4927804	77	3.5014474
4160	3.4854375	78	3.4928500	78	3.5015491
4180	3.4855795	79	3.4929134	79	3.5016509

secū	Gr. Mi. da.								
	o. 55	o. 56.	o. 57.	o. 58.	o. 59.	o. 1.	o. 2.	o. 3.	
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.
3300	3.51355139	3369	3.5126393	3420	3.5340261	3480	3.5415792	3540	3.5349003
3301	3.51386455	3370	3.52364085	3421	3.5341531	3481	3.5417040	3541	3.53493259
3302	3.51387721	3371	3.52365077	3422	3.5342800	3482	3.5418288	3542	3.53492486
3303	3.51389489	3372	3.52367209	3423	3.5344069	3483	3.5419535	3543	3.53493712
3304	3.51390400	3373	3.52368360	3424	3.5345338	3484	3.5420281	3544	3.53494957
3305	3.51391715	3374	3.52369851	3425	3.5346666	3485	3.5422028	3545	3.53496162
3306	3.51392308	3376	3.52371181	3426	3.53473874	3486	3.5423274	3546	3.53497537
3307	3.51394342	3377	3.52372431	3427	3.53479471	3487	3.5424519	3547	3.53498612
3308	3.51395055	3378	3.52373721	3428	3.53500408	3488	3.54259765	3548	3.53499836
3309	3.51396558	3379	3.52375010	3429	3.5351675	3489	3.5427010	3549	3.53501060
3310	3.51398280	3380	3.52376299	3430	3.53529491	3490	3.5428254	3550	3.53502283
3311	3.51399592	3381	3.52377588	3431	3.53542079	3491	3.5429498	3551	3.53503507
3312	3.52000793	3382	3.52378796	3432	3.53554673	3492	3.5430742	3552	3.53504780
3313	3.52002114	3383	3.52380163	3433	3.53556788	3493	3.5431986	3553	3.53505952
3314	3.52003585	3384	3.52381451	3434	3.53568003	3494	3.5433229	3554	3.53507174
3315	3.52048385	3385	3.52382738	3435	3.53559267	3495	3.54344672	3555	3.53508396
3316	3.52061645	3386	3.52384024	3436	3.53560532	3496	3.5435714	3556	3.53509618
3317	3.52074555	3387	3.52385311	3437	3.53561795	3497	3.54366956	3557	3.53510839
3318	3.52087664	3388	3.52386596	3438	3.53563059	3498	3.5438198	3558	3.53512059
3319	3.5210973	3389	3.52387882	3439	3.53564322	3499	3.5439439	3559	3.53513280
3320	3.5211381	3390	3.52389167	3440	3.53565584	3500	3.5440680	360	3.535514700
3321	3.5212689	3391	3.52390452	3441	3.53566847	3501	3.5441921	361	3.535515720
3322	3.5213996	3392	3.52391736	3442	3.53568109	3502	3.5443161	362	3.535520693
3323	3.5215503	3393	3.52392020	3443	3.53569370	3503	3.5444401	363	3.535521858
3324	3.52166010	3394	3.52393403	3444	3.53570371	3504	3.5445541	364	3.535529777
3325	3.5217916	3395	3.52395587	3445	3.53571892	3505	3.5446680	365	3.535520595
3326	3.5219222	3396	3.52396869	3446	3.53573153	3506	3.5448119	366	3.535521813
3327	3.5220526	3397	3.52398152	3447	3.53574413	3507	3.54492355	367	3.53552031
3328	3.52211933	3398	3.52399434	3448	3.53575672	3508	3.5450596	368	3.535524248
3329	3.52227158	3399	3.52399916	3449	3.53576922	3509	3.5451834	369	3.535525465
3330	3.52224442	3400	3.5303997	3450	3.53578191	3510	3.5453071	370	3.53566882
3331	3.5225746	3401	3.53039778	3451	3.53579450	3511	3.5454308	371	3.53572798
3332	3.5226750	3402	3.53045558	3452	3.53580708	3512	3.54555345	372	3.53572114
3333	3.5228353	3403	3.5305839	3453	3.53581966	3513	3.5456781	373	3.53550330
3334	3.52292650	3404	3.53070718	3454	3.53583223	3514	3.5458058	374	3.53551545
3335	3.5230958	3405	3.5308393	3455	3.53584481	3515	3.5459253	375	3.53552760
3336	3.5232260	3406	3.53096977	3456	3.53585757	3516	3.5460689	376	3.53553975
3337	3.5233352	3407	3.53109555	3457	3.53586994	3517	3.5461724	377	3.53554189
3338	3.52342863	3408	3.53112234	3458	3.53588250	3518	3.54620252	378	3.53554003
3339	3.5236164	3409	3.53131512	3459	3.535892506	3519	3.5464193	379	3.535537617
3340	3.5237465	3410	3.5314789	3460	3.53590761	3520	3.5465427	380	3.53553880
3341	3.5238765	3411	3.5316666	3461	3.53592016	3521	3.5466666	381	3.53540043
3342	3.5240064	3412	3.5317343	3462	3.53593271	3522	3.5467894	382	3.53541256
3343	3.5241366	3413	3.53181619	3463	3.53594525	3523	3.54680326	383	3.53542468
3344	3.5242663	3414	3.5319893	3464	3.53595779	3524	3.54692739	384	3.53543680
3345	3.5244961	3415	3.5321171	3465	3.53597032	3525	3.5471591	385	3.53544892
3346	3.5245259	3416	3.5322446	3466	3.53598286	3526	3.5472823	386	3.53546103
3347	3.52466557	3417	3.53232721	3467	3.53599538	3527	3.5474155	387	3.53547314
3348	3.5247854	3418	3.5324996	3468	3.53700791	3528	3.5475286	388	3.53548524
3349	3.5249151	3419	3.5326570	3469	3.53702043	3529	3.5476517	389	3.53549735
3350	3.5250448	3420	3.5327544	3470	3.53702295	3530	3.5477747	390	3.53550944
3351	3.5251744	3421	3.5328837	3471	3.53704546	3531	3.5478977	391	3.53552154
3352	3.5253440	3422	3.53290590	3472	3.53705797	3532	3.5479207	392	3.53553363
3353	3.5254333	3423	3.53311663	3473	3.53707048	3533	3.5479436	393	3.53554573
3354	3.5255033	3424	3.5332635	3474	3.53708298	3534	3.5479665	394	3.53555781
3355	3.52569285	3425	3.53333097	3475	3.53709548	3535	3.5479894	395	3.53556989
3356	3.5258219	3426	3.53335179	3476	3.53710798	3536	3.5481123	396	3.53558197
3357	3.5259513	3427	3.53340450	3477	3.53712047	3537	3.5481326	397	3.53559404
3358	3.5260807	3428	3.53347721	3478	3.53713296	3538	3.5481675	398	3.53560612
3359	3.5262100	3429	3.53354544	3479	3.53714544	3539	3.54828806	399	3.53561818

secū	Gr. Mi. da.	Gr. Mi. I. 5.	Gr. Mi. I. 6.	Gr. Mi. I. 7.	Gr. Mi. I. 8.	Gr. Mi. I. 9.	secū	Gr. Mi. da.	Gr. Mi. I. 10.	Gr. Mi. I. 11.	Gr. Mi. I. 12.	Gr. Mi. I. 13.	Gr. Mi. I. 14.						
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Nu.	Logarith.				
3900	3.5920646	3960	3.5976952	4020	3.6042261	4080	3.6106602	4140	3.6170003	4200	3.6232493	4260	3.6294096	4320	3.6354837	4380	3.6414741	4440	3.6473830
1	3.5931739	61	3.5978048	21	3.6043341	81	3.6107666	41	3.6171052	1	3.6233527	61	3.6295115	21	3.6355843	81	3.6415733	41	3.6474808
2	3.5932373	62	3.5979145	22	3.6044421	82	3.6108730	42	3.6172107	2	3.62344560	62	3.6296134	22	3.6356848	82	3.6416724	42	3.6475789
3	3.5933395	63	3.5983241	23	3.6045500	83	3.6109794	43	3.6173149	3	3.6235594	63	3.6297153	23	3.6357852	83	3.6417715	43	3.6476763
4	3.5935093	64	3.5983330	24	3.6046580	84	3.6110857	44	3.6174197	4	3.6236627	64	3.6298172	24	3.6358857	84	3.6418705	44	3.6477740
5	3.5936180	65	3.5982422	25	3.6047659	85	3.6111921	45	3.6175215	5	3.6237660	65	3.6299190	25	3.6359861	85	3.6419696	45	3.6478718
6	3.5937732	66	3.5983527	26	3.6048738	86	3.6112984	46	3.6176233	6	3.6238693	66	3.6300208	26	3.6360665	86	3.6420686	46	3.6479695
7	3.5938344	67	3.5984622	27	3.6049816	87	3.6113946	47	3.6177340	7	3.6239725	67	3.6301226	27	3.6361869	87	3.6421676	47	3.6480671
8	3.5939546	68	3.5985717	28	3.6050893	88	3.6114909	48	3.6178387	8	3.6240757	68	3.6302244	28	3.6362872	88	3.6422666	48	3.6481648
9	3.5940057	69	3.5986811	29	3.6051973	89	3.6115971	49	3.6179414	9	3.6241789	69	3.6303262	29	3.6363876	89	3.6423656	49	3.6482624
10	3.5941708	70	3.5987905	30	3.6053050	90	3.6117023	50	3.6180481	10	3.6242821	70	3.6304229	30	3.6364879	90	3.6424645	50	3.6483600
11	3.5942198	71	3.5988999	31	3.6054128	91	3.6118225	51	3.6181527	11	3.6243852	71	3.6305296	31	3.6365882	91	3.6425634	51	3.6484576
12	3.5943283	72	3.5990091	32	3.6055205	92	3.6119356	52	3.6182573	12	3.6244884	72	3.6306312	32	3.6366884	92	3.6426623	52	3.6485552
13	3.5945093	73	3.5991186	33	3.6056282	93	3.6120417	53	3.6183619	13	3.6245915	73	3.6307329	33	3.6367887	93	3.6427612	53	3.6486537
14	3.5946203	74	3.5992279	34	3.6057319	94	3.6121478	54	3.6184665	14	3.6246945	74	3.6308345	34	3.6368880	94	3.6428601	54	3.6487502
15	3.5947318	75	3.5993371	35	3.6058455	95	3.6122539	55	3.6185710	15	3.6247976	75	3.6309361	35	3.6369891	95	3.6429589	55	3.6488477
16	3.5948247	76	3.5994464	36	3.6059518	96	3.6123599	56	3.6186755	16	3.6249006	76	3.6310377	36	3.6370803	96	3.6430577	56	3.6489452
17	3.5949256	77	3.5995556	37	3.6060587	97	3.6124660	57	3.6187600	17	3.6250036	77	3.6311392	37	3.6371894	97	3.6431565	57	3.6490426
18	3.5950644	78	3.5996648	38	3.6061663	98	3.6125735	58	3.618845	18	3.6251066	78	3.6312408	38	3.6372895	98	3.6432552	58	3.6491401
19	3.5951753	79	3.5997739	39	3.6062738	99	3.6126779	59	3.6189889	19	3.6252095	79	3.6313423	39	3.6373896	99	3.6433540	59	3.6492375
20	3.5952861	80	3.5998831	40	3.6063814	100	3.6127839	60	3.6190933	20	3.6253124	80	3.6314438	40	3.6374807	100	3.6434527	60	3.6493349
21	3.5953908	81	3.5999772	41	3.6064833	1	3.6128898	61	3.6191777	21	3.6254153	81	3.6315452	41	3.6375898	1	3.6435514	61	3.6494322
22	3.5954376	82	3.6000163	42	3.6065903	2	3.6129957	62	3.6193021	22	3.6255182	82	3.6316467	42	3.6376898	2	3.6436500	62	3.6495296
23	3.5955683	83	3.6001293	43	3.6067037	3	3.6131015	63	3.6194064	23	3.6256211	83	3.6317481	43	3.6377898	3	3.6437487	63	3.6496269
24	3.5956720	84	3.6002193	44	3.6068111	4	3.6132073	64	3.6195107	24	3.6257239	84	3.6318495	44	3.6378893	4	3.6478473	64	3.6497242
25	3.5957397	85	3.6003283	45	3.6069285	5	3.6133332	65	3.6196150	25	3.6258267	85	3.6319508	45	3.6379898	5	3.6439459	65	3.6498215
26	3.5958503	86	3.6004373	46	3.6070259	6	3.6134189	66	3.6197193	26	3.6259295	86	3.6312022	46	3.6380897	6	3.6440445	66	3.6499187
27	3.5959609	87	3.6005462	47	3.6071332	7	3.6135247	67	3.6198235	27	3.6260323	87	3.6312135	47	3.6381896	7	3.6441430	67	3.6500160
28	3.5960715	88	3.6006551	48	3.6072405	8	3.6136304	68	3.6199277	28	3.6261350	88	3.6312254	48	3.6382895	8	3.6442416	68	3.6501132
29	3.5961820	89	3.6007640	49	3.6073478	9	3.6137361	69	3.6200319	29	3.6261377	89	3.6313560	49	3.6383894	9	3.6443401	69	3.6502104
30	3.5963145	90	3.6008729	50	3.6074550	10	3.6138418	70	3.6201360	30	3.6263404	90	3.6314573	50	3.6384893	10	3.6444386	70	3.6503075
31	3.5964260	91	3.6009817	51	3.6075622	11	3.6139475	71	3.6202402	31	3.6264430	91	3.6315585	51	3.6385891	11	3.6445371	71	3.6504047
32	3.5965375	92	3.6010905	52	3.6076694	12	3.6140531	72	3.6203443	32	3.6265457	92	3.6316597	52	3.6386889	12	3.6446355	72	3.6505018
33	3.5966490	93	3.6012092	53	3.6077656	13	3.6141587	73	3.6204484	33	3.6266483	93	3.6317609	53	3.6387887	13	3.6447339	73	3.6505989
34	3.5967444	94	3.6014080	54	3.6078837	14	3.6142643	74	3.6205524	34	3.6267509	94	3.6318620	54	3.6388884	14	3.6448223	74	3.6506960
35	3.5968447	95	3.6015168	55	3.6079909	15	3.6143098	75	3.6206545	35	3.6268524	95	3.6319632	55	3.6389881	15	3.6449207	75	3.6507930
36	3.5969551	96	3.6016258	56	3.6080979	16	3.6144754	76	3.6207605	36	3.6269539	96	3.6320643	56	3.6390879	16	3.6450291	76	3.6508901
37	3.5970654	97	3.6017341	57	3.6082050	17	3.6145809	77	3.6208645	37	3.6270585	97	3.6321163	57	3.6391876	17	3.6451274	77	3.6509871
38	3.5971757	98	3.6018428	58	3.6083120	18	3.6146861	78	3.6209684	38	3.6271761	98	3.6322664	58	3.6392872	18	3.6452257	78	3.6510841
39	3.5972860	99	3.6019514	59	3.6084190	19	3.6147918	79	3.6210724	39	3.6272634	99	3.6333574	59	3.6393869	19	3.6453340	79	3.6511811
40	3.5954962	100	3.6020600	60	3.6085260	20	3.6148972	80	3.6211763	40	3.6273659	100	3.6334635	60	3.6394865	20	3.6454223	80	3.6512780
41	3.5956083	101	3.6021685	61	3.6086330	21	3.6149926	81	3.6212872	41	3.6274683	101	3.6335604	61	3.6405861	21	3.6513749	101	3.6524397
42	3.5957200	102	3.6022771	62	3.6087399	22	3.615080	82	3.6213840	42	3.6275707	102	3.6336704	62	3.6406857	22	3.6456187	102	3.6524739
43	3.5958266	103	3.6023856	63	3.6088408	23	3.6151833	83	3.6214879	43	3.6276730	103	3.6337713	63	3.6407852	23	3.6457169	103	3.6515687
44	3.5959163	104	3.6024941	64	3.6089557	24	3.6153187	84	3.6215917	44	3.6277744	104	3.6338723	64	3.6408847	24	3.6458151	104	3.651665

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>I.</i> 15	<i>I.</i> 16	<i>I.</i> 17	<i>I.</i> 18	<i>I.</i> 19
4500	3.6532125	4500	3.6539643	4500	3.6546420
1	3.6533096	61	3.6590601	21	3.6647360
2	3.6533255	62	3.6591553	22	3.6658199
3	3.6533019	63	3.6592505	23	3.6649239
4	3.6533064	64	3.6593456	24	3.6650178
5	3.6533048	65	3.6594408	25	3.6651117
6	3.6533212	66	3.6595359	26	3.6652256
7	3.6533876	67	3.6596310	27	3.6652995
8	3.6533839	68	3.6597261	28	3.6653033
9	3.6545802	69	3.6598214	29	3.6654872
10	3.6544765	70	3.6599162	30	3.6655810
11	3.6542728	71	3.6600112	31	3.6656749
12	3.6543851	72	3.6601062	32	3.6657685
13	3.6544053	73	3.6602012	33	3.6658623
14	3.6545616	74	3.6602962	34	3.6659560
15	3.6545578	75	3.6603911	35	3.6660497
16	3.6547539	76	3.6604860	36	3.6661434
17	3.6548501	77	3.6605800	37	3.6662271
18	3.6549402	78	3.6606758	38	3.6663357
19	3.6550423	79	3.6607706	39	3.6664244
20	3.6551374	80	3.6608655	40	3.6665180
21	3.6552345	81	3.6609603	41	3.6666110
22	3.6553306	82	3.6610551	42	3.6667051
23	3.6554266	83	3.6611490	43	3.6668087
24	3.6555226	84	3.6612446	44	3.6669922
25	3.6556186	85	3.6613393	45	3.6669857
26	3.6557145	86	3.6614340	46	3.6670792
27	3.6558105	87	3.6615287	47	3.6671727
28	3.6559064	88	3.6616234	48	3.6672661
29	3.6560023	89	3.6617181	49	3.6673595
30	3.6560982	90	3.6618127	50	3.6674530
31	3.6561941	91	3.6619073	51	3.6675463
32	3.6562899	92	3.6620019	52	3.6676397
33	3.6563857	93	3.6620964	53	3.6677331
34	3.6564815	94	3.6621910	54	3.6678264
35	3.6565773	95	3.6622855	55	3.6679197
36	3.6566730	96	3.6623800	56	3.6680130
37	3.6567688	97	3.6624745	57	3.6681062
38	3.6568645	98	3.6625690	58	3.6681995
39	3.6569002	99	3.6626634	59	3.6682927
40	3.6570559	4600	3.6627578	60	3.6683859
41	3.6571515	1	3.6628522	61	3.6684791
42	3.6572471	2	3.6629466	62	3.6685723
43	3.6573427	3	3.6630410	63	3.6686654
44	3.6574383	4	3.6631353	64	3.6687585
45	3.6575339	5	3.6632296	65	3.6688516
46	3.6576294	6	3.6633239	66	3.6689447
47	3.6577250	7	3.6634182	67	3.6690378
48	3.6578205	8	3.6635125	68	3.6691308
49	3.6579159	9	3.6636067	69	3.6692239
50	3.6580114	10	3.6637009	70	3.6693169
51	3.6581068	11	3.6637951	71	3.6694099
52	3.6582023	12	3.6638893	72	3.6695028
53	3.6582976	13	3.6639835	73	3.6695958
54	3.6583930	14	3.6640776	74	3.6696887
55	3.6584884	15	3.6641717	75	3.6697816
56	3.6585837	16	3.6642658	76	3.6698745
57	3.6586790	17	3.6643599	77	3.6699674
58	3.6587743	18	3.6644539	78	3.6700602
59	3.6588696	19	3.6645480	79	3.6701530

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>I.</i> 20	<i>I.</i> 21	<i>I.</i> 22	<i>I.</i> 23	<i>I.</i> 24
4800	3.6812412	4860	3.68266363	4920	3.6919651
1	3.6813317	61	3.6867156	21	3.6920534
2	3.6814222	62	3.6868149	22	3.6921416
3	3.6815126	63	3.6869043	23	3.6922298
4	3.6816030	64	3.6869936	24	3.6923180
5	3.6816934	65	3.6870238	25	3.6924062
6	3.6817838	66	3.6871721	26	3.6924944
7	3.6818741	67	3.6872613	27	3.6925826
8	3.6819645	68	3.6873506	28	3.6926707
9	3.6820548	69	3.6874398	29	3.6927588
10	3.6821451	70	3.6875290	30	3.6928469
11	3.6822354	71	3.6876181	31	3.6929350
12	3.6823256	72	3.6877673	32	3.6930231
13	3.6824159	73	3.6877964	33	3.6931111
14	3.6825061	74	3.6878855	34	3.6931991
15	3.6825963	75	3.6879746	35	3.6932872
16	3.6826865	76	3.6880637	36	3.6933752
17	3.6827766	77	3.6881528	37	3.6934631
18	3.6828653	78	3.6882418	38	3.6935511
19	3.6829569	79	3.6883308	39	3.6936390
20	3.6830470	80	3.6884198	40	3.6937266
21	3.6831371	81	3.6885088	41	3.6938148
22	3.6832272	82	3.6885978	42	3.6939027
23	3.6833173	83	3.6886867	43	3.6939906
24	3.6834073	84	3.6887756	44	3.6940785
25	3.6834973	85	3.6888646	45	3.6941663
26	3.6835873	86	3.6889535	46	3.6942541
27	3.6836773	87	3.6890423	47	3.6943419
28	3.6837673	88	3.6891312	48	3.6944297
29	3.6838572	89	3.6892200	49	3.6945174
30	3.6839471	90	3.6893089	50	3.6946052
31	3.6840370	91	3.6893977	51	3.6947929
32	3.6841269	92	3.6894864	52	3.6947066
33	3.6842168	93	3.6895752	53	3.6948683
34	3.6843066	94	3.6896040	54	3.6949760
35	3.6843965	95	3.6897527	55	3.6950437
36	3.6844863	96	3.6898414	56	3.6951313
37	3.6845761	97	3.6899301	57	3.6952189
38	3.6846659	98	3.6900188	58	3.6953065
39	3.6847556	99	3.6901074	59	3.6953941
40	3.6848454	4900	3.6901961	60	3.6954817
41	3.6849351	1	3.6902847	61	3.6955592
42	3.6850248	2	3.6903733	62	3.6956568
43	3.6851145	3	3.6904619	63	3.6957443
44	3.6852041	4	3.6905355	64	3.6958318
45	3.6852938	5	3.6906339	65	3.6959193
46	3.6853834	6	3.6907225	66	3.6960067
47	3.6854730	7	3.6908161	67	3.6960942
48	3.6855626	8	3.6909046	68	3.6961816
49	3.6856522	9	3.6909930	69	3.6962690
50	3.6857417	10	3.6910735	70	3.6963564
51	3.6858313	11	3.6911669	71	3.6964478
52	3.6859208	12	3.6912584	72	3.6965311
53	3.6860103	13	3.6913462	73	3.6966185
54	3.6861098	14	3.6914352	74	3.6967058
55	3.6862092	15	3.6915235	75	3.6967931
56	3.6862977	16	3.6916114	76	3.6968804
57	3.6863851	17	3.6917002	77	3.6969676
58	3.6864575	18	3.6917885	78	3.6970549
59	3.6865469	19	3.6918768	79	3.697023444

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>i. 25.</i>	<i>i. 26.</i>	<i>i. 27.</i>	<i>i. 28.</i>	<i>i. 29.</i>
5100	3.7075702	5160	3.7126497	5220	3.7176705
1	3.7076553	61	3.7127339	21	3.7177337
2	3.7077425	62	3.7128180	22	3.7178369
3	3.7078150	63	3.7129021	23	3.7179200
4	3.7079107	64	3.7129862	24	3.7180032
5	3.7079957	65	3.7130702	25	3.7180863
6	3.7080308	66	3.7131544	26	3.718104
7	3.7081659	67	3.7132385	27	3.7182525
8	3.7082509	68	3.7133225	28	3.7183556
9	3.7083359	69	3.7134005	29	3.7184186
10	3.7084209	70	3.7134905	30	3.7185017
11	3.7085059	71	3.7135745	31	3.7185847
12	3.7085903	72	3.7136585	32	3.7186677
13	3.7086753	73	3.7137425	33	3.7187507
14	3.7087607	74	3.7138264	34	3.7188337
15	3.7088456	75	3.7139104	35	3.7189167
16	3.7089305	76	3.7139943	36	3.7189966
17	3.7090154	77	3.7140782	37	3.7190826
18	3.7091003	78	3.7141620	38	3.7191655
19	3.7091851	79	3.7142459	39	3.7192459
20	3.7092700	80	3.7143298	40	3.7193313
21	3.7093548	81	3.7144136	41	3.7194142
22	3.7094396	82	3.7144974	42	3.7194970
23	3.7095244	83	3.7145812	43	3.7195799
24	3.7096091	84	3.7146650	44	3.7196627
25	3.7096939	85	3.7147488	45	3.7197455
26	3.7097786	86	3.7148325	46	3.7198283
27	3.7098633	87	3.7149162	47	3.7199111
28	3.7099480	88	3.7150000	48	3.7199938
29	3.7100327	89	3.7150837	49	3.7200766
30	3.7101174	90	3.7151674	50	3.7201593
31	3.7102020	91	3.7152510	51	3.7202420
32	3.7102866	92	3.7153347	52	3.7203247
33	3.7103713	93	3.7154183	53	3.7204074
34	3.7104559	94	3.7155019	54	3.7204901
35	3.7105404	95	3.7155856	55	3.7205727
36	3.7106250	96	3.7156691	56	3.7206554
37	3.7107090	97	3.7157527	57	3.7207380
38	3.7107941	98	3.7158363	58	3.7208206
39	3.7108786	99	3.7159198	59	3.7209032
40	3.7109631	5200	3.7160033	60	3.7209857
41	3.7110476	1	3.7160869	61	3.7210683
42	3.7111321	2	3.7161703	62	3.7211508
43	3.7112165	3	3.7162538	63	3.7212334
44	3.71123010	4	3.7163373	64	3.7213159
45	3.7113854	5	3.7164207	65	3.7213984
46	3.7114698	6	3.7165042	66	3.7214809
47	3.7115542	7	3.7166876	67	3.7215631
48	3.7116365	8	3.7167670	68	3.7216458
49	3.7117229	9	3.7167544	69	3.7217282
50	3.7118072	10	3.7168377	70	3.7218106
51	3.7118915	11	3.7169211	71	3.7218930
52	3.7119759	12	3.7170044	72	3.7219754
53	3.7120601	13	3.7170877	73	3.7220578
54	3.7121444	14	3.7171710	74	3.7221401
55	3.7122287	15	3.7172543	75	3.7222225
56	3.7123129	16	3.7173376	76	3.7223048
57	3.7123971	17	3.7174208	77	3.7223871
58	3.7124813	18	3.7175041	78	3.7224694
59	3.7125655	19	3.7175873	79	3.7225517
				39	3.7232333
				99	3.7232333

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>i. 30.</i>	<i>i. 31.</i>	<i>i. 32.</i>	<i>i. 33.</i>	<i>i. 34.</i>
5400	3.7323938	5460	3.7371926	5520	3.7419391
1	3.7324742	61	3.7372722	21	3.7420177
2	3.7325546	62	3.7373517	22	3.7420964
3	3.7326350	63	3.7374312	23	3.7421750
4	3.7327153	64	3.7375107	24	3.7422537
5	3.7327957	65	3.7375902	25	3.7423323
6	3.7328760	66	3.7376696	26	3.7424109
7	3.7329564	67	3.7377491	27	3.7424895
8	3.7330367	68	3.7377285	28	3.7425680
9	3.7331170	69	3.73779079	29	3.7426466
10	3.7331973	70	3.7378973	30	3.7427251
11	3.7332775	71	3.7380667	31	3.7428037
12	3.7333578	72	3.7381461	32	3.7428822
13	3.7334380	73	3.7382254	33	3.7429607
14	3.7335182	74	3.7383043	34	3.7430392
15	3.7335985	75	3.7383841	35	3.7431176
16	3.7336787	76	3.7384634	36	3.7431961
17	3.7337588	77	3.7385427	37	3.7432745
18	3.7338393	78	3.7386220	38	3.7433530
19	3.7339191	79	3.7387013	39	3.7434374
20	3.7339993	80	3.7387806	40	3.7435098
21	3.7340794	81	3.7388593	41	3.7435881
22	3.7341595	82	3.7389390	42	3.7436665
23	3.7343396	83	3.7390182	43	3.7437449
24	3.7343197	84	3.7390974	44	3.7438232
25	3.7343997	85	3.7391766	45	3.7439585
26	3.7344798	86	3.7392558	46	3.7439799
27	3.7345598	87	3.7393350	47	3.7440582
28	3.7346398	88	3.7394141	48	3.7441365
29	3.7347198	89	3.7394932	49	3.7442147
30	3.7348993	90	3.7395713	50	3.7442930
31	3.7348798	91	3.7396514	51	3.7443712
32	3.7349598	92	3.7397305	52	3.7444495
33	3.7350397	93	3.7398096	53	3.7445277
34	3.7351196	94	3.7398836	54	3.7446059
35	3.7351995	95	3.7399677	55	3.7446841
36	3.7352794	96	3.7400407	56	3.7447622
37	3.7353593	97	3.7401257	57	3.7448404
38	3.7354392	98	3.7402047	58	3.7450185
39	3.7355191	99	3.7402837	59	3.7449907
40	3.7355939	5500	3.7403627	60	3.7450748
41	3.7356787	1	3.7404416	61	3.7451529
42	3.7357585	2	3.7405206	62	3.7452310
43	3.7358383	3	3.7405995	63	3.7453091
44	3.7359181	4	3.7406784	64	3.7453871
45	3.7359971	5	3.7407573	65	3.7454603
46	3.7360776	6	3.7408362	66	3.7455434
47	3.7361574	7	3.7409151	67	3.7456212
48	3.7362371	8	3.7409939	68	3.7456929
49	3.7363168	9	3.7410728	69	3.7457772
50	3.7363965	10	3.7411516	70	3.7458552
51	3.7364762	11	3.7412304	71	3.7459332
52	3.7365553	12	3.7413092	72	3.7460111
53	3.7366355	13	3.7413830	73	3.7460290
54	3.7367151	14	3.7414608	74	3.7461070
55	3.7367948	15	3.7415455	75	3.7462449
56	3.7368744	16	3.7416243	76	3.7463220
57	3.7369549	17	3.7417030	77	3.7464006
58	3.7370335	18	3.7417847	78	3.7464785
59	3.7371131	19	3.7418604	79	3.7465364

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>I. 35.</i>	<i>I. 36.</i>	<i>I. 37.</i>	<i>I. 38.</i>	<i>I. 39.</i>

Nu. Logarith. Nu. Logarith. Nu. Logarith. Nu. Logarith. Nu. Logarith.

5700 3.7558749	5760 3.7604225	5820 3.7649230	5880 3.7693773	5940 3.7737864
1 3.7559510	61 3.7604979	21 3.7649976	81 3.7694512	41 3.7738596
2 3.7560272	62 3.7605733	22 3.7650722	82 3.7695250	42 3.7739326
3 3.7561034	63 3.7605986	23 3.7651408	83 3.7695988	43 3.7740057
4 3.7561795	64 3.7652420	24 3.7652214	84 3.7696727	44 3.7740788
5 3.7562556	65 3.7652793	25 3.7652959	85 3.7697465	45 3.7741519
6 3.7563318	66 3.7653874	26 3.7653705	86 3.7698203	46 3.7742249
7 3.7564079	67 3.7654950	27 3.7654450	87 3.7698940	47 3.7742979
8 3.7564840	68 3.7656253	28 3.7655195	88 3.7699678	48 3.7743210
9 3.7565600	69 3.7656941	29 3.7655941	89 3.7700416	49 3.7744440
10 3.7566365	70 3.7657178	30 3.7656626	90 3.7701153	50 3.7745170
11 3.7567122	71 3.7651251	31 3.7657430	91 3.7701890	51 3.7745899
12 3.7567882	72 3.7651263	32 3.7658175	92 3.7702162	52 3.7746629
13 3.7568642	73 3.7651401	33 3.7658920	93 3.7703364	53 3.7747359
14 3.7569402	74 3.7651476	34 3.7659664	94 3.7704101	54 3.7748088
15 3.7570162	75 3.7651520	35 3.7660409	95 3.7704838	55 3.7748818
16 3.7570922	76 3.7651672	36 3.7661153	96 3.7705575	56 3.7749547
17 3.7571682	77 3.7651724	37 3.7661897	97 3.7706311	57 3.7750276
18 3.7572441	78 3.7651773	38 3.7662641	98 3.7707048	58 3.7751005
19 3.7573201	79 3.7651852	39 3.7663385	99 3.7707784	59 3.7751734
20 3.7573960	80 3.7651978	40 3.7664128	900 3.7708520	60 3.7752463
21 3.7574719	81 3.7652130	41 3.7664872	1 3.7709256	61 3.7753197
22 3.7575479	82 3.7652079	42 3.7665161	2 3.7709992	62 3.7753920
23 3.7576237	83 3.7652152	43 3.7666359	3 3.7710728	63 3.7754648
24 3.7576996	84 3.7652283	44 3.7667104	4 3.7711463	64 3.7755376
25 3.7577755	85 3.7652304	45 3.7668345	5 3.7712199	65 3.7756104
26 3.7578513	86 3.7652378	46 3.766888	6 3.7712934	66 3.7756832
27 3.7579272	87 3.7652453	47 3.7669331	7 3.7713670	67 3.7757560
28 3.7580030	88 3.7652585	48 3.7670074	8 3.7714405	68 3.7758288
29 3.7580788	89 3.7652635	49 3.7670816	9 3.7715140	69 3.7759016
30 3.7581546	90 3.7652678	50 3.7671559	10 3.7715875	70 3.7759743
31 3.7582304	91 3.7652736	51 3.7672303	11 3.7716610	71 3.7760471
32 3.7583062	92 3.7652886	52 3.7673043	12 3.7717344	72 3.7761198
33 3.7583819	93 3.7652935	53 3.7673785	13 3.7718079	73 3.7761925
34 3.7584577	94 3.7652975	54 3.7674527	14 3.7718813	74 3.7762652
35 3.7585324	95 3.7653034	55 3.7675269	15 3.7719547	75 3.7763372
36 3.7586091	96 3.7653124	56 3.7676011	16 3.7720282	76 3.7764106
37 3.7586848	97 3.7653203	57 3.7676752	17 3.7721016	77 3.7764833
38 3.7587605	98 3.7653278	58 3.7677494	18 3.7722175	78 3.7765559
39 3.7588362	99 3.7653351	59 3.7678235	19 3.7722483	79 3.7766286
40 3.7589179	5000 3.7654280	60 3.7578976	20 3.7723217	80 3.7767012
41 3.7589875	1 3.7655029	61 3.7679717	21 3.7723951	81 3.7767712
42 3.7590682	2 3.7655777	62 3.7680458	22 3.7724684	82 3.7768364
43 3.7591328	3 3.7656526	63 3.7681199	23 3.7725417	83 3.7769190
44 3.7592144	4 3.7657274	64 3.7681940	24 3.7726150	84 3.7769916
45 3.7592900	5 3.7658022	65 3.7682680	25 3.7726884	85 3.7770642
46 3.7593656	6 3.7658770	66 3.7683421	26 3.7727616	86 3.7771367
47 3.7594421	7 3.7659518	67 3.7684161	27 3.7728349	87 3.7772093
48 3.7595168	8 3.7659266	68 3.7684901	28 3.7729082	88 3.7772818
49 3.7595923	9 3.7661014	69 3.7685641	29 3.7729814	89 3.7773583
50 3.7596678	10 3.7661761	70 3.7686381	30 3.7730547	90 3.7774268
51 3.7597434	11 3.7662599	71 3.7687121	31 3.7731279	91 3.7774993
52 3.7598189	12 3.7663256	72 3.7687860	32 3.7732011	92 3.7775718
53 3.7598944	13 3.7664003	73 3.7688600	33 3.7732743	93 3.7776443
54 3.7599699	14 3.7664750	74 3.7689339	34 3.7733475	94 3.7777167
55 3.7600453	15 3.7665497	75 3.7690779	35 3.7734207	95 3.7777892
56 3.7601208	16 3.7666244	76 3.7690818	36 3.7734939	96 3.7778616
57 3.7601962	17 3.7666991	77 3.7691557	37 3.7735670	97 3.7779340
58 3.7602717	18 3.7667717	78 3.7692296	38 3.7736402	98 3.7780065
59 3.7603471	19 3.7668484	79 3.7693035	39 3.7737133	99 3.7780789

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>I. 40.</i>	<i>I. 41.</i>	<i>I. 42.</i>	<i>I. 43.</i>	<i>I. 44.</i>

Nu. Logarith.				
6000 3.7781512	6060 3.7824726	6120 3.7867514	6180 3.7909885	6240 3.7951846
1 3.7782236	61 3.7825443	21 3.7868224	81 3.7910587	41 3.7952542
2 3.7782962	62 3.7826159	22 3.7868273	82 3.7911290	42 3.7953238
3 3.7783683	63 3.7826876	23 3.7869243	83 3.7911992	43 3.7953933
4 3.7784407	64 3.7827592	24 3.7869352	84 3.7912695	44 3.7954629
5 3.7785130	65 3.7828308	25 3.7870161	85 3.7913397	45 3.7955324
6 3.7785833	66 3.7829044	26 3.7871770	86 3.7914099	46 3.7956020
7 3.7786576	67 3.7829140	27 3.7872479	87 3.7914801	47 3.7956715
8 3.7787299	68 3.7830456	28 3.7873188	88 3.7915503	48 3.7957410
9 3.7788022	69 3.7831171	29 3.7873896	89 3.7916205	49 3.7958105
10 3.7788745	70 3.7831887	30 3.7874605	90 3.7916906	50 3.7958800
11 3.7789467	71 3.7832602	31 3.7875313	91 3.7917608	51 3.7959495
12 3.7790119	72 3.7833138	32 3.7876021	92 3.7918309	52 3.7960190
13 3.7790912	73 3.7834033	33 3.7876730	93 3.7919011	53 3.7960884
14 3.7791424	74 3.7834748	34 3.7877438	94 3.7919712	54 3.7961579
15 3.7792350	75 3.7835463	35 3.7878146	95 3.7920413	55 3.7962273
16 3.7793030	76 3.7835918	36 3.7878533	96 3.7921114	56 3.7962967
17 3.7793800	77 3.7836872	37 3.7879561	97 3.7921815	57 3.7963166
18 3.7794522	78 3.7837607	38 3.7880269	98 3.7922516	58 3.7964356
19 3.7795243	79 3.7838321	39 3.7880976	99 3.7923216	59 3.7965050
20 3.7795961	80 3.7839036	40 3.7881684	6100 3.7853298	60 3.7930916
21 3.7796666	81 3.7839750	41 3.7882391	61 3.7931675	61 3.7966437
22 3.7797403	82 3.7840464	42 3.7883098	62 3.7932313	62 3.7967131
23 3.7798129	83 3.7841178	43 3.7883853	63 3.7936018	63 3.7967824
24 3.7798850	84 3.7841892	44 3.7884512	64 3.7936718	64 3.7968517
25 3.7799571	85 3.7842606	45 3.7885219	65 3.7937418	65 3.7969211
26 3.7800291	86 3.7843319	46 3.7885926	66 3.7928118	66 3.7969904
27 3.7801012	87 3.7844033	47 3.7886032	67 3.7923817	67 3.7997057
28 3.7801732	88 3.7844746	48 3.7887339	68 3.7924517	68 3.7971290
29 3.7802453	89 3.7845460	49 3.7888455	69 3.7930217	69 3.7971983
30 3.7803173	90 3.7846173	50 3.7888751	70 3.7930916	70 3.7972675
31 3.7803893	91 3.7846886	51 3.7889457	71 3.7931675	71 3.7973368
32 3.7804611	92 3.7847599	52 3.7890163	72 3.7932314	72 3.7974060
33 3.7805333	93 3.7848314	53 3.7890689	73 3.7933014	73 3.7974753
34 3.7806053	94 3.7849024	54 3.7891575	74 3.7933712	74 3.7975445
35 3.7806773	95 3.7849737	55 3.7892281	75 3.7934411	75 3.7976137
36 3.7807492	96 3.7850450	56 3.7892986	76 3.7935110	76 3.7976839
37 3.7808212	97 3.7851162	57 3.7893691	77 3.7935809	77 3.7977521
38 3.7808931	98 3.7851874	58 3.7894397	78 3.7936507	78 3.7978213

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>i. 45.</i>	<i>i. 46.</i>	<i>i. 47.</i>	<i>i. 48.</i>	<i>i. 49.</i>
6300	3.7993405	6360	3.8034571	6420	3.8075350
1	3.7994095	61	3.8035254	21	3.8076027
2	3.7994784	62	3.8035937	22	3.8076703
3	3.7995473	63	3.8036619	23	3.8077379
4	3.7996162	64	3.8037302	24	3.8078055
5	3.7996851	65	3.8037984	25	3.8078731
6	3.7997540	66	3.8038666	26	3.8079407
7	3.7998228	67	3.8039348	27	3.8080083
8	3.7998917	68	3.8040031	28	3.8080759
9	3.7999605	69	3.8040712	29	3.8081434
10	3.8000294	70	3.8041194	30	3.8082110
11	3.8000982	71	3.8042076	31	3.8082785
12	3.8001670	72	3.8042758	32	3.8083460
13	3.8002358	73	3.8043479	33	3.8084136
14	3.8003046	74	3.8044121	34	3.8084811
15	3.8003734	75	3.8044802	35	3.8085485
16	3.8004421	76	3.8045483	36	3.8086160
17	3.8005109	77	3.8046164	37	3.8086835
18	3.8005796	78	3.8046845	38	3.8087510
19	3.8006484	79	3.8047516	39	3.8088184
20	3.8007171	80	3.8048207	40	3.8088859
21	3.8007858	81	3.8048877	41	3.8089533
22	3.8008545	82	3.8049568	42	3.8090207
23	3.8009232	83	3.8050248	43	3.8090881
24	3.8009919	84	3.8050929	44	3.8091555
25	3.8010605	85	3.8051609	45	3.8092229
26	3.8011392	86	3.8051289	46	3.8092903
27	3.8011978	87	3.8051969	47	3.8093577
28	3.8012665	88	3.8053649	48	3.8094250
29	3.8013351	89	3.8054329	49	3.8094924
30	3.8014037	90	3.8055009	50	3.8095597
31	3.8014723	91	3.8055686	51	3.8096270
32	3.8015409	92	3.8056368	52	3.8096944
33	3.8016095	93	3.8057047	53	3.8097617
34	3.8016781	94	3.8057726	54	3.8098190
35	3.8017466	95	3.8058405	55	3.8098962
36	3.8018152	96	3.8059085	56	3.8099635
37	3.8018837	97	3.8059763	57	3.8100308
38	3.8019522	98	3.8060442	58	3.8100980
39	3.8020208	99	3.8061121	59	3.8101653
40	3.8020893	6400	3.8061800	60	3.8102325
41	3.8021578	1	3.8062478	61	3.8102997
42	3.8022162	2	3.8063157	62	3.8103670
43	3.8022847	3	3.8063835	63	3.8104342
44	3.8023632	4	3.8064513	64	3.8105013
45	3.8024316	5	3.8065191	65	3.8105685
46	3.8025001	6	3.8066869	66	3.8106357
47	3.8025683	7	3.8066547	67	3.8107029
48	3.8026369	8	3.8067225	68	3.8107700
49	3.8027053	9	3.8067903	69	3.8108371
50	3.8027737	10	3.8068580	70	3.8109043
51	3.8028421	11	3.8069258	71	3.8109714
52	3.8029105	12	3.8069935	72	3.8110385
53	3.8029789	13	3.8070612	73	3.8111056
54	3.8030472	14	3.8071290	74	3.8111727
55	3.8031156	15	3.8071967	75	3.8112398
56	3.8031839	16	3.8072644	76	3.8113068
57	3.8032522	17	3.8073320	77	3.8113739
58	3.8033205	18	3.8073997	78	3.8114409
59	3.8033888	19	3.8074674	79	3.8115080
				39	3.8115113
				40	3.8115781

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>i. 50.</i>	<i>i. 51.</i>	<i>i. 52.</i>	<i>i. 53.</i>	<i>i. 54.</i>
6600	3.8195439	6660	3.8234742	6720	3.8273693
1	3.8196097	61	3.8235394	81	3.8274339
2	3.8196755	62	3.8236046	82	3.8274985
3	3.8197413	63	3.8236698	83	3.8275318
4	3.8198071	64	3.8237350	84	3.8275858
5	3.8198728	65	3.8238002	85	3.8276499
6	3.8199386	66	3.8238663	86	3.8277335
7	3.8200043	67	3.8239205	87	3.8278178
8	3.8200700	68	3.8239556	88	3.8278860
9	3.8201358	69	3.8240067	89	3.8279505
10	3.8202015	70	3.8241258	90	3.8280532
11	3.8202672	71	3.8241909	91	3.8281698
12	3.8203328	72	3.8242560	92	3.8281937
13	3.8203985	73	3.8242211	93	3.8281977
14	3.8204642	74	3.8242862	94	3.8282125
15	3.8205298	75	3.8244513	95	3.8282185
16	3.8205955	76	3.8245163	96	3.8282607
17	3.8206611	77	3.8245814	97	3.8282317
18	3.8207268	78	3.8246464	98	3.8282381
19	3.8207924	79	3.8247114	99	3.8282445
20	3.8208580	80	3.8247705	100	3.8282509
21	3.8209236	81	3.8248415	101	3.8282578
22	3.8209892	82	3.8249065	102	3.8282666
23	3.8210548	83	3.8249715	103	3.8282700
24	3.8211203	84	3.8250304	104	3.8282764
25	3.8211859	85	3.8251014	105	3.8282821
26	3.8212514	86	3.8251664	106	3.8282879
27	3.8213170	87	3.8252313	107	3.8282955
28	3.8213825	88	3.8252963	108	3.8282975
29	3.8214480	89	3.8253510	109	3.8283019
30	3.8215135	90	3.8254261	110	3.8283089
31	3.8215790	91	3.8254910	111	3.8283167
32	3.8216445	92	3.8255559	112	3.8283210
33	3.8217100	93	3.8256208	113	3.8283274
34	3.8217755	94	3.8256857	114	3.8283402
35	3.8218409	95	3.8257506	115	3.8283469
36	3.8219064	96	3.8258154	116	3.8283526
37	3.8219718	97	3.8258803	117	3.8283593
38	3.8220372	98	3.8259451	118	3.8283657
39	3.8221027	99	3.8260100	119	3.8283720
40	3.8221681	100	3.8260748	120	3.8283784
41	3.8222335	101	3.8261396	121	3.8283840
42	3.8222989	102	3.8262047	122	3.8283916
43	3.8223643	103	3.8262692	123	3.8283987
44	3.8224296	104	3.8263140	124	3.8284030
45	3.8224950	105	3.8263698	125	3.8284102
46	3.8225603	106	3.8264635	126	3.8284166
47	3.8226257	107	3.8265283	127	3.8284220
48	3.8226910	108	3.8265931	128	3.8284293
49	3.8227563	109	3.8266578	129	3.8284357
50	3.8228216	110	3.8267225	130	3.8284420
51	3.8228869	111	3.8267872	131	3.8284483
52	3.8229522	112	3.8268519	132	3.8284547
53	3.8230175	113	3.8269166	133	3.8284609
54	3.8230828	114	3.8269813	134	3.8284674
55	3.8231481	115	3.8270460	135	3.8284738
56	3.8232133	116	3.8271107	136	3.8284802
57	3.8232786	117	3.8271733	137	3.8284865
58	3.8233438	118	3.8272400	138	3.8284921
59	3.8234090	119	3.8273046	139	3.8284986

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>1.</i>	<i>55.</i>	<i>1.</i>	<i>56.</i>	<i>1.</i>
6900	3.8383491	6960	3.8426092	7020	3.8463371
1	3.8382120	61	3.8426716	21	3.8463990
2	3.8382750	62	3.8427340	22	3.8464608
3	3.8390379	63	3.8427964	23	3.8465227
4	3.8391008	64	3.8428588	24	3.8465845
5	3.8391637	65	3.8429211	25	3.8466463
6	3.8392266	66	3.8429835	26	3.8467081
7	3.8392895	67	3.8430453	27	3.8467700
8	3.8393523	68	3.8431081	28	3.8468318
9	3.8394152	69	3.8431705	29	3.8468935
10	3.8394780	70	3.8432328	30	3.8469553
11	3.8395409	71	3.8432951	31	3.8470171
12	3.8396037	72	3.8433574	32	3.8470789
13	3.8396666	73	3.8434197	33	3.8471406
14	3.8397224	74	3.8434819	34	3.8472024
15	3.8397922	75	3.8435442	35	3.8472641
16	3.8398549	76	3.8436065	36	3.8473253
17	3.8399178	77	3.8436687	37	3.8473876
18	3.8399806	78	3.8437310	38	3.8474493
19	3.8400433	79	3.8437932	39	3.8475110
20	3.8401061	80	3.8438554	40	3.8475727
21	3.8401688	81	3.8439175	41	3.8476343
22	3.8402316	82	3.8439798	42	3.8476660
23	3.8402941	83	3.8440420	43	3.8477577
24	3.8403577	84	3.8441042	44	3.8478193
25	3.8404198	85	3.8441664	45	3.8478810
26	3.8404824	86	3.8442286	46	3.8479426
27	3.8405452	87	3.8442979	47	3.8480043
28	3.8406079	88	3.8443529	48	3.8480659
29	3.8406706	89	3.8444150	49	3.8481275
30	3.8407332	90	3.8444772	50	3.8481891
31	3.8407959	91	3.8445493	51	3.8482507
32	3.8408586	92	3.8446114	52	3.8483123
33	3.8409212	93	3.8446835	53	3.8483739
34	3.8409838	94	3.8447256	54	3.8484355
35	3.8410465	95	3.8447877	55	3.8484970
36	3.8411091	96	3.8448495	56	3.8485106
37	3.8411717	97	3.8449119	57	3.8484620
38	3.8412343	98	3.8449739	58	3.8485617
39	3.8412969	99	3.8450360	59	3.8486743
40	3.8413595	7000	3.8450980	60	3.8488047
41	3.8414220	1	3.8451601	61	3.8488662
42	3.8414846	2	3.8452221	62	3.8489277
43	3.8415472	3	3.8452841	63	3.8489829
44	3.8416097	4	3.8453461	64	3.8490507
45	3.8416722	5	3.8454081	65	3.8491122
46	3.8417348	6	3.8454701	66	3.8491716
47	3.8417973	7	3.8455321	67	3.8492351
48	3.8418598	8	3.8455941	68	3.8492965
49	3.8419223	9	3.8456561	69	3.8493480
50	3.8420848	10	3.8457180	70	3.8494104
51	3.8421473	11	3.8457600	71	3.8494808
52	3.8422098	12	3.8458419	72	3.8495123
53	3.8422722	13	3.8459138	73	3.8496037
54	3.8423347	14	3.8459668	74	3.8496651
55	3.8423971	15	3.8460277	75	3.8497264
56	3.8424596	16	3.8460896	76	3.8497878
57	3.8424220	17	3.8461515	77	3.8498492
58	3.8424844	18	3.8462134	78	3.8499106
59	3.8425468	19	3.8462752	79	3.8499719

<i>secū</i>	<i>Gr. Mi.</i>				
<i>da.</i>	<i>2.</i>	<i>o.</i>	<i>2.</i>	<i>1.</i>	<i>2.</i>
7200	3.8573323	7260	3.8609266	7320	3.8645111
1	3.8573928	61	3.8609964	81	3.8645112
2	3.8574537	62	3.8610562	82	3.8645113
3	3.8575134	63	3.8611160	83	3.8645114
4	3.8575737	64	3.8611758	84	3.8645115
5	3.8576340	65	3.8612356	85	3.8645116
6	3.8576943	66	3.8612954	86	3.8645117
7	3.8577545	67	3.8613552	87	3.8645118
8	3.8578148	68	3.8614149	88	3.8645119
9	3.8578750	69	3.8614747	89	3.8645120
10	3.8579353	70	3.8615344	90	3.8645121
11	3.8579955	71	3.8615947	91	3.8645122
12	3.8580567	72	3.8616539	92	3.8645123
13	3.8581159	73	3.8617136	93	3.8645124
14	3.8581761	74	3.8617733	94	3.8645125
15	3.8582363	75	3.8618330	95	3.8645126
16	3.8582965	76	3.8618927	96	3.8645127
17	3.8583567	77	3.8619524	97	3.8645128
18	3.8584169	78	3.8620120	98	3.8645129
19	3.8584770	79	3.8620717	99	3.8645130
20	3.8585372	80	3.8621314	100	3.8645131
21	3.8585973	81	3.8621910	101	3.8645132
22	3.8586575	82	3.8622507	102	3.8645133
23	3.8587176	83	3.8623103	103	3.8645134
24	3.8587777	84	3.8623699	104	3.8645135
25	3.8588378	85	3.8624296	105	3.8645136
26	3.8588980	86	3.8624892	106	3.8645137
27	3.8589581	87	3.8625488	107	3.8645138
28	3.8590181	88	3.8626084	108	3.8645139
29	3.8590782	89	3.8626679	109	3.8645140
30	3.8591383	90	3.8627275	110	3.8645141
31	3.8591984	91	3.8627871	111	3.8645142
32	3.8592584	92	3.8628467	112	3.8645143
33	3.8593185	93	3.8629062	113	3.8645144
34	3.8593785	94	3.8629658	114	3.8645145
35	3.8594385	95	3.8630245	115	3.8645146
36	3.8594986	96	3.8630843	116	3.8645147
37	3.8595586	97	3.8631443	117	3.8645148
38	3.8596186	98	3.8632039	118	3.8645149
39	3.8596786	99	3.8632644	119	3.8645150
40	3.8597386	7300	3.8633299	120	3.8663728
41	3.8597985	1	3.8633821	61	3.8663368
42	3.8601858	2	3.8634418	62	3.8663998
43	3.8601985	3	3.8635013	63	3.8670548
44	3.8601984	4	3.8635686	64	3.8671130
45	3.8603384	5	3.8636202	65	3.8671728
46	3.8603985	6	3.8636797	66	3.8672317
47	3.8604183	7	3.8637391	67	3.8672927
48	3.8602182	8	3.8637985	68	3.8673496
49	3.8602781	9	3.8638580	69	3.8674086
50	3.8603380	10	3.8639174	70	3.8674675
51	3.8603979	11	3.8639768	71	3.8675364
52	3.8604578	12	3.8640362	72	3.8675953
53	3.8605177	13	3.8640956	73	3.8676442
54	3.8605776	14	3.8641550	74	3.8677031
55	3.8606374	15	3.8642143	75	3.8677620
56	3.8606973	16	3.8642717	76	3.8678209
57	3.8607571	17	3.8643331	77	3.8678798
58	3.8608170	18	3.8643924	78	3.8679386
59	3.8608768	19	3.8644517	79	3.8679975

secū	Gr. Mi. da.	Gr. Mi. z.	Gr. Mi. 6.	Gr. Mi. z.	Gr. Mi. 7.	Gr. Mi. z.	Gr. Mi. 8.	Gr. Mi. z.	Gr. Mi. 9.
Nu. Lugarith. Nu. Logarith. Nu. Lugarith. Nu. Logarith. Nu. Lugarith. Nu. Logarith.									
7800	3.87506151	7560	3.8785218	7620	3.8819550	7680	3.8833612	7740	3.8837410
1	3.8751192	61	3.8785792	21	3.8820120	81	3.8854178	41	3.8887971
2	3.8751771	62	3.8786167	22	3.8820689	82	3.8854743	42	3.8883533
3	3.8752349	63	3.8786941	23	3.8821259	83	3.8855308	43	3.8889093
4	3.8752928	64	3.8787515	24	3.8821829	84	3.8855874	44	3.8890653
5	3.8753507	65	3.8788089	25	3.8822393	85	3.8856439	45	3.8890214
6	3.8754086	66	3.8788663	26	3.8822968	86	3.8857004	46	3.8890775
7	3.8754664	67	3.8789237	27	3.8823537	87	3.8857569	47	3.8891335
8	3.8755243	68	3.8789617	28	3.8824107	88	3.8858134	48	3.8891896
9	3.8755821	69	3.8790385	29	3.8824676	89	3.8858699	49	3.8892457
10	3.8756399	70	3.8790959	30	3.8825245	90	3.8859263	50	3.8893017
11	3.8756978	71	3.8791532	31	3.8825815	91	3.8859828	51	3.8893577
12	3.8757556	72	3.8792106	32	3.8826184	92	3.8860393	52	3.8894138
13	3.8758184	73	3.8792630	33	3.8826953	93	3.8860957	53	3.8894698
14	3.8758712	74	3.8793253	34	3.8827522	94	3.8861522	54	3.8895258
15	3.8759290	75	3.8793826	35	3.8828090	95	3.8862086	55	3.8895818
16	3.8759868	76	3.8794400	36	3.8828659	96	3.8862651	56	3.8896378
17	3.8760445	77	3.8794973	37	3.8829228	97	3.8863215	57	3.8896938
18	3.8761023	78	3.8795546	38	3.8829797	98	3.8863779	58	3.8897498
19	3.8761601	79	3.8796119	39	3.8830365	99	3.8864343	59	3.8898057
20	3.8762178	80	3.8796692	40	3.8830934	7700	3.8864907	60	3.8898617
21	3.8762756	81	3.8797265	41	3.8831502	1	3.8865471	61	3.8899177
22	3.8763333	82	3.8797838	42	3.8832070	2	3.8866035	62	3.8899736
23	3.8763911	83	3.8798411	43	3.8832639	3	3.8866592	63	3.8900296
24	3.8764488	84	3.8798983	44	3.8833207	4	3.8867563	64	3.8900855
25	3.8765065	85	3.8799556	45	3.8833775	5	3.8867726	65	3.8901415
26	3.8765642	86	3.8800128	46	3.8834343	6	3.8868290	66	3.8901974
27	3.8766219	87	3.8800701	47	3.8834911	7	3.8868554	67	3.8902533
28	3.8766796	88	3.8802273	48	3.8835479	8	3.8869417	68	3.8903092
29	3.8767373	89	3.8801846	49	3.8836047	9	3.8869980	69	3.8903651
30	3.8767950	90	3.8802418	50	3.8836614	10	3.8870544	70	3.8904210
31	3.8768526	91	3.8802990	51	3.8837182	11	3.8871107	71	3.8904769
32	3.8769103	92	3.8803562	52	3.8837750	12	3.8871670	72	3.8905318
33	3.8769680	93	3.8804134	53	3.8838317	13	3.8872233	73	3.8905887
34	3.8770256	94	3.8804706	54	3.8838883	14	3.8872796	74	3.8906445
35	3.8770833	95	3.8805278	55	3.8839452	15	3.8873359	75	3.8907004
36	3.8771409	96	3.8805850	56	3.8840019	16	3.8873922	76	3.8907562
37	3.8771985	97	3.8806427	57	3.8840586	17	3.8874485	77	3.8908121
38	3.8772561	98	3.8806993	58	3.8841154	18	3.8875048	78	3.8908679
39	3.8773157	99	3.8807564	59	3.8841721	19	3.8875610	79	3.8909238
40	3.8773713	7600	3.8808186	60	3.8842288	20	3.8876773	80	3.8909796
41	3.8774189	1	3.8808707	61	3.8842855	21	3.8876735	81	3.8910354
42	3.8774865	2	3.8809479	62	3.8843421	22	3.8877298	82	3.8910912
43	3.8775441	3	3.8809850	63	3.8843988	23	3.8877860	83	3.8911470
44	3.8776017	4	3.88010421	64	3.8844555	24	3.8878423	84	3.8912018
45	3.8776592	5	3.8801092	65	3.8845122	25	3.8878985	85	3.8912586
46	3.8777168	6	3.88011563	66	3.8845688	26	3.8879547	86	3.8913144
47	3.8777743	7	3.88012194	67	3.8846255	27	3.8880109	87	3.8913702
48	3.8778319	8	3.88012705	68	3.8846821	28	3.8880671	88	3.8914259
49	3.8778894	9	3.88013276	69	3.8847337	29	3.8881233	89	3.8914817
50	3.8779459	10	3.88013847	70	3.8847914	30	3.8881795	90	3.8915375
51	3.8780059	11	3.88014417	71	3.8848520	31	3.8882337	91	3.8915932
52	3.8780620	12	3.88014988	72	3.8849080	32	3.8882918	92	3.8916489
53	3.8781195	13	3.8801558	73	3.8849652	33	3.8883485	93	3.8917047
54	3.8781770	14	3.88016129	74	3.8850218	34	3.8884042	94	3.8917604
55	3.8782349	15	3.88016699	75	3.8850784	35	3.8884603	95	3.8918161
56	3.8782919	16	3.88017269	76	3.8851350	36	3.8885165	96	3.8918718
57	3.8783494	17	3.88017840	77	3.8851915	37	3.8885726	97	3.8919279
58	3.8784069	18	3.88018410	78	3.8852481	38	3.8886287	98	3.8919834
59	3.8784643	19	3.88018980	79	3.8853047	39	3.8886848	99	3.8920389

secū	Gr. Mi. da.	Gr. Mi. z.	Gr. Mi. 6.	Gr. Mi. z.	Gr. Mi. 7.	Gr. Mi. z.	Gr. Mi. 8.	Gr. Mi. z.	Gr. Mi. 9.
Nu. Lugarith. Nu. Logarith. Nu. Lugarith. Nu. Logarith. Nu. Lugarith. Nu. Logarith.									
7800	3.8920946	7860	3.8954225	7920	3.8987252	7980	3.9020019	8040	3.9052560
1	3.8921503	61	3.8954778	21	3.8987800	81	3.9020573	41	3.9053101
2	3.8922059	62	3.8955330	22	3.8988348	82	3.9021117	42	3.9055641
3	3.8922616	63	3.8955833	23	3.8988397	83	3.9021661	43	3.9055481
4	3.8923173	64	3.8956415	24	3.89892445	84	3.9022205	44	3.9054721
5	3.8923782	65	3.8956987	25	3.8989993	85	3.9022749	45	3.9055260
6	3.8924285	66	3.8957539	26	3.8990541	86	3.9023293	46	3.9055800
7	3.8924842	67	3.8958092	27	3.8991089	87	3.9023837	47	3.9056340
8	3.8925308	68	3.8958644	28	3.8991636	88	3.9024381	48	3.9056890
9	3.8925934	69	3.8959193	29	3.8992184	89	3.9024924	49	3.9057419
10	3.8926510	70	3.8959747	30	3.8992732	90	3.9025468	50	3.9057959
11	3.8927066	71	3.8960299	31	3.8993279	91	3.9026011	51	3.9058498
12	3.8927562	72	3.8960851	32	3.8993827	92	3.9026555	52	3.9059338
13	3.8928178	73	3.8961403	33	3.8994375	93	3.9027098	53	3.9059577
14	3.8928734	74	3.8961954	34	3.8994922	94	3.9027641	54	3.9060116
15	3.8929290	75	3.8962500	35	3.8995409	95	3.9028165	55	3.9060655
16	3.8929845	76	3.8963057	36	3.8996017	96	3.9028728	56	3.9061195
17	3.8930401	77	3.8963608	37	3.8996634	97	3.9029271	57	3.9061734
18	3.8930957	78	3.8964100	38	3.8997111	98	3.9029814	58	3.9062273
19	3.8931527	79	3.8964667	39	3.8997678	99	3.9030357	59	3.9062812
20	3.8932067	80	3.8965261	40	3.8998105	8000	3.9030900	60	3.9063350
21	3.8932623	81	3.8965813	41	3.8998751	81	3.9031443	61	3.9063889
22	3.8933178	82	3.8966364	42	3.8999279	82	3.9031985	62	3.9064428
23	3.8933733	83	3.8966915	43	3.8999846	83	3.9032528	63	3.9064967
24	3.8934328	84	3.8967466	44	3.9000392	84	3.9033073	64	3.9065545

secū	Gr. Mi. da.	Gr. Mi. 2. 15.	Gr. Mi. 2. 16.	Gr. Mi. 2. 17.	Gr. Mi. 2. 18.	Gr. Mi. 2. 19.			
8100	3.90834850	8160	3.9116901	8220	3.9148718	8280	3.9180303	8340	3.9211661
1	3.9083386	61	3.9117434	21	3.9149246	81	3.9180328	41	3.9212181
2	3.9085222	62	3.9117956	22	3.9149775	82	3.9181352	42	3.9212702
3	3.9086453	63	3.9118498	23	3.9150303	83	3.9181877	43	3.9213223
4	3.9086994	64	3.9119030	24	3.9150831	84	3.9182401	44	3.9213743
5	3.9087530	65	3.9119562	25	3.9151359	85	3.9182925	45	3.9214263
6	3.9088366	66	3.9120044	26	3.9151887	86	3.9183449	46	3.9214784
7	3.9088602	67	3.9120625	27	3.9152415	87	3.9183973	47	3.9215304
8	3.9089137	68	3.9121157	28	3.9152943	88	3.9184497	48	3.9215824
9	3.9089673	69	3.9121689	29	3.9153471	89	3.9185021	49	3.9216345
10	3.9090208	70	3.9122220	30	3.9153998	90	3.9185455	50	3.9216865
11	3.9090744	71	3.9122752	31	3.9154526	91	3.9186069	51	3.9217385
12	3.9091279	72	3.9123233	32	3.9155054	92	3.9186593	52	3.9217905
13	3.9091815	73	3.9123625	33	3.9155581	93	3.9187117	53	3.9218425
14	3.9092350	74	3.9124466	34	3.9156109	94	3.9187640	54	3.9218945
15	3.9092885	75	3.9124878	35	3.9156636	95	3.9188164	55	3.9219465
16	3.9093420	76	3.9125409	36	3.9157163	96	3.9188637	56	3.9219994
17	3.9093955	77	3.9125940	37	3.9157691	97	3.9189211	57	3.9220504
18	3.9094490	78	3.9126471	38	3.9158218	98	3.9189734	58	3.9221024
19	3.9095025	79	3.9127002	39	3.9158745	99	3.9190258	59	3.9221543
20	3.9095560	80	3.9127533	40	3.9159272	8300	3.9190737	60	3.9222063
21	3.9096095	81	3.9128064	41	3.9159799	1	3.9191304	61	3.9222582
22	3.9096630	82	3.9128595	42	3.9160326	2	3.9191827	62	3.9223102
23	3.9097164	83	3.9129125	43	3.9160853	3	3.9192350	63	3.9223621
24	3.9097699	84	3.9129656	44	3.9161380	4	3.9192873	64	3.9224140
25	3.9098234	85	3.9130197	45	3.9161907	5	3.9193396	65	3.9224659
26	3.9098768	86	3.9130717	46	3.9162433	6	3.9193919	66	3.9225179
27	3.9099302	87	3.9131248	47	3.9162960	7	3.9194442	67	3.9225698
28	3.9099837	88	3.9131778	48	3.9163487	8	3.9194965	68	3.9226217
29	3.9100371	89	3.9132309	49	3.9164013	9	3.9195488	69	3.9226736
30	3.9100905	90	3.9132839	50	3.9164539	10	3.9196010	70	3.9227255
31	3.9101440	91	3.9133369	51	3.9165066	11	3.9196533	71	3.9227773
32	3.9101974	92	3.9133899	52	3.9165592	12	3.9197055	72	3.9228292
33	3.9102503	93	3.9134479	53	3.9166118	13	3.9197578	73	3.9228821
34	3.9103042	94	3.9134959	54	3.9166645	14	3.9198100	74	3.9229330
35	3.9103575	95	3.9135489	55	3.9167171	15	3.9198623	75	3.9229848
36	3.9104109	96	3.9136019	56	3.9167697	16	3.9199145	76	3.9230367
37	3.9104643	97	3.9136549	57	3.9168223	17	3.9199667	77	3.9230885
38	3.9105177	98	3.9137297	58	3.9168749	18	3.9200189	78	3.9231404
39	3.9105710	99	3.9137709	59	3.9169275	19	3.9200711	79	3.9231922
40	3.9106244	8200	3.9138138	60	3.9169800	20	3.9201133	80	3.9232440
41	3.9106777	1	3.9138668	61	3.9170326	21	3.9201755	81	3.9232958
42	3.9107311	2	3.9139198	62	3.9170852	22	3.9202177	82	3.9233477
43	3.9107844	3	3.9139727	63	3.9173377	23	3.9202799	83	3.9233995
44	3.9108378	4	3.9140256	64	3.9171903	24	3.9203321	84	3.9234513
45	3.9108911	5	3.9140786	65	3.9172428	25	3.9203842	85	3.9235031
46	3.9109444	6	3.9141315	66	3.9172954	26	3.9204364	86	3.9235549
47	3.9109977	7	3.9141844	67	3.9173479	27	3.9204886	87	3.9236066
48	3.9110510	8	3.9142373	68	3.9174005	28	3.9205407	88	3.9236584
49	3.9111043	9	3.9143902	69	3.9174530	29	3.9205929	89	3.9237102
50	3.9111576	10	3.9143432	70	3.9175055	30	3.9206450	90	3.9237620
51	3.9112199	11	3.9143960	71	3.9175580	31	3.9206971	91	3.9238137
52	3.9112642	12	3.9144489	72	3.9176105	32	3.9207493	92	3.9238655
53	3.9113174	13	3.9145108	73	3.9176630	33	3.9208014	93	3.9239172
54	3.9113707	14	3.9145547	74	3.9177155	34	3.9208535	94	3.9239600
55	3.9114240	15	3.9146076	75	3.9177680	35	3.9209056	95	3.9240207
56	3.9114772	16	3.9146604	76	3.9178205	36	3.9209577	96	3.9240724
57	3.9115113	17	3.9147133	77	3.9178729	37	3.9210098	97	3.9241242
58	3.9115817	18	3.9147661	78	3.9179254	38	3.9210619	98	3.9241759
59	3.9116369	19	3.9148190	79	3.9179779	39	3.9211140	99	3.9242276

secū	Gr. Mi. da.	Gr. Mi. 2. 20.	Gr. Mi. 2. 21.	Gr. Mi. 2. 22.	Gr. Mi. 2. 23.	Gr. Mi. 2. 24.	
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	
8400	3.9242793	8460	3.9273704	8520	3.9304396	8640	3.9336137
1	3.9243310	61	3.9274217	62	3.9274730	63	3.9335540
2	3.9243827	64	3.9275415	65	3.9275243	66	3.9336645
3	3.9244344	67	3.9275925	68	3.9275757	69	3.9336847
4	3.9244860	70	3.9276434	71	3.9276270	72	3.9337050
5	3.9245377	73	3.9276873	74	3.9276793	75	3.9337152
6	3.9246110	76	3.9277396	77	3.9277208	78	3.9337264
7	3.9246641	79	3.9277808	80	3.9277708	81	3.9337357
8	3.9246927	82	3.9278451	83	3.9278351	84	3.9337449
9	3.9247444	85	3.9278821	86	3.9278781	87	3.9337492
10	3.9247960	88	3.9279834	89	3.9279940	90	3.9337569
11	3.9248476	91	3.9279943	92	3.9279999	93	3.9337663
12	3.9248923	94	3.9280056	95	3.9280154	96	3.9337712
13	3.9249509	97	3.9280372	98	3.9280471	99	3.9337767
14	3.9250025	100	3.9280885	101	3.9281152	102	3.9337816
15	3.9250541	103	3.9281397	104	3.9281535	105	3.9337951
16	3.9251057	106	3.9281909	107	3.9282154	108	3.9337994
17	3.9251573	109	3.9282422	110	3.9282653	111	3.9337999
18	3.9252089	112	3.9282934	113	3.9283150	114	3.9338003
19	3.9252605	115	3.9283440	116	3.9283607	117	3.9338009
20	3.9253121	118	3.9283959	119	3.9284157	120	3.9338084
21	3.9253837	121	3.9284471	122	3.9284587	123	3.9338179
22	3.9254152	124	3.9284983	125	3.9285159	126	3.9338182
23	3.9254666	127	3.9285405	128	3.9285604	129	3.9338185
24	3.9255184	130	3.9285907	131	3.9286104	132	3.9338188
25	3.9255699	133	3.9286518	134	3.9286721	135	3.9338192
26	3.9256215	136	3.9287030	137	3.9287229	138	3.9338197
27	3.9256730	139	3.9287342	140	3.9287537	141	3.9338203
28	3.9257245	142	3.9287854	143	3.9288045	144	3.9338206
29	3.9257761	145	3.9288355	146	3.9289193	147	3.9338209
30	3.9258276	148	3.9289397	149	3.9289577	150	3.9338213
31	3.9258791	151	3.9290538	152	3.9290719	153	3.9338216
32	3.9259304	154	3.9291000	155	3.9291207	156	3.9338219
33	3.9259821	157	3.9291611	158	3.9291815</		

secū Gr. Mi. da. 2. 25.	Gr. Mi. 2. 26.	Gr. Mi. 2. 27.	Gr. Mi. 2. 28.	Gr. Mi. 2. 29.
Nu. Logarith.	Nu. Logarith.	Nu. Logarith.	Nu. Logarith.	Nu. Logarith.
8700 3.9395192	8760 3.9425041	8820 3.9454686	8880 3.9484230	8940 3.9513375
8 3.9395692	61 3.9425537	21 3.9451178	81 3.9484619	41 3.9513261
12 3.9396191	62 3.9426632	22 3.9455670	82 3.9485108	42 3.9514347
13 3.9396690	63 3.9426528	23 3.9458163	83 3.9485597	43 3.9514832
14 3.9397189	64 3.9427024	24 3.9456655	84 3.9486085	44 3.9515178
5 3.9397688	65 3.9427918	25 3.9457147	85 3.9486574	45 3.9515503
6 3.9398187	66 3.9428015	26 3.9457639	86 3.9487063	46 3.9516289
7 3.9398685	67 3.9428570	27 3.9458131	87 3.9487552	47 3.9516774
8 3.9399184	68 3.9429005	28 3.9458262	88 3.9488040	48 3.9517260
9 3.9399683	69 3.9429501	29 3.9459115	89 3.9488529	49 3.9517745
10 3.9400182	70 3.9430996	30 3.9459607	90 3.9490118	50 3.9518230
11 3.9400680	71 3.9430491	31 3.9460099	91 3.9490506	51 3.9518716
12 3.9401179	72 3.9430986	32 3.9460591	92 3.9493994	52 3.9519301
13 3.9401677	73 3.9431481	33 3.9461082	93 3.9494048	53 3.9519686
14 3.9402176	74 3.9431976	34 3.9461574	94 3.9494097	54 3.9520171
15 3.9402674	75 3.9432471	35 3.9462065	95 3.9491459	55 3.9520656
16 3.9403172	76 3.9432966	36 3.9462557	96 3.9491948	56 3.9521141
17 3.9403670	77 3.9433461	37 3.9463048	97 3.9492416	57 3.9521626
18 3.9404169	78 3.9433956	38 3.9463540	98 3.9492924	58 3.9522111
19 3.9404667	79 3.9434450	39 3.9464031	99 3.9493412	59 3.9522595
20 3.9405165	80 3.9434945	40 3.9464623	8900 3.9493900	60 3.9523080
21 3.9405663	81 3.9435440	41 3.9465014	1 3.9494338	61 3.9523565
22 3.9406161	82 3.9435934	42 3.9465505	2 3.9494876	62 3.9524049
23 3.9406659	83 3.9436429	43 3.9465996	3 3.9495364	63 3.9524534
24 3.9407157	84 3.9436923	44 3.9466487	4 3.9495852	64 3.9525018
25 3.9407654	85 3.9437418	45 3.9466978	5 3.9496339	65 3.9525503
26 3.9408152	86 3.9437912	46 3.9467469	6 3.9496827	66 3.9525987
27 3.9408650	87 3.9438106	47 3.9467960	7 3.9497375	67 3.9526472
28 3.9409147	88 3.9438900	48 3.9468451	8 3.9497820	68 3.9526956
29 3.9409645	89 3.9439395	49 3.9468942	9 3.9498290	69 3.9527440
30 3.9410142	90 3.9439889	50 3.9469433	10 3.9498777	70 3.9527924
31 3.9410640	91 3.9440383	51 3.9469923	11 3.9499264	71 3.9528409
32 3.9411137	92 3.9440877	52 3.9470414	12 3.9499752	72 3.9528893
33 3.9411635	93 3.9441371	53 3.9470995	13 3.9500239	73 3.9529377
34 3.9412132	94 3.9441865	54 3.9471395	14 3.9500726	74 3.9529861
35 3.9412629	95 3.9442158	55 3.9471886	15 3.9501213	75 3.9530345
36 3.9413126	96 3.9442852	56 3.9472376	16 3.9501701	76 3.9530828
37 3.9413623	97 3.9443346	57 3.9472866	17 3.9502188	77 3.9531312
38 3.9414120	98 3.9443840	58 3.9473357	18 3.9502675	78 3.9531796
39 3.9414617	99 3.9444333	59 3.9473847	19 3.9503162	79 3.9532280
40 3.9415114	8800 3.9444827	60 3.9474137	20 3.9503649	80 3.9532763
41 3.9415611	1 3.9445320	61 3.9474827	21 3.9504133	81 3.9533247
42 3.9416108	2 3.9445814	62 3.9475317	22 3.9504622	82 3.9533730
43 3.9416605	3 3.9446307	63 3.9475807	23 3.9505109	83 3.9534214
44 3.9417101	4 3.9446800	64 3.9476297	24 3.9505596	84 3.9534697
45 3.9417598	5 3.9447194	65 3.9476787	25 3.9506082	85 3.9535181
46 3.9418095	6 3.9447787	66 3.9477277	26 3.9506569	86 3.9535664
47 3.9418591	7 3.9448180	67 3.9477767	27 3.9507055	87 3.9536147
48 3.9419088	8 3.9448773	68 3.9478257	28 3.9507542	88 3.9536631
49 3.9419584	9 3.9449266	69 3.9478746	29 3.9508028	89 3.9537114
50 3.9420081	10 3.9449759	70 3.9479236	30 3.9508515	90 3.9537597
51 3.9420577	11 3.9450252	71 3.9479726	31 3.9509001	91 3.9538060
52 3.9421073	12 3.9450745	72 3.9480235	32 3.9509487	92 3.9538563
53 3.9421569	13 3.9451218	73 3.9480705	33 3.9509973	93 3.9539046
54 3.9422065	14 3.9451733	74 3.9481194	34 3.9510459	94 3.9539559
55 3.9422561	15 3.9452223	75 3.9481684	35 3.9510946	95 3.9540012
56 3.9423058	16 3.9452716	76 3.9482173	36 3.9511432	96 3.9540494
57 3.9423553	17 3.9453208	77 3.9482662	37 3.9511918	97 3.9540977
58 3.9424049	18 3.9453701	78 3.9483151	38 3.9512404	98 3.9541460
59 3.9424545	19 3.9454193	79 3.9483640	39 3.9512889	99 3.9541943

secū Gr. Mi. da. 2. 30.	Gr. Mi. 2. 31.	Gr. Mi. 2. 32.	Gr. Mi. 2. 33.	Gr. Mi. 2. 34.
Nu. Logarith.	Nu. Logarith.	Nu. Logarith.	Nu. Logarith.	Nu. Logarith.
9000 3.9542425	9060 3.95571182	9120 3.9599948	9180 3.9628427	9240 3.9656720
1 3.9542908	61 3.95571761	21 3.9600424	81 3.9628900	41 3.9657190
2 3.9543390	62 3.95572441	22 3.9600901	82 3.9629373	42 3.9657660
3 3.9543872	63 3.95572720	23 3.9601377	83 3.9629846	43 3.9658129
4 3.9544355	64 3.95573199	24 3.9601883	84 3.9630319	44 3.9658599
5 3.9544837	65 3.95573678	25 3.9602329	85 3.9630792	45 3.9659069
6 3.9545319	66 3.95574157	26 3.9602808	86 3.9631264	46 3.9660039
7 3.9545802	67 3.95574636	27 3.9603280	87 3.9631737	47 3.9660608
8 3.9546284	68 3.95575115	28 3.9603756	88 3.9632210	48 3.9661478
9 3.9546766	69 3.95575594	29 3.9604232	89 3.9632682	49 3.9662048
10 3.9547248	70 3.95576073	30 3.9604702	90 3.9633155	50 3.9662419
11 3.9547730	71 3.95576552	31 3.9605183	91 3.9633628	51 3.9662887
12 3.9548212	72 3.95577030	32 3.9605509	92 3.9634100	52 3.9663356
13 3.9548694	73 3.95577509	33 3.9606134	93 3.9634573	53 3.9663826
14 3.9549176	74 3.95577988	34 3.9606610	94 3.9635045	54 3.9663298
15 3.9549657	75 3.95578466	35 3.9607085	95 3.9635517	55 3.9663764
16 3.9550139	76 3.95578945	36 3.9607561	96 3.9635990	56 3.9664233
17 3.9550621	77 3.95579423	37 3.9608036	97 3.9636462	57 3.9664708
18 3.9551102	78 3.95579902	38 3.9608511	98 3.9636934	58 3.9665172
19 3.9551584	79 3.95580380	39 3.9608987	99 3.9637406	59 3.9665641
20 3.9552005	80 3.958058	40 3.9609464	9200 3.9637878	60 3.9665641
21 3.9552547	81 3.9581337	41 3.9609937	1 3.9632350	61 3.9666579
22 3.9553028	82 3.9581815	42 3.9610412	2 3.9632822	62 3.9667048
23 3.9553510	83 3.9582293	43 3.9610887	3 3.9632924	63 3.9667517
24 3.9553995	84 3.9582771	44 3.9611362	4 3.9633976	64 3.9667878
25 3.9554474	85 3.9583249	45 3.9611837	5 3.9640238	65 3.9668454
26 3.9554953	86 3.9583727	46 3.9612312	6 3.9640779	66 3.9668923
27 3.9555434	87 3.9584205	47 3.9612878	7 3.9641181	67 3.9669392
28 3.9555915	88 3.9584683	48 3.9613261	8 3.9641653	68 3.9669860
29 3.9556397	89 3.9585161	49 3.9613736	9 3.9642125	69 3.9670329
30 3.9556877	90 3.9585639	50 3.9614211	10 3.9642796	70 3.9671797
31 3.9557358	91 3.9586117	51 3.9614765	11 3.9643068	71 3.9672266
32 3.9557839	92 3.9586594	52 3.9615160	12 3.9643539	72 3.9671734
33 3.9558320	93 3.9587072	53 3.9615635	13 3.9644011	73 3.9672222
34 3.9558801	94 3.9587549	54 3.9616109	14 3.9644482	74 3.9672678
35 3.9559282	95 3.9588027	55 3.9616583	15 3.9644953	75 3.9673139
36 3.9559762	96 3.9588509	56 3.9617058	16 3.9645475	76 3.9673607
37 3.9560243	97 3.9588982	57 3.9617532	17 3.9645856	77 3.9674075
38 3.9560723	98 3.9589459	58 3.9618006	18 3.9646367	78 3.9674544
39 3.9561204	99 3.9589937	59 3.9618480	19 3.9646838	79 3.9675012
40 3.9561684	9100 3.9590474	60 3.9618953	20 3.9647369	80 3.9675480
41 3.9562165	1 3.9590891	61 3.9619429	21 3.9647780	81 3.9675848
42 3.9562645	2 3.9591368	62 3.96201903	22 3.9648271	82 3.9676416
43 3.9563125	3 3.9591845	63 3.9621377	23 3.9648722	83 3.9676883
44 3.9563606	4 3.9592322	64 3.9622085	24 3.9649193	84 3.9677353
45 3.9564086	5 3.9592799	65 3.9622322	25 3.9649664	85 3.9677819
46 3.9564566	6 3.9			

secū	Gr. Mi. da.	Gr. Mi. 2.							
da.	2.	35.	36.	37.	38.	39.	40.		
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.		
930	3.9694329	930	3.9712758	9420	3.9740509	9480	3.9768833	9540	3.9795484
931	3.9694496	91	3.9712212	21	3.9740970	81	3.9768541	41	3.9795939
932	3.9697663	62	3.9712686	22	3.9771411	82	3.9768999	42	3.9796394
933	3.96986230	63	3.9714150	23	3.9771822	83	3.9769457	43	3.9796849
934	3.9685697	64	3.9714614	24	3.9772353	84	3.9769915	44	3.9797304
935	3.9687164	65	3.9715078	25	3.9772814	85	3.9770373	45	3.9797759
936	3.9687639	66	3.9715548	26	3.9773274	86	3.9770831	46	3.9798214
937	3.9688097	67	3.9716005	27	3.9773735	87	3.9771289	47	3.9798669
938	3.9688161	68	3.9716469	28	3.9774196	88	3.9771747	48	3.9799124
939	3.9689339	69	3.9716932	29	3.9774556	89	3.9772204	49	3.9799579
940	3.9689497	70	3.9717396	30	3.9774917	90	3.9772662	50	3.9800034
941	3.9689965	71	3.9717859	31	3.9775577	91	3.9773120	51	3.9800488
942	3.9691430	72	3.9718123	32	3.9776038	92	3.9773577	52	3.9800943
943	3.9691686	73	3.9718286	33	3.9776448	93	3.9774035	53	3.9801393
944	3.9691652	74	3.9718429	34	3.9776750	94	3.9774402	54	3.9801852
945	3.9691782	75	3.9719773	35	3.9777419	95	3.9774850	55	3.9802307
946	3.9692295	76	3.9720176	36	3.9777879	96	3.9775407	56	3.9802761
947	3.9692761	77	3.9720619	37	3.9778340	97	3.9775864	57	3.9803216
948	3.9693227	78	3.9721102	38	3.9778800	98	3.9776322	58	3.9803670
949	3.9693698	79	3.9721565	39	3.9779160	99	3.9776779	59	3.9804125
950	3.9694150	80	3.9722518	40	3.9779472	950	3.9777236	60	3.9804579
951	3.9694625	81	3.9722498	41	3.97795180	91	3.9777693	61	3.9805033
952	3.9695091	82	3.9722954	42	3.9779640	2	3.9778180	62	3.9805487
953	3.9695157	83	3.9723417	43	3.97797100	3	3.9778607	63	3.9805941
954	3.96960623	84	3.9723686	44	3.97797560	4	3.97797064	64	3.9806396
955	3.9696488	85	3.9724343	45	3.97797520	5	3.97799521	65	3.9806830
956	3.96965954	86	3.9724805	46	3.977975479	6	3.9779978	66	3.9807104
957	3.9697420	87	3.9725268	47	3.977993939	7	3.9780435	67	3.9807258
958	3.9697885	88	3.9725737	48	3.97799399	8	3.9780892	68	3.9808222
959	3.9698157	89	3.9726198	49	3.97799358	9	3.9781348	69	3.9808669
960	3.9698310	90	3.9726656	50	3.97799318	10	3.9781895	70	3.9809119
961	3.9699282	91	3.9727118	51	3.977994778	11	3.9782262	71	3.9809573
962	3.9699747	92	3.9727581	52	3.977995237	12	3.9782718	72	3.9810027
963	3.970021213	93	3.9728043	53	3.977995697	13	3.9783175	73	3.9810480
964	3.9700578	94	3.9728506	54	3.977996156	14	3.9783631	74	3.9810934
965	3.9701142	95	3.9728668	55	3.97799615	15	3.97838088	75	3.9811588
966	3.9701002	96	3.9729430	56	3.977997075	16	3.9784544	76	3.9811841
967	3.9701074	97	3.9729892	57	3.977997334	17	3.9785001	77	3.9812202
968	3.9701230	98	3.9730354	58	3.977997993	18	3.9785257	78	3.9812748
969	3.9701204	99	3.9730816	59	3.977998521	19	3.9785313	79	3.9813202
970	3.9701569	940	3.9731279	60	3.97799811	20	3.9786369	80	3.9813655
971	3.9701934	1	3.9731741	61	3.977998170	21	3.9786826	81	3.9814108
972	3.9702412	2	3.9732202	62	3.977998269	22	3.9786828	82	3.9814662
973	3.9702453	3	3.9732664	63	3.977998288	23	3.97868378	83	3.9815015
974	3.9702528	4	3.9733126	64	3.977998477	24	3.978688194	84	3.9815468
975	3.9702743	5	3.9733158	65	3.977998606	25	3.978689550	85	3.9815221
976	3.9703198	6	3.9734050	66	3.977998665	26	3.97869166	86	3.9816374
977	3.9703732	7	3.9734511	67	3.977998722	27	3.97869562	87	3.9816827
978	3.9704187	8	3.9734973	68	3.977998782	28	3.978699017	88	3.9817280
979	3.9704762	9	3.9735345	69	3.977999473	29	3.978699733	89	3.9817733
980	3.9705116	10	3.9735895	70	3.977999500	30	3.978699929	90	3.9818126
981	3.9705831	11	3.9736358	71	3.977999593	31	3.978699985	91	3.9819092
982	3.9706049	12	3.9736819	72	3.977999617	32	3.9786999840	92	3.9819544
983	3.9706559	13	3.9737281	73	3.977999675	33	3.9786999896	93	3.9819977
984	3.9707093	14	3.9737473	74	3.977999734	34	3.978699997	94	3.9820450
985	3.9710438	15	3.97378203	75	3.977999792	35	3.978699997	95	3.9820902
986	3.9710902	16	3.97383664	76	3.977999862	36	3.9786999962	96	3.9821355
987	3.9711136	17	3.9739126	77	3.977999879	37	3.9786999967	97	3.9821585
988	3.9711183	18	3.9739587	78	3.977999871	38	3.978699997	98	3.9821606
989	3.9711224	19	3.9740048	79	3.977999875	39	3.978699998	99	3.9821644

secū	Gr. Mi. da.	Gr. Mi. 2.							
da.	2.	40.	41.	42.	43.	44.	45.		
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.		
960	3.9822712	9660	3.9849771	9720	3.9876661	9780	3.9993389	9840	3.9992345
961	3.9823165	61	3.9850221	21	3.9877109	81	3.9903833	48	3.9903392
962	3.9823617	62	3.9850670	22	3.9877556	82	3.9904277	49	3.9903634
963	3.9824069	63	3.9851170	23	3.9878033	83	3.9904971	50	3.9903931
964	3.9824521	64	3.9851569	24	3.9878449	84	3.9905164	51	3.9904275
965	3.9824974	65	3.9852058	25	3.9878896	85	3.9905668	52	3.9904517
966	3.9825426	66	3.9852468	26	3.9879343	86	3.9906061	53	3.9904859
967	3.9825878	67	3.9852947	27	3.9879789	87	3.9906464	54	3.9905191
968	3.9826330	68	3.9853366	28	3.9880236	88	3.9906867	55	3.9905524
969	3.9826782	69	3.9853746	29	3.9880670	89	3.9907275	56	3.9905857
970	3.9827234	70	3.9854145	30	3.9880850	90	3.9907679	57	3.9906209
971	3.9827682	81	3.9854575	31	3.9881322	91	3.9908090	58	3.9906640
972	3.9828122	82	3.9855033	32	3.9881783	92	3.9908492	59	3.9907031
973	3.9828566	83	3.9855492	33	3.9882227	93	3.9908892	60	3.9907421
974	3.9829018	84	3.9856000	34	3.9882683	94	3.9909293	61	3.9907812
975	3.9829452	85	3.9856500	35	3.9883143	95	3.9909693	62	3.9908153
976	3.9829876	86	3.9857026	36	3.9883582	96	3.9910093	63	3.9908533
977	3.9830316	87	3.9857492	37	3.9884043	97	3.9910493	64	3.9908913
978	3.9830716	88	3.9858027	38	3.9884492	98	3.9910893	65	3.9909293
979	3.9831165	89	3.9858492	39	3.9884949	99	3.9911293	66	3.9909693
980	3.9831605	90	3.9859025	40	3.9886217	100	3.9911693	67	3.9910090
981	3.9831671	91	3.9859461	41	3.9886643	101	3.9912093	68	3.9910491
982	3.9832122	92	3.9859813	42	3.9887043	102	3.9912493	69	3.9910891
983	3.9832578	93	3.9860222	43	3.9887493	103	3.9912893	70	3.99112

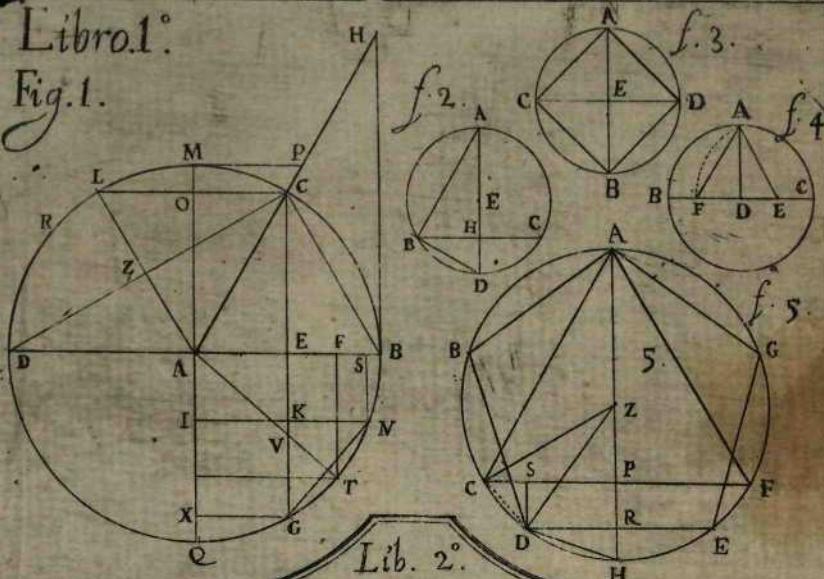
secū	Gr. Mi. da.	Gr. Mi. 2. 45.	Gr. Mi. 2. 46.	Gr. Mi. 2. 47.	Gr. Mi. 2. 48.	Gr. Mi. 2. 49.			
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.		
9900	3.9956352	9980	3.9982593	10020	4.0008677	10030	4.0034605	10140	4.0060379
1	3.9956791	61	3.9983019	21	4.0009110	81	4.0035056	41	4.0060807
2	3.9957229	62	3.9983455	22	4.0009543	82	4.0035466	42	4.0061236
3	3.9957688	63	3.9983901	23	4.0009977	83	4.0035837	43	4.0061664
4	3.9958106	64	3.9984337	24	4.0010410	84	4.0036318	44	4.0062092
5	3.9958495	65	3.9984773	25	4.0010843	85	4.0036759	45	4.0062520
6	3.9958893	66	3.9985209	26	4.0011277	86	4.0037189	46	4.0062948
7	3.9959222	67	3.9985644	27	4.0011710	87	4.0037620	47	4.0063376
8	3.9959650	68	3.9986080	28	4.0012143	88	4.0038050	48	4.0063844
9	3.9960209	69	3.9986516	29	4.0012576	89	4.0038481	49	4.0064232
10	3.9960736	70	3.9986951	30	4.0013009	90	4.0038911	50	4.0064660
11	3.9961175	71	3.9987337	31	4.0013442	91	4.0039342	51	4.0065088
12	3.9961613	72	3.9987813	32	4.0013875	92	4.0039772	52	4.0065516
13	3.9962051	73	3.9988258	33	4.0014308	93	4.0040202	53	4.0065943
14	3.9962489	74	3.9988694	34	4.0014740	94	4.0040633	54	4.0066371
15	3.9962927	75	3.9989119	35	4.0015173	95	4.0041063	55	4.0066799
16	3.9963365	76	3.9989564	36	4.0015606	96	4.0041443	56	4.0067226
17	3.9963803	77	3.9990000	37	4.0016039	97	4.0041923	57	4.0067654
18	3.9964241	78	3.9990433	38	4.0016471	98	4.0042353	58	4.0068082
19	3.9964679	79	3.9990870	39	4.0016904	99	4.0042783	59	4.0068509
20	3.9965117	80	3.9991305	40	4.0017337	10100	4.0043213	60	4.0068937
21	3.9965554	81	3.9991740	41	4.0017769	10101	4.0043643	61	4.0069364
22	3.9965992	82	3.9992176	42	4.0018102	10102	4.0044073	62	4.0069792
23	3.9966430	83	3.9992611	43	4.0018541	10103	4.0044503	63	4.0070219
24	3.9966867	84	3.9993046	44	4.0019067	10104	4.0044933	64	4.0070656
25	3.9967205	85	3.9993481	45	4.0019499	10105	4.0045363	65	4.0071073
26	3.9967643	86	3.9993916	46	4.0019931	10106	4.0045792	66	4.0071490
27	3.9968010	87	3.9994350	47	4.0020364	10107	4.0046222	67	4.0071928
28	3.9968368	88	3.9994785	48	4.0020796	10108	4.0046652	68	4.0072355
29	3.9968955	89	3.9995200	49	4.0021218	10109	4.0047081	69	4.0072782
30	3.9969494	90	3.9995655	50	4.0021660	10110	4.0047511	70	4.0073249
31	3.9969930	91	3.9996089	51	4.0022092	10111	4.0047941	71	4.0073536
32	3.9970367	92	3.9996524	52	4.0022524	10112	4.0048370	72	4.0074063
33	3.9970804	93	3.9996959	53	4.0022956	10113	4.0048800	73	4.0074490
34	3.9971241	94	3.9997393	54	4.0032383	10114	4.0049229	74	4.0074917
35	3.9971679	95	3.9997828	55	4.0032820	10115	4.0049698	75	4.0075344
36	3.9972116	96	3.9998262	56	4.0032452	10116	4.0050088	76	4.0075770
37	3.9972553	97	3.9998697	57	4.0032484	10117	4.0050517	77	4.0076197
38	3.9972990	98	3.9999117	58	4.0032516	10118	4.0050946	78	4.0076624
39	3.9973427	99	3.9999566	59	4.0032538	10119	4.0051375	79	4.0077051
40	3.9973864	10000	4.0000000	60	4.0025979	10120	4.0051808	80	4.0077477
41	3.9974301	1	4.0000447	61	4.0036413	10121	4.0052234	81	4.0077904
42	3.9974737	2	4.0000588	62	4.0036843	10122	4.0052663	82	4.0078330
43	3.9975174	3	4.00006302	63	4.0037274	10123	4.0053092	83	4.0078757
44	3.9975611	4	4.00011736	64	4.0037706	10124	4.0053521	84	4.0079193
45	3.9976048	5	4.0002170	65	4.0038137	10125	4.0053950	85	4.0079610
46	3.9976484	6	4.0002604	66	4.0038569	10126	4.0054379	86	4.0080036
47	3.9976921	7	4.0003018	67	4.0039200	10127	4.0054803	87	4.0080463
48	3.9977353	8	4.0003472	68	4.0039432	10128	4.0055236	88	4.0080839
49	3.9977794	9	4.0003706	69	4.0039863	10129	4.0055665	89	4.0081315
50	3.9978231	10	4.0004140	70	4.0035294	10130	4.0056094	90	4.0081741
51	3.9978667	11	4.0004574	71	4.0035725	10131	4.0056533	91	4.0082168
52	3.9979104	12	4.0005008	72	4.0035157	10132	4.0056951	92	4.0082594
53	3.9979540	13	4.0005462	73	4.0035188	10133	4.0057309	93	4.0083020
54	3.9979976	14	4.0006075	74	4.0035209	10134	4.0057809	94	4.0083446
55	3.9980413	15	4.0006509	75	4.0035240	10135	4.0058237	95	4.0083872
56	3.9980849	16	4.0006943	76	4.0035281	10136	4.0058666	96	4.0084298
57	3.9981285	17	4.0007376	77	4.0035322	10137	4.0059094	97	4.0084724
58	3.9981721	18	4.0007810	78	4.0035374	10138	4.0059523	98	4.0085136
59	3.9982157	19	4.0008243	79	4.0035414	10139	4.0059951	99	4.0085523

secū	Gr. Mi. da.	Gr. Mi. 2. 50.	Gr. Mi. 2. 51.	Gr. Mi. 2. 52.	Gr. Mi. 2. 53.	Gr. Mi. 2. 54.			
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.		
10200	4.0086001	10260	4.0111473	10320	4.0136796	10380	4.0161973	10440	4.0187004
1	4.0036427	61	4.0111896	21	4.0137217	81	4.0162301	41	4.0187420
2	4.0036855	62	4.0112320	22	4.0137638	82	4.0162810	42	4.0187836
3	4.0038728	63	4.0112743	23	4.0138059	83	4.0163228	43	4.0188252
4	4.0038704	64	4.0113166	24	4.0138479	84	4.0163646	44	4.0188668
5	4.00388130	65	4.0113589	25	4.0138900	85	4.0164065	45	4.0189084
6	4.00388555	66	4.0114012	26	4.0139321	86	4.0164483	46	4.0189500
7	4.00388931	67	4.0114435	27	4.0139741	87	4.0164903	47	4.0189919
8	4.00390486	68	4.0114858	28	4.0140162	88	4.0165319	48	4.0190331
9	4.00390831	69	4.0115281	29	4.0140582	89	4.0166737	49	4.0190747
10	4.00390257	70	4.0115704	30	4.0141003	90	4.0166155	50	4.0191162
11	4.0039068	71	4.0116127	31	4.0141423	91	4.0166573	51	4.0191578
12	4.00391108	72	4.0116550	32	4.0141833	92	4.0166991	52	4.0191924
13	4.00391531	73	4.0116972	33	4.0142264	93	4.0167409	53	4.0192409
14	4.00391953	74	4.0117395	34	4.0142684	94	4.0167919	54	4.0193124
15	4.00392383	75	4.0117818	35	4.0143104	95	4.0167827	55	4.0193244
16	4.00392808	76	4.0118340	36	4.0143525	96	4.0168362	56	4.0193440
17	4.00393233	77	4.0118663	37	4.0143945	97	4.0168680	57	4.0194051
18	4.00393653	78	4.0119086	38	4.0144365	98	4.0169498	58	4.0194486
19	4.00394083	79	4.0119508	39	4.0144785	99	4.0169915	59	4.0194901
20	4.00445205	80	4.0119931	40	4.0145205	10440	4.0170333	60	4.0195316
21	4.0044913	81	4.0120353	41	4.0145625	1	4.0170750	61	4.0195732
22	4.00449538	82	4.0120775	42	4.0146045	2	4.0171168	62	4.0196147
23	4.00449833	83	4.0121198	43	4.0146465	3	4.0171985	63	4.0196562
24	4.00450208	84	4.0121620	44	4.0146885	4	4.0172053	64	4.0197077
25	4.00450633	85</							

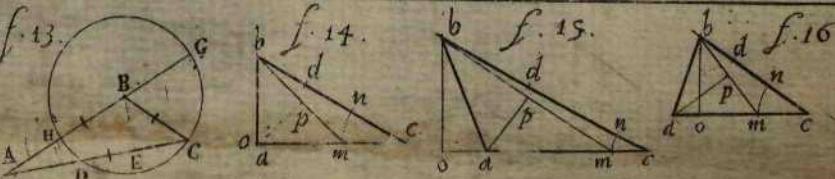
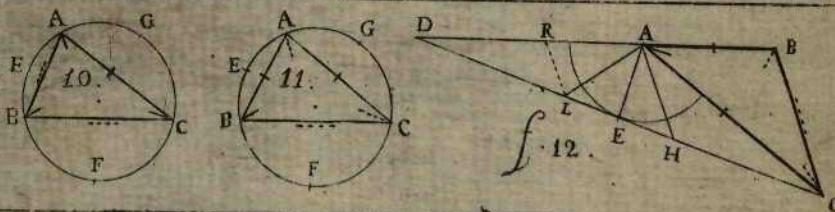
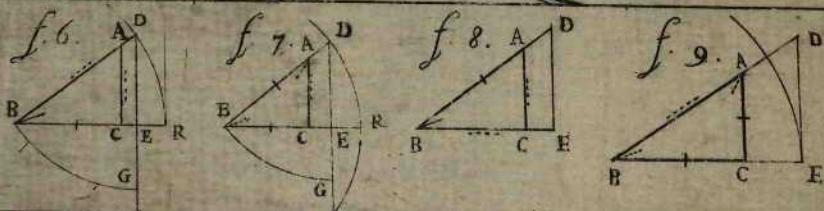
secū	Gr. Mi. da.	Gr. Mi. 3. 0.	Gr. Mi. 3. I.	Gr. Mi. 3. 2.	Gr. Mi. 3. 3.	Gr. Mi. 3. 4.			
Nu.	Logarith.	Nu.	Logarith.	Nu.	Logarith.	Nu.			
10800	4.0334237	10800	4.0358298	10920	4.0392226	10980	4.0406023	11040	4.0429590
1	4.0334639	61	4.0358698	21	4.0392624	81	4.0406418	41	4.0430084
2	4.0335041	62	4.0359097	22	4.0393021	82	4.0406814	42	4.0430477
3	4.0335443	63	4.0359497	23	4.0393419	83	4.0407209	43	4.0430870
4	4.0335845	64	4.0359897	24	4.0393816	84	4.0407605	44	4.0431263
5	4.0336247	65	4.0360297	25	4.0394214	85	4.0408300	45	4.0431657
6	4.0336649	66	4.0360697	26	4.0394611	86	4.0408395	46	4.0432050
7	4.0337051	67	4.0361096	27	4.0395009	87	4.0408701	47	4.0432447
8	4.0337453	68	4.0361495	28	4.0395406	88	4.0409186	48	4.0432856
9	4.0337855	69	4.0361895	29	4.0395804	89	4.040958	49	4.0433229
10	4.0338256	70	4.0362295	30	4.0396201	90	4.0410976	50	4.0434022
11	4.0338658	71	4.036264	31	4.0396508	91	4.0410372	51	4.0434015
12	4.0339060	72	4.0363094	32	4.0396906	92	4.0410767	52	4.0434468
13	4.0339462	73	4.0363493	33	4.0397393	93	4.0411162	53	4.0434801
14	4.0339863	74	4.0363893	34	4.0397790	94	4.0411557	54	4.0435194
15	4.0340265	75	4.0364292	35	4.0398167	95	4.0411952	55	4.0435537
16	4.0340666	76	4.0364691	36	4.0398505	96	4.0412347	56	4.0435940
17	4.0341068	77	4.0365091	37	4.0398982	97	4.0412742	57	4.0436373
18	4.0341469	78	4.0365490	38	4.0399377	98	4.0413137	58	4.0436705
19	4.0341871	79	4.0365889	39	4.0399776	99	4.0413532	59	4.0437158
20	4.0342271	80	4.0366238	40	4.0390173	1000	4.0413927	60	4.0437551
21	4.0342673	81	4.0366583	41	4.0390570	1	4.0414321	61	4.0437943
22	4.0343075	82	4.0367087	42	4.0390967	2	4.0414716	62	4.0438336
23	4.0343476	83	4.0367486	43	4.0391163	3	4.0415111	63	4.0438729
24	4.0343877	84	4.0367885	44	4.0391700	4	4.0415579	64	4.0439121
25	4.0344279	85	4.0368284	45	4.0392157	5	4.0415900	65	4.0439514
26	4.0344680	86	4.0368681	46	4.0392554	6	4.0416294	66	4.0439906
27	4.0345081	87	4.0369082	47	4.0392951	7	4.041668	67	4.0440299
28	4.0345482	88	4.0369481	48	4.0393347	8	4.0417084	68	4.0440691
29	4.0345883	89	4.0369879	49	4.0393744	9	4.0417478	69	4.0441083
30	4.0346284	90	4.0370278	50	4.0394141	10	4.041787	70	4.0441476
31	4.0346685	91	4.0370677	51	4.0394537	11	4.041826	71	4.0441868
32	4.0347086	92	4.0371075	52	4.0394937	12	4.041852	72	4.0442260
33	4.0347487	93	4.0371475	53	4.0395330	13	4.04193	73	4.0442652
34	4.0347888	94	4.0371873	54	4.0395727	14	4.041945	74	4.0443045
35	4.0348289	95	4.0372272	55	4.0396121	15	4.041981	75	4.0443437
36	4.0348689	96	4.0372670	56	4.0396520	16	4.042023	76	4.0443819
37	4.0349090	97	4.0373069	57	4.0396916	17	4.0420533	77	4.0444221
38	4.0349491	98	4.0373468	58	4.0397212	18	4.0421227	78	4.0444613
39	4.0349892	99	4.0373860	59	4.0397709	19	4.0421421	79	4.0445005
40	4.0350292	1000	4.0374264	60	4.0398105	2	4.0421815	80	4.0445397
41	4.0350693	1	4.0374661	61	4.0398471	21	4.0422210	81	4.0445789
42	4.0351094	2	4.0375061	62	4.0398827	22	4.042264	82	4.0446181
43	4.0351494	3	4.0375460	63	4.0399294	23	4.0422998	83	4.0446573
44	4.0351895	4	4.0375858	64	4.039969	24	4.0423392	84	4.0446965
45	4.0352295	5	4.0376256	65	4.0400066	25	4.0423785	85	4.0447356
46	4.0352696	6	4.0376654	66	4.0400483	26	4.0424179	86	4.0447748
47	4.0353006	7	4.0377053	67	4.0401809	27	4.0424573	87	4.0448140
48	4.0353406	8	4.0377451	68	4.0402144	28	4.0424967	88	4.0448532
49	4.0353807	9	4.0377849	69	4.04041670	29	4.0425361	89	4.0448923
50	4.0354207	10	4.0378247	70	4.04042766	30	4.0425755	90	4.0449315
51	4.0354607	11	4.0378645	71	4.04042402	31	4.0426143	91	4.0449777
52	4.0355097	12	4.0379043	72	4.04042857	32	4.0426542	92	4.0450098
53	4.0355498	13	4.0379441	73	4.04043258	33	4.0426836	93	4.0450490
54	4.0355898	14	4.0379832	74	4.0404364	34	4.0427329	94	4.0450881
55	4.0356208	15	4.0380237	75	4.04044045	35	4.0427723	95	4.0451273
56	4.0356608	16	4.0380625	76	4.0404444	36	4.0428116	96	4.0451664
57	4.0357008	17	4.0381033	77	4.0404836	37	4.0428510	97	4.0452059
58	4.0357306	18	4.0381433	78	4.0405232	38	4.0428903	98	4.0452447
59	4.0357608	19	4.0381828	79	4.0405627	39	4.0429297	99	4.0452838

Libro 1.

Fig. 1.

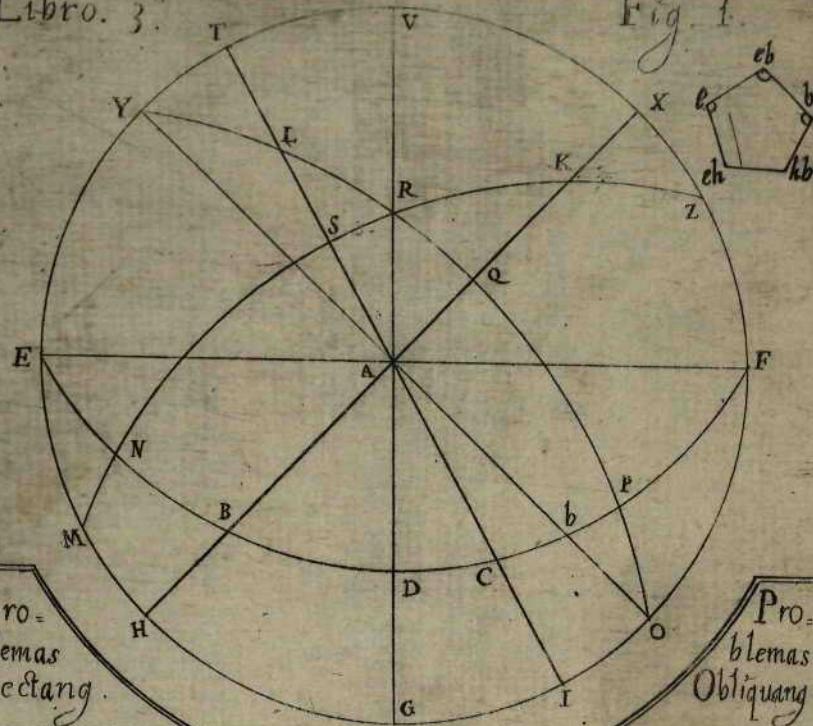


Lib. 2°



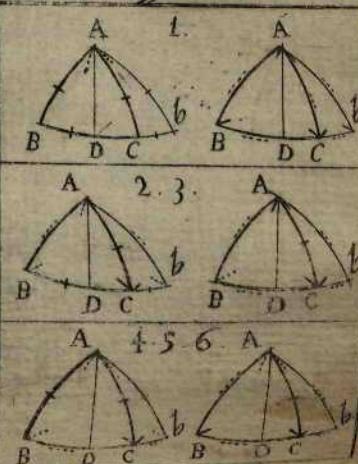
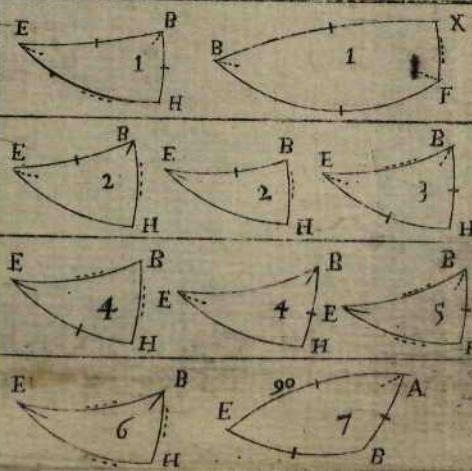
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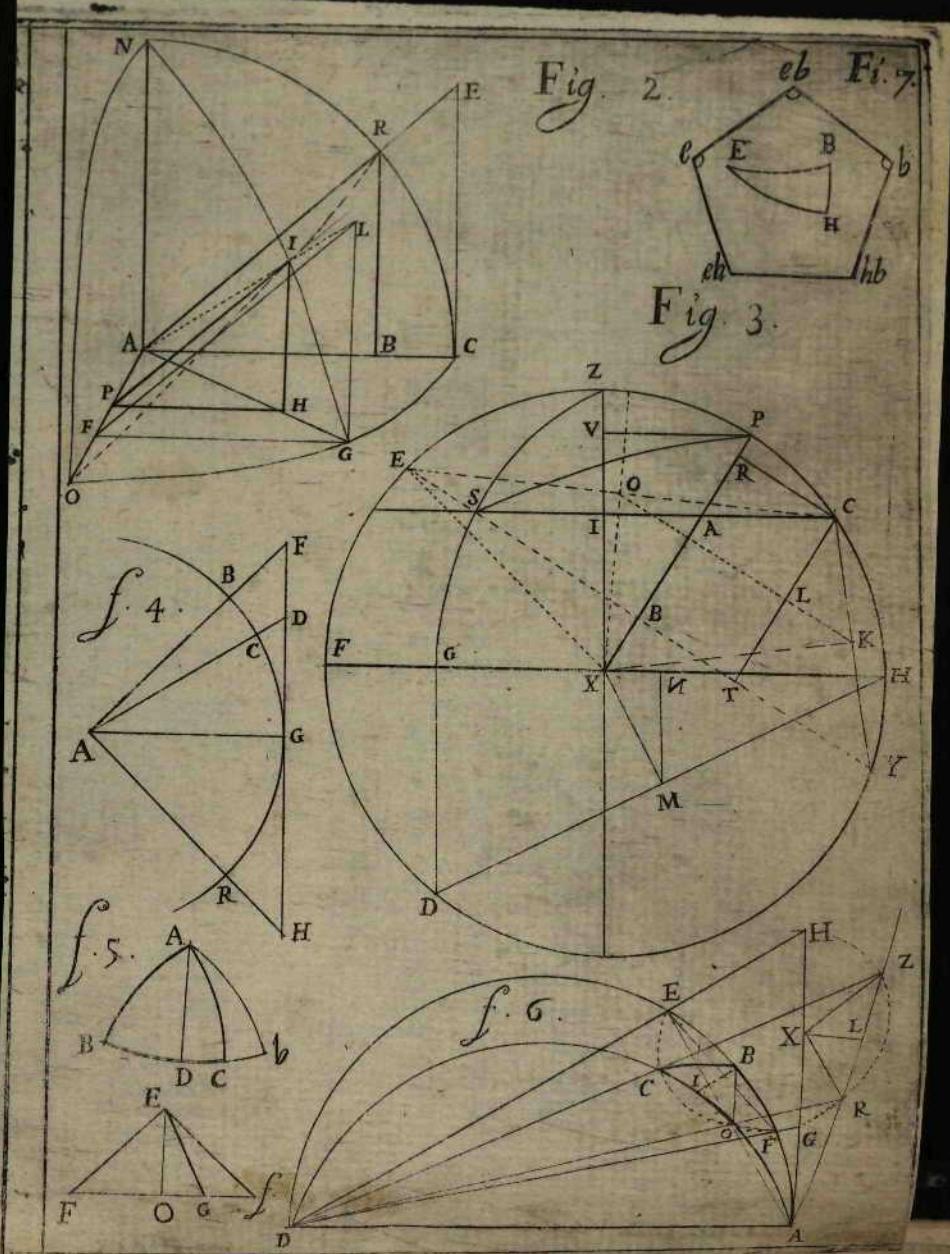
Fig. 1.



Problemas  
Rectang.

Problemas  
Obliquang.





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1862

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